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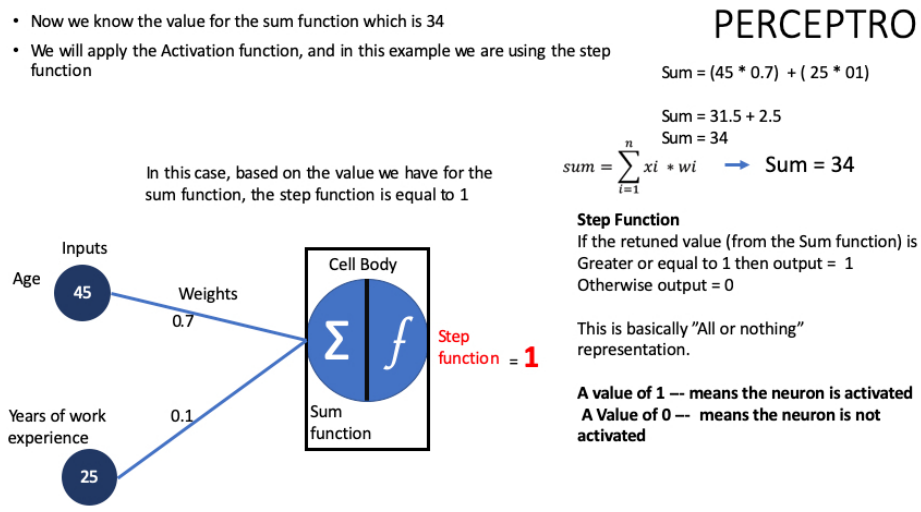
We are re-implementing the last code. With Neural networks, most implementation uses large datasets, and it is important to write our code in a more optimized manner. We will be using Numpy Library to achieve this.

- Now we know the value for the sum function which is 34
- We will apply the Activation function, and in this example we are using the step function



Import Library

In [ ]:
```
import numpy as np
```

Lets define the Inputs and weights

With NumPy, we work with arrays. Hence we will need to define our inputs as arrays

In [ ]:
```
inputs = np.array([45, 25])
```

In [ ]:
```
# Check the type of the inputs

type(inputs)
```

In [ ]:
```
# check the value at index position 0
inputs[0]
```

Lets define the weights

In [ ]:
```
# creating the weights as Numpy array

weights = np.array([0.7, 0.1])
```

In [ ]:
```
# Check the value at index 0

weights[0]
```

Create the Sum Function

The dot function is called the dot product from linear algebra. If you are dealing with a huge dataset, The processing difference between the for loop used in the last notebook and this dot product will significantly be different.

In [ ]:
```
def sum_func(inputs, weights):
    return inputs.dot(weights)
```

In [ ]:
```
# for weights = [0.7, 0.1]

s_prob1 = sum_func(inputs, weights)
s_prob1
```

Create Step function

In [ ]:
```
def step_function(sum_func):
  if (sum_func >= 1):
    print(f'The Sum Function is greater than or equal to 1')
    return 1
  else:
        print(f'The Sum Function is NOT greater')
        return 0
```

Result

In [ ]:
```
step_function(s_prob1 )
```

If the is weights = [- 0.7, 0.1]

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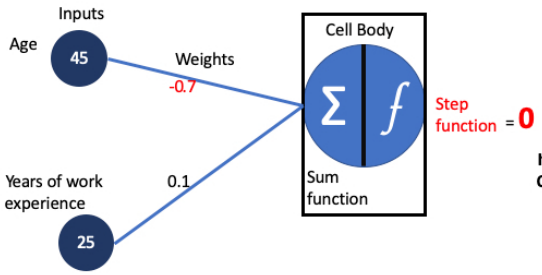
Example 2

- Age is our first input (x1) with a value of 45.
- Years of work Experience (x2) with a value of 25
- W1 = - 0.7
- W2 = 0.1

$$sum = \sum_{i=1}^{n} xi * wi$$

Sum = (45 * - 0.7) + (25 * 01)

Sum = -31.5 + 2.5
Sum = -29



If Sum is Greater or equal to 1 then output = 1
Otherwise output = 0

In [ ]:
```
weights = [-0.7, 0.1]
```

In [ ]:
```
# for weights = [- 0.7, 0.1]

s_prob2 = sum_func(inputs, weights)

round(s_prob2, 2)  #round to 2 decimal places
```

Result

In [ ]:
```
step_function(s_prob2 )
```

By changing the input values and weights observe different results

In [ ]:

In [ ]:

In [ ]: