

# Lab Report On Numerical Analysis Lab

Course Title: Numerical Analysis Lab

Course Code: CSE-232

#### **Submitted To:**

Emon Islam Rabbi Senior Lecturer (CSE Department)

City University, Dhaka.

#### **Submitted By:**

MD Faisal Ahmed

ID:152392326

Dept:CSE

Batch:39

Submission Date:14/1/2020

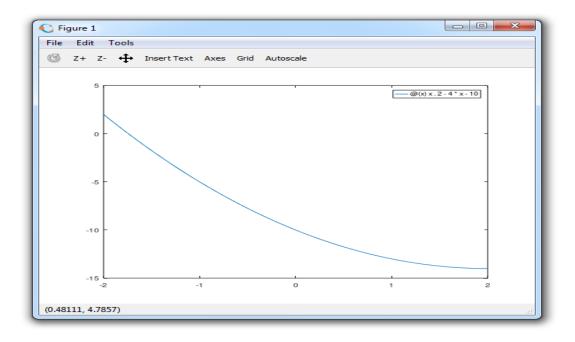
# **Bisection Method**

```
bisection.m
  1
  2 clc;
  3 close all;
  4 fprintf('Bisection Method\n');
  5 f=0(x)x.^2-4*x-10;
  6 f=0(x)x.^4-x-10;
  7 %f=@(x) x*log(10^x)-1.2;
  8 fplot(f,[-2,2])
  9 a=5;
 10 b=6;
 11 = for i=0:100

12 c=(a+b)/2;

13 = if(f(a)*f(c)>0)
 14 a=c;
 15 else
 16 b=c;
17 end
end
 19 fprintf("The root is %f",c);
 20 fprintf('\nMd Faisal Ahmed \nID:152392326');
```

Bisection Method The root is 5.741657 Md Faisal Ahmed ID:152392326>> |

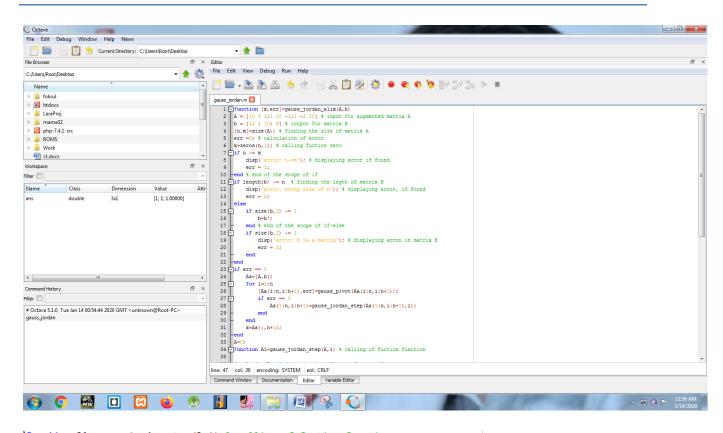


# False Position Method

```
clc
close all;
fprintf('Falsi Method \n');
f=0(x)x.^2-4*x-10;
f=&(x)x.^4-x-10;
f=0(x)3*x-cos(x)-1;
fplot(f,[-2,2])
a=5;
b=6;
for i=0:20
  c=(a*f(b)-b*f(a))/(f(b)-f(a));
 if(f(a)*f(c)>0)
 a=c;
else
  b=c;
  end
end
fprintf("The root is %f",c);
fprintf('\nMd Faisal Ahmed\n ID:152392326');
```

```
Falsi Method
The root is 5.741657
Md Faisal Ahmed
ID:152392326>> |
```

# Gauss Jordan Method



```
function A1=gauss_jordan_step(A,i) % calling of fuction function
[n,m]=size(A); % determination of size of matrix A
A1=A; % assigning A to A1
s=A1(i,1);
A1(i,:) = A(i,:)/s;

k=[[1:i-1],[i+1:n]];
for j=k
    s=A1(j,1);
    A1(j,:)=A1(j,:)-A1(i,:)*s;
end % end of for loop
function [A1,err]=gauss_pivot(A) % calling of fucntion
[n,m]=size(A); % finding the size of matrix A
A1=A; % process of assigning
err = 0; % error flag
if A1(1,1) == 0
    check = logical(1); % logical(1) - TRUE
    while check
        i = i + 1;
        if i > n
            disp('error: matrix is singular');
            err = 1;
            check = logical(0);
            if A(i,1) ~= 0 & check
                check = logical(0);
                b=A1(i,:);
                                 % process to change row 1 to i
                A1(i,:)=A1(1,:);
                A1(1,:)=b;
            end
        end
    end
```

