



Math / Statistics

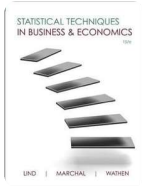
APMA 3120 MIDTERM

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Douglas A. Lind, Samuel A. Wathen, William G. Marchal

1,236 solutions



Terms in this set (19)

standardize RV X	$(x - \mu) / \sigma$
C.I. - normal dist and known sigma	$[x \pm (z_{\alpha/2})(\sigma / \sqrt{n})]$
C.I. - non-normal and unknown sigma; large sample	$[x \pm (z_{\alpha/2})(s / \sqrt{n})]$
C.I. - normal and unknown sigma; small sample	$[x \pm (t_{\alpha/2})(s / \sqrt{n})]$
Type I Error	Null correct but we reject
Type II Error	Null false but we fail to reject
Hypothesis Test for M (1 sample) - Normal and sigma known	$z = (x - \mu) / (\sigma / \sqrt{n})$
Hypothesis Test for M (1 sample) - Non-normal, sigma unknown, large sample ($n \geq 30$)	$z = (x - \mu) / (s / \sqrt{n})$
Hypothesis Test for M (1 sample) - normal, sigma unknown, small sample ($n < 30$)	$t = (x - \mu) / (s / \sqrt{n}); df = n - 1$
Power of Test	$1 - \beta(\mu')$
Hypothesis Test for proportion (1 sample)	$z = (p^{\wedge} - p_0) / \sqrt{[(p_0^*(1 - p_0)) / N]}; \text{check } \geq 10$

Hypothesis Test for Variance (1 sample)	$\chi^2 = [(N-1) \cdot s^2] / (\sigma_0)^2$; $df = n-1$
Hypothesis Test for M (2 sample) - normal & sigma known	$z = (x_1 - x_2 - \Delta) / \sqrt{[(\sigma_1)^2 / n_1] + [(\sigma_2)^2 / n_2]}$
Hypothesis Test for M (2 sample) - non-normal, sigma unknown, and large samples ($n_1, n_2 \geq 40$)	$z = (x_1 - x_2 - \Delta) / \sqrt{[(s_1)^2 / n_1] + [(s_2)^2 / n_2]}$
Hypothesis Test for M (2 sample) - normal, sigma unknown, and small samples ($n_1, n_2 < 40$); $\sigma_1 = \sigma_2$	$t = (x_1 - x_2 - \Delta) / \sqrt{[(s_p)^2 / n_1] + [(s_p)^2 / n_2]}$; $df = n_1 + n_2 - 2$; $s_p^2 = [(n_1 - 1)s_1^2 + (n_2 - 1)s_2^2] / (n_1 + n_2 - 2)$
Hypothesis Test for M (2 sample) - normal, sigma unknown, and small samples ($n_1, n_2 < 40$); $\sigma_1 \neq \sigma_2$	$t = (x_1 - x_2 - \Delta) / \sqrt{[(s_1)^2 / n_1] + [(s_2)^2 / n_2]}$; $df = \text{ugly \#}$
Paired T Test	$t = (D - \Delta) / (s_d / \sqrt{n})$; $df = n - 1$
Hypothesis Test for Proportion (2 samples)	$z = (p_1 - p_2) / \sqrt{[(p)(1-p)] / n_1 + [(p)(1-p)] / n_2}$; $p = (x_1 + x_2) / (n_1 + n_2)$; check ≥ 10
Hypothesis Test for Variance (2 samples)	$F = s_1^2 / s_2^2$; $v_1 = n_1 - 1$; $v_2 = n_2 - 1$