

ORTOGONALIZACIÓN.

Del modelo $y = b_0 + b_1 \log(x)$.
 $N = \text{length}(y)$, function $[] = \dots(x, y)$ *
 $A = [\text{ones}(N, 1), \log(x)'] \rightarrow A[\text{modelo}]$
 $\text{mat} = A' * A$
 $\text{vec} = A' * y$
 $\text{sol} = \text{mat} \backslash \text{vec}$.

Del modelo $y = C * \exp(-x) + D * \exp(-2x)$.

$N = \text{length}(y)$,
 $A = [\exp(-x)', \exp(-2*x)']$

$\text{mat} = A' * A$

$\text{vec} = A' * y$

$\text{sol} = \text{mat} \backslash \text{vec}$.

$x_1 = \text{linspace}(x(1), x(\text{end}));$

$y_1 = \text{sol}(1) * \exp(-x_1) + \text{sol}(2) * \exp(-2 * x_1);$

$\text{plot}(x, y, '*', x_1, y_1)$.

metes a x, y como vector (los declaras).
 $x = [\dots]$, $y = [\dots]$

LINEALIZACIÓN.

Del modelo $y = mx + b \rightarrow y = b + mx$,
 $y = a_0 + a_1 x$

$N = \text{length}(x)$;

$\text{mat} = [N \quad \text{sum}(x);$
 $\quad \text{sum}(x) \quad \text{sum}(x.^2)]$

$\text{vec} = [\text{sum}(y); \text{sum}(x.*y)]$

$\text{sol} = \text{mat} \backslash \text{vec}$.

$x_1 = \text{linspace}(x(1), x(\text{end}));$

$y_1 = \text{sol}(1) + \text{sol}(2) * x_1;$

$\text{plot}(x, y, '*', x_1, y_1)$.

Del modelo $P = b * \exp(ax)$.

$N = \text{length}(x)$;

$\text{mat} = [N \quad \text{sum}(x);$
 $\quad \text{sum}(x) \quad \text{sum}(x.^2)]$

$\text{vec} = [\text{sum}(\log(y)); \text{sum}(x.*\log(y))]$

$b = \exp(\text{sol}(1));$

$x_1 = \text{linspace}(x(1), x(\text{end}));$

$y_1 = b * \exp(\text{sol}(2) * x_1);$

$\text{plot}(x, y, '*', x_1, y_1)$.

Del modelo $f(x) = a_1 + a_2 * \exp(x) +$
 $a_3 * x * \exp(x)$.

$n = \text{length}(x)$.

$A = [\text{ones}(n, 1), \exp(x)', (x.*\exp(x))']$

$\text{mat} = A' * A$

$\text{vec} = A' * y$

$\text{sol} = \text{mat} \backslash \text{vec}$.

Dadas cantidades:

0 0.25 1 2 3 4 5 6 7 8
7.5 5.3 5.6 11.9 21 40 64 90 125 155 = dat

$x = \text{dat}(1, :); \rightarrow \text{datos de } x$

$y = \text{dat}(2, :); \rightarrow \text{datos de } y$

$n = \text{length}(x)$

$A = [\text{ones}(n, 1), (x.^2)', \exp(-x)']$

$\text{mat} = A' * A$

$\text{vec} = A' * y$

$\text{sol} = \text{mat} \backslash \text{vec}$

$a = \text{sol}(1); b = \text{sol}(2); c = \text{sol}(3);$

$x_1 = \text{linspace}(x(1), x(\text{end}));$

$y_1 = a + b * x_1.^2 + c * \exp(-x_1);$

$\text{plot}(x, y, 'o', x_1, y_1), \text{grid}$.

Del modelo $y = ax^b$

$N = \text{length}(y)$;

$\text{mat} = [N \quad \text{sum}(\log(x));$
 $\quad \text{sum}(\log(x)) \quad \text{sum}(\log(x).^2)]$

$\text{vec} = [\text{sum}(\log(y)); \text{sum}(\log(x) * \log(y))]$

$\text{sol} = \text{mat} \backslash \text{vec}$.

$b = \exp(\text{sol}(1))$

$x_1 = \text{linspace}(x(1), x(\text{end}));$

$y_1 = b * x_1.^{\text{sol}(2)};$

$\text{plot}(x, y, '*', x_1, y_1)$.

Modelo hiperbólico.

$N = \text{length}(y)$;

$\text{mat} = [N \quad \text{sum}(1./x);$
 $\quad \text{sum}(1./x) \quad \text{sum}(1./(x.^2))]$

$\text{vec} = [\text{sum}(1./y); \text{sum}(1./(x.*y))]$

$\text{sol} = \text{mat} \backslash \text{vec}$.

$x_1 = \text{linspace}(x(1), x(\text{end}));$

$y_1 = x_1 ./ (\text{sol}(2) + \text{sol}(1) * x_1);$

$\text{plot}(x, y, 'o', x_1, y_1)$.