





Find Uppercase Letter in String

In this lesson, you will learn how to find the uppercase letter in a string using both an iterative and recursive approach in Python.

We'll cover the following ^

- Iterative Approach
- Recursive Approach

In this lesson, given a string, we develop an algorithm to return the first occurring uppercase letter. We will solve this problem using an iterative and recursive approach:

For instance, for the strings:

```
str_1 = "lucidProgramming"
str_2 = "LucidProgramming"
str_3 = "lucidprogramming"
```

The algorithm should return P L, and output a message indicating that no capital letter was found for str_1, str_2, and str_3, respectively.

Iterative Approach

Let's have a look at the code in Python, which uses the iterative approach:

```
1 def find_uppercase_iterative(input_str):
2   for i in range(len(input_str)):
3     if input_str[i].isupper():
4         return input_str[i]
5   return "No uppercase character found"
```

find_uppercase_iterative(input_str)



The for loop on **line 2** runs for all the characters present in <code>input_str.By</code> using the built-in function <code>isupper()</code>, every character of <code>input_str,i.e., input_str[i]</code> is checked if it is uppercase or not. If the condition on **line 3** evaluates to <code>True</code> for some <code>input_str[i]</code>, then that character is returned from the function on **line 4**. However, if the condition does not evaluate to <code>True</code> in any iteration of the for loop, "No uppercase character found" is returned from the function on **line 5** to indicate that there was no uppercase in <code>input_str.</code>

Recursive Approach

The iterative approach was very straightforward. Let's look at the recursive approach in the snippet below:

```
1 def find_uppercase_recursive(input_str, idx=0):
2    if input_str[idx].isupper():
3        return input_str[idx]
4    if idx == len(input_str) - 1:
5        return "No uppercase character found"
6    return find_uppercase_recursive(input_str, idx+:
```

find_uppercase_recursive(input_str, idx=0)

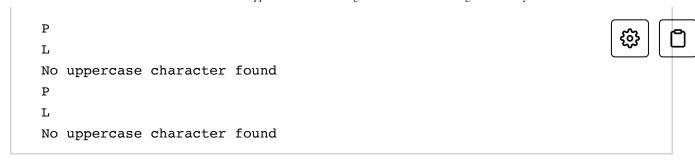
find_uppercase_recursive() takes in input_str and idx as input parameters. To provide some starting point, the second parameter is written as idx = 0 which will set idx to 0 if no second parameter is provided when the function is called.

The base case is present on **line 2** which returns <code>input_str[i]</code> if it is an uppercase. On the other hand, if we reach somewhere in the recursive calls where <code>idx</code> is equal to <code>len(input_str) - 1</code>, i.e., we have reached the end of

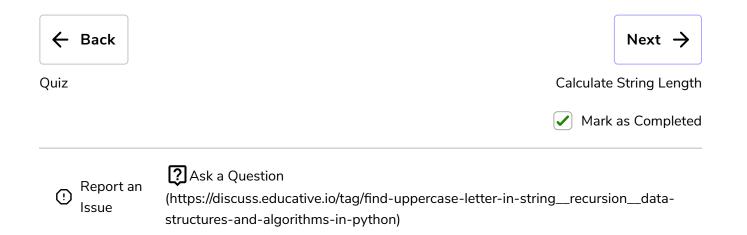
the string but didn't find any character which was uppercase. Therefore, we return "No uppercase character found" to indicate so. However, if both the conditions on **line 2** and **line 4** are not True, we make a recursive call on **line 6** and pass input_str and idx + 1 so that the next character is evaluated.

Let's go ahead and run these two codes in the code widget below.

```
1
    def find_uppercase_iterative(input_str):
                                                                          2
         for i in range(len(input_str)):
             if input_str[i].isupper():
 3
                 return input_str[i]
 4
 5
         return "No uppercase character found"
 6
 7
    def find_uppercase_recursive(input_str, idx=0):
         if input_str[idx].isupper():
 8
             return input_str[idx]
 9
         if idx == len(input_str) - 1:
10
             return "No uppercase character found"
11
12
         return find_uppercase_recursive(input_str, id)
13
    input str 1 = "lucidProgramming"
14
15
    input_str_2 = "LucidProgramming"
16
    input_str_3 = "lucidprogramming"
17
18
    print(find uppercase iterative(input str 1))
    print(find uppercase iterative(input str 2))
19
    print(find uppercase iterative(input str 3))
20
21
22
    print(find_uppercase_recursive(input_str_1))
    print(find_uppercase_recursive(input_str_2))
23
    print(find_uppercase_recursive(input_str_3))
24
                                                            \triangleright
                                                                          X
Output
                                                                      0.88s
```



That's it for this problem. Yes, it was that simple! In the next lesson, we will discuss how to calculate the length of a string.



