BSCCS2001: Mock Quiz 2 with Solutions Weeks 4 to 6

1 Objective Questions

1. Kiran was born on 19 January, 1980. His date of birth was registered in the municipal corporation database on 21 January, 1980.

Considering that the municipal corporation database is a temporal database, which among the following statements is true.

[ARUP:MCQ:2points]

- √ 19 January, 1980 is a valid time which provides historical information, whereas 21 January, 1980 is a transaction time which provides rollback information.
- 19 January, 1980 is a valid time which provides rollback information, whereas 21 January, 1980 is a transaction time which provides historical information.
- 19 January, 1980 is a transaction time which provides rollback information, whereas 21 January, 1980 is a valid time which provides historical information.
- ① 19 January, 1980 is a transaction time which provides historical information, whereas 21 January, 1980 is a valid time which provides rollback information.

Solution:

- 19 January, 1980 is time when actual event took place. Thus, it is the valid time and provides historical information.
- 21 January, 1980 is the time when event information is entered into the tamporal database. Thus, it is transaction time and provides rollback information.
- 2. Consider the relation **student_course**(student, course, instructor, textbook) with the following multivalued functional dependencies:

```
student \rightarrow \rightarrow course \\ course \rightarrow \rightarrow textbook
```

No functional dependencies are defined for the relation. Identify the appropriate 4NF decompositions for the relation.

[ARUP:MSQ:2points]

- (student, course, instructor), (instructor, textbook)
- $\sqrt{\text{(student, course)}}, \text{(student, instructor)}, \text{(textbook, course)}$

```
√ (student, instructor), (student, textbook), (student, course)

○ (student, instructor, textbook), (student, course)
```

Solution:

Since there is no functional dependency defined for the relation **student_course**, the only possible superkey is the combination of all the attributes,

Let us consider MVD: $student \rightarrow \rightarrow course$ first which is violating 4NF since studentis not a superkey and the MVD is not trivial. We can create a relation R1(student, course), which is in 4NF (since $student \rightarrow course$ trivial in **R1**). Another relation would be $\mathbf{R2}(student, instructor, textbook)$. Nevertheless, $\mathbf{R2}$ is not in 4NF, since for MVD: $student \rightarrow textbook$ (implied by the transitivity on the given MVDs), student is neither a superkey nor the MVD is trivial. Thus, we can further create another relation $\mathbf{R21}(student, textbook)$. $\mathbf{R21}$ is in 4NF, since MVD: $student \rightarrow \rightarrow textbook$ becomes trivial. Another relation **R22**(student, instructor) is already in 4NF as no FD or MVD is defined for it. Finally, the decomposed relations are: (student, course), (student, textbook), (student, instructor), which is option-3 If we start with MVD: $course \rightarrow \to textbook$ which violates 4NF, since neither courseis a superkey nor is it trivial in the given relation. Thus, we can decompose it as $\mathbf{R1}(course, textbook)$ and $\mathbf{R2}(student, course, instructor)$. Relation $\mathbf{R1}$ is in 4NF, since MVD: $course \rightarrow textbook$ becomes trivial. However, **R2** is not in 4NF, since for MVD: $student \rightarrow course$, neighber student nor the MVD is trivial. Thus, we can decompose the **R2** as: **R21**(student, course) and **R22**(student, instructor), where bot satisfies 4NF conditions. Finally, the decomposed relations are: (course, textbook), (student, course), (student, instructor), which is option-2 In option-1, (student, course, instructor) is not in 4NF, since for MVD: student $\rightarrow \rightarrow$ course neither student is a superkey nor it is trivial in the relation. In option-4, (student, instructor, textbook) is not in 4NF, since for MVD: student $\rightarrow \rightarrow$ textbook (implied by the given MVDs) neither student is a superkey nor it is trivial in the relation.

3. Consider the relational schema $\mathbf{R}(A, B, C, D)$, where the domains of A, B, C and D include only atomic values. Identify the sets of functional dependencies satisfied by \mathbf{R} such that \mathbf{R} is in BCNF.

