

## SUMMARY

USC ID/s: 3684688813, 4391080611, 1825392034

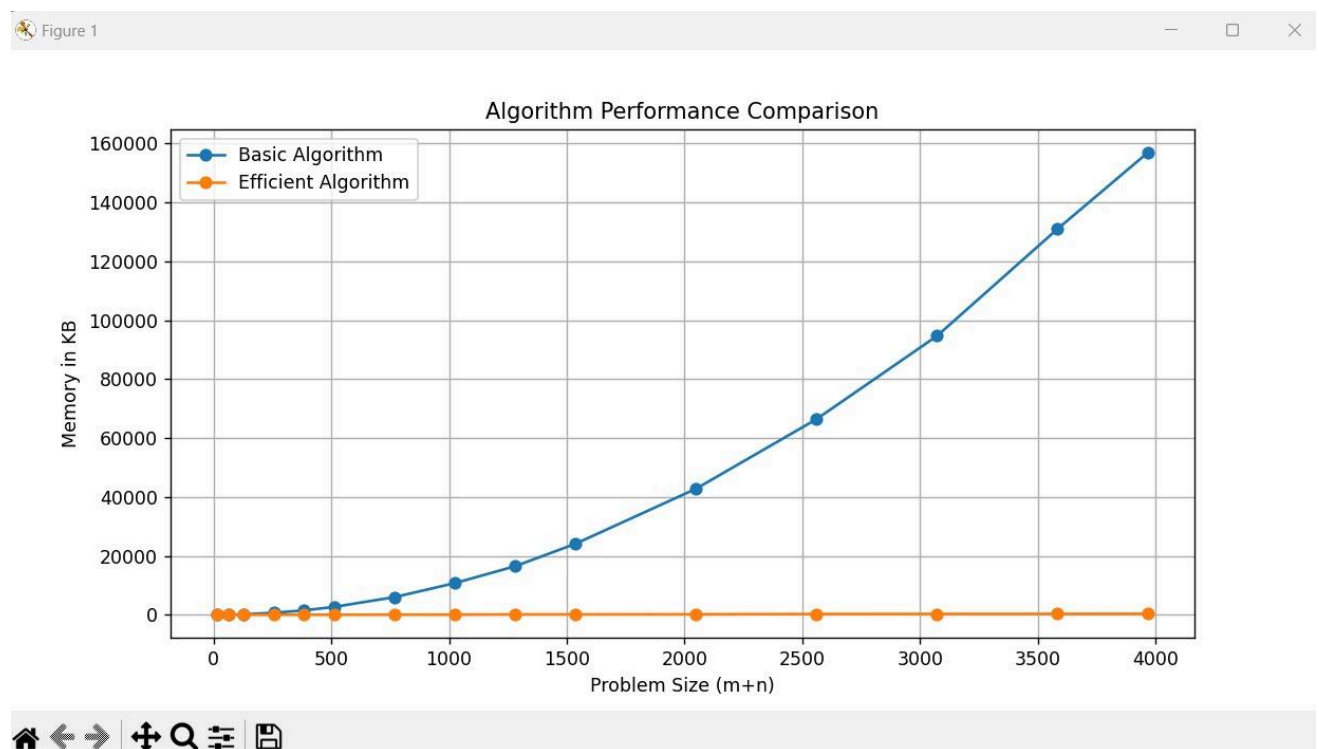
### *Datapoints*

M+N	Time in MS (Basic)	Time in MS (Efficient)	Memory in KB (Basic)	Memory in KB (Efficient)
16	0.0	0.0	8	4
64	1.02233886718 75	3.06081771850 58594	48	8
128	2.04420089721 6797	4.38857078552 2461	180	12
256	8.24928283691 4062	14.5583152770 9961	700	36
384	19.5062160491 94336	34.7166061401 3672	1512	48
512	32.5901508331 2988	58.5188865661 6211	2700	44
768	82.5648307800 293	137.149572372 43652	6012	72
1024	147.206306457 51953	242.569208145 1416	10748	80
1280	236.560583114 62402	378.090858459 47266	16492	160
1536	332.175970077 51465	632.435083389 2822	24088	164
2048	595.249414443 9697	967.756271362 3047	42764	196
2560	957.999467849 7314	1536.03768348 69385	66392	284
3072	1351.38273239 13574	2174.59702491 76025	94648	316
3584	1793.82038116 45508	2927.74653434 7534	130968	332
3968	2312.04056739 80713	3760.48612594 6045	156920	372

## Insights

- In the context of the sequence alignment problem, the memory-efficient algorithm significantly reduces memory requirements from what is typically seen with traditional methods.
- If the sequences to be aligned are of length  $m$  and  $n$  the space complexity for these algorithms is  $O(mn)$  which is polynomial.
- The memory-efficient algorithm, as discussed in class, alters this approach by reducing the space complexity to nearly linear.
- This is typically achieved by dividing the problem into smaller segments recursively.
- This method only needs to store two rows (or columns, depending on the implementation) of the matrix at any time, thereby reducing the space requirement to  $O(\min(m, n))$ .