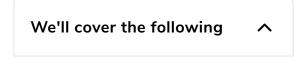






Calculate String Length

In this lesson, you will learn how to calculate the length of a string using both an iterative and recursive approach in Python.



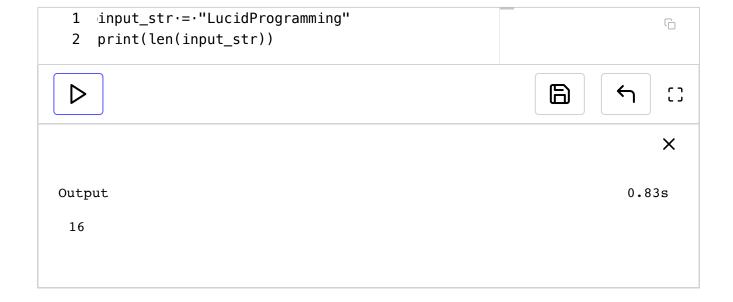
- Iterative Approach
- Recursive Approach

In this lesson, we focus on the following problem:

Given a string, calculate its length.

If you are preparing for an interview or trying to understand the notion of recursion to solve a problem, I hope this lesson is helpful to you.

Python has a built-in len() function which returns the length of a string. This is the standard way to obtain the length of a string in Python.



Iterative Approach



Now we are going to code the same functionality ourselves in Python. Let's begin with the iterative approach.

```
1 #·Iterative·length·calculation:·0(n)
2 def·iterative_str_len(input_str):
3 ····input_str_len·=·0
4 ····for·i·in·range(len(input_str)):
5 ·····input_str_len·+=·1
6 ····return·input_str_len
```

On **line 3**, input_str_len is initialized to 0. Then using a for loop on **line 4**, input_str is iterated character by character and input_str_len is incremented by 1 in each iteration on **line 5**. Finally, the final value of input_str_len is returned from the function on **line 6**. As the entire length of the string is traversed once, the time complexity for this solution is thus O(n) where n is the length of the string.

Recursive Approach

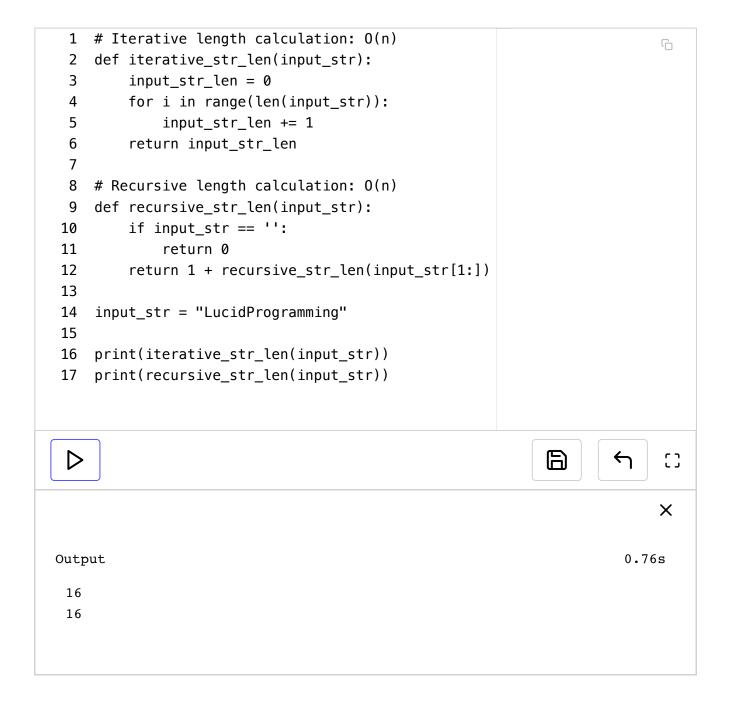
Let's go ahead and have a look at the recursive approach:

```
1 #·Recursive·length·calculation:·0(n)
2 def·recursive_str_len(input_str):
3 ····if·input_str·==·'':
4 ·····return·0
5 ···return·1·+·recursive_str_len(input_str[1:])
```

