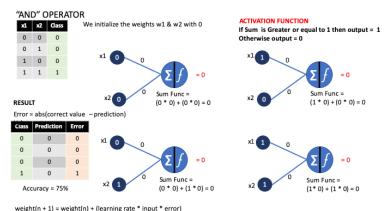
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Import Library

```
In [1]: import numpy as np
```

Define "Inputs, outputs and weights" as Numpy arrays

Inputs

```
In [2]: # Creating input values as a matrix not as a vector
inputs = np.array([[0,0], [0,1], [1,0], [1,1]])
In [3]: # Chcking the shape of the inputs
inputs.shape
Out[3]: (4, 2)
```

Outputs

```
In [4]: outputs = np.array([0, 0, 0, 1])
In [5]: #Checking the shape of the outputs
outputs.shape
Out[5]: (4,)
```

Weights

```
In [6]: # one weight for x1 and one for x2
weights = np.array([0.0, 0.0])
```

Learning Rate

```
In [7]: learning_rate = 0.1
```

Step function

```
In [8]: # This is our Activation function

def step_function(sum):
    if (sum >= 1):
        #print(f'The Sum of Weights is Greater or equal to 1')
        return 1
    else:
        #print(f'The Sum of Weights is NOT > or = to 1')
        return 0
```

Process Output

We define a function that allows us to calculate/ process the output. The function accepts an instance of our data, then calculate the sum function using Numpy. Finally, we check the output by passing it through the "Step Function."

```
In [9]: def cal_output(instance):
    sum_func = instance.dot(weights)
    return step_function(sum_func)

We pass it as alist in a numpy array ...
```

```
In [10]: cal_output(np.array([[1,1]]))
Out[10]: 0
```

Train

```
In [11]: # Check the number of outputs
```

```
Out[11]: 4
In [12]: # Checking the index of the input at postion 3 .. # this is the last inpute value
           inputs[3]
Out[12]: array([1, 1])
In [13]: inputs
Out[13]: array([[0, 0],
                    [0, 1],
                    [1, 0],
                    [1, 1]])
           Note that: usually, we will need to define the number of epochs, because we will never really get a value of zero when dealing with real-world data. However, for this small data, we will run the
           loop till we obtain zero error
In [14]: def train():
                total_error_value = 1
                 # While the total_error_value is not equal to zero. we are asumming that at the start of running our network there will be no zero
                while (total_error_value != 0):
    #making the total_error 0 so we can do other calculations
                     total_error_value = 0 #Looping into each row of the dataset (remember indexing in python starts at zero hence \theta-3 which are 4 values) for i in range(len(outputs)):
                          #Calculating predictions
prediction = cal_output(inputs[i])
                           # Calculating the absolute value of the error
                          error = abs(outputs[i] - prediction)
                          #Updating the error
                          total_error_value += error
                          if error > 0:
                     for j in range(len(weights)):
    #updating the weights for x1 and x2
    weights[j] = weights[j] + (learning_rate * inputs[i][j] * error)
    print('Weight updated to: '+ str(weights[j]))
print('Total error Value: ' + str(total_error_value))
In [15]: train()
         Weight updated to: 0.1 Weight updated to: 0.1
          Total error Value: 1
         Weight updated to: 0.2
          Weight updated to: 0.2
          Total error Value: 1
         Weight updated to: 0.30000000000000000
          Weight updated to: 0.300000000000000004
          Total error Value: 1
         Weight updated to: 0.4
          Weight updated to: 0.4
          Total error Value: 1
          Weight updated to: 0.5
          Weight updated to: 0.5
         Total error Value: 1
Total error Value: 0
           Classification
In [16]: # Now we have the final weights that will be used to classify new instances of the data after training.
           weights
Out[16]: array([0.5, 0.5])
In [17]: cal_output(np.array([0,0]))
Out[17]: 0
In [18]: cal_output(np.array([0,1]))
Out[18]: 0
In [19]: cal_output(np.array([1,0]))
Out[19]: 0
In [20]: cal_output(np.array([1,1]))
Out[20]: 1
```

len(outputs)