





Energy footprint of the Levenshtein distance computing algorithm

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https://github.com/sallareznov/gc-levenshtein

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Introduction

The Levenshtein distance (named after Vladimir Levenshtein) [1] between two words is the minimum number of single-character edits (i.e. insertions, deletions or substitutions) required to change one word into the other.

Chapter 1

Technical work

1.1 Goal

The goal of this project is to measure energy footprints of different programming languages through execution of programs executing the same task. The results of this experiment can be very beneficial for many people in specific domains, especially in two. First, developers who tend to favour energy-efficiency over performance will know how language to use to produce the most economical program possible. Second, language designers can analyse the metrics and reach conclusions on how a design of a language can be improved or rewritten.

DIAGRAM

1.2 Architecture and design

The design of the program is very simple. In we place ourselves in the context of object-oriented programming (since it is the most understandable form of design by a human), the program is composed of 5 classes (it could even be less than that). Those are depicted in the following UML diagram:

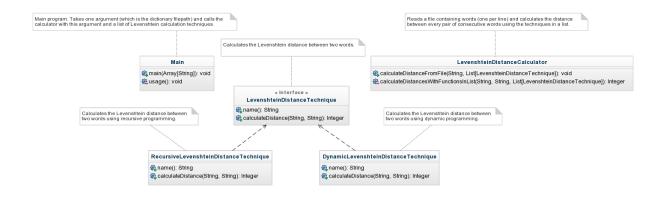


Figure 1.1: UML diagram of the algorithm in Scala

1.3 Algorithm

For the credibility of the measures made, the algorithm involves two I/O aspects: file reading, and printing. First, the algorithm performs file reading by retrieving words in a dictionary of words. File reading operations can be an important factor in energy consommation, as well as printing on the standard output.

The pathway of the algorithm is: opening a text file containing thousands of words, read every two consecutive word, print them and print the Levenshtein distances calculated with a recursive technique and a technique using dynamic programming (iterative).

The algorithm is summarized by the following flowchart:

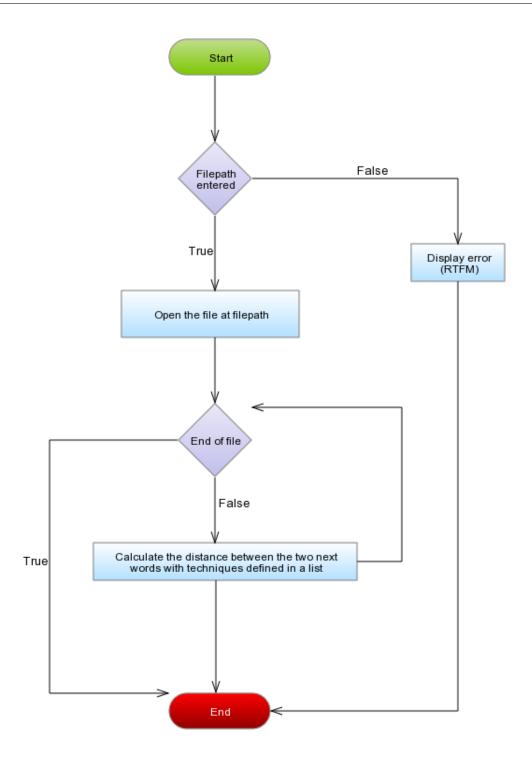


Figure 1.2: Flowchart of the algorithm

Two versions of the algorithm have been implemented : a recursive version and a version using dynamic programming (iterative).

Algorithm 1: The recursive version of the Levenshtein distance computing algorithm

Function recursiveLevenshteinDistance(word1 : String, word2 : String)

```
if word1 == word2 then
\perp return \theta
lengthWord1 \leftarrow word1.length();
lengthWord2 \leftarrow word2.length();
if lengthWord1 == 0 then
| return lengthWord2
if length Word2 == 0 then
| return length Word1
firstLetterWord1 \leftarrow lengthWord1;
firstLetterWord2 \leftarrow lengthWord2;
subWord2 \leftarrow word2.substring(1);
subWord2 \leftarrow word2.substring(1);
\mathbf{if} \ firstLetterWord1 == firstLetterWord2 \ \mathbf{then}
return recursiveLevenshteinDistance(subWord1, subWord2)
else
   return 1 + min(recursiveLevenshteinDistance(subWord1, word2),
    recursiveLevenshteinDistance(word1, subWord2),
    recursiveLevenshteinDistance(subWord1, subWord2)
```

Algorithm 2: The dynamic version of the Levenshtein distance computing algorithm

Function dynamicLevenshteinDistance(word1 : String, word2 : String) if word1 == word2 then \perp return θ $lengthWord1 \leftarrow word1.length();$ $lengthWord2 \leftarrow word2.length();$ table $\leftarrow \inf[\operatorname{lengthWord1} + 1, \operatorname{lengthWord2} + 1];$ if lengthWord1 == 0 then | return lengthWord2 if lengthWord2 == 0 then | return length Word1 for $i \leftarrow 0$ to length Word1 do for $j \leftarrow 0$ to length Word2 do if i == 0 then | table[i][j] = jelse if $j == \theta$ then | table[i][j] = ielse if word1/i - 1/i = word2/j - 1/i then | table[i][j] = table[i - 1][j - 1]else table[i][j] = 1 + min(table[i - 1][j], table[i][j - 1], table[i - 1][j - 1]return table [length Word1] [length Word2]

1.4 Implementation

The algorithm is implemented in the following languages (in alphabetical order):

- C Python
- Go • Ruby
- Java
- Ocaml Scala

The measurements of energy footprints is done thanks to PowerAPI [2][?], a middleware toolkit for software-defined power meters.

