Parallel and Distributed Computing CS3006 (BCS-6C/6D) Lecture 02

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Previous Lecture

- Motivating Parallelism
 - Moore's Law
 - Memory/Disk Speed Argument
 - Data Communication Argument
- Distributed Computing v. Distributed Systems

Computing v. Systems

Distributed Systems

- A collection of autonomous computers, connected through a network and distribution middleware.
 - This enables computers to coordinate their activities and to share the resources of the system.
 - The system is usually perceived as a single, integrated computing facility.
 - Mostly concerned with the hardware-based accelerations

Distributed Computing

- A specific use of distributed systems, to split a large and complex processing into subparts and execute them in parallel, to increase the productivity.
 - Computing mainly concerned with software-based accelerations (i.e., designing and implementing algorithms)

Parallel and Distributed Computing

Parallel (shared-memory) Computing

- The term is usually used for developing concurrent solutions for following two types of the systems:
 - 1. Multi-core Architecture
 - 2. Many core architectures (i.e., GPU's)

Distributed Computing

- This type of computing is mainly concerned with developing algorithms for the distributed cluster systems.
- Here, distributed means a geographical distance between the computers without any shared-Memory.

Scientific Applications:

- Functional and structural characterization of genes and proteins
- Applications in astrophysics have explored the evolution of galaxies, thermonuclear processes, and the analysis of extremely large datasets from telescope.
- Advances in computational physics and chemistry have explored new materials, understanding of chemical pathways, and more efficient processes
 - e.g., Large Hydron Collider (LHC) at European Organization for Nuclear Research (CERN) generates petabytes of data for a single collision.

Scientific Applications:

- Bioinformatics and astrophysics also present some of the most challenging problems with respect to analyzing extremely large datasets.
- Weather modeling for simulating the track of natural hazards like the extreme cyclones (storms).
- Flood prediction

Commercial Applications:

- Some of the largest parallel computers power Wall Street!
- Data mining-analysis for optimizing business and marketing decisions.
- Large scale servers (mail and web servers) are often implemented using parallel platforms.
- Applications such as information retrieval and search are typically powered by large clusters.

Computer Systems Applications:

- Network intrusion detection: A large amount of data needs to be analyzed and processed
- Cryptography (the art of writing or solving codes) employs parallel infrastructures and algorithms to solve complex codes.
- Graphics processing
- Embedded systems increasingly rely on distributed control algorithms, e.g. modern automobiles

Limitations of Parallel Computing

- It requires designing the proper communication and synchronization mechanisms between the processes and sub-tasks.
- Exploring the *proper parallelism* from a problem is a *hectic process*.
- The program must have *low coupling* and *high cohesion*. But it's *difficult* to create such programs.
- It needs relatively more technical skills to code a parallel program.

Moving on.....

- How can we quantify the possible gains from parallelization?
 - Amdahl's Law is a good starting point

- Amdahl's was formulized in 1967
- It shows an upper-bound on the maximum speedup that can be achieved
- Suppose you are going to design a parallel algorithm for a problem
- Further suppose that *fraction* of total time that the algorithm must consume in **serial executions** is **'F'**
- This implies *fraction* of parallel portion is (1- F)
- Now, Amdahl's law states that

Speedup(p) =
$$\frac{1}{F + \frac{1 - F}{p}}$$

• Here 'p' is total number of available processing nodes.

Derivation

- Let's suppose you have a sequential code for a problem that can be executed in total T(s) time.
- T(p) will be the parallel time for the same algorithm over p processors.

Then speedup can be calculated using:-

Speedup(p)=
$$\frac{T(s)}{T(p)}$$

• T(p) can be calculated as:

T(p) = serial comput. time + Parallel comp. time

$$T(p) = F.T(s) + \frac{(1-F).T(s)}{p}$$

Derivation

Again

Speedup(p)=
$$\frac{T(s)}{T(p)} \Rightarrow \frac{T(s)}{F.T(s) + \frac{(1-F).T(s)}{P}}$$

$$\Rightarrow Speedup(p) = \frac{1}{F + \frac{1 - F}{P}}$$

- What if you have an infinite number of processors?
- What do you have to do for further speedup?

- Example 1: Suppose 70% of a sequential algorithm is the parallelizable portion. The remaining part must be calculated sequentially. Calculate maximum theoretical speedup for parallel variant of this algorithm using
 - 4 processors, and
 - Infinite processors.

• F=0.30 and 1-F=0.70 use Amdahl's law to calculate theoretical speedups.

$$Speedup(p) = \frac{1}{F + \frac{1 - F}{P}}$$

- Example 1: Suppose 70% of a sequential algorithm is the parallelizable portion. The remaining part must be calculated sequentially. Calculate maximum theoretical speedup for parallel variant of this algorithm using
 - 4 processors, and
 - Infinite processors.
- F = 0.30 and 1 F = 0.70 use Amdahl's law to calculate theoretical speedups.

