

Quiz 2 Solution

Q1: Read the information in the following table carefully.

Run-times of <i>Parallel Odd-Even sort</i> on a target machine / cluster (time is in milliseconds)		
No of Processors (Column below)	Number of integer keys to sort (in thousands)	
	200 K keys	3200 K keys
1	88 (milliseconds)	1800 (milliseconds)
2	43 (milliseconds)	860 (milliseconds)
4	22 (milliseconds)	430 (milliseconds)
8	12 (milliseconds)	220 (milliseconds)
16	7.5 (milliseconds)	130 (milliseconds)

Q1 a: Calculate the speedup of parallel sorting for 200K and 3200K keys.

Run-times of <i>Parallel Odd-Even sort</i> on a target machine / cluster (time is in milliseconds)		
No of Processors (Column below)	Number of integer keys to sort (in thousands)	
	Speedup for 200 K keys	Speedup for 3200 K keys
1	-	-
2	88/43=2.04	1800/860=2.09
4	88/22=4	1800/430=4.18
8	88/12=7.33	1800/220=8.18
16	88/7.5=11.73	1800/130=13.84

Q1 b: Comparing speed-ups for 200K and 3200K what can you infer?

- (1) Speedups initially are good but then start flattening out (for example from 8 to 16 processors, ideally speedup should have doubled but it didn't.)
- (2) We get better speedup with more data but same number of processors. So having more data, opportunity of parallelization might increase. (Gustafson's Law)

Q1 c: Consider a new metric defined as follows:

$$m = \frac{\text{Speedup}}{\text{No. of processors used}}$$

Calculate the metric m for both 200k and 3200K datasets.

Run-times of <i>Parallel Odd-Even sort</i> on a target machine / cluster (time is in milliseconds)		
No of Processors (Column below)	Number of integer keys to sort (in thousands)	
	m for 200 K keys	Speedup for 3200 K keys
1	-	-

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2	$88/43=2.04$, $m = 2.04/2=1.02$	$1800/860=2.09$, $m = 2.09/2=1.04$
4	$88/22=4$, $m = 4/4=1$	$1800/430=4.18$, $m = 4.18/4=1.05$
8	$88/12=7.33$, $m = 7.33/8=0.92$	$1800/220=8.18$, $m = 8.18/8=1.03$
16	$88/7.5=11.73$, $m = 11.73/16=0.73$	$1800/130=13.84$, $m = 13.84/16=0.87$

Q1 d: Compare metric ***m*** for 200K and 3200K datasets? What can you infer?

- (1) Within the same dataset, values of *m* are decreasing as we increased number of processors.
- (2) Across datasets, and for the same number of processors, value of *m* is larger for larger dataset.
- (3) Here “*m*” is efficiency of our parallelization. Its value close to 1 is good, decreasing value of *m* means that our parallelization is running out of stream and we are getting farther from the ideal speed-up.