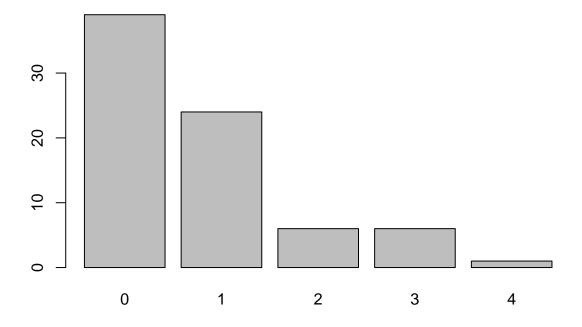
lab 3.R

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```
load("kobe.rdata")
head(kobe)
      vs game quarter time
## 1 ORL
                   1 9:47
## 2 ORL
           1
                   1 9:07
## 3 ORL
                   1 8:11
         1
## 4 ORL
         1
                   1 7:41
## 5 ORL
         1
                   1 7:03
## 6 ORL
         1
                    1 6:01
##
                                                 description basket
## 1
                    Kobe Bryant makes 4-foot two point shot
## 2
                                   Kobe Bryant misses jumper
## 3
                            Kobe Bryant misses 7-foot jumper
                                                                  М
## 4 Kobe Bryant makes 16-foot jumper (Derek Fisher assists)
                                                                  Η
                             Kobe Bryant makes driving layup
                                                                  Н
## 5
## 6
                                   Kobe Bryant misses jumper
kobe$basket[1:9]
## [1] "H" "M" "M" "H" "H" "M" "M" "M"
# What does a streak length of 1 mean, i.e. how many hits and misses are in a streak of 1? What about a
\# 1: means one hit followed by missed hit. one hit - one miss. streak 0 means no hits, only missed hits
kobe_streak <- calc_streak(kobe$basket)</pre>
barplot(table(kobe_streak))
```



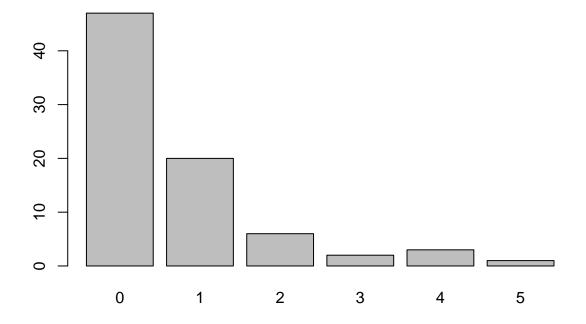
```
\mbox{\# Describe the distribution of Kobe's streak lengths from the 2009 NBA finals.}
 # It was a right-skewed distribution
# What was his typical streak length? How long was his longest streak of baskets?
  # The typical streak length was 0. Streaks of 1 were second with 24, then 6 streaks of 2 and 3, and o
outcomes <- c("heads", "tails")</pre>
sample(outcomes, size = 1, replace = TRUE)
## [1] "tails"
sim_fair_coin <- sample(outcomes, size = 100, replace = TRUE)</pre>
sim_fair_coin
    [1] "heads" "heads" "heads" "tails" "tails" "tails" "heads"
##
    [9] "tails" "heads" "tails" "heads" "tails" "tails" "heads"
##
    [17] "heads" "heads" "tails" "heads" "tails" "heads" "tails"
##
    [25] "heads" "heads" "tails" "heads" "heads" "tails" "heads"
##
    [33] "heads" "heads" "heads" "tails" "tails" "tails" "tails"
##
    [41] "heads" "heads" "heads" "tails" "tails" "heads" "heads" "tails"
##
    [49] "heads" "tails" "heads" "tails" "heads" "tails" "heads"
    [57] "tails" "heads" "tails" "heads" "heads" "tails" "tails"
##
    [65] "heads" "heads" "tails" "tails" "heads" "heads" "heads" "tails"
##
    [73] "heads" "heads" "heads" "tails" "tails" "tails" "tails"
##
   [81] "tails" "heads" "heads" "tails" "heads" "tails" "heads"
  [89] "tails" "tails" "heads" "tails" "heads" "heads" "tails" "tails"
##
```