[ARUP:MSQ:2points]

```
\checkmark FD: {ABC \rightarrow D, AD \rightarrow BC}

○ FD: {AB \rightarrow CD, CD \rightarrow B, D \rightarrow A}

\checkmark FD: {A \rightarrow B, B \rightarrow C, C \rightarrow D, D \rightarrow A}

○ FD: {AB \rightarrow D, D \rightarrow B, D \rightarrow C, C \rightarrow A}
```

Solution:

For FD: $\{ABC \to D, AD \to BC\}$, since $(ABC)^+ = ABCD$ and $(AD)^+ = ABCD$, ABC and AD are superkeys. Thus, it is in BCNF.

For FD: $\{AB \to CD, CD \to B, D \to A\}$, since $(D)^+ = AD$, D is not superkey in FD $D \to A$. Thus, it is not BCNF.

For FD: $\{A \to B, B \to C, C \to D, D \to A\}$, since $(A)^+ = ABCD$, $(B)^+ = ABCD$, $(C)^+ = ABCD$, $(D)^+ = ABCD$, A, B, C, D all are superkeys. Thus, it is in BCNF. For FD: $\{AB \to D, D \to B, D \to C, C \to A\}$, since $(C)^+ = CA$, C is not superkey in FD $C \to A$. Thus, it is not BCNF.

4. Which among the following methods of psycopg2 is/are used to execute SQL statements?

[ARUP:MSQ:2points]

```
√ cursor.execute()
√ cursor.executemany()
○ cursor.fetchall()
○ cursor.fetchmany()
```

Solution:

The methods cursor.execute() and cursor.executemany() are used to execute an SQL statement.

Whereas, cursor.fetchall() fetches all the rows and cursor.fetchmany() fetches next n (required to pass as an argument in the method) rows from a query result.

5. With reference to the E-R diagram as shown in Figure 1, which of the statements is/are correct?

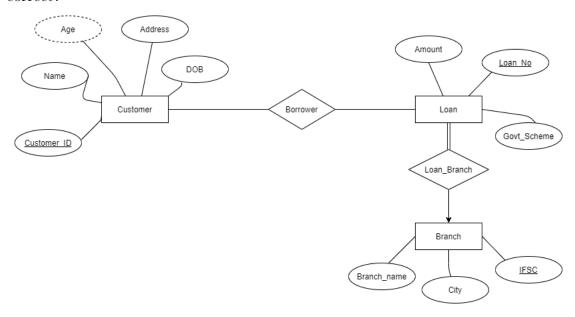


Figure 1: E-R diagram

[Piyush: MSQ: 2 points]

- Age is the multivalued attribute, and there is total participation between the Loan and Loan_Branch.
- \bigcirc Minimum 5 tables are required to represent E-R diagram in relational model.
- $\sqrt{\ }$ In the relational schema, the **Loan** table will have 4 attributes i.e., (<u>Loan_No</u>, Amount, Govt_Scheme, IFSC)
- $\sqrt{\ }$ In the relational schema, the **Borrower** table will have two attributes i.e., (Customer_ID, Loan_no).

Solution:

- Age is the derived attribute here.
- There is total participation between the **Loan** and **Loan_Branch**.
- Minimum 4 tables are required to represent E-R diagram in relational schema. i.e., Customer(Customer_ID, Name, Address, Age, DOB)

Borrower(Customer_ID, Loan_No)

Loan(Loan_No, Amount, Govt_Scheme, IFSC)

Branch(IFSC, Branch_name, City)

6. Consider a relation $\mathbf{R}(A, B, C, D, E, F, G, H, I, J)$ having functional dependencies as follows $\mathcal{F} = \{AB \to C, B \to F, D \to IJ, A \to DE, F \to GH\}$.

Then, which among the following is a lossless decomposition of **R**? [Piyush:MCQ:4 Points]

- \bigcirc R1 (A, B, C, I, J), R2 (D, E, F) and R3 (G, H, I)
- \bigcirc R1 (A, B, C), R2 (D, E, F), R3 (G, H) and R4 (D, I, J)
- $\sqrt{R1} (A, B, C), R2 (A, D, E), R3(B, F), R4 (F, G, H) and R5 (D, I, J)$
- \bigcirc R1 (A, B, C, D), R2 (D, E), R3 (B, F), R4 (F, G, H) and R5 (D, I, J)

Solution:

Option 1: R1(A, B, C, I, J), R2(D, E, F) and R3(G, H, I) is a lossy decomposition.

- $R1 \cup R2 \cup R3 = R$
- Here, R1 \cap R2 = ϕ , R2 \cup R3 = ϕ , and also R1 \cup R3 = ϕ

Option 2: R1(A, B, C), R2(D, E, F), R3(G, H) and R4(D, I, J) is a lossy decomposition.

