# numpy data types & file operations

### array review (mostly)

- import numpy as np to gain access to numpy functions/modules/objects with np.something
- generating array:
  - from a list np.array([1, 2, 3]), or tuple np.array((1, 2, 3))
  - o np.arange(), np.zeros(), np.ones(), np.random.random()
  - by combining multiple lists, tuples or arrays:

```
a = [1, 2, 3]
b = 4, 5
c = np.array([6, 7, 8])
d = np.concatenate([a, b, c])
```

- indexing:
  - single value: d[0] d[1] d[-1] d[10] d[8]
  - fancy indexing: integer and boolean

```
a = np.arange(10)
b = a > 5 # boolean indices
```

- use np.where() to get integer indices from boolean indices
- o i = np.where(a > 5) # returns tuple of integer indices, one per dimension
- o i = np.where(a > 5)[0] or i, = np.where(a > 5) pulls out integer indices into first dimension
- vectorized math operators (+, -, \*, /, \*\*) and comparitors (==, >, <, !=)</li>
  - o a = np.array([True, False, False])
  - o b = np.array([True, True, False])
  - normal boolean logic operators ( and , or , not ) don't work as vectorized operators on arrays
    - e.g., a and b gives an error
    - instead us vectorized boolean operators & , | , ~
    - e.g. a & b and a | b and ~a and ~b work as you would expect
  - are all values in a True? a.all() or np.all(a)
  - are any values in a True? a.any() or np.any(a)
- common array math methods: a.max(), a.min(), a.ptp(), a.sum(), a.mean(), a.std()
- how can we shift all these values to have zero mean and a standard deviation of 1?

```
a -= a.mean() # now mean is very close to 0
a /= a.std() # now std is also very close to 0
```

- a.sort() sorts in place, b = np.sort(a) creates a sorted copy of a
- np.diff() finds the difference between consecutive values in a
  - o e.g., np.diff([1, 4, 2, -3]) gives np.array([3, -2, -5])

### more array exercises:

- 1. Create an array a of 10 random numbers that range from 0 to 10 at most
- 2. Create an array b that has only the 2nd, 5th and 8th entries in a (one line of code!)
- 3. Create an array c that has only the values in a greater than 5
- 4. Use np.where() to get the integer indices of where a is greater than 5.
- 5. Check that all the values in c really are > 5 (one line of code!)
- 6. Create an array d of 10 random numbers that range from -1 to 1 at most
- 7. Create an array e that only has the values in d that fall between -0.5 and 0.5
- 8. Check that all the values in e really are between -0.5 and 0.5 (one line of code!)
- 9. Create an array f that has all the values of both a and d. How long do you expect it to be? Check its length.
- 10. Sort the values in f in-place. Use np.diff() in one line of code to check that f really is sorted.

### deciding between lists and arrays:

- use a list when:
  - have heterogenous data types you want to store together in a sequence
  - you don't know in advance how many entries you'll need
  - want to easily add and remove items to/from it
  - don't have to store a very large number of items, memory use isn't an issue
  - don't have to do vectorized operations on the sequence, e.g. adding two of them together
- otherwise, use an array!
- very typical use case: collect data points one by one and append them to an empty list, then convert that list to an array at the very end

```
a = []
for i in range(10):
    a.append(2*i)
a = np.array(a)
```

#### memory

- what's system memory (RAM)? computer's working memory (random access memory)
- · what's a byte? 8 bits
- · what's a bit?
  - a Blnary digIT, numeric symbol for counting in base 2, can be 0 or 1
  - decimal digit: numeric symbol for counting in base 10, ranges 0 to 9
- different numeric values are expressed using different combinations of bits
  - 1 byte, 8 bits allow for 2\*\*8 = 256 different numeric values to be expressed
  - 00000000, 00000001, 00000010, 00000011 ... == 0, 1, 2, 3, ...
- how much memory does my array use, in bytes?
  - o a.nbytes
  - memory use depends on the number of elements in the array, times the size of each element

- element size depends on the data type (dtype) of the array a.dtype
- o for 1D arrays: a.nbytes == len(a) \* a.dtype.itemsize

### array data type (dtype)

- there are subtypes of both int and float, these hold across programming languages, super important!
- integers: unsigned and signed
  - unsigned integers are always >= 0, signed integers are symmetric around 0
    - n = 2\*\*nbits is the number of unique integers that can be represented by an integer data type:
    - unsigned integers range from 0 to n-1
    - signed integers range from -n/2 to n/2-1
    - so, the bigger the integer data type (in bits and therefore bytes ( nbytes = nbits / 8 ), the more integer numbers it can represent
  - o data subtypes are name by their size in bits
  - o unsigned: np.uint8, np.uint16, np.uint32, np.uint64 use 1, 2, 4 and 8 bytes
  - o signed: np.int8, np.int16, np.int32, np.int64 use 1, 2, 4 and 8 bytes
  - can calculate max/min values of each int dtype, or use np.iinfo(),
    - e.g. np.iinfo(np.int8)
      - access results using .max and .min attributes
  - init arrays to the desired data type by using the dtype kwarg:
    - a = np.zeros(5, dtype=np.uint8) smallest unsigned int
    - b = np.zeros(5, dtype=np.int8) smallest signed int
  - integer overflow when assigning values:
    - a[0] = 255 is fine, but a[0] = 256 and a[0] = -1 both "overflow" (wrap around)
    - b[0] = 127 is fine, but b[0] = 128 overflows
    - b[0] = -128 is fine, but b[0] = -129 overflows
  - gotcha: integer overflow when doing in-place integer math:
    - a = np.zeros(5, dtype=np.uint8)
    - a += 255 is fine, but then another a += 1 isn't
  - when doing normal (not in-place) int math, numpy gives the result in the next biggest dtype if it won't fit in the existing dtypes
    - a[0] = 200, b[0] = 100, a + b gives result as int16 dtype
  - when to use signed or unsigned? depends on your data, if in doubt, use signed!
  - how much memory (in bytes) would a = np.zeros(10000000000, dtype=np.uint8) use? what would happen if I tried this on my 16 GB laptop? MemoryError
- floats: always signed, and made of mantissa \* 10^exponent, e.g. 1.23456789e02
  - some bits that make up a float are used for the mantissa, some for the exponent
  - bigger float data types have greater resolution (mantissa) and greater range (exponent), but use more memory
  - o np.float16, np.float32, np.float64 use 2, 4 and 8 bytes. Is there a np.float8?
    - a = np.zeros(5, dtype=np.float16) uses 5\*2 bytes of memory

