

p.172 5.1

Given input {4371, 1323, 6173, 4199, 4344, 9679, 1989} and a hash function $h(X) = X \pmod{10}$, show the resulting:

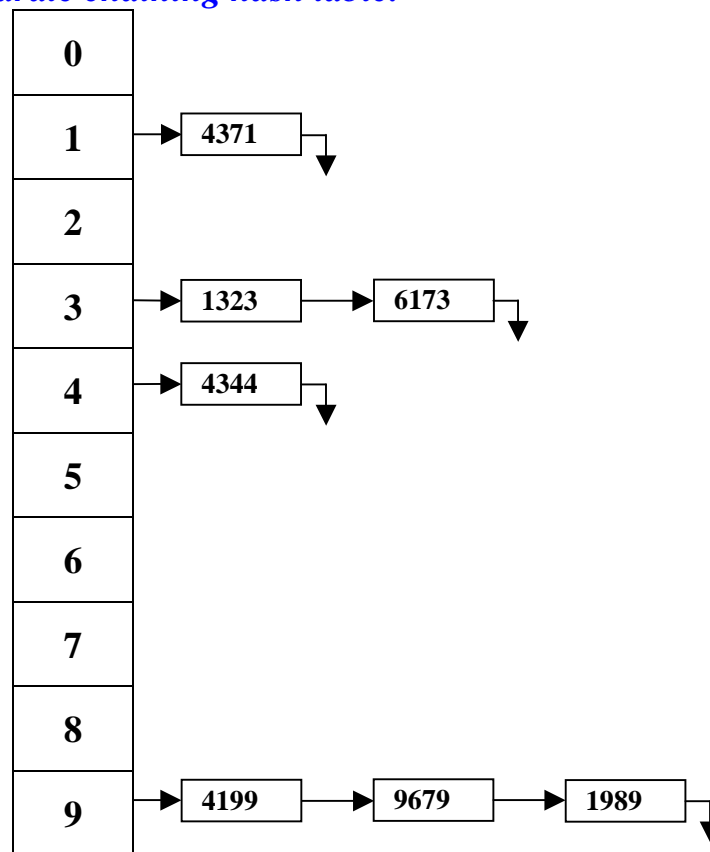
- Separate chaining hash table.
- Open addressing hash table using linear probing.
- Open addressing hash table using quadratic probing.
- Open addressing hash table with second hash function $h_2(X) = 7 - (X \pmod{7})$.

Answer

$h_f(4371)=1$ $h_f(1323)=3$ $h_f(6173)=3$ $h_f(4199)=9$ $h_f(4344)=4$ $h_f(9679)=9$
 $h_f(1989)=9$

TableSize = 10

a. Separate chaining hash table.



b. Open addressing hash table using linear probing.

0	9679
1	4371
2	1989
3	1323
4	6173
5	4344
6	
7	
8	
9	4199

c. Open addressing hash table using quadratic probing.

0	9679
1	4371
2	
3	1323
4	6173
5	4344
6	
7	
8	1989
9	4199

*d. Open addressing hash table with second hash function
 $h_2(X) = 7 - (X \bmod 7)$.*

0	
1	4371
2	
3	1323
4	6173
5	9679
6	
7	4344
8	
9	4199

No place for 1989

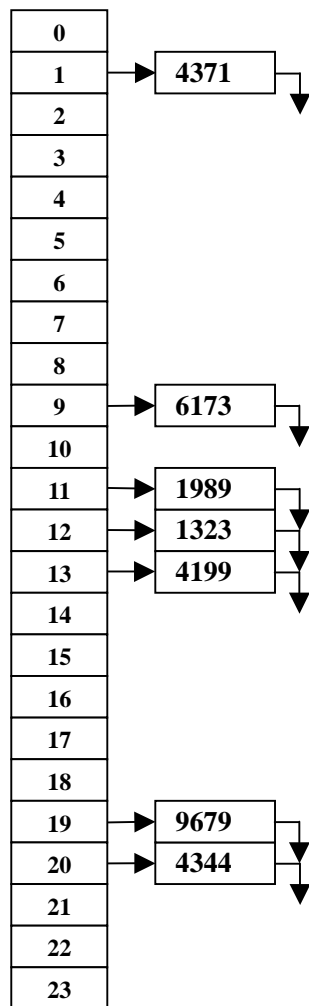
p.172 5.2

Show the result of rehashing the hash tables in Exercise 5.1.

Answer

The size of new table is 23, the first prime that is about twice as large as the original table size. The new hash function is then $h(X) = X \bmod 23$.

a. Separate chaining hash table.



b. Open addressing hash table using linear probing.

0	
1	4371
2	
3	
4	
5	
6	
7	
8	
9	6173
10	
11	1989
12	1323
13	4199
14	
15	
16	
17	
18	
19	9679
20	4344
21	
22	
23	

c. Open addressing hash table using quadratic probing.

*d. Open addressing hash table with second hash function
 $h_2(X) = 7 - (X \bmod 7)$.*

Same table obtained as in part a since there is no collision to be resolved.