Cardinality

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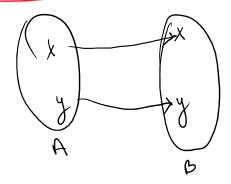
Cardinality

Comparing cardinalities. Instead of defining earthautity as absolute, think of it as a relation between sets.

Defn. Two sets S, T have the same coordinality if there exists a bijection $f: S \to T$ between the two functions.

Ex. Sets A = [0, 1] and B = [0, 2] $f(x).A \rightarrow B = 2x \text{ is a byjection!}$ $\Rightarrow |A| = |B|$ $\Rightarrow |E0, K]| = |E0, 1]| \text{ for any } N$ To prove, show further, injection, surjection

Properties of cartinality



Theorem For any set A, we have |A| = 1A1.

Theorem If A, B, C we sets where |A| = |B| and |B| = |C|, then |A| = |C|