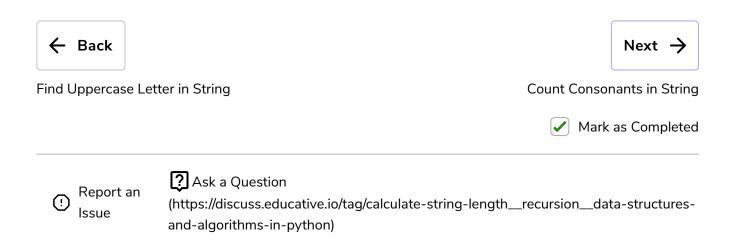
The base case for this function is when an empty string is encountered. If input_str is empty, 0 is returned to make a count of 0 for the empty string. Otherwise, 1 is added to whatever is returned from the recursive call on line 5 which takes in input_str[1:]. The slicing notation in input_str[1:] indicates that all the characters except at the 0th index are

passed into the recursive call. Therefore, every recursive call keeps shortening input_str by one character, which is being counted in that recursive call. As there will be n recursive calls, each expending a constant amount of computational effort, the time complexity for this solution is O(n) where n is the length of the string. Wasn't this pretty simple? I hope you are clear about everything that we have studied so far.

In the code widget below, you can run and play with both the iterative and recursive implementations.



Let's have a look at another problem which we can solve using recursion in the next lesson!









Count Consonants in String

In this lesson, you will learn how to count consonants of a string using both an iterative and recursive approach in Python.

We'll cover the following

- Iterative Approach
- Recursive Approach

In this lesson, we focus on the following problem:

Given a string, calculate the number of consonants present.

The vowels are the following letters:

aeiou

Any other letter that is not a vowel is a consonant.

Let's have a look at an example:

Welcome to Educative!

has 9 consonants.

Before you dive into the implementation, consider the edge cases such as spaces and exclamation marks. This implies that if a character is not a vowel, it has to be a letter to be considered a consonant.

Iterative Approach

Check out the iterative approach in the snippet below:



```
1
  vowels = "aeiou"
                                                                        2
3
  def iterative_count_consonants(input_str):
       consonant_count = 0
4
5
       for i in range(len(input_str)):
           if input_str[i].lower() not in vowels and
6
7
               consonant_count += 1
8
       return consonant_count
```

iterative_count_consonants(input_str)

On **line 1**, we define vowels globally to be "aeiou". input_str is the given string passed to iterative_count_consonants function which we have to process to calculate the number of consonants. consonant_count is initialized to 0 on **line 4** and then the input_str is traversed character by character using a for loop on **line 5**. Note that input_str[i] is changed to lowercase using lower() because vowels contains all the vowels in lowercase so that we can compare them correctly on **line 6**. As discussed before, we check if input_str[i].lower() is present in vowels or not. Additionally, input_str[i].isalpha() should also be True for the condition on **line 6** to be True. Thus, if input_str[i] is not a vowel and an alphabet, then consonant_count is incremented by 1 on **line 7**. After the condition on **line 6** is evaluated for every character in input_str, the final count of consonant count is returned from the function on **line 8**.

The running time complexity for the iterative approach is O(n) because, for each character in the input string of length n, we spend a constant amount of effort.

Recursive Approach

The implementation of the recursive approach will be very similar to the recursive implementations we have covered in the previous lessons. Check it out below:

```
vowels = "aeiou"
 1
 2
 3
    def recursive_count_consonants(input_str):
        if input_str == '':
 4
 5
            return 0
 6
 7
        if input_str[0].lower() not in vowels and inpu
            return 1 + recursive_count_consonants(inpl
 8
 9
        else:
10
            return recursive_count_consonants(input_st
```

recursive_count_consonants(input_str)

Here, vowels is again defined globally on **line 1**. Now let's come to recursive_count_consonants function on **line 3**. If input_str is empty, 0 is returned from the function. This is the base case for recursive_count_consonants.

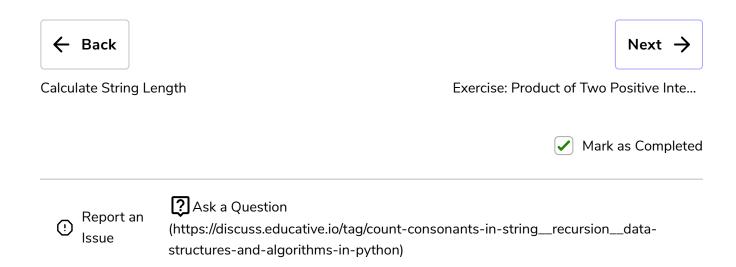
On **line** 7, we have the same condition as in the iterative implementation. If the condition on **line** 7 evaluates to True, we add 1 in addition to the count returned from the recursive call where a truncated string is passed using the slice notation (**line 8**). Otherwise, if the condition on **line** 7 is not True and input_str[0] is not a consonant, 1 is not added to the count, but a recursive call is made by passing input_str[1:] on **line 10**. At every recursive call, the first character is evaluated while the rest of the characters are passed into the next recursive calls.

