

THE COOPER UNION FOR THE ADVANCEMENT OF SCIENCE AND ART  
ALBERT NERKEN SCHOOL OF ENGINEERING

# **Pancancer Analysis to Bridge the Gap between Metabolomics and Transcriptomics through Machine Learning**

By

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A thesis submitted in partial fulfillment of the requirements for the degree of  
Master of Engineering

Advisors

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THE COOPER UNION  
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## **Abstract**

In this paper, we present the brand-new concept of in silico metabolomics. The idea is that metabolomics data can be imputed through computational methods from already available RNA expression data. We show that LASSO regression can effectively predict metabolomics using transcriptomics data under sparsity condition given that the relationship is linear. We validate the importance of this prediction by demonstrating the importance of metabolomics data to immune profiling, and thus potentially to immunotherapy. We first analyze kidney cancer data and generalize our findings to pan-cancer data, including breast cancer, colon cancer, liver cancer, ovarian cancer, prostate cancer, and lymphoma to identify previously unknown potential relationships between metabolites and genes.

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## Introduction

Genomics and transcriptomics are one of the most wildly studied topics in bioinformatics to date. As they play an important role on cellular reproduction, genes and transcriptomes are known to encode all necessary biological instruction and information to form a human. The richness of the dataset is useful when it comes to cancer treatment especially given that genomic sequencing yields us expression levels of 30,000 different genes in the microbiome. For instance, genomic profiling of a cancer sample could tell us specific information about cancer beyond typical types. It is used not only to classify whether a sample is normal or tumor, but also whether a kidney cancer is clear-cell renal cell carcinoma (ccRCC) or chromophobe renal cell carcinoma, a rarer type. Genomics and transcriptomics data are one of the crucial pieces of information that is collected and analyzed for cancer patients. For example, transcriptomics is often used to profile immune signatures through a pipeline called single sample Gene Signature Enrichment Analysis (ssGSEA). ssGSEA imputes immune profile based on transcriptomics data. This profile ultimately helps the decision making of individualized targeted immune treatment.

Given the background, we would like to focus on proposing two arguments in this paper: first, to show the potentials of using metabolomics data to enrich information about potentially targetable immune reactions; second, to prove metabolomics data is reasonably imputable with transcriptomics data. In doing so, we would like to highlight the importance of tying metabolomic analysis to immune signatures to reveal the underlying metabolomic mechanisms for immunosuppression. We would also like to demonstrate that we can

potentially collect metabolomic data without mass spectrometry by using transcriptomics data, which are already available.

To demonstrate the feasibility of the two arguments, we will use the metabolomics data to predict immune signatures and use transcriptomic data to predict metabolite levels in this paper. We will demonstrate that this analysis is possible mainly through ccRCC samples, but will show that is possible for all types of cancer including breast cancer (BrCa), colon cancer (COAD), lymph cancer (DLBCL), liver cancer (HCC), ovarian cancer (OV), and prostate cancer (PRAD). We will use different techniques ranging from univariate correlational analysis, to more complicated models like LASSO regressors and random forest regressors to identify which metabolites and immune signatures are predictable and which metabolites and genes are important in making such decisions.

## **Table of Nomenclature**

Keyword: Pancancer, Multiomics, Machine Learning

### 1. Pancancer Analysis

- a. BrCa – Breast Cancer
- b. COAD – Colon Adenocarcinoma (Colon Cancer)
- c. DLBCL - Diffuse large B-cell lymphoma
- d. HCC – Hepatocellular Carcinoma (Liver Cancer)
- e. OV – Ovarian Cancer
- f. PRAD – Prostate Adenocarcinoma
- g. ccRCC – Clear Cell Renal Cell Carcinoma

### 2. Multiomics

- a. Metabolomics – Study of metabolites within a batch cell
- b. Genomics – Study of which Genes exist in DNA
- c. Transcriptomics – Study of the expression level of genes in RNA in the process of transcription

### 3. Immunotherapy

- a. Immunosuppression – Indication of low immune activity
- b. Immunoinhibition – Indication of high immune activity

### 4. Data Collection and Processing

- a. Mass Spectrometry – Separation of substance through its chemical properties
- b. RNA-seq – Technology to sequence Genes and Transcriptomes from cells

## **Background Study**

### **1. Cancer treatment through immunotherapy**

There are various practices to cure, shrink or stop the progression of a cancer. Some of the forms include, surgery, chemotherapy, radiation therapy, immunotherapy, hormone therapy, targeted drug therapy, clinical trials and so forth. Among these, the hot potato now is immunotherapy. Immunotherapy tries to educate the immune system to recognize and attack specific cancer cells, boost immune cells to help them eliminate cancer. The characteristics are that immunotherapy can work on many different types of cancer in addition to traditional forms of treatments, may be effective at preventing recurrence, and that it has different side effects compared to other treatments.

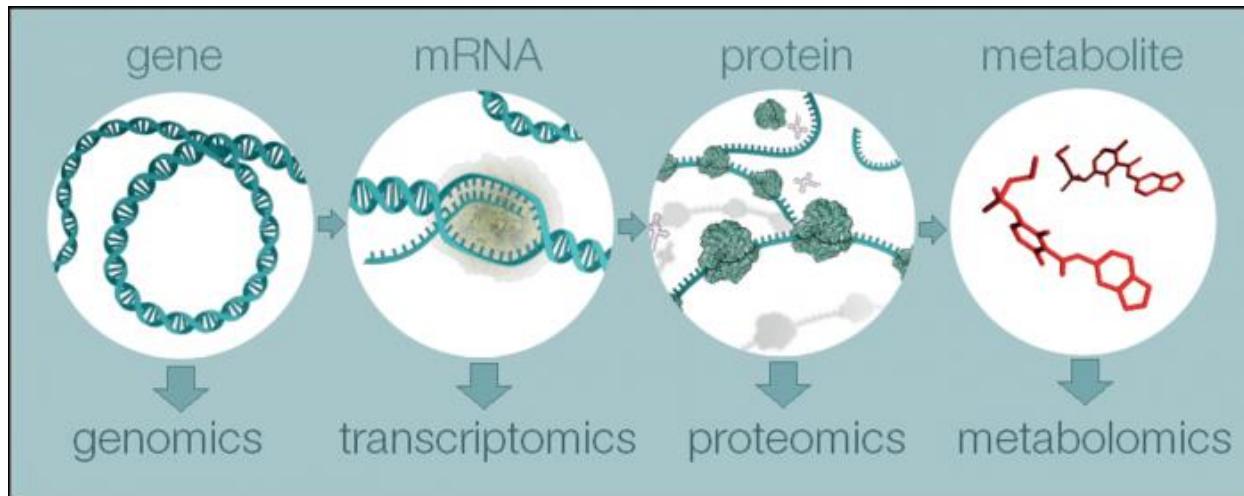
Immunotherapy enables the immune system to recognize and target cancer cell, thus could be effective to multiple cancer types at the same time. There are 21 different cancer types that are being treated using immunotherapy including bladder cancer, brain cancer, breast cancer, cervical cancer, childhood cancer, colorectal cancer, esophageal cancer, head and neck cancer, kidney cancer, leukemia, liver cancer, lung cancer, lymphoma, melanoma, multiple myeloma, ovarian cancer, pancreatic cancer, prostate cancer, sarcoma, skin cancer, and stomach cancer. Immunotherapy has been an effective treatment for patients that have been resistant to chemotherapy and radiation treatment.

Cancer immunotherapy offers the prevention of long-term cancer remission, because immune system can remember cancer cells. Clinical studies on long-term overall

survival have shown that the beneficial responses to cancer immunotherapy treatment are durable – that is, they may be maintained even after treatment is completed.

Immunotherapy has different side effects from chemotherapy and radiation. Since immunotherapy is focused on the immune system, it has different side effects. The side effects vary according to each therapy and how it interacts with the body. Conventional cancer treatment like chemical or radiological therapy include hair loss and nausea. Potential side effects to an overstimulation or misdirection of immune system may range from minor symptoms of inflammation to major conditions like autoimmune disorders.

## 2. Multi-omics analysis



*Figure 1. Category of common fields in Multiomics*

There are largely four divisions in the study of multi-omics: genomics, transcriptomics, proteomics, and metabolomics. Genomics is the study of DNA and genetic information within a cell, transcriptomics is the study of RNA and differences in mRNA expression, metabolomics is the study of substrates and products of metabolism which are influenced by both genetic and environmental factors. Examples of metabolites include glucose (a sugar), glutamine (an amino acid), cholesterol (a lipid), and stearic acid (a fatty acid).

DNA forms a double helix shape, where each of the helix forms a helix during transcription. Genes are sequence of base pairs located within the DNA or RNA. Most genes are the same in all people, but a small number of gene (less than 1 percent of the total) are slightly different between people. Alleles are forms of the same gene with small mutations in their sequence of RNA bases. These small differences contribute to each person's unique physical features. Transcriptomics is a quantification of how much each of the genes are

expressed or inhibited during transcription, a process in cell replication to form two DNAs from one.

The reason why this multiomics study works is because we go from a dataset with particularly rich feature set to a fewer one. For instance, the usual number of genes recorded are in the range of tens of thousands, whereas the number of metabolites measured almost never exceeds a thousand. Also, the reason why it is important to study metabolomics tied with genomics is because a lot of different disease share these genomic and metabolomic pathways. In this study we are will be dealing with three feature sets in total, one with metabolomics, one with transcriptomics, and one with immune profiles imputed from the genomics data.

### 3. Measuring level of Metabolites

Mass spectrometry either through liquid or gas chromatography and nuclear magnetic resonance are the two ways to measure levels of metabolite. The most common practice is to collect data through mass spectrometry. The basic principle behind the technology is that there is a given boiling point and mass to charge ratio for all biological compounds and we could use these properties to identify them. In gas chromatography, metabolites are boiled and accelerated through a weak electric field through a long chamber filled with inertial gas. The time it takes for each metabolite to reach the other end of the chamber varies as each of them has different boiling points and mass to charge ratio. In the entire process inertial gas act as a solvent to hinder the progression of solutes to increase the spatial separation between the particles. At the end, the intensity of particle coming out on the other end of the pipe is measured and recorded as in the Figure 2. Each of the peaks in the figure identify a metabolite.