- float overflow:
  - a[0] = 60000 is fine, but a[0] = 70000 isn't (results in inf)
  - same for negative values
- to get max/min/resolution of a float dtype, use np.finfo()
  - e.g. np.finfo(np.float16) gives finfo(resolution=0.001, min=-6.55040e+04, max=6.55040e+04, dtype=float16)
  - access results using .max , .min and .resolution attributes
  - note that resolution refers to the mantissa, not of the full mantissa + 10^exponent
    - np.float16(1.23456789e4) gives 12344.0
    - np.float16(1.23456789) gives 1.234
    - np.finfo(np.float16).tiny gives 6.104e-05, the smallest representable value
- special values:
  - np.inf and np.nan, i.e. "infinity" and "not a number"
    - np.inf is used to represent out of range float values
    - np.nan is used to represent invalid float values, like np.sqrt(-1)
    - inf is signed (can be +/-), but nan has no sign
    - doing any math involving inf or nan always results in another inf or nan
    - np.inf + np.nan gives np.nan
    - comparing nan to anything, even itself, returns False, have to use np.isnan()
- numpy arrays default to the biggest dtypes, either np.float64 or np.int64:
  - $\circ$  a = np.array([1, 2, 3]), a.dtype gives int64
  - $\circ$  b = np.array([1.1, 2.2, 3.3]), b.dtype gives float64
  - initialize arrays to the desired data type by using the dtype kwarg:
  - o a = np.zeros(10, dtype=np.int8)
  - o b = np.zeros(10, dtype=np.int64)
  - c = np.zeros(10, dtype=np.float64)
  - o calculate how much memory a, b and c should use, then check it using .nbytes
- special case: bool dtype
  - uses one byte per entry, just like int8 and uint8
  - o b = np.array([True, False, False])
  - b.dtype, b.nbytes
  - could this be more efficient? yes, bool arrays could use single bits instead of a full byte for each value, but normal computers allocate memory no finer than a single byte
- typecasting: convert from one dtype to another
  - using the dtype as a function
  - $\circ$  a = np.array([1, 2, 3]) has a.dtype of int64
  - o np.float64(a) converts a to dtype float64
    - very similar to basic Python: float(val)
  - $\circ$  a = np.array([1.1, 2.2, 3.3]) has a.dtype of float64
  - onp.int64(a) converts a to int64 dtype, but it truncates!
    - very similar to basic Python: int(val)

- use np.int64(np.round(a)) to round to the nearest integer instead
- usually only need to worry about int vs. float dtype, stick to the defaults int64 and float64, which support astronomical numbers and high precision
  - only consider going down to smaller dtypes if you have lots of data and not enough memory on your machine
- take care when typecasting (converting between dtypes)!
  - especially from larger dtypes to smaller dtypes, and especially from floats to ints
  - a number that can be represented in one data type might not be possible to represent in another
  - o dramatic example: Ariane 5 1996 failure
    - code adapted from Ariane 4 tried to convert a large float64 to int16, resulted in integer overflow, caused computer to think it was suddenly way off course, tried to correct by rapidly changing direction, high G-forces, disintegration. Cost: \$370M

## numeric data type exercises:

- 1. Create a sequence (tuple or a list) with the following entries: 3, 5, 1.7, -2.7, 1e2, -50.
  - i. What are the data types of the individual values?
  - ii. What do you predict will happen if you convert this sequence to an array? What will the array's dtype be? How much memory will it use (in bytes)?
  - iii. Now check your predictions. Convert the sequence to an array and check both its .dtype and its .nbytes .
- 2. You have integer data whose values span -2 to 2. Normally, you would use an integer array with numpy's default int64 dtype to store this data. But, the dataset is huge (1.5 billion entries) and your laptop only has 4 GB of RAM.
  - i. How much memory would your data take up if you used the default integer dtype in numpy?
  - ii. Should you use an int or float dtype? Signed or unsigned?
  - iii. What would be the optimal dtype to minimize the amount of memory used by your dataset? Will it fit into your 4 GB of RAM?
- 3. Repeat question 2. for integer values that span 0 to 10000.
- 4. Repeat question 2. for integer values that span -1 to 50000.
- 5. Repeat question 2. for float values that span -60000 to 60000.