- $R1 \cup R2 \cup R3 \cup R4 = R$
- $R2 \cap R4 = D$, by using $D \to IJ$, we can determine R4.
- But, $R1 \cap R3 = \phi$

Option 3: R1(A, B, C), R2(A, D, E), R3(B, F), R4(F, G, H) and R5(D, I, J)

- $R1 \cup R2 \cup R3 \cup R4 \cup R5 = R$
- R1 \cap R3 = B, by using B \rightarrow F, we can determine R3. Let R13 = R1 \cup R3 = (A, B, C, F)
- R2 \cap R5 = D, by using D \rightarrow IJ, we can determine R5. Let R25 = R2 \cup R5 = (A, D, E, I, J)
- Now, R13 \cap R4 = F, by using F \rightarrow GH, we can determine R4. Let R134 = R13 \cup R4 = (A, B, C, F, G, H)
- Now, R134 \cap R25 = A, by using A \rightarrow DE and D \rightarrow IJ, we can determine R25. So, given decomposition is lossless and thus option 3 is correct.

Option 4: R1 (A, B, C, D), R2 (D, E), R3 (B, F), R4 (F, G, H) and R5 (D, I, J)

• $R1 \cup R2 \cup R3 \cup R4 \cup R5 = R$

- R1 \cap R3 = B, by using B \rightarrow F, we can determine R3. Let R13 = R1 \cup R3 = (A, B, C, D, F)
- R2 \cap R5 = D, by using D \rightarrow IJ, we can determine R5. Let R25 = R2 \cup R5 = (D, E, I, J)
- Now, R13 \cap R4 = F, by using F \rightarrow GH, we can determine R4. Let R134 = R13 \cup R4 = (A, B, C, D, F, G, H)
- Now, R134 \cap R25 = D, here we cannot determine R25 or R134. So, given decomposition is lossy.

- 7. A database designer observes that a relation R is in 2NF, and has transitive functional dependencies. Relation R is then decomposed into relations R1 and R2, such that the decomposition is 3NF and lossless. Now, the designer observes that, R2 is in 3NF but not in BCNF. Relation R2 is further decomposed into R3 and R4 such that the decomposition is in BCNF, and it satisfies the following conditions:
 - $R2 = R3 \cup R4$
 - $R3 \cap R4 \rightarrow R3$

Choose the correct options.

[Piyush:MSQ:3Points]

- The decomposition of R2 into R3 and R4 is lossy.
- $\sqrt{\ }$ The decomposition of R2 into R3 and R4 is lossless.
- $\sqrt{R} = R1 \bowtie R2$
- The number of tuples in R2 is more than the number of tuples in (R3 ⋈ R4)

Solution:

- Since, the decomposition of R into R1 and R2 is lossless, then it must satisfy $R = R1 \bowtie R2$.
- From the given conditions, we can say that decomposition of R2 into R3 and R4 is lossless. Since it is lossless decomposition, The number of tuples in R2 is equal to the number of tuples in (R3 \bowtie R4) i.e., R2 = R3 \bowtie R4.

| 8. | Consider the scenario given below. | [Arup/Anjana: MCQ: 3 points] |
|----|--|--|
| | A university consists of several Person entities. | The Person entities are either of |
| | Alumnus type or Student type. However, there | is a possibility that some Person |
| | entities can be of both Alumnus and Student t | ypes. As an example, the Person |
| | might be an alumnus of the same university while a | dso pursuing a separate degree. |
| | Identify the constraints on specialization. | |

| \bigcirc | Dia | inint | and | nantial |
|------------|-----|-------|-----|---------|
| () | DIS | OHIL | and | partial |

- Overlapping and partial
- \bigcirc Disjoint and total
- $\sqrt{}$ Overlapping and total

Solution:

- As a **Person** must be an **Alumnus** or a **Student**, it is a total specialization.
- As a **Person** can be both **Alumnus** and **Student**, it is overlapping specialization.

| S1 | |
|------------|----|
| Α | В |
| A1 | B1 |
| A2 | B2 |
| A3 | В3 |
| A4 | В4 |
| A 5 | B5 |

| S2 | |
|------------|----|
| Α | В |
| A2 | B2 |
| A4 | B4 |
| A 5 | B5 |
| | |

Figure 2: Relations S1 and S2

Choose the relational algebra expression(s) that result(s) in the relation given in Figure 3.

