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## Dijkstra's Algorithm:

b) let  $n$  be the number of adjacent vertices, then sequentially searching for the minimum bridged edge would result in a complexity  $O(n)$ .

2.1) Priority queue using doubly-linked list:

Given that the priority queue would always have the smallest edge as the first element in accessing it would be  $O(1)$ . In the other hand, Insertion would be of complexity  $O(n)$ .

2.2) Priority queue by min-heap:

Maintaining the minimum bridged edge using min heap would always result to the root having the min edge with  $O(1)$ . However, removing the smallest edge, would result to readjusting the min-heap, which is of complexity  $O(\log(n))$  where  $n$  is the number of edges.

Similarly, for the insertion operation, the time complexity would be  $O(\log(n))$ , involves readjusting the heap.

### ③ Implementing Prim's algorithm: ~~in~~ $\neq$

a. let  $MST_s$  be the set of vertex included in the shortest path (minimum dist from sources calculated and finalized).

b. let all weight from  $\neq$  source be INFINITE.  
let distance value from source be 0 to be picked first.  
and initialize all vertices in the graph.

c. While the  $MST_s$  does not include all vertices:

→ pick the minimum ~~edge~~ bridged edge from unselected set  
→ ~~add~~ add it to  $MST_s$

→ update the distance value of all adjacent vertices of ~~it~~ the newly selected vertex.

\* for every adjacent vertex, if sum of distance value of newly selected vertex ( $u$ ) and weight of edge  $u-v$  is less than  $v$  then update the distance value  $v$ .

4.) when the unvisited vertices have a distance INfinity from the nodes in the visited vertices set, then the algorithm ends and returns unreachable.