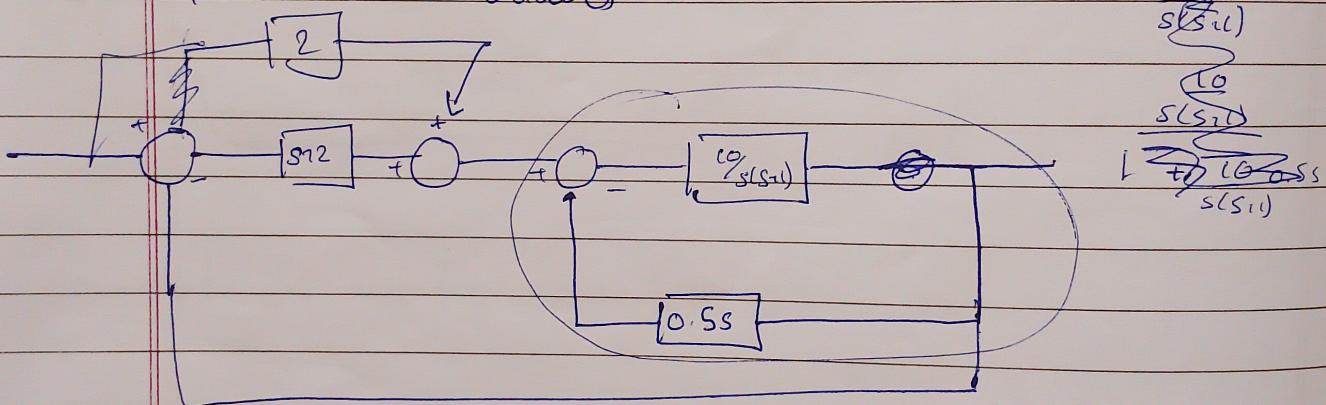
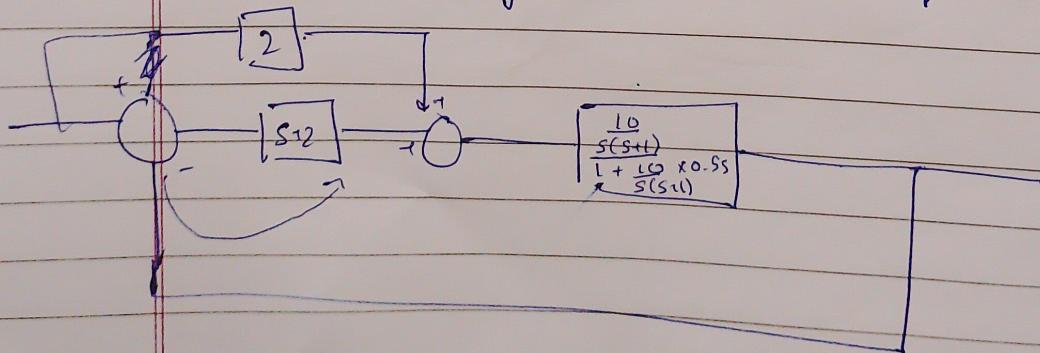


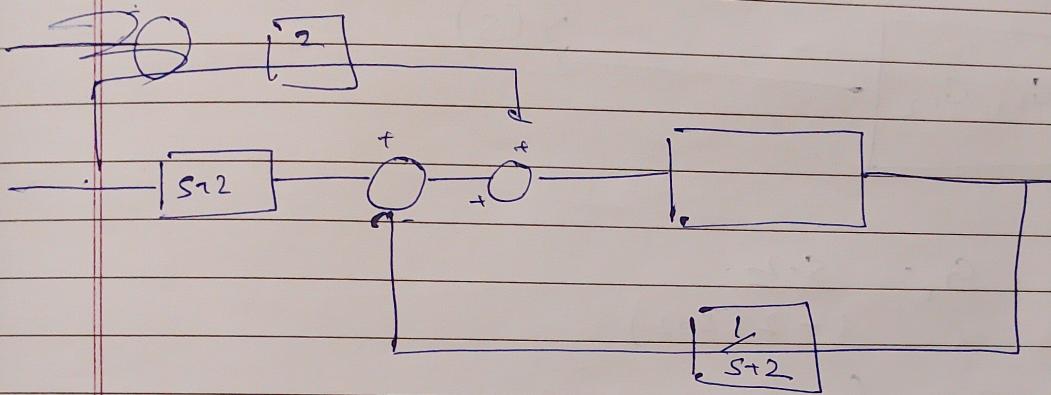
① First we split the triple adder in two adders