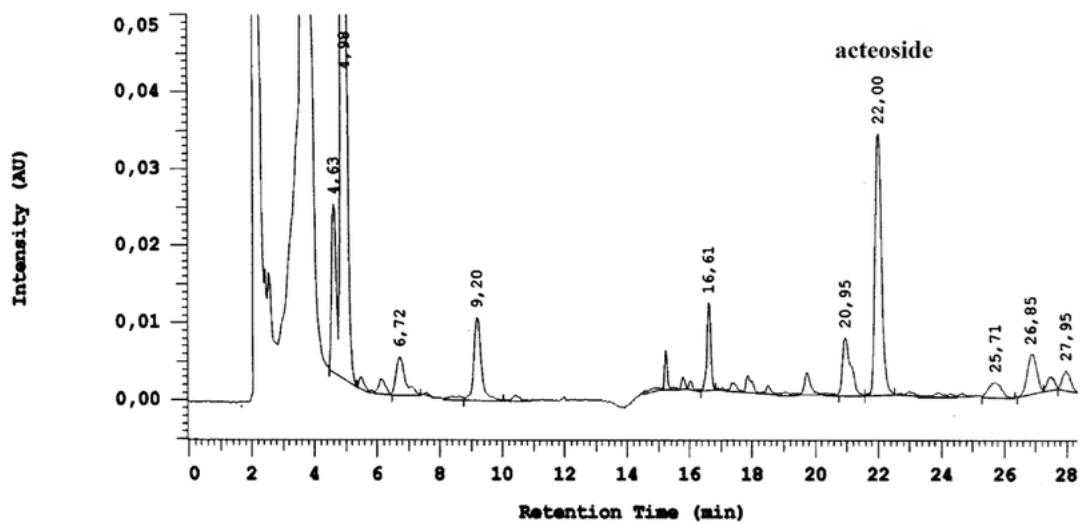
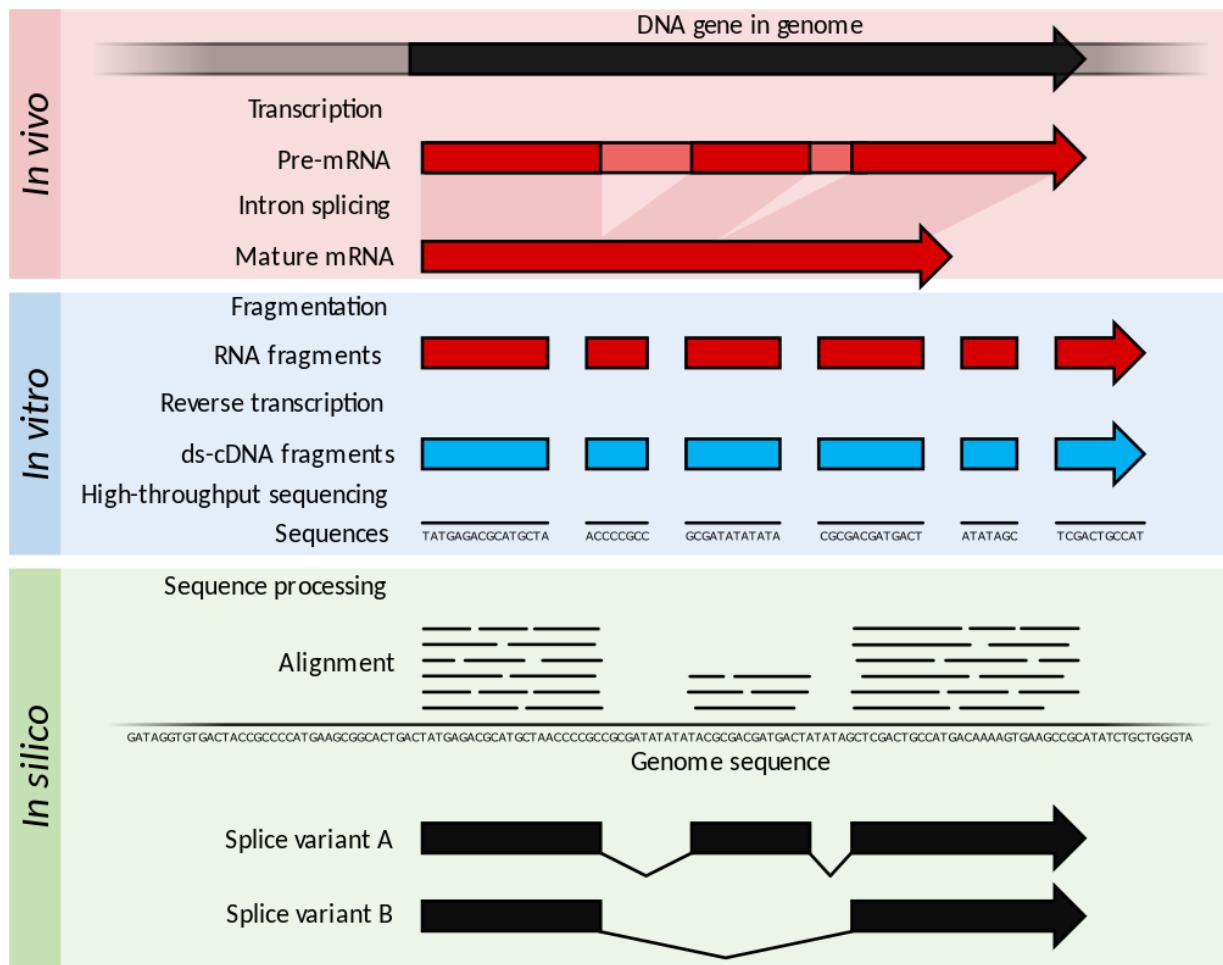


Figure 2. Sample Chromatogram

#### 4. Measuring Genomics and Transcriptomics



*Figure 3. RNA-seq processing pipeline*

The modern technology that allows us to seamlessly gather gene expression level is called RNA-seq. The modern-day RNA-seq is done largely in three steps: *in vivo*, *in vitro*, and *in silico*. *In vivo* means within living things, *in vitro* inside a glass, and *in silico* through computation.

*In vivo*, DNA undergoes transcription, where the double helix shape unzips into pairs of helices. After this stage, the RNA undergoes intron splicing and becomes a mature mRNA, messenger RNA. *In vitro*, these mRNAs are fragmented into smaller segments.

These mRNA fragments are reverse transcribed into ds-cDNA fragments and measured through high-throughput sequencing. The resulting fragments of sequence are collected in text form. In silico, the fragments of sequences are aligned to a known reference genome through dynamic programming. This data can be annotated to where expressed genes are and what their relative expression levels are.

## **5. What is special about this data?**

Most metabolomics research is done on a few specific target metabolites. This study was an untargeted metabolomics experiment as opposed to targeted metabolomics. Instead of looking to validate a specific biochemical hypothesis, we were looking for potentially targetable pathways for immunotherapy. One advantage of untargeted metabolomics study is that we have access to the full picture of the metabolomic interaction within the microenvironment.

We also have data over multiple studies and across different cancer types. So we can compare and contrast metabolomic behaviors across different cancer types, and potentially identify shared metabolomic pathways between two different cancer types. One of the down sides of having such dataset is that we must deal with different batch effects, but the upside of it is that any discovery of correlation across these datasets more firmly validates a correlation.

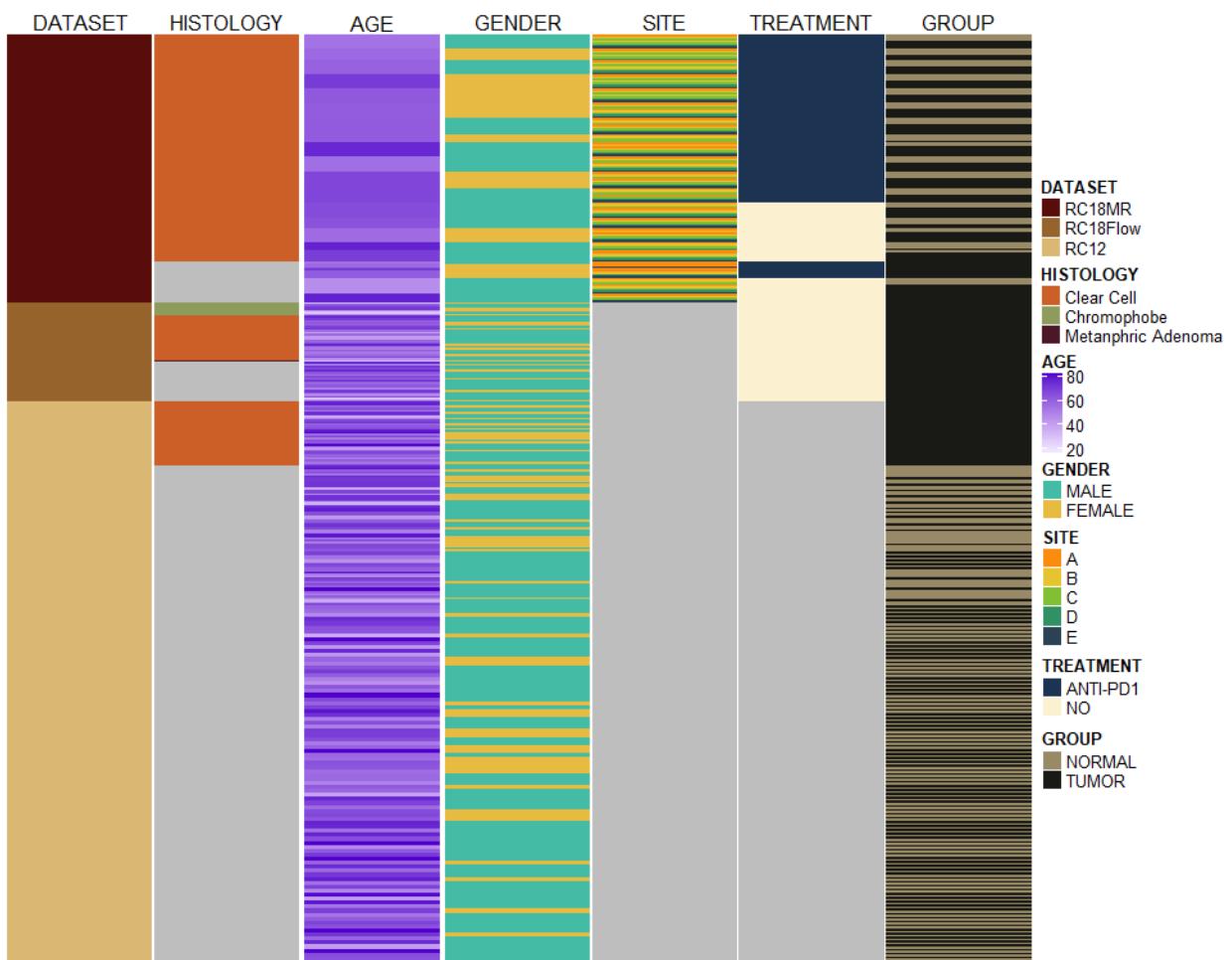
## 6. Table of Datasets

Dataset ID	Type of Cancer	# Total samples	# Normal Samples	# Tumor Samples	# Metabolomic Features	# Genomic Features	# Immune Features
BRCA_Tang	Breast Cancer	18	0	18	356	23094	209
BRCA_Terunuma	Breast Cancer	108	47	61	259	20067	209
COAD	Colon Adenocarcinoma	76	39	37	111	22578	209
DLBCL	Diffuse Large B Cell Lymphoma	62	0	62	448	22271	209
HCC	Hurthle Cell Carcinoma	28	0	28	657	22357	209
OV	Ovarian Cancer	45	0	45	374	20988	209
PAAD (PDAC)	Pancreatic Ductal Adenocarcinoma	39	12	27	258	20067	209
PRAD	Prostate Adenocarcinoma	137	46	91	117	28018	209
RC12	Clear Cell Renal Cell Carcinoma	32	0	32	367	21461	209
RC18	Clear Cell Renal Cell Carcinoma	136	47	89	665	[22463, 23033] <sup>1</sup>	209

Table 1. Statistics of collected data

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<sup>1</sup> First number in the bracket is for RC18 Flow cohort data and second for RC18 Multiregional dataset