| Α | В |
|------------|----|
| A2 | B2 |
| Α4 | B4 |
| A 5 | B5 |

Figure 3: Resulting relation

 \bigcirc S1 - S2

 $\sqrt{S1 \cap S2}$

 $\sqrt{S1} \bowtie S2$

 \bigcirc S1 × S2

Solution: The result shown in Figure 3 is the intersection between the relations S1, and S2, which is presented as $S1 \cap S2$,

and $S1 \bowtie S2$ fetch the same result set as that to $S1 \cap S2$, considering the given tables.

10. Find the equivalent SQL statement corresponding to the below relational algebraic expression :

[Dhannya/ANJANA: MCQ: 2 points]

Solution: $\sigma_{employee.dept_id=department.dept_id}(employee \times department)$ will associate employee names with the department details, on equality between employee.dept_id and department.dept_id.

 $\sigma_{dept_name='Finance'}(\sigma_{employee.dept_id=department.dept_id}(\mathbf{employee} \times \mathbf{department}))$ will select out the department of Finance.

After simplifying it, we get

 $\sigma_{employee.dept_id=department.dept_id} \wedge _{dept_name='Finance'} (\mathbf{employee} \times \mathbf{department})$

 $\Pi_{emp_name}(\sigma_{employee.dept_id=department.dept_id} \land dept_name='Finance'(employee \times department))$ will project down the employee names.

Option 1, Option 2 and Option 3 will give incorrect results, i.e., they fetch the wrong employee names.

Option 4 will give the name of only those employees who work in the 'Finance' department.

11. Let R(V, W, X, Y, Z) be a given relation with the following functional dependencies:

$$\mathcal{F} = \{V \to W, WX \to Z, YZ \to V\}$$

Then, which among the following is/are the candidate key(s)?

[Dhannya/Subendu: MSQ: 3 points]

 $\bigcirc XY$

 \sqrt{WXY}

 \sqrt{VXY}

 $\bigcirc VW$

Solution: Consider the closure of each set of attributes given in the options. We can see that the closures of options 2 and 3 contain all attributes. So, both WXY and VXY are super keys. Since both WXY and VXY are minimal, both are candidate keys.

[Piyush/Subendu: MCQ: 2 points]

| V | W | X | Υ | Z |
|---|---|---|---|---|
| b | 9 | 8 | 7 | 5 |
| 9 | b | 8 | 7 | 1 |
| b | 9 | 8 | 2 | 2 |
| b | 9 | 8 | 3 | 6 |

Figure 4: Relational instance

Which of the following functional dependencies does not hold on the given table?

- $\bigcirc V \to WX$
- $\bigcirc YZ \to X$
- $\sqrt{X \rightarrow YZ}$
- $\bigcirc WY \rightarrow Z$

Solution: A functional dependency is a relationship between attributes sets. For any relation R, if an attribute Y is functionally dependent on an attribute X, denoted by $X \to Y$, then for every instance of X, the value of X uniquely determines the value of Y.

Option 3: For $X \to YZ$, the value of X in the first tuple, 8, determines 7 AND 5. and the same value of X in the second tuple determines 7 AND 1. So, $X \to YZ$ violates the basic principles of functional dependencies. Thus, option 3 is correct.

13. In the relational schema given below, all attributes take atomic values only. $\mathbf{R}(bike_name, bike_model, bike_engine_no)$

Suppose ${f R}$ satisfies the following functional dependencies:

 $bike_name \rightarrow bike_model$ $bike_model \rightarrow bike_engine_no$ $bike_engine_no \rightarrow bike_name$

If **R** is decomposed into: **R1**(bike_name, bike_model) and **R2**(bike_model, bike_engine_no), then the decomposition is:

 $\sqrt{}$ a lossless decomposition as well as a dependency preserving one

[Subendu: MCQ: 3 points]

- O not a lossless decomposition but dependency preserving
- O a lossless decomposition but not dependency preserving
- O neither a lossless decomposition nor dependency preserving

Solution:

- $1.Attributes(\mathbf{R1}) \cup Attributes(\mathbf{R2}) = \mathbf{R}$
- $2.Attributes(\mathbf{R1}) \cap Attributes(\mathbf{R2}) \neq \phi$
- 3. bike_model is a candidate key of **R2** table