# **Gauss Elimination Method**

```
function C = gauss_elimination(A,B) % defining the function
A= [ 1 2; 4 5] % Inputting the value of coefficient matrix
B = [-1; 4] % % Inputting the value of coefficient matrix
i = 1; % loop variable
X = [ A B ];
       X = [ A B ];
[ nX mX ] = size( X); % determining the size of matrix
while i <= nX % start of loop
    if X(i,i) == 0 % checking if the diagonal elements are zero or not
        disp('Diagonal element zero') % displaying the result if there exists zero</pre>
             end
             X = elimination(X,i,i); % proceeding forward if diagonal elements are non-zero
       C = X(:, mX);
 % Pivoting (i,j) element of matrix X and eliminating other column
function X = elimination(X,i,j)
   elements to zero
 [ nX mX ] = size( X);
[ nx mx j - Size( ...,
a = X(i,j);
X(i,:) = X(i,:)/a;
]for k = 1:nX % loop to find triangular form
] if k == i
      - i
continue
end
      X(k,:) = X(k,:) - X(i,:)*X(k,j); % final result
>> gauss elimination
A =
      1
               2
B =
    -1
       4
ans =
     4.3333
    -2.6667
>>
```

## **Factorization Method**

```
function [L,U,P]=LU pivot(A)
A = [2 -3 10; -1 4 2; 5 2 1]
[n,n]=size(A);
L=eye(n); P=L; U=A;
for k=1:n
    [pivot m]=max(abs(U(k:n,k)));
    m=m+k-1;
    if m~=k
        temp=U(k,:);
        U(k,:)=U(m,:);
        U(m,:) = temp;
        temp=P(k,:);
        P(k,:) = P(m,:);
        P(m,:)=temp;
        if k >= 2 %
            temp=L(k, 1: k-1);
            L(k,1:k-1)=L(m,1:k-1);
            L(m, 1: k-1) = temp;
        end
    end
    for j=k+1:n
        L(j,k)=U(j,k)/U(k,k);
        U(j,:)=U(j,:)-L(j,k)*U(k,:);
    end
end
fprintf('\nMd Faisal Ahmed.\nID:142392326');
```

```
warning: function name 'LU pivot' does not
ctorization.m'
A =
       -3
            10
    2
   -1
        4
             2
    5
        2
             1
Md Faisal Ahmed.
ID:142392326ans =
   1.00000
           0.00000 0.00000
  -0.20000
            1.00000
                     0.00000
   0.40000 -0.86364
                      1.00000
```

# Newton Raphson Method

```
clc;
f=@(x) x.^2-5*x+6;
fplot(f,[-2,8])
df=0(x)2*x-5;
x=0;
for i=0:5
  y=x;
 x=y-f(x)./df(x);
 if(x==y)
  break
  end
end
fprintf('the root is %f',x);
fprintf('\nMd Faisal Ahmed\nID:152392326');
 the root is 2.000000
 Md Faisal Ahmed
 ID:152392326>>
```

### Secant Method

```
1 _function secant_method()
2
        f = @(x) x^2 - 9;
        eps = 1e-6;
3
       x0 = 1000; x1 = x0 - 1;
4
5
        [solution, no_iterations] = secant(f, x0, x1, eps);
        if no_iterations > 0 % Solution found
6 🖨
7
            fprintf('Number of function calls: %d\n', 2 + no_iterations);
8
            fprintf('A solution is: %f\n', solution)
9
        else
10
            fprintf('Abort execution.\n')
11
        end
12
   end
13 L
14 _function [solution,no_iterations] = secant(f, x0, x1, eps)
15
        f_x0 = f(x0);
        f_x1 = f(x1);
16
17
        iteration_counter = 0;
18 🗖
19 🖨
        while abs(f_x1) > eps && iteration_counter < 100
20
                denominator = (f_x1 - f_x0)/(x1 - x0);
21
               x = x1 - (f_x1)/denominator;
22
            catch
23
                fprintf('Error! - denominator zero for x = \n', x1)
               break
24
25
            end
            x0 = x1;
26
            x1 = x;
27
28
            f_x0 = f_x1;
            f x1 = f(x1);
29
30
            iteration_counter = iteration_counter + 1;
30
31
32
        % Here, either a solution is found, or too many iterations
33 🛱
        if abs(f_x1) > eps
           iteration_counter = -1;
34
35
        solution = x1;
37
        no_iterations = iteration_counter;
38 Lend
warning: function name 'secant_method' does not agree with function filename 'C:\Users\Root\Deskt
op\secant.m'
Number of function calls: 19
A solution is: 3.000000
>>
```