Contents

1. Clustering (k-means)

K-Means is a clustering approach that belogs to the class of unsupervised statistical learning methods. The general idea of a clustering algorithm is to partition a given dataset into distinct, exclusive clusters so that the data points in each group are quite similar to each other.

Let's read our building records as one large dataset of around 6 million and try to find cluster's.

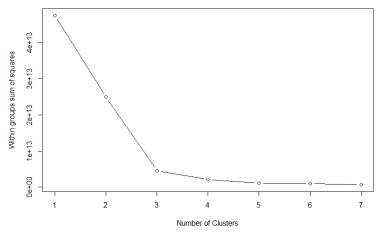
 Reading the csv and removing features which we would not use and will not make sense in the clustering

Converting the features to appropriate data type

```
## Converting non numeric features to numeric
mergeData$hour <- as.numeric(mergeData$hour)
mergeData$consumption.Kwh.sqm <- as.numeric(mergeData$consumption.Kwh.sqm)
mergeData$month <- as.numeric(mergeData$month)
mergeData$Day.of.Week <- as.numeric(mergeData$Day.of.Week)
mergeData$weekday <- as.numeric(mergeData$weekday)
mergeData$Holiday <- as.numeric(mergeData$Holiday)
mergeData$Base_Hour_Class <- as.factor(mergeData$Base_Hour_Class)</pre>
```

3) A plot of the within groups sum of squares by number of clusters extracted can help determine the appropriate number of clusters. We will use bend graph function to check within groups sum of squares by number of clusters and deciding the optimal number of clusters

```
wssplot <- function(data, nc=15, seed=1234){
  wss <- (nrow(data)-1)*sum(apply(data,2,var))
  for (i in 2:nc){
    set.seed(seed)
    wss[i] <- sum(kmeans(data, centers=i)$withinss)}
  plot(1:nc, wss, type="b", xlab="Number of Clusters",
    ylab="within groups sum of squares")}
wssplot(mergeData[,-10],nc=7)</pre>
```



- 4) From the graph we can see that, within groups sum of squares is not improving after K =3
- 5) Using k=3, Let's use the **kmeans** function from R base stats package. Removing Base_Hour_Class from the feature list. Hence mergedata[,-10]

```
## Using k=3 as seen from the Bend graph
k.means.fit <- kmeans(mergeData[,-10],3)</pre>
```

6) We can see the Within cluster sum of squares by cluster percentage of 90.5% which suggests good variance in between cluster

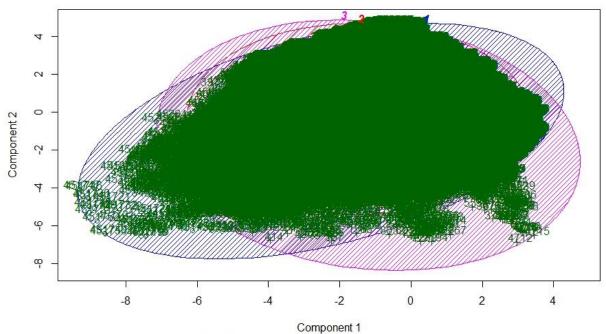
```
within cluster sum of squares by cluster:
[1] 1.500202e+09 2.977045e+12 1.524417e+12
(between_SS / total_SS = 90.5 %)
```

7) Further analyzing the results of our model, we can find out the centers of our clusters according to the feature

```
> k.means.fit$centers
 hour month Day.of.Week weekday Base_hour_Flag
                                                      Holiday area_floor._m.sqr consumption.Kwh.sqm base_hr_usage TemperatureF Dew_PointF
1 11.5 6.111233
                  4.005333 0.7137052
                                          0.2916667 0.04689749
                                                                      11986.321
                                                                                       0.012968686
                                                                                                       131.59166
                                                                                                                     44.16141 37.78187
                  4.003208 0.7145148
                                          0.2916667 0.04570970
                                                                      41339,000
                                                                                        0.006159809
                                                                                                       205.01885
                                                                                                                     45.64414
                                                                                                                                39.11011
2 11.5 6.415397
3 11.5 6.182115
                  4.005292 0.7135964
                                          0.2916667 0.04677407
                                                                       3558.796
                                                                                        0.022182093
                                                                                                        48.95188
                                                                                                                     44.27843 37.86958
  Humidity Sea_Level_PressureIn VisibilityMPH Wind_SpeedMPH WindDirDegrees
                                    5.506452
1 80.61580
                      29.90159
                                                  6.453348
                                                                177.8844
                      29.89641
                                    5.525084
                                                  6.512837
                                                                178.1044
2 80.27218
                      29.90055
                                                                178.2768
3 80, 52758
                                    5.528377
                                                  6.507188
```

- 8) We can see good separation in terms of area_floor, consumption, base_hr_usage.
- 9) Plotting the result in 2-D space would give some idea about out cluster. Since the data is huge, we will not able to analyze the cluster's well

2D representation of the Cluster solution



These two components explain 27.61 % of the point variability.

