## Object Detection Using Deep Learning

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#### Introduction

- Conventional multi arm bandit (MAB) problem:
  - ullet learner pulls one out of  $K\in\mathbb{N}_+$  arms
  - reward is obtained (sampled from an unknown-mean distribution)
- Multi-play multi-armed bandits:
  - play multiple arms in a single time slot
- Shareable multi-play multi-armed bandits (shareable MP-MAB)
  - Each arm can be played any number of times

#### Problem Statement

- $K \in \mathbb{N}_+$  arms, indexed by 1, 2, ..., k
- rewards according to the distribution  $X_k$  with means,  $\mu_k$  (not known to the player)
- finite rewards capacity,  $m_k$ , (not known to the player)
- Reward from arm  $k = \min\{a_k, m_k\} \times X_k$
- Without loss of generality  $\mu_1 \ge \mu_2 \ge ... \ge \mu_k$

# N number of plays are assigned in each time slot, and the player chooses how these N plays are distributed among the K arms.

**Objective:** estimate the means of the reward distribution and capacity of these arms, while maximising the reward.

## Theoretical Background

#### **OrchExplore Algorithm:**

Stage 1: Initial iterations: runs PIE in odd time slots, PUE in even time slots

**Stage 2:** After each run of PIE or PUE, update the upper and lower confidence bounds:

$$\begin{split} m_{k,t}^l &:= \max\{\lceil \hat{\nu}_{k,t}/\hat{\mu}_{k,t} + \phi(\tau_t,\delta)\phi(l_t,\delta)\rceil, 1\} \\ m_{k,t}^u &:= \min\{\lceil \hat{\nu}_{k,t}/\hat{\mu}_{k,t} + \phi(\tau_t,\delta)\phi(l_t,\delta)\rceil, N\} \end{split}$$

Once the PUE set  $\mathcal{Y}_t = \phi$ , OrchExplore runs only PIE.

**Stage 3:** Once  $\mathcal{Y}_t = \phi$  and  $\mathcal{E}_t = \phi$ , then pure exploitation - it allocates plays to empirical optimal arms according to these arms' reward capacities.

# Parsimonious Individual Exploration (PIE)

The Oracle function: input - reward capacity's lower bounds  $m_t^l$  and empirical means  $\hat{\mu}_k$  of the arms output -  $a_t^{IE}$ , assigns the highest mean to the arm with highest lower bound on capacity.

- $S_t$ , the set of all arms that will be played
- L<sub>t</sub> to be the least favoured among these
- arms suct that KL-UCB index,  $u_{k,t}$  is greater than or equal to the least favoured arm's mean  $\hat{\mu}_{k,t} \longrightarrow \mathcal{E}_t$

$$u_{k,t} := \sup\{q \ge 0 : \hat{\tau}_{k,t}, \mathsf{kl}(\hat{\mu}_{k,t}, q) \le \log t + 4\log\log t\}$$

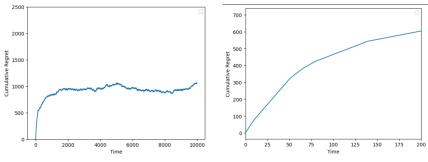
# Parsimonious Individual Exploration (PIE)

- With a probability of 1/2, assign one play from  $L_t$  to one arm randomly uniformly selected from  $\mathcal{E}_t$  The following values are updated:
  - empirical mean,  $\hat{\mu}_t$
  - KL-UCB indexes, u<sub>t</sub>
  - effective times of IE,  $\hat{\tau}_t$
  - time slot index, t

# Parsimonious United Exploration (PUE)

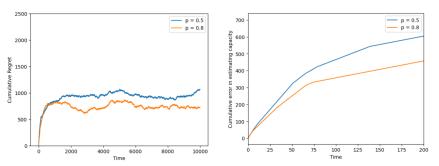
- $\mathcal{Y}_t$ : all those arms in  $\mathcal{S}_t L_t$  for which  $m_{k,t}^l \neq m_{k,t}^u$
- increase the empirical mean of these arms by a large positive value, M.
- $\bullet$  Now,  $\hat{\mu'}_t$  and the upper capacity bound,  $m^u_{k,t}$  are given as input to the Oracle function and the output,  $a_t^{UE}$  is used to play the round
- "full load" reward mean,  $\hat{\nu}_t$ 
  - effective times of UE,  $\hat{\mathbb{B}}_t$
  - time slot index, t

## Results and Conclusions



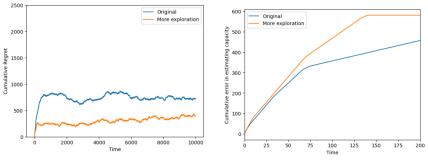
Results of original algorithm

#### Results and Conclusions



Increasing the probability of random exploration

## Results and Conclusions



Exploring more arms

#### References I

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