## Recitation 7: Unsupervised Machine Learning

CIS 5450: Big Data Analytics Fall 2023 October 27, 2023



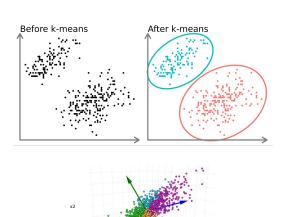
## Agenda:

- 1. What is unsupervised learning?
- 2. Principal Component Analysis (PCA)
- 3. K-Means Clustering

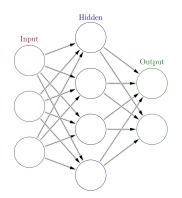


## The Types of Machine Learning

## Unsupervised: Find **structure** in data



# Supervised: Function mapping inputs to outputs





### **PCA Motivation:**

### Imagine you are trying to run a machine learning algorithm on...

- 1. Very noisy data
- 2. High-dimensional image data (for image classification)
- 3. Data with a large number of features (10,000+)

The Problem: How do we determine which features matter, and which are irrelevant or noisy?



## **Principal Component Analysis:**

### **Overview of Principal Component Analysis (PCA)**

- 1. *Unsupervised* algorithm
- 2. Takes in: a matrix of data points and their respective features
- 3. Outputs: a new set of orthogonal (and independent) feature vectors, ordered by their relative importance

#### How does this solve the problems previously?

- 1. Denoising: unimportant "noisy" features are discarded
- Dimensionality Reduction: we can keep only the most important features this reduces the dimensionality and size of our data
- 3. Scalable to massive quantities of data

## A Conceptual Overview

# Idea: Express our data in terms of a new set of vectors.

- From the x- and y- axes
- To the vectors in the ellipse

Why? Because these vectors represent the direction of *maximum variance*.

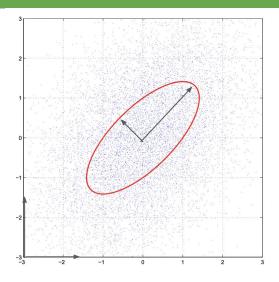


Image Source: ESE 2240



### **How to Perform PCA**

**Step One**: Scale the data by subtracting the mean and dividing by the standard deviation of each feature.

**Step Two**: Compute the Covariance Matrix.

**Step Three**: Take the eigenvectors and eigenvalues of the matrix.

**Step Four**: Project your data onto the eigenvectors/values.

**Step Five**: Select the number of principal components you want to keep, and discard the rest of those in your data.

$$\sigma$$

$$\begin{bmatrix} E[(X_1 - E[X_1])(X_1 - E[X_1]) & \cdots & E[(X_1 - E[X_1])(X_p - E[p]) \\ \vdots & \ddots & \vdots \\ E[(X_p - E[X_p])(X_1 - E[X_1]) & \cdots & E[(X_p - E[X_p])(X_p - E[X_p]) \end{bmatrix}$$

Image Sources: Medium, CIS 5450 Lecture Slides



## **An Important Note:**

### **PCA** is **NOT** Scale Invariant!

What does this mean?

If we rescale different features, we change the **variance** of those features.

This gives us different results.

### Therefore, PCA always requires normalization before you perform it!

\*For a more in-depth mathematical explanation of this, we'd be happy to chat after class.



### **Pros and Cons of PCA**

### **Pros:**

- We need less memory once we reduce dimensions
- Reduces noise

### Cons:

We may sometimes lose the explainability of features



## Clustering:

- Data generally has hidden patterns
- Data may not always come with labels, but it may still contain interesting information

#### Applications:

- Customer segmentation (for marketing and recommendation)
- Search result clustering

#### Different types of clustering:

- Hierarchical: Iteratively identify closest clusters and keep merging. Start with each point being a cluster in itself. (https://www.displayr.com/what-is-hierarchical-clustering)
- K-means: Iteratively find points closest to centroids and calculate new centroids



## K-Means Clustering:

#### **Overview of K-Means Clustering**

- 1. *Unsupervised* algorithm
- 2. Takes in: a matrix of data points and their respective features, as well as the desired number of clusters
- 3. Outputs: a specified number of cluster centers and assigns each data point to the nearest cluster center.



### **How to Perform K-Means**

**Step One**: Fix k, the number of centroids.

**Step Two**: Assign each point to the centroid to which it is closest in distance.

**Step Three**: Re-calculate the cluster centroids from the points assigned to each respective cluster from Step Two.

**Step Four:** Repeat Steps Two & Three until convergence (when the centroids no longer change).

Step Five (optional): Repeat all of the above steps for different k's to find the optimal k.



## Pros and Cons of K-Means Clustering

### **Pros:**

- Relatively simple and fast to implement
- Does not require labeled data (unsupervised learning)

### Cons:

- Have to choose 'k' manually
- Final clusters dependent on initialization
- Sensitive to outliers



### Demo

https://colab.research.google.com/drive/1mhemCPITF2WbJsUFISHgheReDs5sdU0K?usp=sharing



## Performing this in Scikit-Learn:

```
1 # PCA Imports
 2 from sklearn.decomposition import PCA
 3 from sklearn.preprocessing import StandardScaler
 5 # Normalization to address the fact that PCA is not scale-invariant
 6 scaler = StandardScaler()
                                                                                                               Cumulative Explained Variance
 7 X_train_scaled = scaler.fit_transform(X_train)
 8 X test scaled = scaler.transform(X test)
10 # Instantiate and Fit PCA
11 pca = PCA()
12 X2 = pca.fit(X train scaled)
14 # Intermediate Step: Identify optimal number of principal components using cumulative variance
15 # (see the graph)
16 explained_variance_ratios = pca.explained_variance ratio
17 cum_evr = np.cumsum(explained_variance_ratios)
19 # Redefine and refit PCA
20 n = 17
21 pca = PCA(n components = n)
22 X train pca = pca.fit transform(X train scaled)
23 X test pca = pca.transform(X test scaled)
```