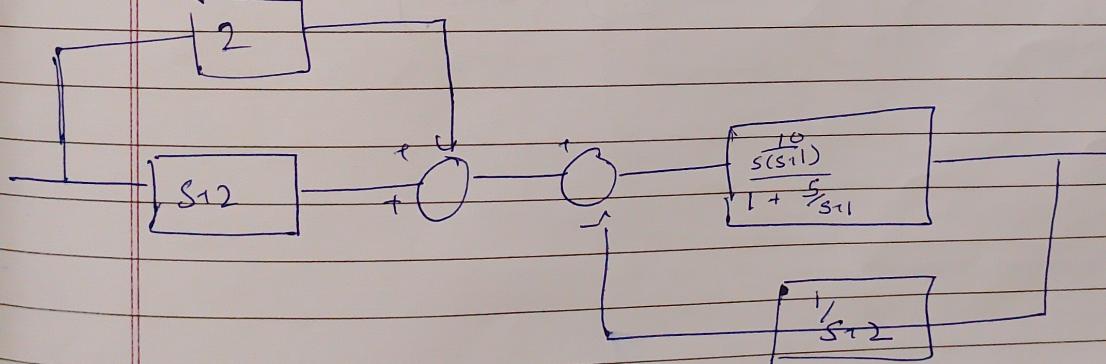
② Simplify
 (2) ~~So~~ the right feedback loop.



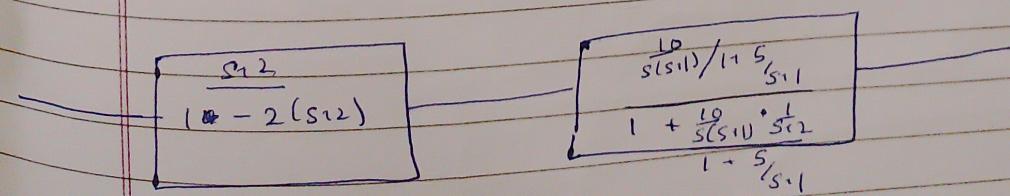
(3) Shift the left adder ~~to~~ after the block



(4) Exchange the two adders

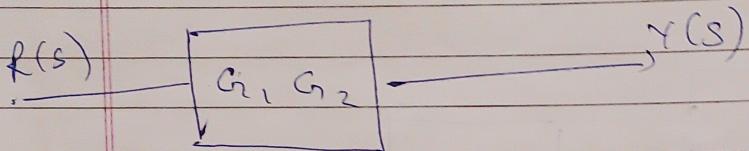


(5) Simplifying the feed back loops we get



(6)

Finally adding both the blocks
 we get :



$$\text{where, } G_1 = \frac{s+2}{(-2(s+2))}$$

$$G_2 = \frac{\left(\frac{10}{s(s+1)} / 1 - \frac{s}{s+1}\right)}{1 + \left(\frac{10}{s(s+1)} / 1 - \frac{s}{s+1}\right) \left(\frac{1}{s+2}\right)}$$

(b)

(b)

Y

E

CIS

(1)

Sim

(2)

