CS312 - Artificial Intelligence Lab Assignment 1

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1 Introduction

The goal of this assignment is to simulate in the state space Breadth-First Search (BFS), Depth-First Search (DFS), and Depth-First Iterative-Deepening (DFID) search. An mxn grid makes up the state-space. The initial position is (0,0). The position of (*) in the grid is the desired state. Moving UP, DOWN, LEFT and RIGHT are allowed (except for boundary).

We were assigned to compare the length of the path and the number of states using different search algorithms, and also to compare these between the orders in which neighbours are added.

2 Pseudo Code

In this section pseudo code of important function/algorithms are explained.

2.1 moveGen(state)

This function takes a state as input and outputs its valid neighbours that are either path or food.

Algorithm 1 moveGen(state)

2.2 goalTest(state)

This function takes a state and return True if it the goal/food, else it returns False.

Algorithm 2 goalTest(state)

2.3 BFS - Breadth First Search

Pseudo Code of the Breadth First Search Algorithm.

Algorithm 3 BFS(initialState, goalTest)

```
1: frontier \leftarrow Queue.new(initialState)
 2: explored \leftarrow Set.new()
 3: while frontier is NOT Empty do
       state = frontier.dequeue()
 4:
       explored.add(state)
 5:
       if goalTest(state) then
 6:
          return SolutionMaze(STATE)
 7:
       end if
 8:
       for neighbour in moveGen(state) do
9:
          if neighbour not in frontier \cup explored then
10:
              frontier.enqueue(neighbour)
11:
          end if
12:
       end for
13:
14: end while
15: return FAILURE
```

2.4 DFS - Depth First Search

Pseudo Code of the Depth First Search Algorithm.

Algorithm 4 DFS(initialState, goalTest)

```
1: frontier \leftarrow Stack.new(initialState)
 2: explored \leftarrow Set.new()
 3: while frontier is NOT Empty do
       state = frontier.pop()
 4:
       explored.add(state)
 5:
       if goalTest(state) then
 6:
          return SolutionMaze(STATE)
 7:
       end if
 8:
9:
       for neighbour in moveGen(state) do
          if neighbour not in frontier \cup explored then
10:
              frontier.push(neighbour)
11:
           end if
12:
       end for
13:
14: end while
15: return FAILURE
```

2.5 DFID - Depth First Iterative Deepening

Pseudo Code of the Depth First Iterative Deepening Algorithm.

Algorithm 5 DLS(state, depth, goalTest)

```
1: if goalTest(state) then
       return SolutionMaze(State)
 2:
 3: end if
 4: if state.distanceFromSource -1 = depth then
      return Failure
 6: end if
 7: for neighbour n in state.neighbours() do
       if n not Visited OR
          n.distanceFromSource > state.distanceFromSource + 1 then
9:
          result \leftarrow DLS(nieghbour, depth, goalTest)
10:
          if result then
11:
             return result
12:
          end if
13:
       end if
14:
15: end for
16: return FAILURE
```

Algorithm 6 DFID(initailState, goalTest)

```
1: for depth from 0 to ∞ do
2: result ← DLS(initialState, depth, goalTest)
3: if result != FAILURE then
4: return result
5: end if
6: end for
```

3 Directions to run code

The code Group12.py is added the zip file Lab1_Group12.zip. To run it use the following command:

```
$ python3 <codeName>.py <inputFile.txt>
```

This will create an output.txt file which will have the required output. Please refer to readme.txt in the zip file for more information.

4 Statistical and Graphical Analysis

The following tables and graphs record path lengths and number of states explored with varying maze sizes and order of neighbors added to analyze different algorithms.

Table 1 shows the number of states explored and path length with varying mazes sizes for different algorithms using the Order: Down > Up > Right > Left.

Algorithm	Order: Down >Up >Right >Left (Cell Width = 3, Cell height = 2)				
Aigoritiiii	Horizontal Cells	Vertical Cells	No. of States Explored	Path Length	
BFS	2	2	15	10	
DFS	2	2	11	10	
DFID	2	2	80	10	
BFS	4	4	42	24	
DFS	4	4	51	26	
DFID	4	4	842	24	
BFS	6	6	113	34	
DFS	6	6	47	40	
DFID	6	6	4585	34	
BFS	8	8	225	68	
DFS	8	8	89	80	
DFID	8	8	20864	68	
BFS	10	10	327	94	
DFS	10	10	278	114	
DFID	10	10	40068	94	

Table 1: Order: Down > Up > Right > Left

Table 2 shows the number of states explored and path length with varying mazes sizes for different algorithms using the Order: Right > Left > Down > Up.