10) Plotting against our Base_Hour_Flag, we can see the below result

```
> table(mergeData[,10],k.means.fit$cluster)

1 2 3
High 162047 14099 177735
Low 121465 15829 130641
```

11) We can say from this interpretation is that, the Base_Hour_Flag is missing a cluster of records. It should be **High, Low** and maybe **Neutral (for the consumption which is equal to the base_hour_usage)**

2. Clustering (hierarchical clustering)

- K-means clustering requires us to specify the number of clusters, and finding the optimal number of clusters can often be hard. Hierarchical clustering is an alternative approach which builds a hierarchy from the bottom-up, and doesn't require us to specify the number of clusters beforehand.
- 2) Hierarchical methods use a distance matrix as an input for the clustering algorithm. The choice of an appropriate metric will influence the shape of the clusters, as some elements may be close to one another according to one distance and farther away according to another
- 3) We can use helust for this. helust requires us to provide the data in the form of a distance matrix. We can do this by using dist. By default, **the complete linkage method is used.**
- 4) Now since the data is huge, we will first transpose our data to a data matrix, and calculate the distance matrix

```
# Create transposed data matrix
data.matrix.t <- t(as.matrix(mergeData[,-10]))
# Create distance matrix
dists <- dist(data.matrix.t)</pre>
```

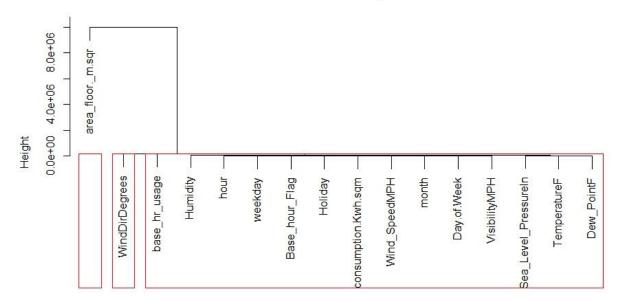
5) Now calculating the cluster

```
# Clustering
hcl <- hclust(dists)</pre>
```

6) We can draw the dendogram and see the results

```
# draw dendogram with red borders around the 3 clusters
rect.hclust(hcl, k=3, border="red")
```

Cluster Dendrogram



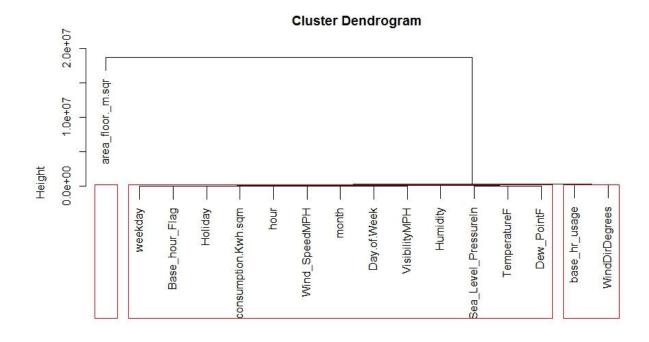
dists hclust (*, "complete")

- 7) From the hierarchical clustering we can see that, 3 clusters are formed. With area_floor again driving the cluster segmentation. WindDirDegrees a major contributor in a cluster and the rest for the third cluster
- 8) We can also use Ward's minimum variance criterion to minimizes the total within-cluster variance and plot the result

```
#We use the Euclidean distance as an input for the clusterin
H.fit <- hclust(dists, method="ward.D")

#The clustering output can be displayed in a dendrogram
plot(H.fit) # display dendogram
groups <- cutree(H.fit, k=3) # cut tree into 5 clusters

# draw dendogram with red borders around the 5 clusters
rect.hclust(H.fit, k=3, border="red")</pre>
```



dists hclust (*, "ward.D")

9) A different clustering group can be analyzed from here. Base_hr_usage now influencing the second cluster and rest remains the same. This is pretty much in alliance with our K-means clustering algorithm