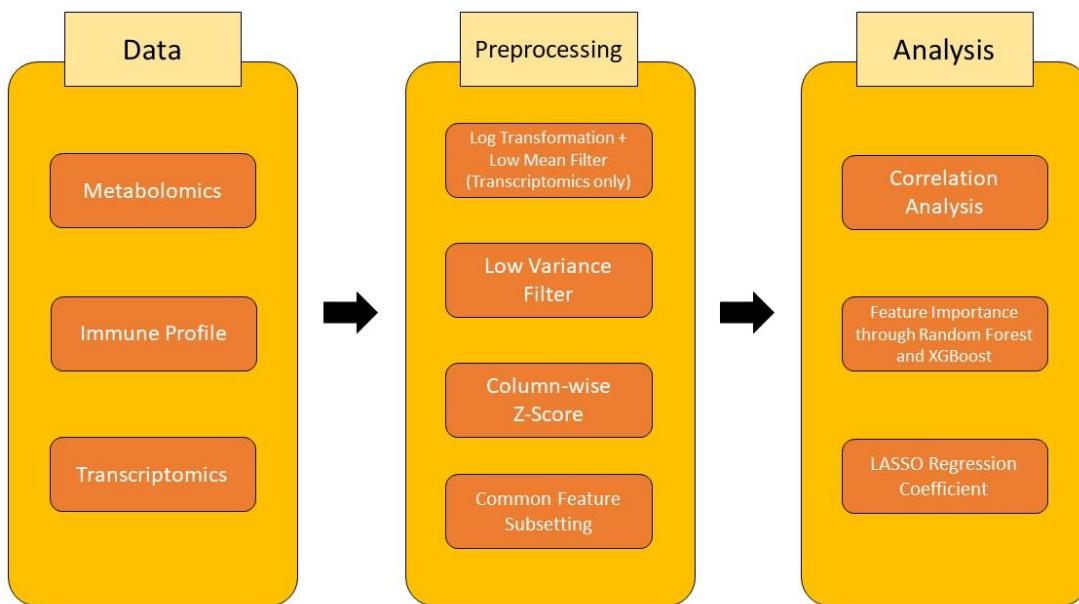


*Figure 4. Demographic information about the data*

Figure 4 is a visualization of the demographic information of the main dataset we will be dealing with. The kidney cancer dataset primarily consists of three datasets, RC12, RC18 multiregional, and RC18 flow cohort dataset. Each of the datasets come from different places and records different features. The number behind the datasets refer to which year the experiment was done on, and since these involve mechanical procedures to collect the data, each dataset has distinct batch effects. Whereas RC12 dataset is a retrospective sample, RC18 multiregional dataset was collected planning forward for this experiment and hence is one of the most feature rich dataset. RC18 multiregional data contains samples

from multiple regions of kidney: A was the top part, E was the bottom part, and B, C, D were sides of the kidney. It also includes information about whether the patient was exposed to certain treatments.

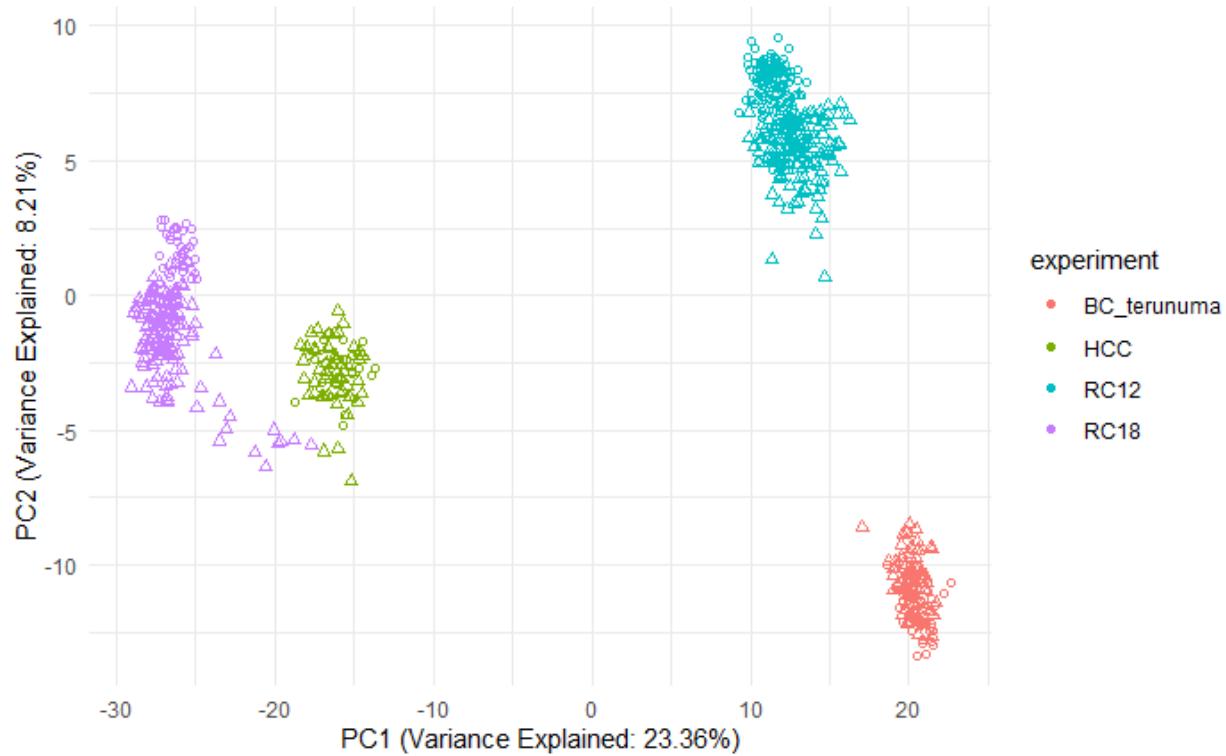
## Machine Learning Model Architecture



*Figure 5. Overall Data Processing Pipeline*

There are three algorithms that we ended up for model selection. It is important to note that the task at hand is not to get the highest accuracy, but to figure out which metabolites and genes are important to the immune system. Hence, the first model of choice was random forest, which are great at providing a smooth gradient of imputed feature importance. The second model that we used was the LASSO model, which are advantageous in high dimensional regression where the number of samples is limited. The LASSO provides a simple yet powerful and interpretable tool for the data. The last algorithm we used in this experiment was a spearman rank correlation test evaluating the correlation and p-value, the false discovery rate, for the experiment. Preprocessing stage will be dealt in more detail in a later section.

## Exploratory Data Analysis



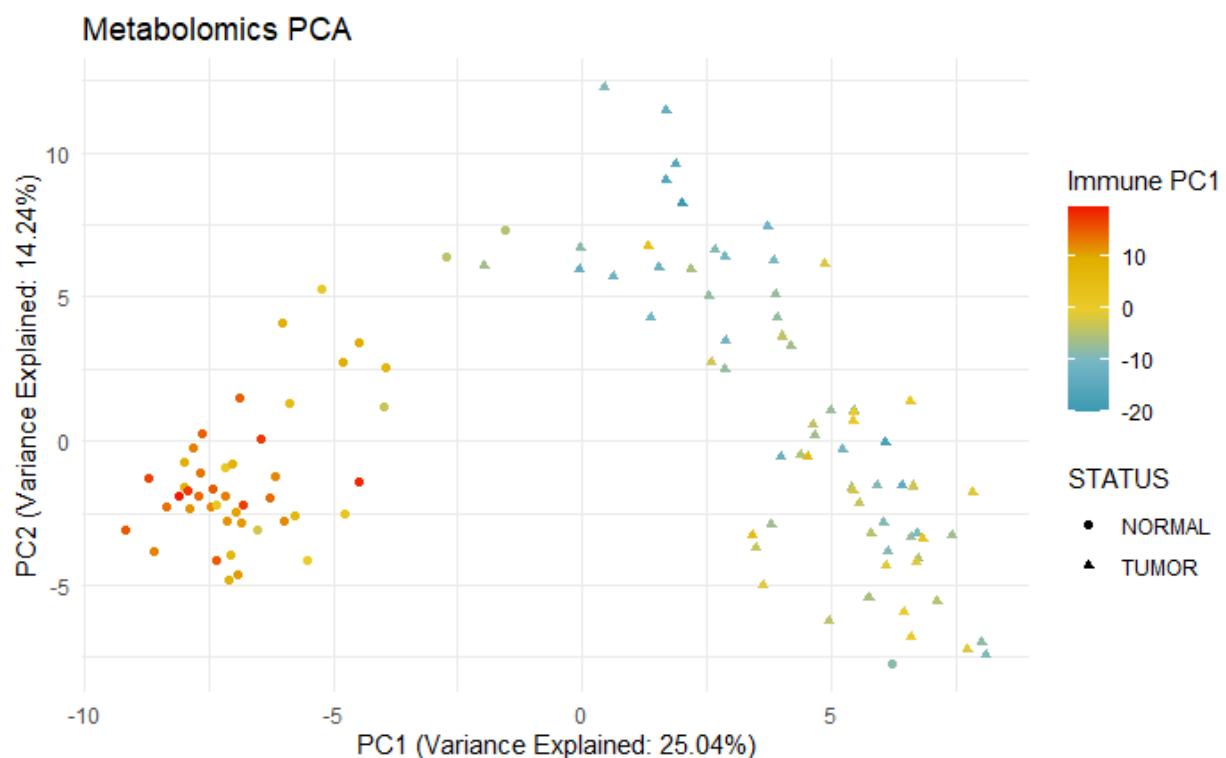
*Figure 6. Heterogeneity in the dataset*

With Figure 1Figure 6, the first thing we discovered was that there were heavy batch effects with the metabolite levels. The figure above shows the Principal Component Analysis (PCA) on the data. The first principle component axis separated data into four distinct clusters that indicated each of the experiments. This indicated that either the dataset required some form of normalization or cross-comparison was not possible with the scale of data at hand. The second principle component axis separated normal and tumor samples for breast cancer, hepatocellular carcinoma, and renal cell carcinoma. Circle and triangle each denoted normal and tumor cells.

## PCA Projection of ccRCC multicohort dataset

The first part of analysis tries to predict immune markers from metabolite levels.

For the sake of simplicity, we start our analysis with RC18 multicohort dataset. The dataset includes 114 kidney cell data across with 67 tumor samples. The following is the first two axis of the Principle Component Analysis projection of the metabolomic data, color coded with immune score from the immune data.



*Figure 7. PCA projection of tumor and normal samples of the RC18 data*

Figure 7 demonstrates formation of two distinct clusters: one on the left and one on the right. The cluster on the left are normal samples and on the right are tumor samples. This firstly demonstrates that the metabolite level between normal samples and tumor samples are easily linearly separable. More importantly, we see a clear distinction in the

immune score between the two clusters. The tumor samples are marked with high immune activity compared to the normal samples.

## Data Preprocessing

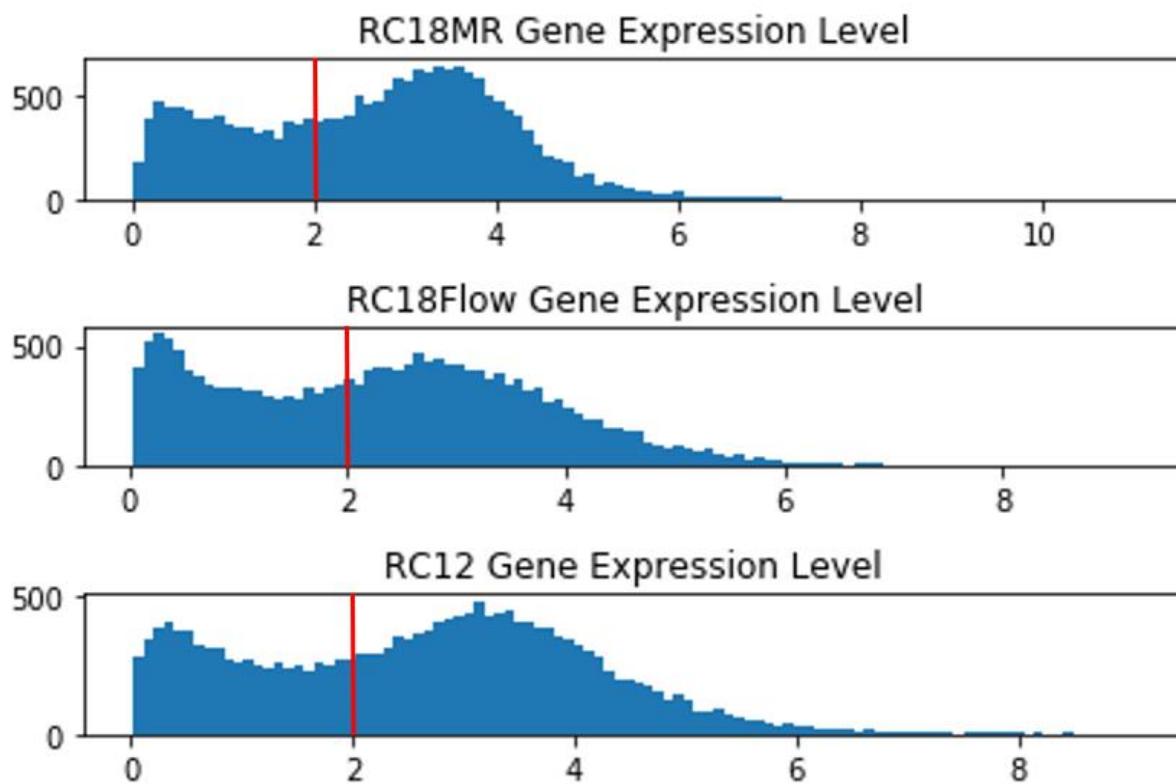


Figure 8. Gene Expression Levels in Different Cohorts

### 1. Filters

- a. Low Mean Filter for log Gene Expression Level
- b. Low Variance Filter for all datasets (Metabolomics, Immune, and Transcriptomics)