So, decomposition is lossless

$$(\mathbf{R1} \cup \mathbf{R2})^+ = (\mathbf{R})^+$$

So, dependency is preserved

14. Table S initially has ten tuples, as shown.

| Α | В | C |
|----|-----|-----|
| A1 | B1 | C1 |
| A1 | B2 | C2 |
| A1 | B3 | C3 |
| • | • | |
| • | • | • |
| • | • | |
| A1 | B10 | C10 |

Figure 5: Table S

In order to make $A \to \to B$ to be a valid multivalued dependency on **S**, what is the smallest number of tuples to be inserted into **S**? Note that attributes B and C are mutually independent.

[Bhaskar:NAT:4 points]

Ans: 90

Solution: For definition of MVD check out slide 29.9.

All values under the column B and C are unique and there are 10 tuples with repeated value (i.e. A1) under column A, therefore in order to maintain the MVD $A \rightarrow \rightarrow B$, two tuples corresponding to t3, t4 has to be added for every pair (t1, t2) of tuple present in the table.

Number of ways one can choose a pair of tuples from among the given $10 = {}^{10}C_2$ Now, for every pair t1, t2 we are adding two more tuples t3, t4.

Therefore, total number of newly added tuples = ${}^{10}C_2 \times 2 = 90$.

15. Consider the relation $\mathbf{R}(M, N, O, P, Q)$ with the functional dependency set $\mathcal{F} = \{N \to P, Q \to M, OP \to Q, M \to NO\}.$

Choose all the correct statement(s) among the following.

[Bhaskar:MSQ:3 points]

- \bigcirc **R** is in BCNF and all dependencies in \mathcal{F} are preserved on **R**.
- \bigcirc If **R** is decomposed into 3NF (but not BCNF) then all dependencies on **R** can not be preserved.
- () R can be decomposed into BCNF such that all dependencies are preserved.
- $\sqrt{\ }$ If **R** is decomposed into BCNF then all dependencies on **R** can not be preserved.

Solution: Candidate keys of $\mathbf{R} = M$, Q, OP, ON.

So all the attributes are prime and hence we can infer that the relation is in 3NF. Also we can see that all the functional dependencies in \mathcal{F} is applicable on \mathbf{R} so \mathbf{R} is a relation which is in 3NF and it is also retaining all the dependencies.

But **R** is not in BCNF since in $N \to P$ the left hand side i.e. N is not a superkey. In order to make it BCNF we have to decompose the table further into : $\mathbf{R1}(M,N,O,Q)$ and $\mathbf{R2}(N,P)$.

But in such a decomposition the functional dependency $OP \to Q$ is lost, so dependencies are not preserved.

Therefore option D is the correct choice.

16. Consider a relation $\mathbf{R}(I, J, K, L, M, N)$ with the following set of functional dependencies.

$$\mathcal{F} = \{IK \to N, L \to MN, JK \to L, KN \to JL, IKL \to J, KM \to IN\}$$

From among the following options, choose all the sets of functional dependencies which serve as canonical covers of \mathcal{F} on \mathbf{R} .

[Bhaskar:MSQ: 4 points]

$$\bigcirc \mathcal{F}_{\mathcal{C}} = \{L \to MN, JK \to L, KM \to I, KM \to N\}$$

$$\checkmark \mathcal{F}_{\mathcal{C}} = \{L \to MN, JK \to L, KM \to I, IK \to N, KN \to J\}$$

$$\bigcirc \mathcal{F}_{\mathcal{C}} = \{L \to MN, JK \to L, KM \to IJ, IK \to J\}$$

$$\checkmark \mathcal{F}_{\mathcal{C}} = \{L \to MN, JK \to L, KM \to I, IK \to J, KN \to L\}$$

Solution: Refer slide 24.15, 24.16 for the algorithm to find canonical cover.

17. Pseudo-transitivity is a derived Armstrong's axiom. From among the options, select those basic Armstrong's axiom(s) which are used to derive the pseudo-transitivity axiom.

[Bhaksar:MSQ: 2 points]

- O Composition Axiom
- O Decomposition Axiom
- √ Transitivity Axiom
- √ Augmentation Axiom

Solution: Transitivity and augmentation axiom is used to derive pseudo-transitivity axiom.