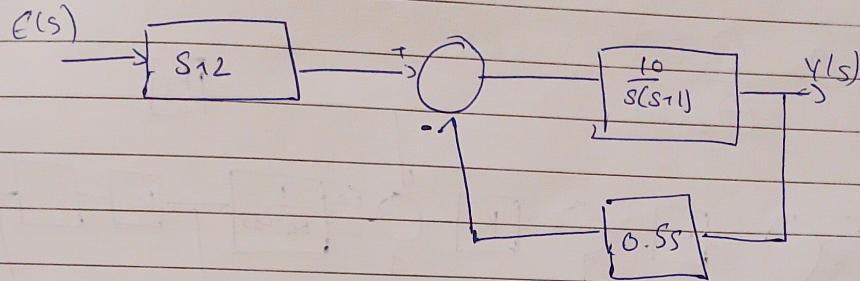
Add

E(s)

(b)

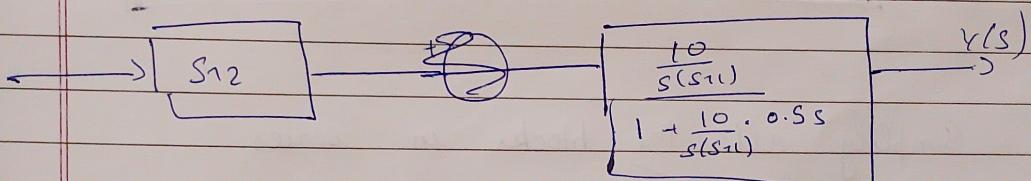
$$\frac{Y(s)}{E(s)} \Big|_{N=0}$$

(b)



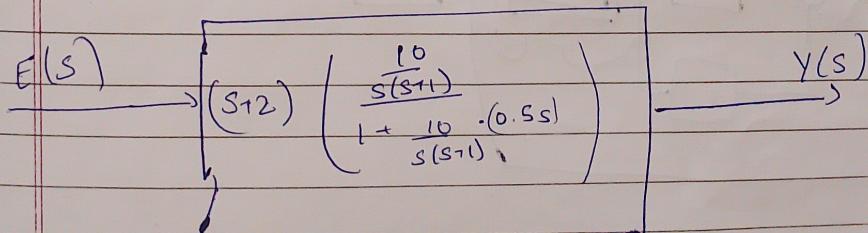
(1)

Simplifying the feed back loop we get:

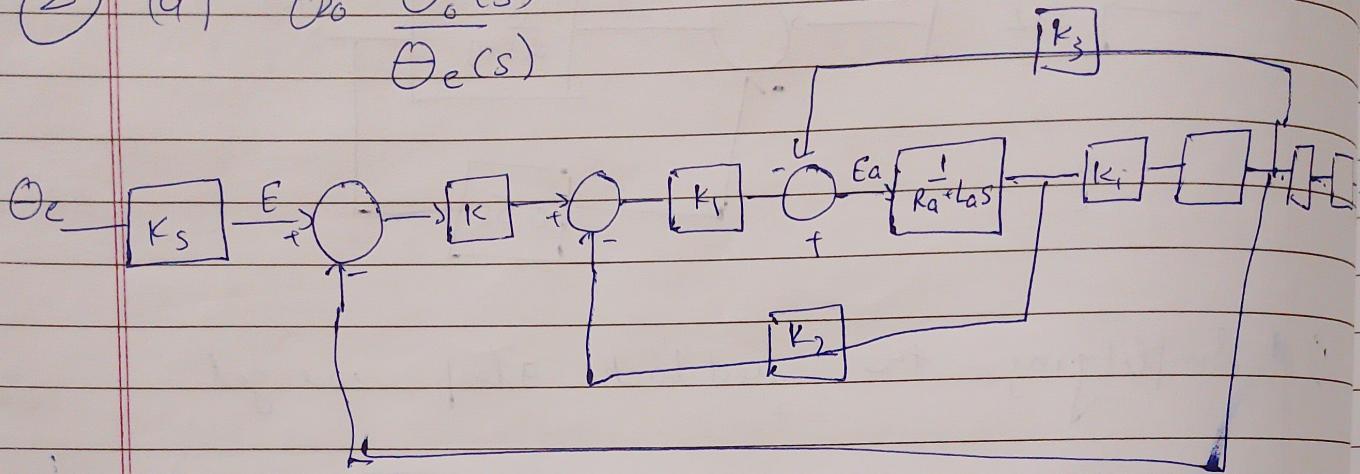


(2)

