

Confusion Matrix - It's a table that helps describing the performance of classification model.

measures for (metrics)
classification

Accuracy

Precision

Recall

F1 Score

	S	ve	Vi
S	9	0	0
ve	0	7	1
Vi	0	0	13

to the total observations

ratio of correctly predicted observation

Accuracy for iris use-case

$$\text{accuracy} = \frac{9 + 7 + 13}{(9 + 0 + 0 + 0 + 7 + 1 + 0 + 0 + 13)} = \frac{29}{30} = 0.9666$$

centre model)

	S	ve	Vi
S	9	0	0
ve	0	7	1
Vi	0	0	13

ratio of the correctly predicted observations to the total observations of a given label class.
(predicted) (true and false)

precision for iris use-case
(for each unique label)

$$\text{Precision (setosa)} = \frac{9}{9 + 0 + 0} = 1$$

$$\text{Precision (versicolor)} = \frac{7}{7 + 0} = 1$$

$$\text{Precision (virginica)} = \frac{13}{0 + 1 + 13} = \frac{13}{14} = 0.9285$$

	S	ve	Vi
S	9	0	0
ve	0	7	1
Vi	0	0	13

ratio of correctly predicted observations to all observations of the true class

	S	ve	Vi
S	9	0	0
ve	0	7	1
Vi	0	0	13

Recall for iris use-case
(for each unique label)

$$\text{Recall (setosa)} = \frac{9}{9+0+0} = 1$$

$$\text{Recall (versicolor)} = \frac{7}{0+7+1} = 0.875$$

$$\text{Recall (virginica)} = \frac{13}{0+0+13} = 1$$

$$\text{F1 Score} = \frac{2 * (\text{Recall} * \text{Precision})}{\text{Recall} + \text{Precision}}$$

$$\text{F1 score (setosa)} = \frac{2 * (1)}{2} = \underline{\underline{1}}$$

$$\begin{aligned} \text{F1 score (versicolor)} &= \frac{2 * (0.875 * 1)}{1.875} \\ &= 0.9333 \end{aligned}$$

Harmonic mean of precision and recall of each label class.

$$\begin{aligned} \text{F1 score (virginica)} &= \frac{2 * (1 * 0.9285)}{1.9285} \\ &= \underline{\underline{0.962924}} \end{aligned}$$

when to use which metric for model selection?

- 1) If your data is a balanced data, then check only the accuracy part of the metric as a model selection criteria.

Balanced data is any data that has an equal class weightage.

iris.species.value_counts()

Setosa	50	} equal values, therefore the data is a balanced data.
Versicolor	50	
Virginica	50	

Since the data is the balanced dataset; therefore consider only ACCURACY. In this case, accuracy is 96%, therefore our model is approved!

② If your data is an unbalanced data, in that case check for the domain requirement and based on the domain requirement, select the correct metric you need to consider.

The typical industrial standard for defining unbalanced data is any thing that doesn't satisfy the below ratio:

2 labels

55:45 ±5% is considered as balanced.

Setosa : 60	} →	Balanced
Versicolor : 40		Unbalanced
Virginica : 50		

$$x = \frac{\text{Total observations}}{\text{no of unique classes}} \Rightarrow \frac{150}{3} \Rightarrow 50$$

$$\boxed{x=50}$$

Use this x to identify the ratio. If in any one of the ratio, the data is not satisfying $\pm 5\%$ formula, consider entire dataset as unbalanced.

$$\left\{ \begin{array}{l} \text{Setosa} : 60 \longrightarrow \underline{\underline{60/50}} \Rightarrow 1.2 \quad \underline{\underline{\text{unbalanced}}} \\ \text{Versicolour} : 40 \longrightarrow 40/50 \Rightarrow 0.8 \\ \text{Virginica} : 50 \longrightarrow 50/50 \Rightarrow 1 \end{array} \right. \quad \begin{array}{c} + \\ \parallel \underline{\underline{-5}} \parallel \end{array}$$

$$\boxed{95\% \rightarrow \text{unbalanced}}$$

for most of the **odd** labels dataset, the data is always **unbalanced**.

for most of the **even** label dataset, the data is mostly **balanced**.

Email spam classification

Domain
↓
model that can help removing spams.

predicted

	spam	notspam
spam	100	170
not spam	30 *	700

recall (spam) = 0.3704
 recall (not spam) = 0.9589

accuracy = 80%

precision (spam) = 0.7692

precision (not spam) = 0.8046

If a not spam emails goes to spam

Domain:-
A hospital wants you to create a model that can classify whether the patient has critical diseases or not.

	diagnosed sick	diagnosed healthy
sick	1000	200 *
healthy	800	9800

insurance camp

precision (diagnosed healthy) \Rightarrow 0.978

CART (Classification and Regression Trees)