Speedup(p=4) =
$$\frac{1}{0.3 + (\frac{1-0.3}{4})}$$
 = 2.105

Speedup(infinity) =
$$\frac{1}{0.3}$$
 = 3.33

$$Speedup(p) = \frac{1}{F + \frac{1 - F}{P}}$$

• Example 2: Suppose 25% of a sequential algorithm is the parallelizable portion. The remaining part must be calculated sequentially. Calculate the maximum theoretical speedup for the parallel variant of this algorithm using 5 processors and infinite processors.

???

- Little challenge: Determine, according to Amdahl's law, how many processors are needed to achieve maximum theoretical speedup while sequential portion remains the same?
- The answer may be surprising?
- That's why we say actual achievable speedup is always less-than or equal to theoretical speedups.

• Example 2: Suppose 25% of a sequential algorithm is the parallelizable portion. The remaining part must be calculated sequentially. Calculate the maximum theoretical speedup for the parallel variant of this algorithm using 5 processors and infinite processors.

Speedup(p=5) =
$$\frac{1}{0.75 + (\frac{1-0.75}{5})}$$
 = 1.25

Speedup(p=5) =
$$\frac{1}{0.75}$$
 = 1.333

Karp-Flatt Metric

- The metric is used to calculate serial fraction for a given parallel configuration.
 - i.e., if a parallel program is exhibiting a speedup **S** while using **P** processing units then the experimentally determined serial fraction **e** is given by :-

$$e = \frac{\frac{1}{S} - \frac{1}{p}}{1 - \frac{1}{p}}$$

• **Example task:** Suppose in a parallel program, for 5 processors, you gained a speedup of 1.25x, determine sequential fraction of your program.

Solution: Compute e(n, p) corresponding to each data point:

p	2	3	4	5	6	7	8
$\Psi(n,p)$	1.82	2.50	3.08	3.57	4.00	4.38	4.71
e(n,p)	0.1	0.1	0.1	0.1	0.1	0.1	0.1

Since the experimentally determined serial fraction e(n,p) is not increasing with p, the primary reason for the poor speedup is the 10% of the computation that is inherently sequential. Parallel overhead is not the reason for the poor speedup.

1. Data-parallelism

- When there are independent tasks applying the same operation to different elements of a data set
- Example code
 for i = 0 to 99 do
 a[i] = b[i] + c[i]
 Endfor
- Here, the same operation addition is being performed on first 100 of 'b' and 'c'
- All 100 iterations of the loop could be executed simultaneously.

2. Functional-parallelism

- When there are independent tasks applying different operations to different data elements (or in this case, the same elements)
- Example code
 - 1) a=2
 - 2) b=3
 - 3) m = (a+b)/2
 - 4) $s=(a^2+b^2)/2$
 - 5) $v = s m^2$
- Here third and fourth statements could be performed concurrently.

3. Pipelining

- Usually used for the problems where single instance of the problem cannot be parallelized
- The output of one stage is the input of the other stage
- Dividing the whole computation of each instance into multiple stages provided that there are multiple instances of the problem
- An effective method of attaining parallelism on the uniprocessor architectures
- Depends on the pipelining abilities of the processor

3. Pipelining

• Example: Assembly line analogy

Time	Engine	Doors	Wheels	Paint
5 min	Car 1			
10 min		Car 1		
15 min			Car 1	
20 min				Car 1
25 min	Car 2			
30 min		Car 2		
35 min			Car 2	
40 min				Car 2

Sequential Execution

3. Pipelining

• Example: Assembly line analogy

Time	Engine	Doors	Wheels	Paint
5 min	Car 1			
10 min	Car 2	Car 1		
15 min	Car 3	Car 2	Car 1	
20 min	Car 4	Car 3	Car 2	Car 1
25 min		Car 4	Car 3	Car 2
30 min			Car 4	Car 3
35 min				Car 4

Pipelining

3. Pipelining

 Example: Overlap instructions in a single instruction cycle to achieve parallelism

Cycles	Fetch	Decode	Execute	Save
1	Inst 1			
2	Inst 2	Inst 1		
3	Inst 3	Inst 2	Inst 1	
4	Inst 4	Inst 3	Inst 2	Inst 1
5		Inst 4	Inst 3	Inst 2
6			Inst 4	Inst 3
7				Inst 4

4-stage Pipelining

Previous Lecture

- Parallel Computing v. Distributed Computing (shared-memory, distributed memory)
- Practical applications of PDC
- Limitations to Parallel and Distributed Computing
- Speedup
 - Amdahl's Law
 - Karp-Flatt Metric