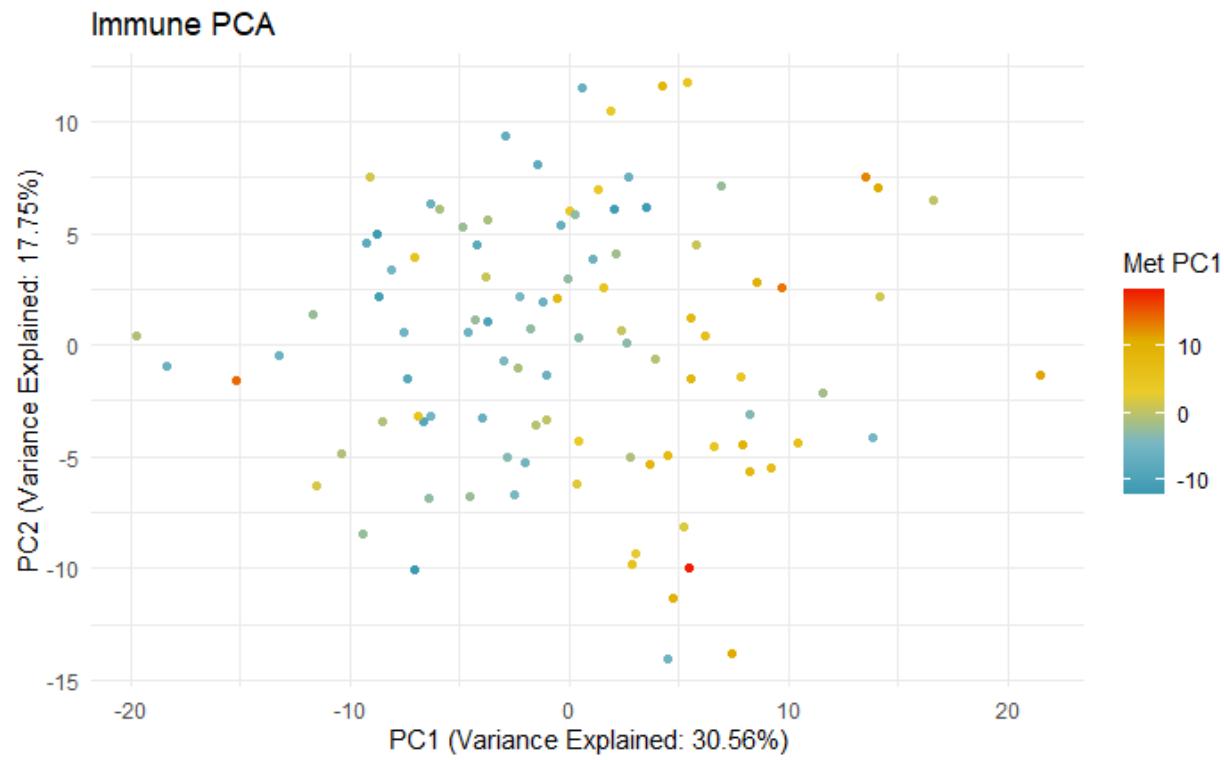
We started analysis with the kidney cancer dataset. We took the tumor samples in the RC12, RC18 flow cohort, and RC18 multi cohort data and filtered all features through a set intersection function to only consider features that were common across all cohorts. We applied log transformation:  $x' = \log(1 + x)$  to evenly distribute datapoints on the positive

respective axis, as collected raw data came in an exponential scale. We first filtered add genes that had lower than 2 log expression level as we considered them not expressed enough and are signals that yield low SNR. On top of that we applied low variance filter to filter out features that had lower than 0.1 variance in this transformed domain as features with low variance provide less information of interest and are more susceptible to noise. For transcriptomics data specifically, we applied a low mean filter to filter out genes that did not have a desired mean expression level.

## **2. Normalization**

- a. Standard Transformation (z-score)
- b. Mean Matching
- c. Quantile Transformation
- d. Power Transformation

The last step after was to apply normalization on the different dataset to remove batch effects and harmonize them. We explored various methods including standard transformation, pure mean matching, quantile transformation, and power transformation as an effort to transform distributions into comparable gaussian distributions but none of the above improved the performance of the overall model. Hence, we decided to stick with z-scoring which is the most common form of transformation.



*Figure 9. Principal Component Analysis on Immune Features*

As a quality assurance check for the dataset, we analyze the relationship between metabolomics and immune features through PCA. From the plot, the immediately observable result is that the first two principal component of the immune feature describes a huge proportion of the variance of the dataset. Alongside the notion, most of the metabolic variation is also captured through the first principal component of immune features. This is both an evidence that immune data is predictable using metabolic markers and that the preprocessing steps we use for this experiment works.

## Model Explanation

There are largely two tasks that machine learners tackle: classification and regression. Classification is a task to categorize a given input sample to a discrete class. Regression is the process to predict a given input to a continuous value. Since predicting an immune score is to evaluate a numeric value, the task at hand is a regression task.

In this study, we will be using a random forest to perform regression. The main rational behind using random forest is because the goal of this study is not to achieve the lowest loss on, but to identify significant biological relationship. Thus, we wanted to work with a more interpretable model, that provides a well-balanced feature importance score.

To explain how random forest-based regression works, the following section will discuss:

1. How linear regression works
2. How decision trees work
3. How decision tree-based regression works
4. How random forest-based regression works

## 1. Linear Regression

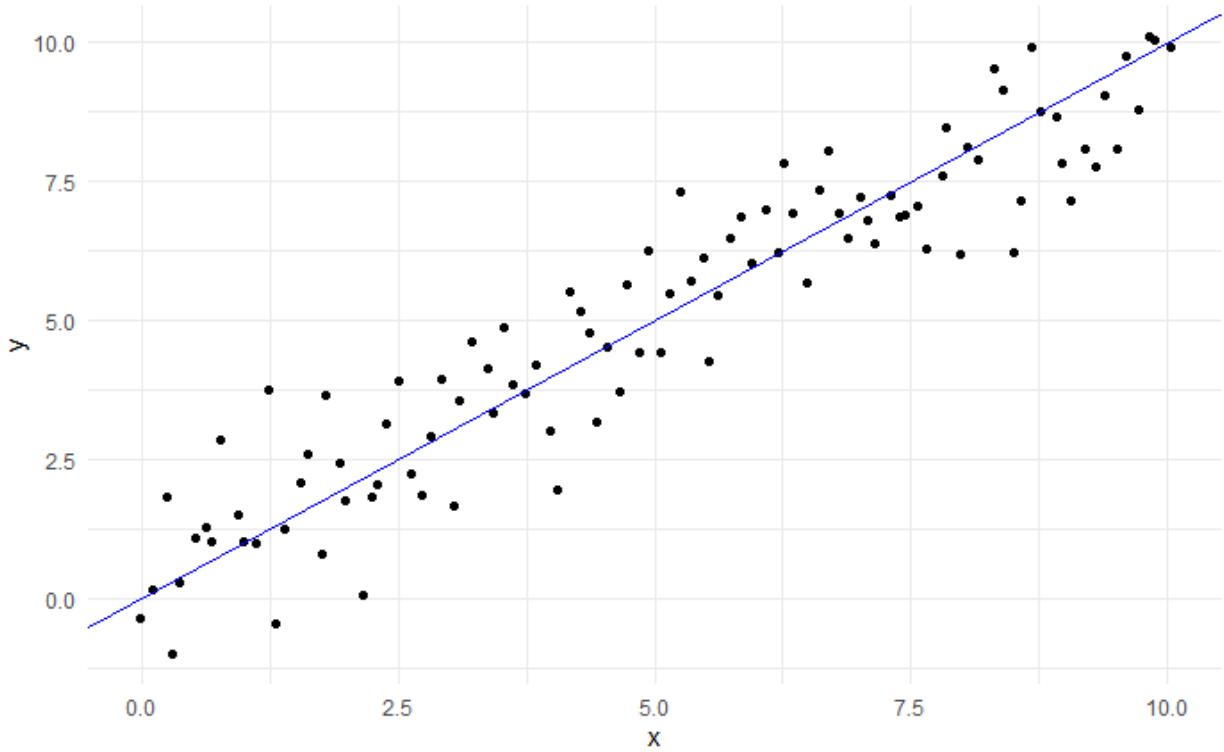


Figure 10. Plot Demonstrating Linear Regression

The simplest and yet powerful tool of machine learning on regression tasks is linear regression. The aim of linear regression is to map a set of inputs, or input vectors, into a numerical output value. As illustrated in the figure above, our goal with linear regression is to figure out the line that minimizes the distance with respect to given data points. We can achieve this task by learning the coefficients, or weights, associated with each input features.

$$\mathbf{y} = \boldsymbol{\beta}^T \mathbf{X} + \epsilon$$

In the equation above,  $\mathbf{X}$ ,  $\mathbf{y}$ ,  $\boldsymbol{\beta}$ ,  $\epsilon$  each represent, input vector, output vector, weight, and noise term. In simpler terms  $\boldsymbol{\beta}$  could be considered as the gradient. In this

setup, all we have to figure out is  $\beta$  since  $\mathbf{X}$  and  $\mathbf{Y}$  are already known. In order to find out  $\beta$ , we need to establish a way to quantify the model performance. A commonly used loss for linear regression is mean squared error.

$$L(\mathbf{y}, \hat{\mathbf{y}}) = \frac{1}{2m} \sum_m (\mathbf{y} - \hat{\mathbf{y}})^2$$

The next task is to find out the weights that minimize this loss. As one can expect, we take the derivative of the loss with respect to the weights to do this and solve for the weights. The  $\frac{1}{2}$  in above equation is an arbitrary scaling for a convenient differentiation. With a little bit of linear algebra, we can solve for the analytical solution of weights.

$$\begin{aligned} \frac{\partial}{\partial \beta} L(\mathbf{y}, \beta^T \mathbf{X}) &= \frac{\partial}{\partial \beta} (\mathbf{y} - \beta^T \mathbf{X})^T (\mathbf{y} - \beta^T \mathbf{X}) \\ &= 2\mathbf{X}^T \mathbf{X} \beta - 2\mathbf{X}^T \mathbf{y} = \mathbf{0} \\ \beta &= (\mathbf{X}^T \mathbf{X})^{-1} \mathbf{X}^T \mathbf{Y} \end{aligned}$$

This technique is good because it provides a simple and understandable solution for our input and output vectors. Firstly, this method provides with a mathematically sound and simple method for learning an approximation function. Secondly, when all the input features are normalized, the weights will tell us which features matter the most. Thirdly, since this can be calculated with a few matrix operations, linear regression is one of the computationally lightest algorithms as well. The strengths of this model lie in simplicity and interpretability.