The running time complexity for the recursive approach is O(n) because, for each character in the input string of length n, we make a recursive call and each recursive call has constant time complexity.

In the code widget below, you can find both the implementations. Go ahead and play around with them using your test cases.

```
vowels = "aeiou"
 1
 2
 3
    def iterative_count_consonants(input_str):
        consonant_count = 0
 4
 5
        for i in range(len(input_str)):
             if input_str[i].lower() not in vowels and
 6
 7
                 consonant_count += 1
 8
        return consonant_count
 9
10
11
    def recursive_count_consonants(input_str):
        if input_str == '':
12
13
             return 0
14
15
        if input_str[0].lower() not in vowels and inpu
16
             return 1 + recursive_count_consonants(in)
17
        else:
             return recursive_count_consonants(input_st
18
19
20
    input_str = "abc de"
    print(input_str)
21
    print(iterative_count_consonants(input_str))
    input_str = "LuCiDPrograMMiNG"
23
    print(input_str)
24
    print(recursive_count_consonants(input_str))
                                                            X
Output
                                                                     0.77s
 abc de
 3
LuCiDPrograMMiNG
 11
```

I hope you have by now grasped the logic of how we have solved problems in this chapter using recursion! Let's check that in the coding challenge walting for you in the next lesson.









Exercise: Product of Two Positive Integers

Challenge yourself with an exercise in which you'll have to find the product of two positive integers.

We'll cover the following ^

- Problem
- Coding Time!

Problem

Given two numbers, find their product using recursion. In Python, we usually use the * operator to multiply two numbers, but you have to use recursion to solve this challenge. Make use of the hint given below.

 ∴
 Hide Hint

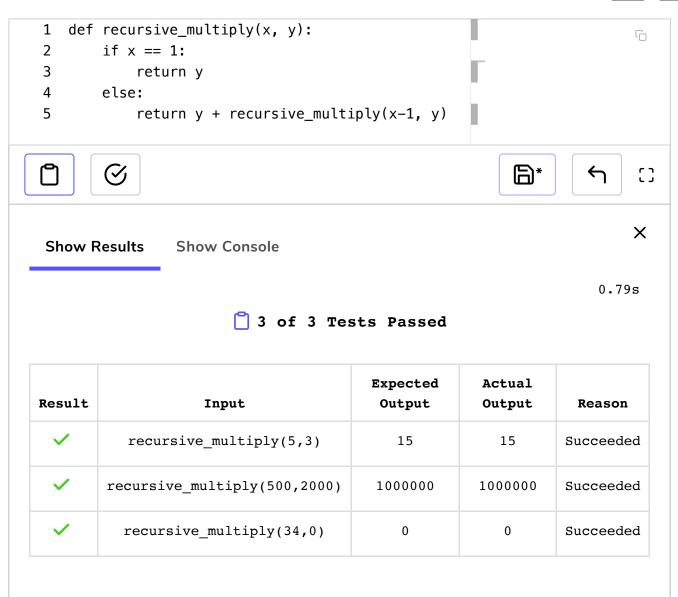
 5 * 3 = 5 + 5 + 5 = 15

Coding Time!

Your task is to return the product of the two positive integers x and y from the function recursive_multiply(x,y) given in the code widget below. Make sure that you don't use the built-in multiplication operator of Python.

Good luck!







Count Consonants in String

Solution Review: Product of Two Posit...

✓ Mark as Completed

 $\textcircled{!} \begin{array}{l} \textbf{Report an} \\ \textbf{Issue} \end{array}$

? Ask a Question

(https://discuss.educative.io/tag/exercise-product-of-two-positive-integers__recursion__data-structures-and-algorithms-in-python)











Solution Review: Product of Two Positive Integers

This lesson contains the solution review for the challenge to find the product of two numbers.