Graph1 – Memory vs Problem Size (M+N)



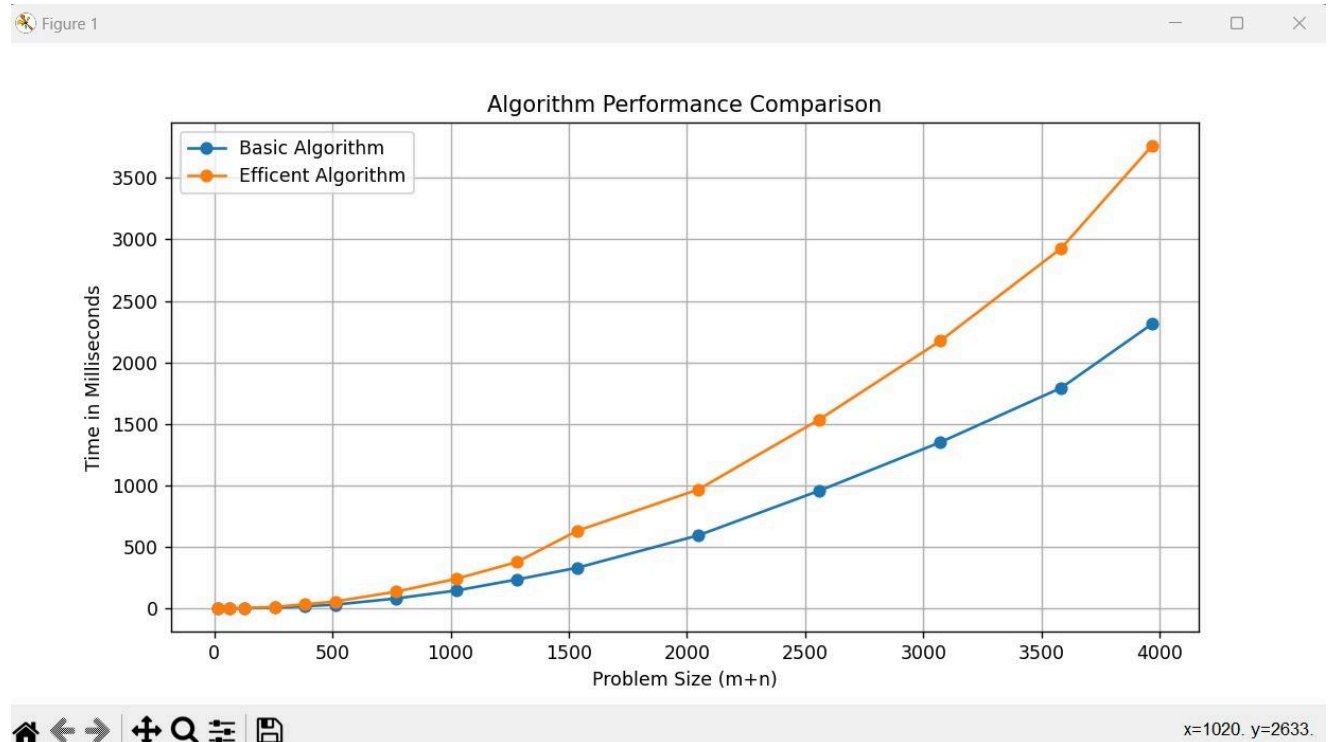
### Nature of the Graph (Logarithmic/ Linear/ Polynomial/ Exponential)

Basic: Linear

Efficient: Polynomial

**Explanation:** The efficient algorithm significantly reduces memory usage by maintaining a nearly linear space requirement, compared to the basic algorithm's polynomial increase. This is achieved by using just two arrays, which allows for substantial memory savings and makes it feasible to process large datasets that the basic algorithm, with its need for a full two-dimensional matrix, would struggle to handle efficiently.

Graph2 – Time vs Problem Size (M+N)



*Nature of the Graph (Logarithmic/ Linear/ Polynomial/ Exponential)*

Basic: Polynomial

Efficient: Polynomial

**Explanation:** The computational time for both algorithms increases polynomially, as depicted in the graph. The efficient algorithm, while performing twice as many operations as the basic algorithm, remains comparable in terms of its complexity. However, as the sum of  $m$  and  $n$  grows, the efficient algorithm progressively takes longer than the basic version of sequence alignment, as indicated by their respective curves.

*Contribution*

(Please mention what each member did if you think everyone in the group does not have an equal contribution, otherwise, write "Equal Contribution")

3684688813: Equal Contribution

4391080611: Equal Contribution

1825392034: Equal Contribution