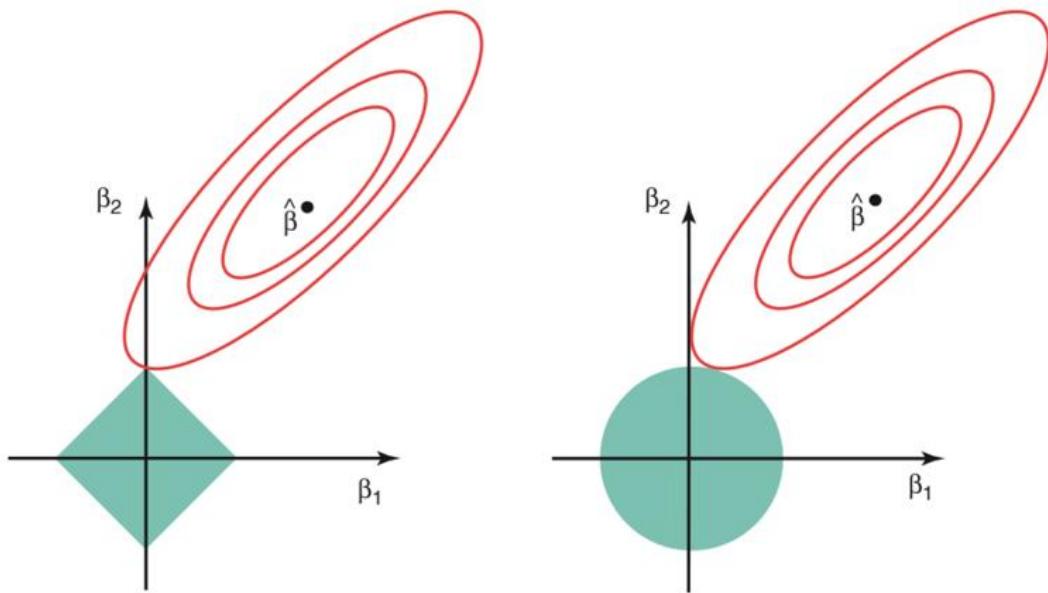
However, there are a few downfalls of this method. Firstly, as indicated in the algorithm's name, linear regression is incapable of learning non-linear relationships. Secondly, the algorithm is prone to outliers. An outlier within the dataset can mess up

regression when using mean squared error metric, since one large square can outweigh many small squared values when averaged. The last disadvantage of linear regression is that the algorithm is not scalable to number of features. As the number of dimensions increase for a linear regression, the algorithm becomes much more susceptible to overfitting.

## 2. Least Absolute Shrinkage and Selection Operator (LASSO) Regression

$$\sum_{i=1}^n \left( y_i - \beta_0 - \sum_{j=1}^p \beta_j x_{ij} \right)^2 + \lambda \sum_{j=1}^p |\beta_j| = \text{RSS} + \lambda \sum_{j=1}^p |\beta_j|.$$

Equation. LASSO Regression



*Figure 11. Figure Demonstrating Loss Contour of LASSO Regression<sup>2</sup>*

LASSO regression is at the bottom heart linear regression with an extra term to penalize weights that matter less to the prediction. The bottom line for LASSO regression is bias-variance tradeoff stating that allowing small bias decreases variance of the prediction by a factor of square. LASSO regression, also known as L1 regularization, penalizes the all the weights in the L1 space as shown in the left of Figure 11. The biggest strength of this model is that it can remove a lot of the features that do not matter to the prediction. As in

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<sup>2</sup> Elements of Statistical Learning Figure 3.11

the figure, one can observe that the turquoise square meets with the loss contour at an edge. This indicates that the optimal LASSO coefficient sets  $b_2$  as 0. On the right is ridge regression, also known as L2 regularization. While ridge regression is great at penalizing very large weights,

### 3. Decision Tree

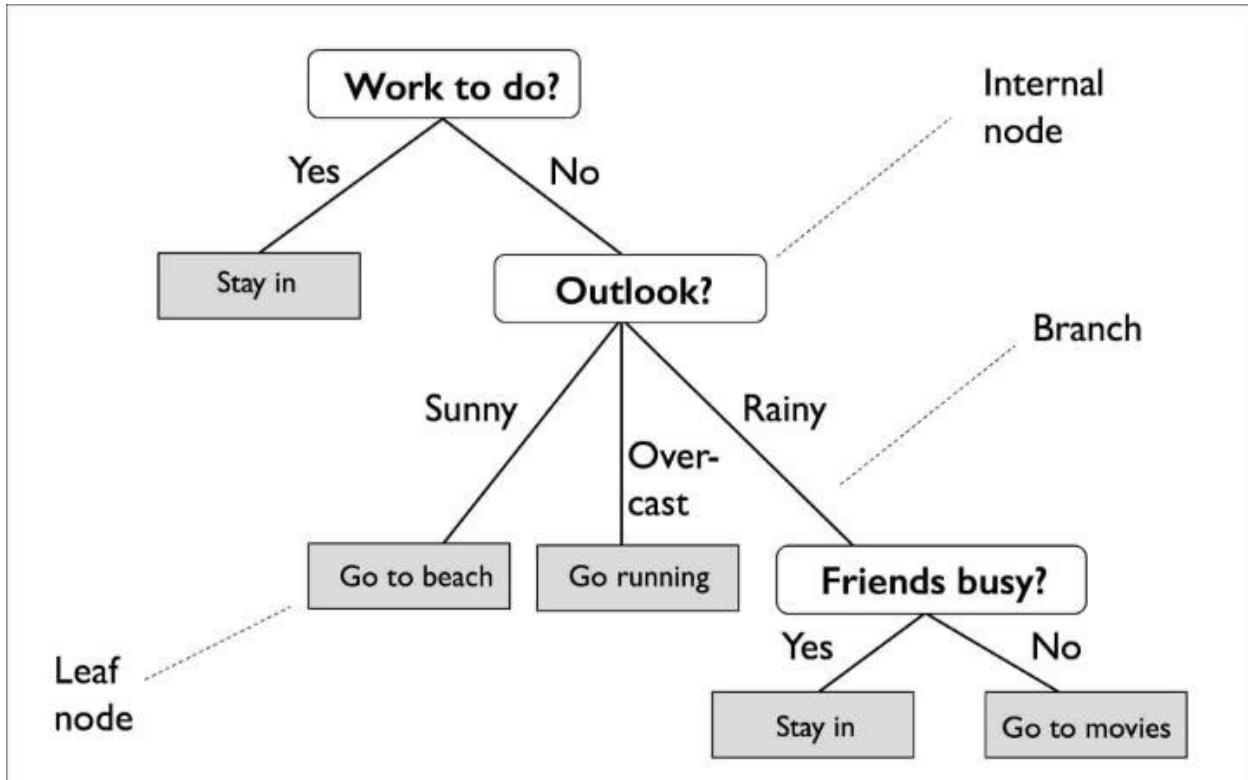


Figure 12. Demonstration of a Decision Tree

Decision trees are machine learning models that partitions data into several bins or clusters called the leaf node. As its name implies, the model builds a tree to split data points into several regions according to a series of criteria. There are three common ways split criteria is decided.

Three common ways to decide split criteria for decision tree:

1. Gini Impurity
2. Information gain
3. Variance Reduction

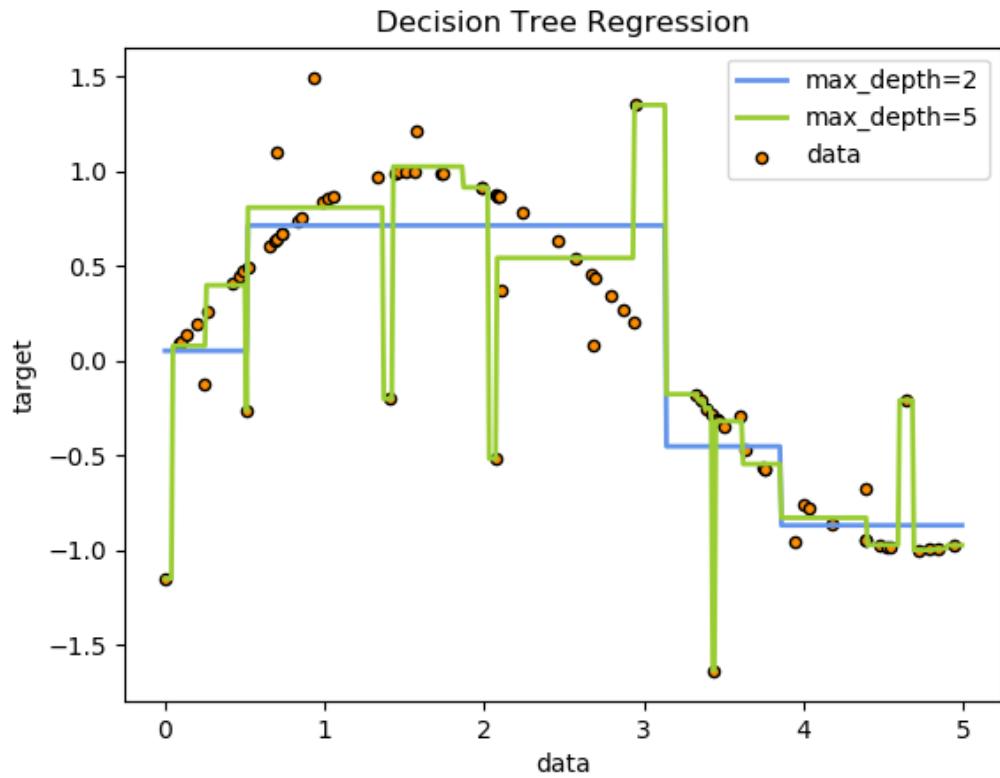
Gini Impurity and entropy are ways to come up with decision trees for classification, whereas variance reduction is a metric for regression trees. Entropy, at an information theory perspective, is a quantification of degree of chaos within a system. Similarly, information gain is described as how much degree of chaos we remove from the system. The mathematical formulation of information entropy lies under log probability domain and is defined as  $H(X) = -\sum_i p \log(p)$ . To give a bit more context, let us examine the example of a deck of cards. The information about the card “Ace of Spades” consists of the information “Ace” and “Spades.” While these two pieces of information add up together, the probabilities associated with this information multiply to form “Ace of Spades” in the probability space ( $1/4 \times 1/13 = 1/52$ ). Hence, one conveys more information when he or she is more specific when describing a system. For instance, information content from description “Spades”, “Ace”, to “Ace of Spades” are in increasing sequence as specificity increases or probability decreases.

The same metrics could be used when deciding which split criteria to use on which branches in the case of decision trees. Decision trees come up with several split criteria and decides which yields maximum information gain. If a decision tree were to bin a deck of card into different bins, the first split should be the value (numbers and letters), and the second split should be the suites. In this case, each of the cards will fall under a leaf node and the tree can be considered a overfitted tree because all the samples are a leaf node.

Gini impurity is much similar metric to entropy. The mathematical formula for Gini impurity is  $Gini\ Impurity(X) = -\sum_i p(1 - p)$ . This is a more commonly used metric for decision tree classification for computational reason. Gini impurity is the first order Taylor Series approximation for entropy. As the formula comes in a polynomial form, Gini

impurity is a much more computationally effective metric for calculating a derivative. For the case of regression, the metric used is the overall variance. This makes sense as the data is split into several clusters. The most important advantage of decision tree is that the model is highly interpretable. As shown in the Figure #, one can look at the dendrogram and immediately understand what is going on within the model.