Algorithm	Order: Right >Left >Down >Up (Cell Width = 3, Cell height = 2)				
Aigoritiiii	Horizontal Cells	Vertical Cells	No. of States Explored	Path Length	
BFS	2	2	13	10	
DFS	2	2	14	10	
DFID	2	2	81	10	
BFS	4	4	42	24	
DFS	4	4	44	24	
DFID	4	4	1048	24	
BFS	6	6	111	34	
DFS	6	6	115	34	
DFID	6	6	3395	34	
BFS	8	8	226	68	
DFS	8	8	202	68	
DFID	8	8	37643	68	
BFS	10	10	325	94	
DFS	10	10	225	94	
DFID	10	10	98157	94	

Table 2: Order: Right > Left > Down > Up

Figure 1 shows the how the number of states explored changes with varying mazes sizes for different algorithms using the Order: Down > Up > Right > Left.

Number of States Explored vs Size of Maze (Order: DURL)

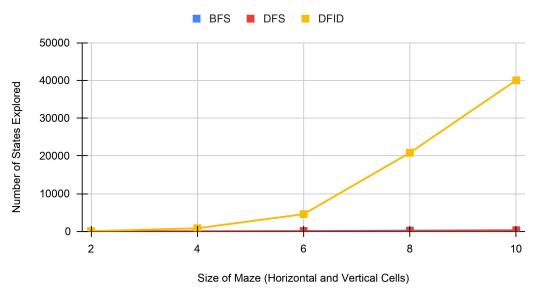


Figure 1: Order: Down > Up > Right > Left

Figure 2 shows the how the number of states explored changes with varying mazes sizes for different algorithms using the Order: Right > Left > Down > Up.

Number of States Explored Vs Size of Maze (Order: RLDU)

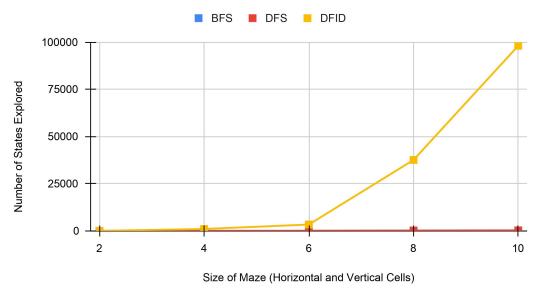


Figure 2: Order: Right > Left > Down > Up

Figure 3 shows the how the path length changes with varying mazes sizes for different algorithms using the Order: Down > Up > Right > Left.

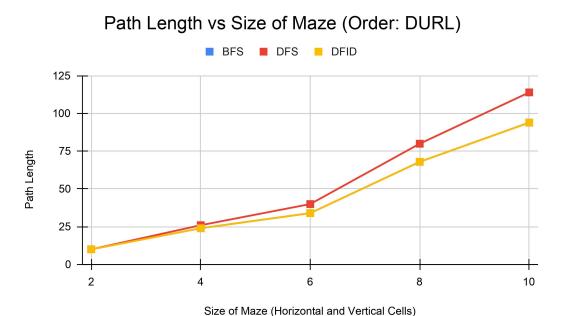


Figure 3: Order: Down > Up > Right > Left

Figure 4 shows the how the path length changes with varying mazes sizes for different algorithms using the Order: Down > Up > Right > Left.

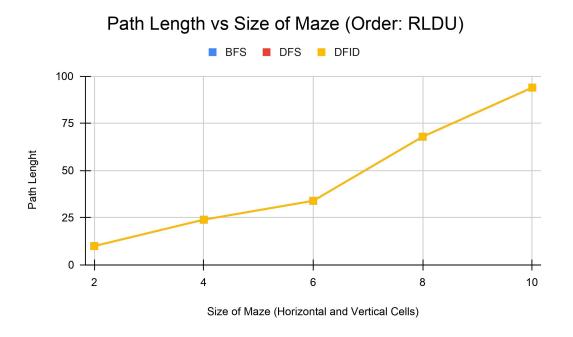


Figure 4: Order: Right > Left > Down > Up

5 Inference and Conclusion

- The path length obtained using BFS and DFID are more or less same. But DFS takes longer paths generally.
- The number of states explored by BFS and that by DFS do not differ significantly. But it is much larger when we use DFID algorithm. Since DFID tries to find the optimal path, it visits a node many times when traversing graph with cycles.
- The stats also prove that the number of states explored and the path length depend on order of traversal. But we can't always pick some order to give better results.
- DFID explores more number of states than others when the inputs are small. This can be explained by small branching factor and also the higher constant associated with the time complexity term.

The results of the dependence of number of states explored and the path length, given in the previous sections, are summarized in the table below.

Algorithm	Dependence on order of Neighbours Added			
Aigoritiiii	No. of States Explored	Path Length		
BFS	True	False		
DFS	True	True		
DFID	True	False		

Table 3: Dependence of order of Neighbours added