
```
%
=====
% AUTHOR ..... [Lishan Huang]
% UPDATED .... [Jan 15]
%

expTaylorPoly function

expTaylorPoly.m

%
=====
% AUTHOR ..... [Lishan Huang]
% UPDATED .... [Jan 15]
%
% Evaluate the truncated Taylor series for exp(x) about the point x0 =
0
%
% INPUT
% x .... Vector of values to evaluate the Taylor polynomial at
% n .... Integer of last term to evaluate in Taylor polynomial
%
% OUTPUT
% T : Evaluated Taylor polynomial at points given by x degree n
%
=====
function T = expTaylorPoly(x, n)
% Initialize sum as 0
T = 0;
% Loop over terms in series
for k = 0:n
    T = T + x.^k / factorial(k);
end
end
```

expHorner function

expHorner.m

```
%
=====
% AUTHOR ..... [Lishan Huang]
% UPDATED .... [Jan 15]
%
% Evaluate exp(x) about the point x0 = 0 using Horner's method
%
% INPUT
% x .... Vector of values to evaluate the Taylor polynomial at
% n .... Integer of last term to evaluate in Taylor polynomial
```

```

%
% OUTPUT
% H : Evaluated Taylor polynomial at points given by x degree n
%
=====
function H = expHorner(x, n)
% Initialize sum as 0
H = 1;
for k = n:-1:1
    H = 1 + x.* H/k;
end
end

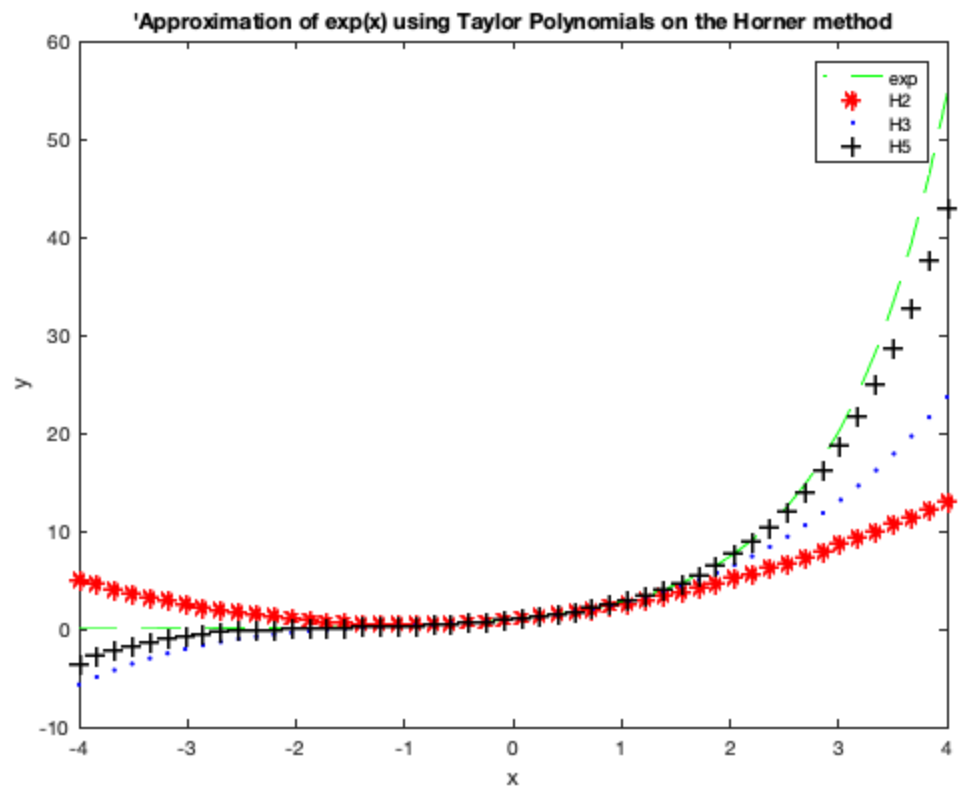
```

Script

```

%The following is a code that Plotted the approximates of exp(x) on
the
%Horner method and use exp function directly
clf;
close all;
clear all;
%50 equally-spaced x values between -4 and 4
x = linspace(-4,4,50);
%Evaluate exp(x)
e=exp(x);
%Evaluate the exp(x) Taylor Polynomial on the Horner method in at n =
2
H2 = expHorner(x,2);
%Evaluate the exp(x) Taylor Polynomial on the Horner method at n = 3
H3 = expHorner(x,3);
%Evaluate the exp(x) Taylor Polynomial on the Horner method at n = 5
H5 = expHorner(x,5);
% Plotting the approximates of exp(x)
plot(x,e,'--g',x,H2,'*r',x,H3,'.b',x,H5,'+k')
% add the legend to the graph
legend('exp','H2','H3','H5')
% add the label of the graph
title('Approximation of exp(x) using Taylor Polynomials on the Horner
method')
xlabel('x')
ylabel('y')

```



Published with MATLAB® R2017b