#### 4. Tree Based Regression



*Figure 13. Demonstration of a decision tree-based regression*

As mentioned in the previous section, one of the downsides of decision trees are that they are prone to overfitting. One of the ways to combat this is through limiting the depth that the tree can grow. Decision tree regressions are done either through a linear regression or a simple mean operation at the leaf nodes. Figure # shows an example of decision tree regressor with two different max\_depth hyperparameter. As one can observe in the plot, the fit with max\_depth of 2 severely underfits the data while the other severely overfits the data. Due to this sensitivity of hyperparameter that is hard to control, regressions are usually not done through decision trees.

## 5. Random forests

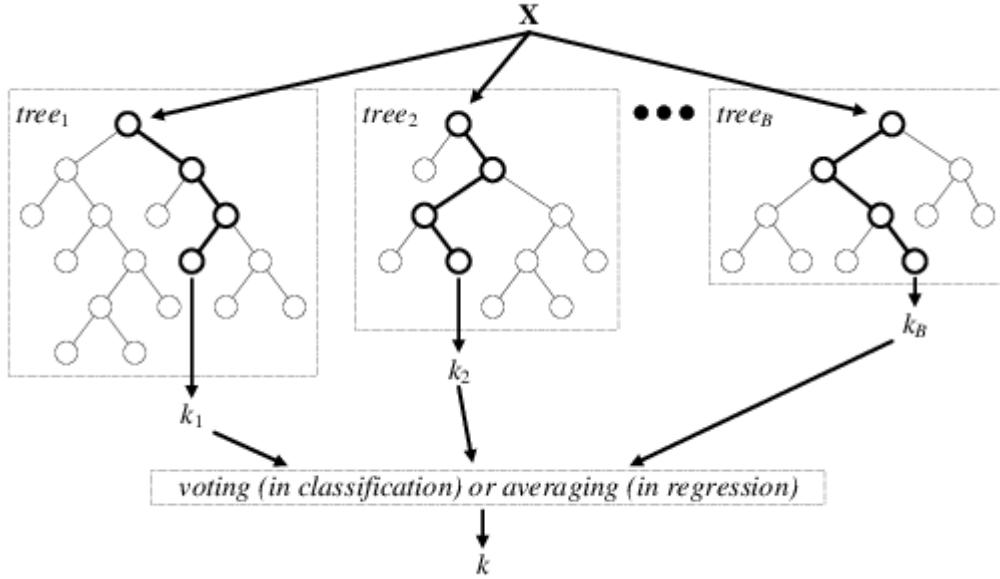


Figure 14. Random Forest based Regression

The main idea behind using random forest is that while a single decision tree could be overfitting and hyperparameter dependent, multiple trees can overcome these flaws much better. The technical term for the methodology is called bootstrap aggregating. The aggregating means that we are either taking the max vote for classification or averaging for regression as our final predictions. Bootstrapping selects different permutations of feature subset to build a tree so that every tree that we build are different. This model tends to be much more balanced and its predictions tend to be much smoother compared to the flat lines of the decision trees for a given region. For such reason, it is one of the models that are particularly good at good at feature selection.

## 6. Spearman Correlation test for multiple hypothesis testing



*Figure 15. Monotonic vs. Non-monotonic Relationship to explain Spearman Correlation*

The most known form of correlation is Pearson correlation, which is defined as

$\rho_{X,Y} = \frac{\text{cov}(X,Y)}{\sigma_X \sigma_Y}$ . Whereas Pearson correlation is useful at capturing correlation between two

variables for the relationship on the left of Figure 15, it is not the best tool to capture the relationship in the second plot. In other words, the downside of Pearson correlation that it is not at capturing monotonic relationship like exponential or log distributed correlation between two random variables. To overcome this issue, we can use spearman correlation to measure correlation through ranks rather than in the original variable space. The

equation for this is  $\rho_{\text{Spearman}} = 1 - \frac{6 \sum d_i}{n(n^2-1)}$  where  $d_i$  is the difference between the ranks for two variables. We use Spearman correlation with this experiment because the metabolomics file that we received were already quantile transformed during its preprocessing stage, and thus the scale might be arbitrarily transformed.

## Results

### 1. Using Metabolomics data to predict Immune features

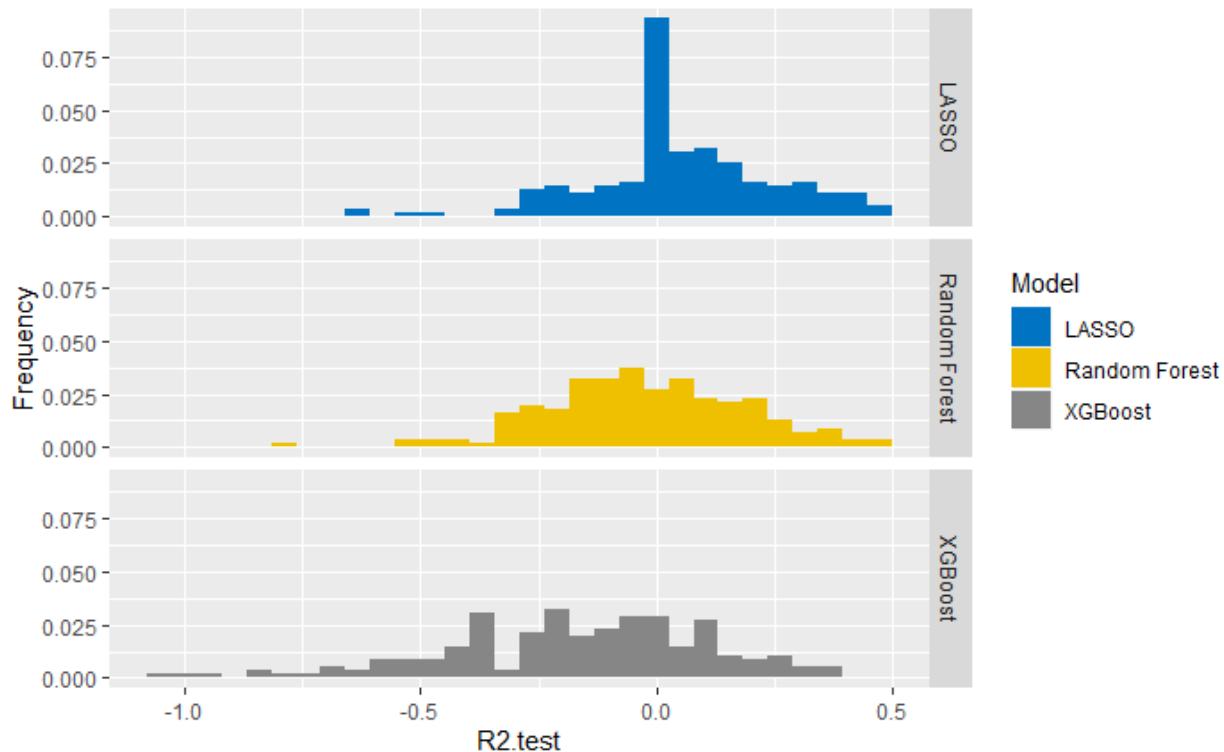
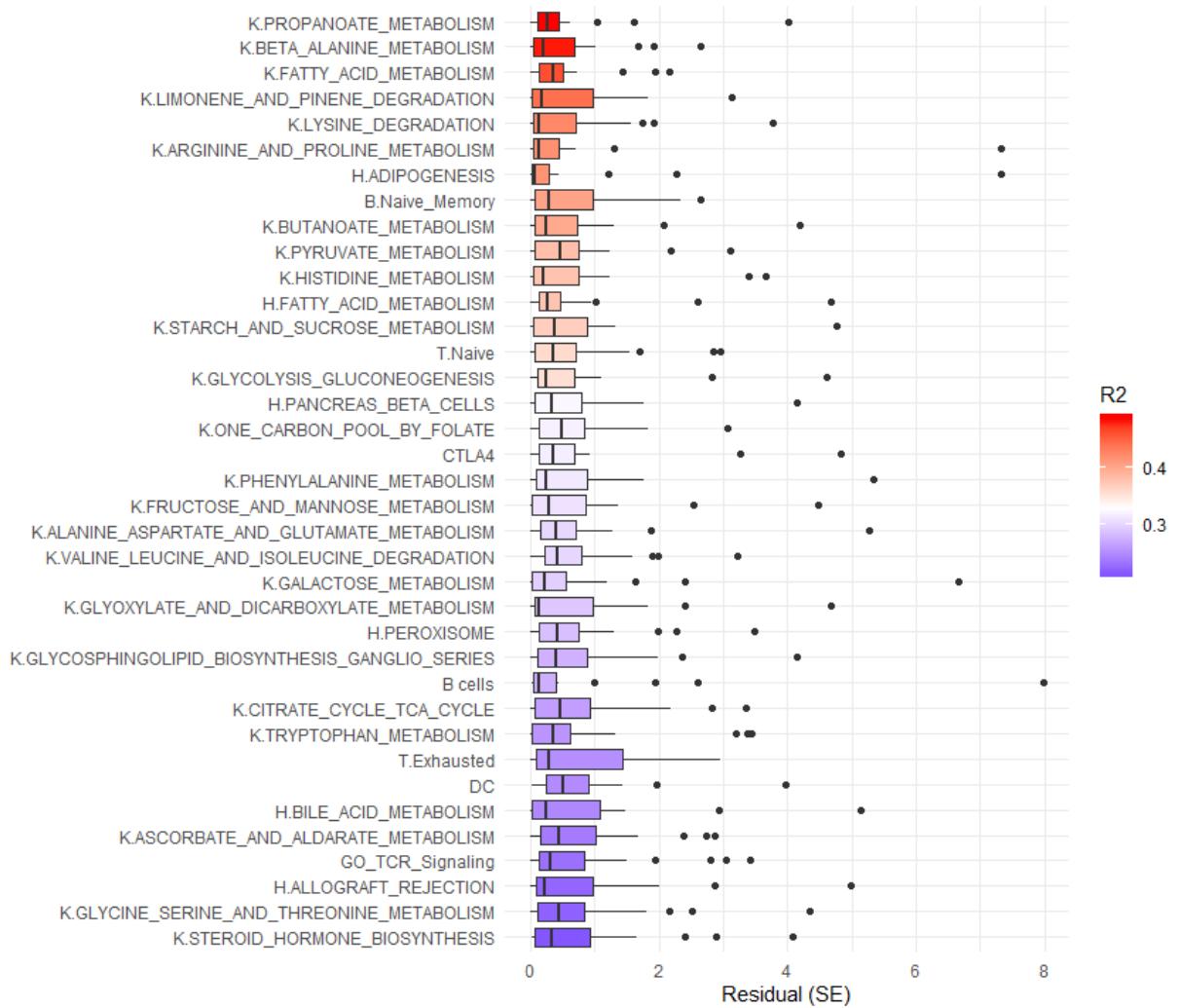