```
## [97] "heads" "tails" "heads" "tails"
table(sim_fair_coin)
## sim_fair_coin
## heads tails
##
      55
            45
sim_unfair_coin <- sample(outcomes, size = 100, replace = TRUE, prob = c(0.2, 0.8))
sim_unfair_coin
##
     [1] "tails" "heads" "tails" "tails" "tails" "tails" "tails"
##
     [9] "tails" "tails" "tails" "tails" "tails" "tails" "tails"
  [17] "tails" "tails" "tails" "tails" "tails" "tails" "tails" "tails"
##
   [25] "tails" "tails" "heads" "heads" "tails" "tails" "tails"
  [33] "tails" "tails" "tails" "heads" "tails" "tails" "heads" "tails"
##
  [41] "tails" "tails" "heads" "tails" "tails" "tails" "tails" "tails"
  [49] "tails" "tails" "tails" "tails" "tails" "tails" "tails" "tails"
##
    [57] "tails" "tails" "tails" "heads" "heads" "heads" "tails"
##
  [65] "tails" "tails" "heads" "tails" "tails" "heads" "tails" "tails"
##
  [73] "tails" "tails" "tails" "tails" "tails" "tails" "heads" "heads"
## [81] "tails" "heads" "tails" "tails" "tails" "tails" "tails"
   [89] "heads" "heads" "heads" "tails" "tails" "tails" "tails"
## [97] "tails" "tails" "heads"
table(sim_unfair_coin)
## sim_unfair_coin
## heads tails
# In your simulation of flipping the unfair coin 100 times, how many flips came up heads?
  # 17 times
?sample
outcomes <- c("H", "M")
sim_basket <- sample(outcomes, size = 1, replace = TRUE)</pre>
table(sim basket)
## sim basket
## H
## 1
# What change needs to be made to the sample function so that it reflects a shooting percentage of 45%?
  # add prob = c(0.45, 0.55) argument to the sample function
# Make this adjustment, then run a simulation to sample 133 shots.
# Assign the output of this simulation to a new object called sim_basket.
outcomes <- c("H", "M")</pre>
sim_basket <- sample(outcomes, size = 133, replace = TRUE, prob = c(0.45, 0.55))
table(sim basket)
```

```
## sim_basket
## H M
## 55 78
sim_basket
  ##
 ##
##
 "H" "H" "H" "M" "H" "M" "M" "H"
                       "H" "H" "H" "M" "H"
##
 [69] "M" "H"
 [86] "M" "M"
       "H" "H" "H" "H" "M" "M" "M" "M" "M"
                       "H" "H"
## [103] "H" "M" "H" "M"
# On your own
```

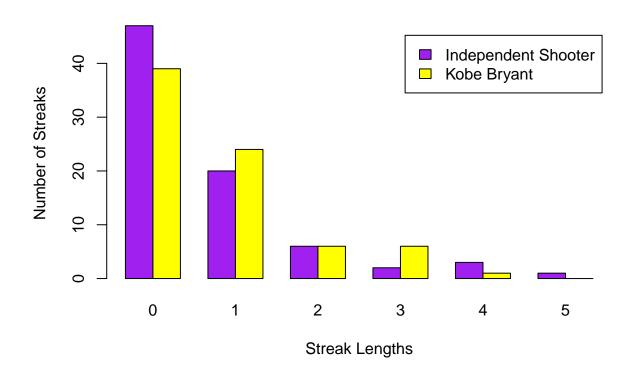
ind_streak <- calc_streak(sim_basket)</pre>

barplot(table(ind_streak))



```
# 1. Describe the distribution of streak lengths.
    # Right-skewed distribution
# What is the typical streak length for this simulated independent shooter with a 45% shooting percenta
    # 0
# How long is the player's longest streak of baskets in 133 shots?
```

```
# 2
# If you were to run the simulation of the independent shooter a second time,
# how would you expect its streak distribution to compare to the distribution from the question above?
  # I expect to be the same as always the percentage is 45% to 55% for hit and miss respectively.
# How does Kobe Bryant's distribution of streak lengths compare to the distribution of streak lengths f
  # The streak length for the simulated shooter is longer than Kobe Bryant 6 - 4 baised to the simulato
  # The distributions look very similar. Therefore, there doesn't appear to be evidence for Kobe Bryant
table(kobe_streak)
## kobe_streak
## 0 1 2 3 4
## 39 24 6 6 1
table(ind_streak)
## ind streak
## 0 1 2 3 4 5
## 47 20 6 2 3 1
# the two tables are not having the same length, so I implemented a logic to put a zero in the table th
# doesn't have a corresponding value.
kobe_df <- unlist(table(kobe_streak))</pre>
ind_df <- unlist(table(ind_streak))</pre>
if (length(kobe_df) < length(ind_df)) {</pre>
  kobe_df <- c(kobe_df,rep(0,length(ind_df) - length(kobe_df)))</pre>
} else {
  ind_df <- c(ind_df,rep(0,length(kobe_df) - length(ind_df)))</pre>
kobe_df
## 0 1 2 3 4
## 39 24 6 6 1 0
data_df <- rbind(ind_df,kobe_df)</pre>
data_df
            0 1 2 3 4 5
## ind_df 47 20 6 2 3 1
## kobe_df 39 24 6 6 1 0
barplot(data_df ,beside = T,col=c("purple","yellow"),xlab="Streak Lengths",ylab = "Number of Streaks",1
```



```
# to compare the two models, we have to do statistical summary to have a clear comparasion.
# get the median

IQR(kobe_df)

## [1] 17.25

IQR(ind_df)

## [1] 14.25

mean(kobe_df)

## [1] 12.66667

mean(ind_df)

## [1] 13.16667
```

both distributions are close together.

from analysis above we conclude that there is no major difference between kobe model and independent