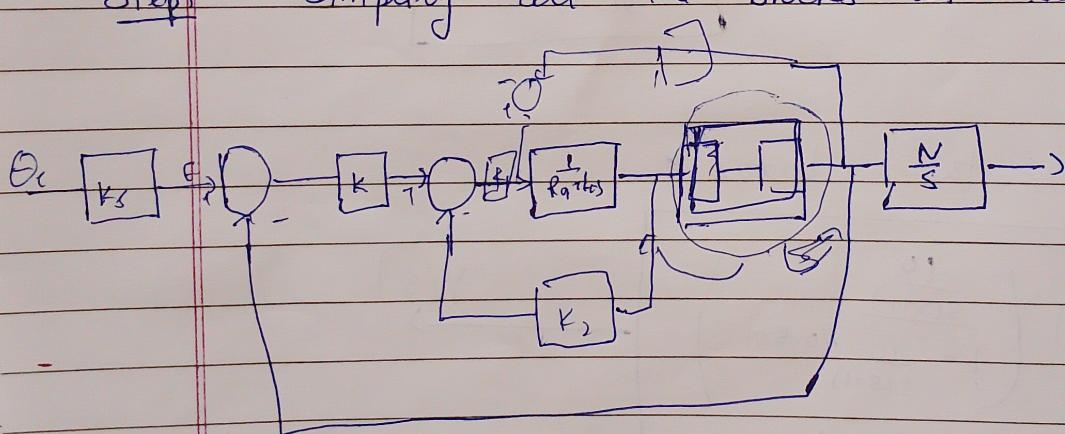
Add the two boxes



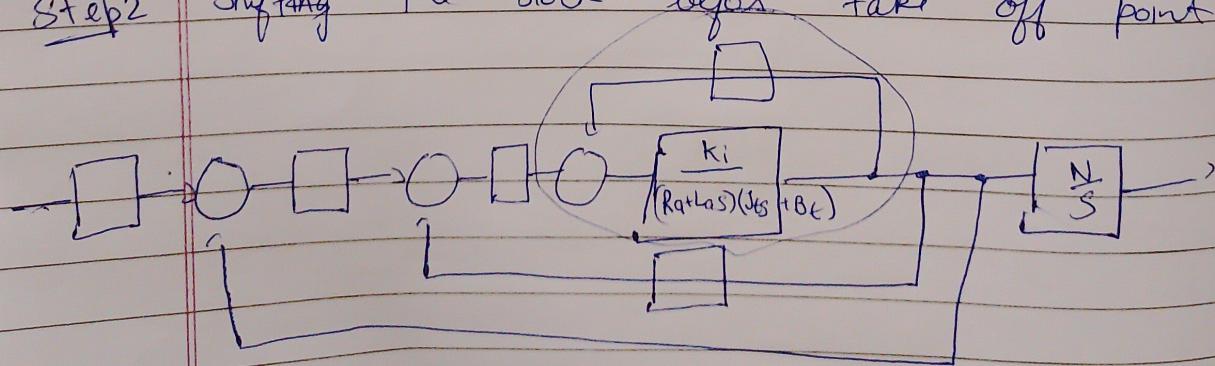
$$(2) (a) \theta_o \frac{\theta_o(s)}{\theta_e(s)}$$