The GitHub repository containing the implementations in the different languages and the results (the files generated by PowerAPI) can be found at the following link: https://github.

com/sallareznov/gc-levenshtein.

In order to have relevant evaluations, the different program follow the same logic, down to the last semicolon.

1.5 Usage

The utilisation of the implemented programs is quite straightforward. No additional command needs to be entered, because every program has a build file. For example, with the implementation in the Go language, the initial arborescence (the one before compilation) is the following .

```
. ____src ____levenshtein ____distance_technique.go _____levenshtein_distance_calculator.go _____levenshtein_distance_technique.go ______recursive_levenshtein_distance_technique.go _____levenshtein_test _____levenshtein_test ______levenshtein_test.go ______main ______main.go
```

After setting the \$GOPATH environment variable (needed by the Go compiler to find the module) to the project root folder (gc-levenshtein/go/), you have to compile the program by executing the command go install main.

Two new folders will be generated: one for the packages (pkg/) and another one for the binaries (main). In our context, the package is levenshtein and the binary is main.

```
bin

main

pkg

linux_amd64

levenshtein.a

src

levenshtein

dynamic_levenshtein_distance_technique.go

levenshtein_distance_calculator.go

levenshtein_distance_technique.go

recursive_levenshtein_distance_technique.go

levenshtein_test

levenshtein_test

levenshtein_test.go

main

main.go
```

To run the program, just launch the binary file with the name of the file containing the words as an argument. For example: ./bin/main../dictionary_EN.txt. The following output (truncated) will be produced in the standard output:

. . .

Word1 : micropipette
Word2 : microprocessing
Recursive distance : 8
Dynamic distance : 8
Word1 : microprocessor

Word1 : microprocessor
Word2 : microprocessors
Recursive distance : 1
Dynamic distance : 1

Word1 : microprogram
Word2 : microprogrammed
Recursive distance : 3
Dynamic distance : 3

Word1 : microprogramming Word2 : microradiographical

Recursive distance : 9
Dynamic distance : 9

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Word1 : microradiographically

Word2 : microradiography Recursive distance : 5 Dynamic distance : 5

Word1 : micros

Word2 : microscope
Recursive distance : 4
Dynamic distance : 4

. . .

Chapter 2

Evaluation

2.1 Performance

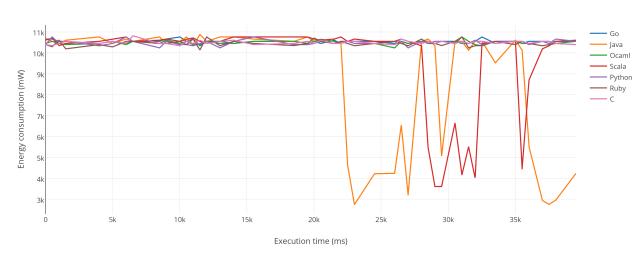
Language	Execution Time	
С	1 m 32 s	
Go	$1 \mathrm{m} 9 \mathrm{s}$	
Java	47s	
Ocaml	5 m 29 s	
Python	7 m 33 s	
Ruby	9 m 12 s	
Scala	45s	

Figure 2.1: Execution time of the algorithm in the implemented languages

2.2 Validation

2.2.1 Time-dependent energy consumption

The measurements of the energy consumptions has been done on a 64-bits computer, with 6GB of RAM and running Intel(R) Core(TM) i5-4210H CPU @ 2.90GHz processor. Results generated by PowerAPI are entered in the following graph:



Energy consumption of the Levenshtein distance algorithms in different languages

2.2.2 Total energy consumption

In our context, time-dependent energy consumption is not very relevant. This aspect doesn't really reflect the efficiency of one language over another. We need to include a crucial factor, which is the execution time.

If two languages have the same energy consumption, the one that takes a longer time to execute will be the least efficient. Therefore, a language is really more efficient than another if it has a smaller total energy consumption.

The total energy consumption is the energy consumption in Joule, the product of the mean of energy consumptions over time with the execution time of the program. [3]

$$TEC(J) = \frac{\sum_{EC}}{\#EC} \times ET$$

TEC = Total Energy Consumption, EC = Energy Consumption, ET = Execution Time

The total energy consumption of each algorithm can be found in the following figure:

Language	Execution Time (s)	Mean consumption (mW)	Total consumption (J)
С	1 m 32 s	10504.77	966
Go	$1 \mathrm{m} 9 \mathrm{s}$	9428.62	650
Java	47s	8890.39	418
Ocaml	5m29s	10358.25	3408
Python	7 m 33 s	10493.72	4753
Ruby	9 m 12 s	10468.74	5778
Scala	45s	9033.88	406

Figure 2.2: Total energy consumption of the algorithm in the implemented languages

Conclusion

Bibliography

[1] Wikipedia. Levenshtein distance. https://en.wikipedia.org/wiki/Levenshtein_distance.

[2] Inria Spirals Team. Powerapi, a middleware toolkit for software-defined power meters.

Official website: http://powerapi.org

GitHub: https://github.com/Spirals-Team/powerapi

GitHub Wiki: https://github.com/Spirals-Team/powerapi/wiki.

[3] Wikipedia. Joule. https://en.wikipedia.org/wiki/Joule.