Figure 16. Histogram of Performance ( $R^2$ ) for each Machine Learning Models

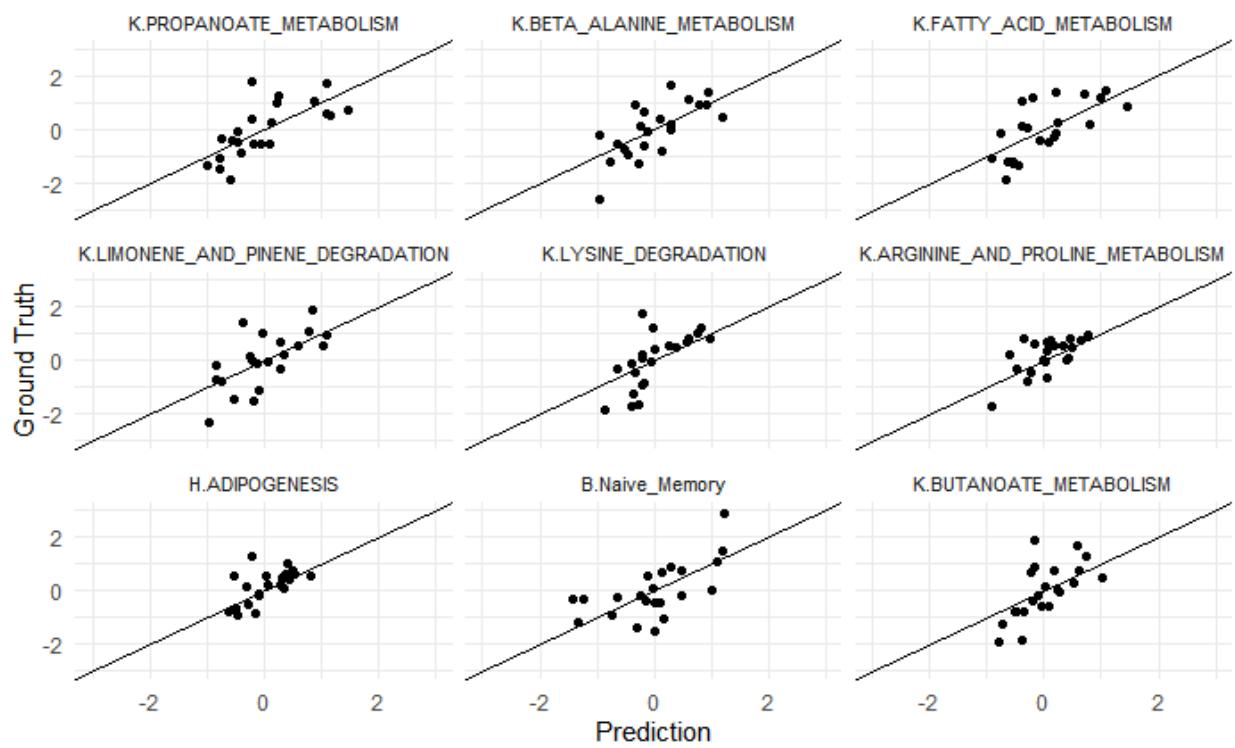
As mentioned previously, we wanted a model that was interpretable. For such reason, we selected three models in advance: LASSO, random forest, and XGBoost. LASSO coefficients provide linear relationship between each of the input features with the output. Random forest and XGBoost libraries commonly provide a feature importance score based on Gini impurity in the classification task and variance reduced in the regression task. While the other two models cannot tell apart whether relationship between a feature and output is correlated or anti-correlated, they still provide some insight into which features matter more than others.

The first point of comparison was the performance of each models. The figure above plots the histogram of test  $R^2$  scores for each of the target immune features. For interpretability purposes,  $R^2$  greater than 0 means the prediction is better than the plain mean. Thus, one can interpret results that are less than 0 as unpredictable and greater than 0.2 as predictable. As demonstrated in Figure #, the model that performs best is LASSO. There are a few reasons why LASSO performs so well on this dataset. First is that this dataset is in a domain where number of samples are approximately similar to the number of features. LASSO regression works well in this domain because it removes most features that do not matter to the prediction. Second is the fact that these relationships are mostly linear. From this point on, we decided to use LASSO for both tasks as LASSO regression was the model that performed the best on both tasks and also provided the additional sign that indicates whether an input feature is a promoter or an inhibitor of the target feature.



*Figure 17. Test set residuals from the LASSO Regression*

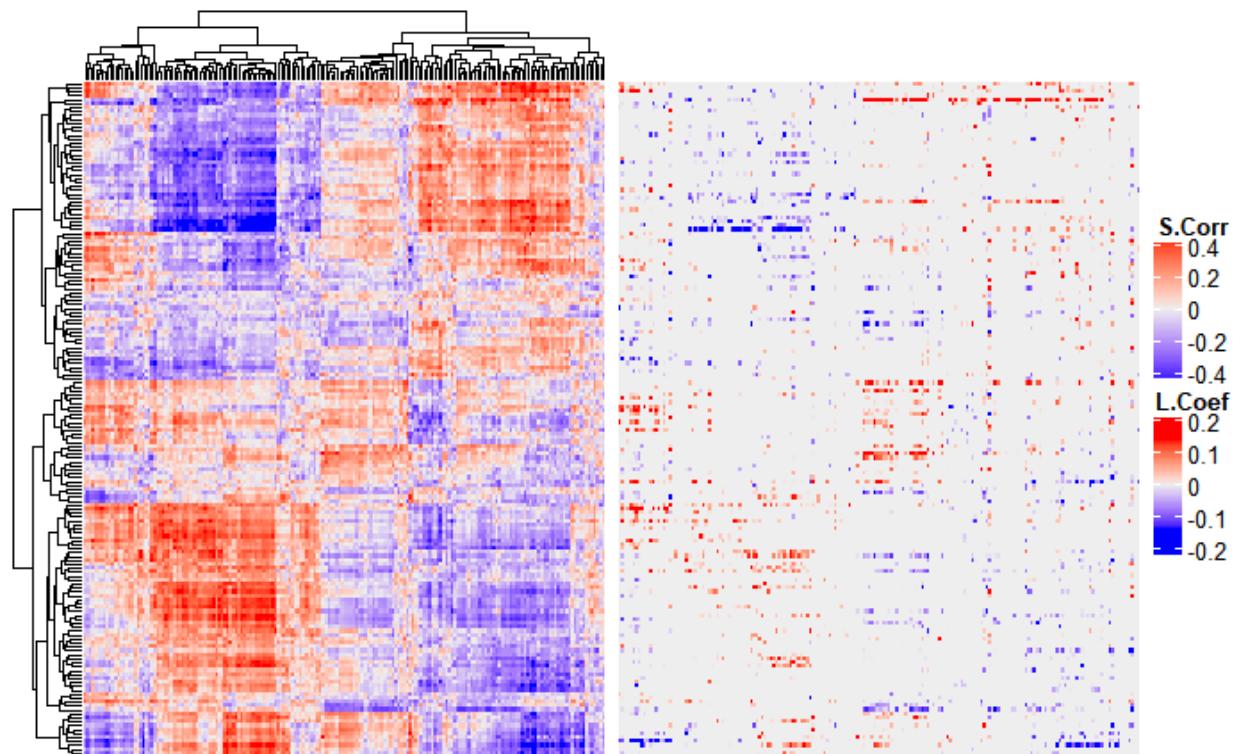
The figure plots the resulting squared errors for each of the prediction metabolites make on immune features. The results were filtered for immune features that had greater than  $R^2$  of 0.2. The results were sorted in decreasing predictability order. As it can be seen in the plot, major factor that sets apart the good predictions from others is the outliers. Our top results are prediction of propanoate metabolism and beta alanine metabolism etc.



*Figure 18. Comparison of Prediction and Ground Truth for Best Prediction Results*

These are some of the best prediction results from the immune scores, specifically the 9 immune features with the lowest mean squared error. As one can see in the diagrams, all the truth-prediction pairs are close to the line with slope 1, which is where all the data points should lie on.

## LASSO Coefficients and Correlation Coefficient

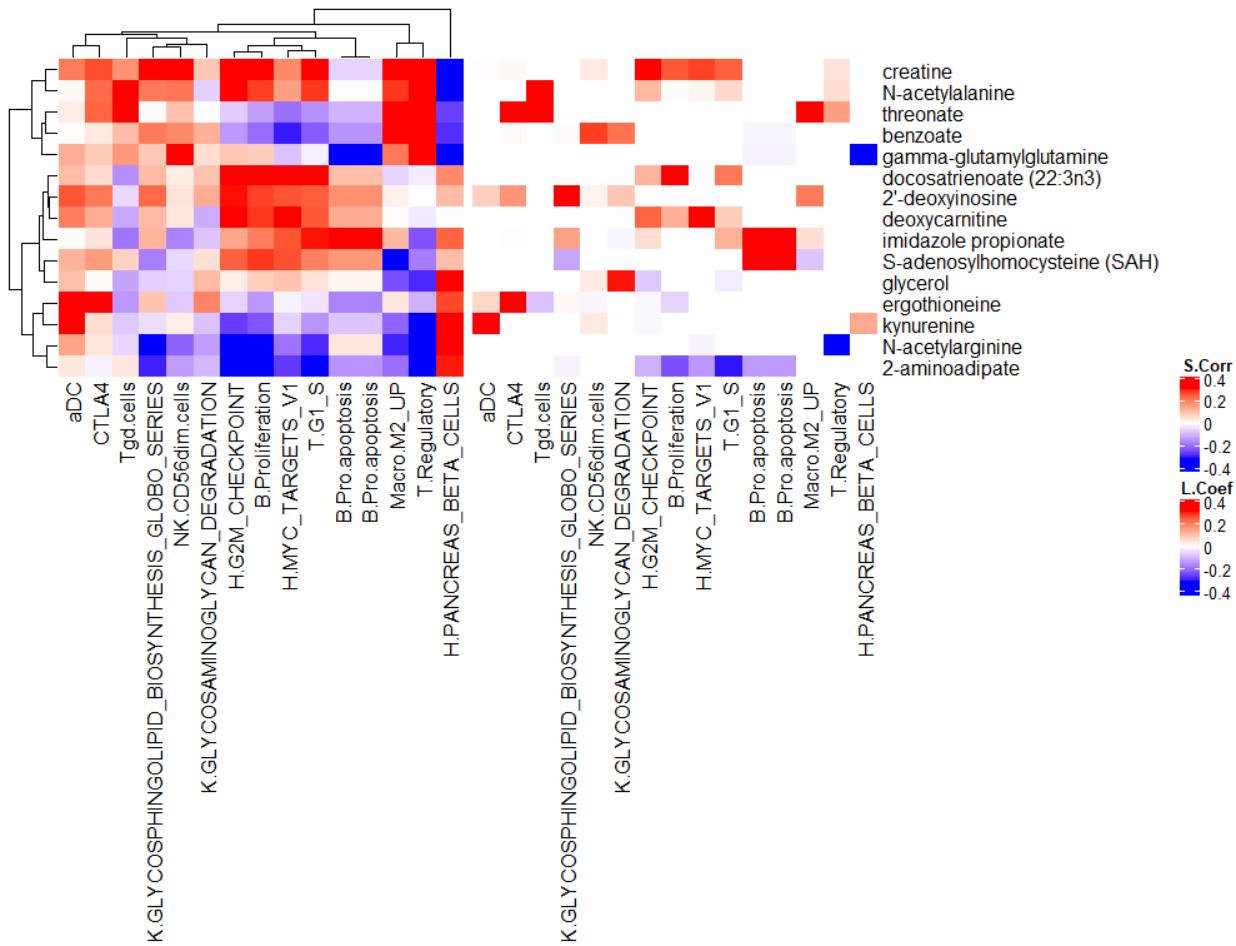


*Figure 19. Pairwise Spearman Correlation (left) and Lasso Coefficient (right) between metabolites and immune features*

The figure above plots correlation coefficient on the left side, and respective LASSO coefficients on the right. Each of the rows indicate metabolites and the columns indicate immune markers. The ordering of the rows and columns were decided by a hierarchical clustering regime through Spearman Correlation, and the same exact order was used for LASSO coefficient. As juxtaposed from left to right, we see that the signs or the colors of all regions match as expected. One overarching difference between the heatmap on the left and right is that the LASSO coefficient appears to be much sparser compared to the spearman correlation. This demonstrates one of the reasons why LASSO coefficients are much more valuable than spearman correlation: it achieves feature selection through L1

regularization that removes most irrelevant features and leaves just enough to reconstruct the original data. As most of the rows and columns are hardly interpretable with this many feature, we decided to distillate a few of the rows and columns that show much more dense information about which columns and rows are important. Yet, one important takeaway from this plot is that the row structure is more conspicuous than column structures for LASSO coefficients. This indicates that a few metabolites are important for multiple immune features.