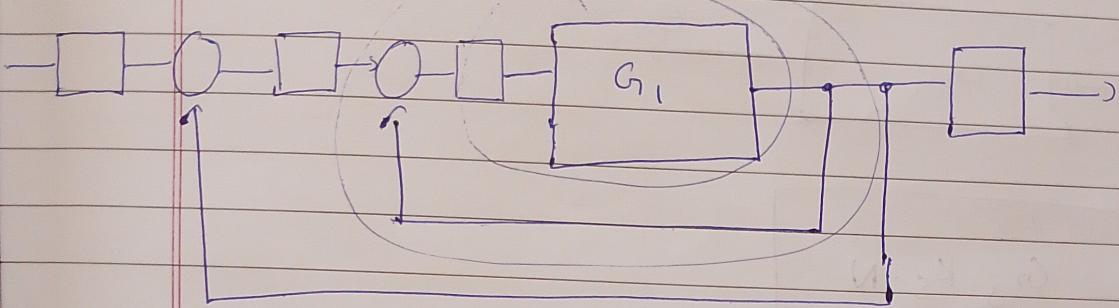
Step 1 Simplify all the blocks in series



Step 2 Shifting the block before take off point

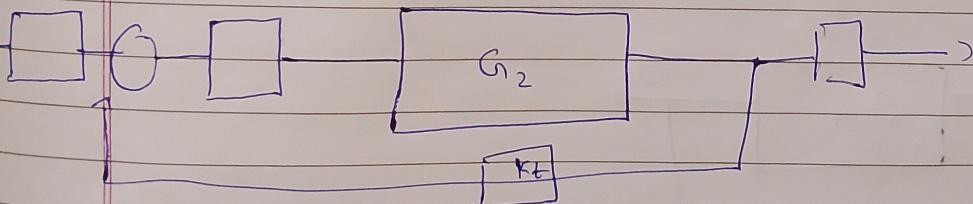


Step 3 Solve the feedback loop



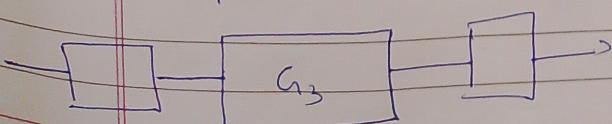
$$G_1 = \frac{K_1}{(R_a + L_a s)(J_{tS} + B_t)} \\ 1 + \frac{K_1 \cdot K_3}{(R_a + L_a s)(J_{tS} + B_t)}$$

Step 4 Adding the blocks in series and then solving the feed back loop



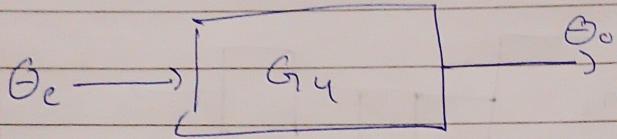
$$G_2 = \frac{G_1 \cdot K_1}{1 + G_1 \cdot K_1 \cdot K_2}$$

Step 5 Solve the blocks in series and then the feedback loop.



$$G_3 = \frac{G_2 \cdot K}{1 + G_2 \cdot K_t}$$

Step 6 Step 8 Add two blocks in series:



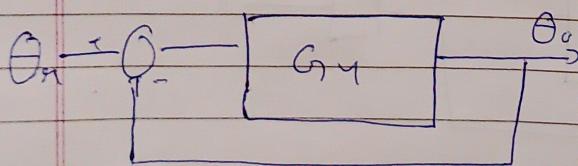
$$G_4 = G_3 \cdot K_S \cdot N$$

(b)

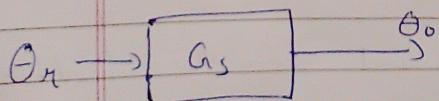
$$\frac{\theta_o(s)}{\theta_r(s)}$$

→ In part (a) we calculated $\frac{\theta_o(s)}{\theta_r(s)} = G_4 = G_3 \cdot K_S \cdot N$

We will take help of this.



Solving this feed back loop we get



$$G_{fs} = \frac{G_4}{1 + G_s^2}$$