12-2 Notes - When Friding the double integral of a curre underseath a recrangle, we know  $\iint_{R} F(x,y) dy dx = \lim_{n \to \infty} \sum_{j=1}^{\infty} F(x_{ij}, y_{ji}) \Delta A_{ij}$ to Fus the area inderneath a curve within a non-rectangular region D,  $F(x, y) = \begin{cases} F(x, y) & \text{if } (x, y) \in D \\ 0 & \text{if } (x, y) \in R \notin D \end{cases}$ Oct he to find areas of non-rectangular reglans, bethe limits of integration as  $\int_{D}^{\infty} f(x, y) dA = \int_{a}^{b} \int_{g(x)}^{g(x)} f(x, y) dy dx$   $\int_{D}^{\infty} \frac{f(x, y) dA}{\int_{g(x)}^{g(x)}} \int_{g(x)}^{g(x)} \frac{f(x, y) dy}{\int_{g(x)}^{g(x)}} \frac{f(x, y) dy}{\int_{g(x)}^{g(x)}} \int_{g(x)}^{g(x)} \frac{f(x, y) dy}{\int_{g(x)}^{g(x)}} \frac$ ( F(x, y)) A= 1 / f(x, y) bx by

D= \( \langle (\alpha, \eta) \rangle \langle \