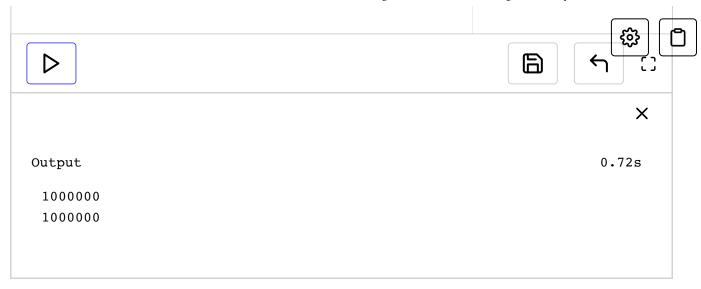
- Implementation
- Explanation

Let's discuss the solution to the challenge in the previous lesson. The problem was to find the product of two positive integers.

Implementation

Let's have a look at the implementation below:

```
def recursive_multiply(x, y):
 1
 2
 3
        # This cuts down on the total number of
        # recursive calls:
        if x < y:
 5
            return recursive_multiply(y, x)
 7
        if y == 0:
            return 0
 9
        return x + recursive_multiply(x, y-1)
10
11
   x = 500
12
    y = 2000
13
    print(x * y)
14
    print(recursive_multiply(x, y))
```



Explanation

The hint indicated the following:

```
5 * 3 = 5 + 5 + 5 = 15
```

We make use of the hint in the implementation. Let's skip the code on **lines 5-6** for a while and discuss the code afterward. On **line** 7, we check if y equals \emptyset . If it does, \emptyset is returned on **line** 8. Otherwise, x is added to the sum returned from the recursive call on **line** 9. y-1 is passed to the next recursive call as x is added once in the current recursive call. So overall, x will be added together y times in all the recursive calls. This will return the product of x and y at the end of all the recursive calls.

Now, in the implementation provided above, we make y recursive calls so if x equals 500 and y equals 2000, we get the following error:

```
RecursionError: maximum recursion depth exceeded in comparison
```

if we skip the **lines 5-6** from the above implementation. Check out the code below:

```
1 def recursive_multiply(x, y):
2
```

```
# This cuts down on the total number of
 3
        # recursive calls:
 4
        if y == 0:
 5
 6
             return 0
 7
        return x + recursive_multiply(x, y-1)
 8
    x = 500
 9
10
    y = 2000
11
12
    print(x * y)
    print(recursive_multiply(x, y))
13
                                                                         X
                                                                     0.76s
Output
 1000000
 Traceback (most recent call last):
   File "main.py", line 13, in <module>
     print(recursive multiply(x, y))
   File "main.py", line 7, in recursive multiply
     return x + recursive multiply(x, y-1)
   File "main.py", line 7, in recursive multiply
     return x + recursive multiply(x, y-1)
   File "main.py", line 7, in recursive multiply
     return x + recursive multiply(x, y-1)
   File "main.py", line 7, in recursive multiply
     return x + recursive multiply(x, y-1)
   File "main.py", line 7, in recursive_multiply
     return x + recursive multiply(x, y-1)
   File "main.py", line 7, in recursive multiply
     return x + recursive multiply(x, y-1)
   File "main.py", line 7, in recursive multiply
     return x + recursive multiply(x, y-1)
   File "main.py", line 7, in recursive multiply
     return x + recursive_multiply(x, y-1)
   File "main.py", line 7, in recursive_multiply
     return x + recursive_multiply(x, y-1)
   File "main.py", line 7, in recursive_multiply
     return x + recursive multiply(x, y-1)
   File "main.py", line 7, in recursive_multiply
```

- return x + recursive multiply(x, y-1)File "main.py", line 7, in recursive multiply return x + recursive_multiply(x, y-1) File "main.py", line 7, in recursive multiply
- return x + recursive_multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive_multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive_multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive_multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive_multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive_multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive_multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive_multiply(x, y-1)
- File "main.py", line 7, in recursive_multiply return x + recursive multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive multiply(x, y-1)
- File "main.py", line 7, in recursive_multiply return x + recursive multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive multiply(x, y-1)
- File "main.py", line 7, in recursive multiply return x + recursive_multiply(x, y-1)
- File "main.py", line 5, in recursive multiply if y == 0:
- RecursionError: maximum recursion depth exceeded in comparison







We get maximum recursion depth exceeded in comparison whenever the depth of the recursion tree exceeds a limit.

Therefore, we add the following lines:

```
if x < y:
    return recursive_multiply(y, x)</pre>
```

In the code above, we swap y and x to cut down on the number of recursive calls in case x is less than y. However, there isn't anything we can do if both x and y are large enough to cause the Recursion Error: maximum recursion depth exceeded in comparison.

With this, we come to an end to the chapter on recursion. In the next chapter, we'll explore quite a few problems on string processing.