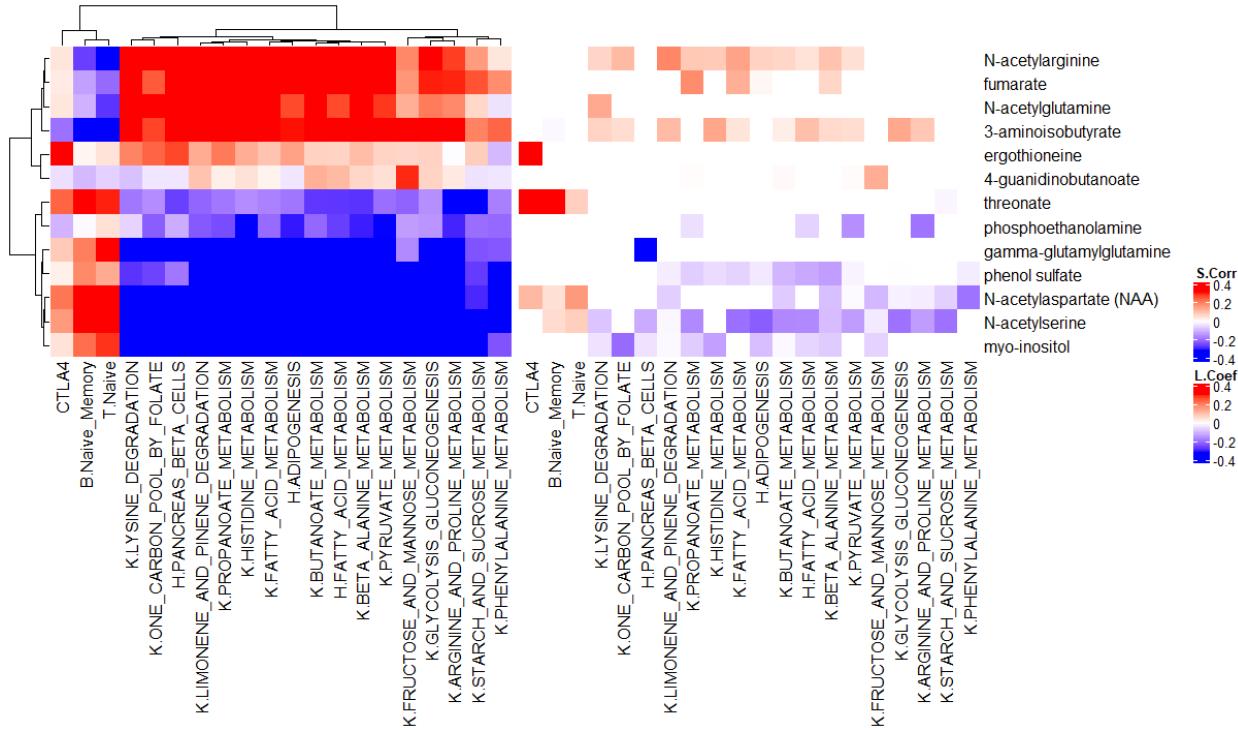
## Important Metabolic Markers



*Figure 20. Highest LASSO Coefficients and their respective Immune Features*

We specifically use two algorithms to come up with a condensed correlation and lasso coefficient matrix: first is to fetch metabolites with top-K LASSO coefficients, and get which immune feature it predicts well; second is to fetch the top-K performing immune features and retrieving their metabolites with highest LASSO coefficient. One point to note in this figure is that the highest LASSO coefficient is often not the most important thing to consider for two reasons. The magnitude of a single coefficient with respect to others

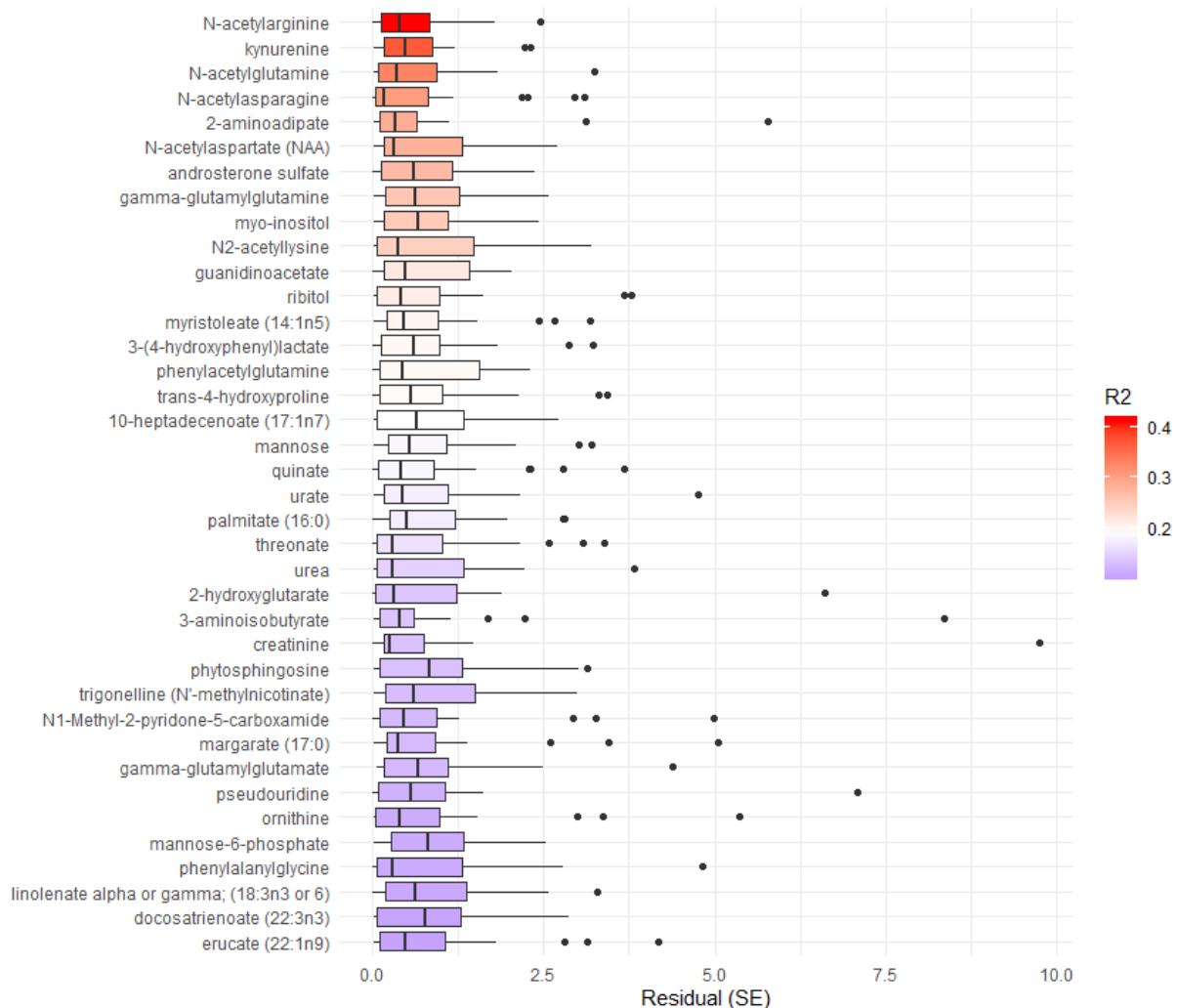
matter given a single target, and the target R<sup>2</sup> score also matters as some of the fetched output might not be the most predictable feature.



*Figure 21. Most Predictable Immune Features and their highest LASSO Coefficients*

Continuing from the previous result, this plot shows most predictable immune features and their metabolites with highest LASSO correlation. One of the notable results is that the most predictable immune features are mostly collinear. As in Figure #, the first principal component explains 30.56% of the variance. This indicates that the features that are most predictable are mostly similar immune features. Compared to the previous plot, the LASSO coefficient in this plot has much lower values and are much more spread apart many different metabolites. One notable thing is that a lot of the metabolites like N-acetylarginine, threonate, and ergothioneine occur in both plots.

## 2. Using Transcriptomics data to predict Metabolomics Data

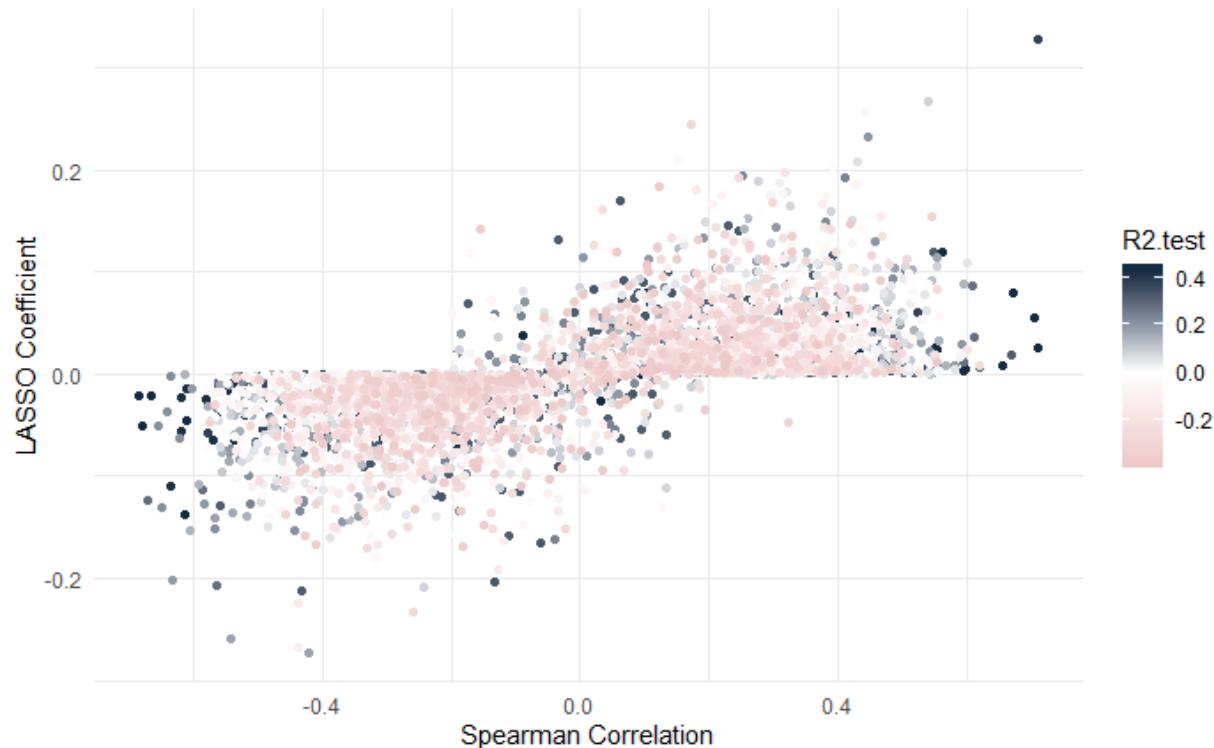


*Figure 22. Test set residuals from the LASSO Regression*

The same analysis for the first part was also done on the second part. The top predictable metabolites were the N-acetyl groups, kynurenone, 2-aminoadipate, myo-inositol etc. About 10% of the metabolites had greater than 0.2 R<sup>2</sup> score, and we considered them predictable. For all the predictions, most fall under reasonable bound except for a few outliers. As we show in later figures, some of these metabolites are predictable by a very

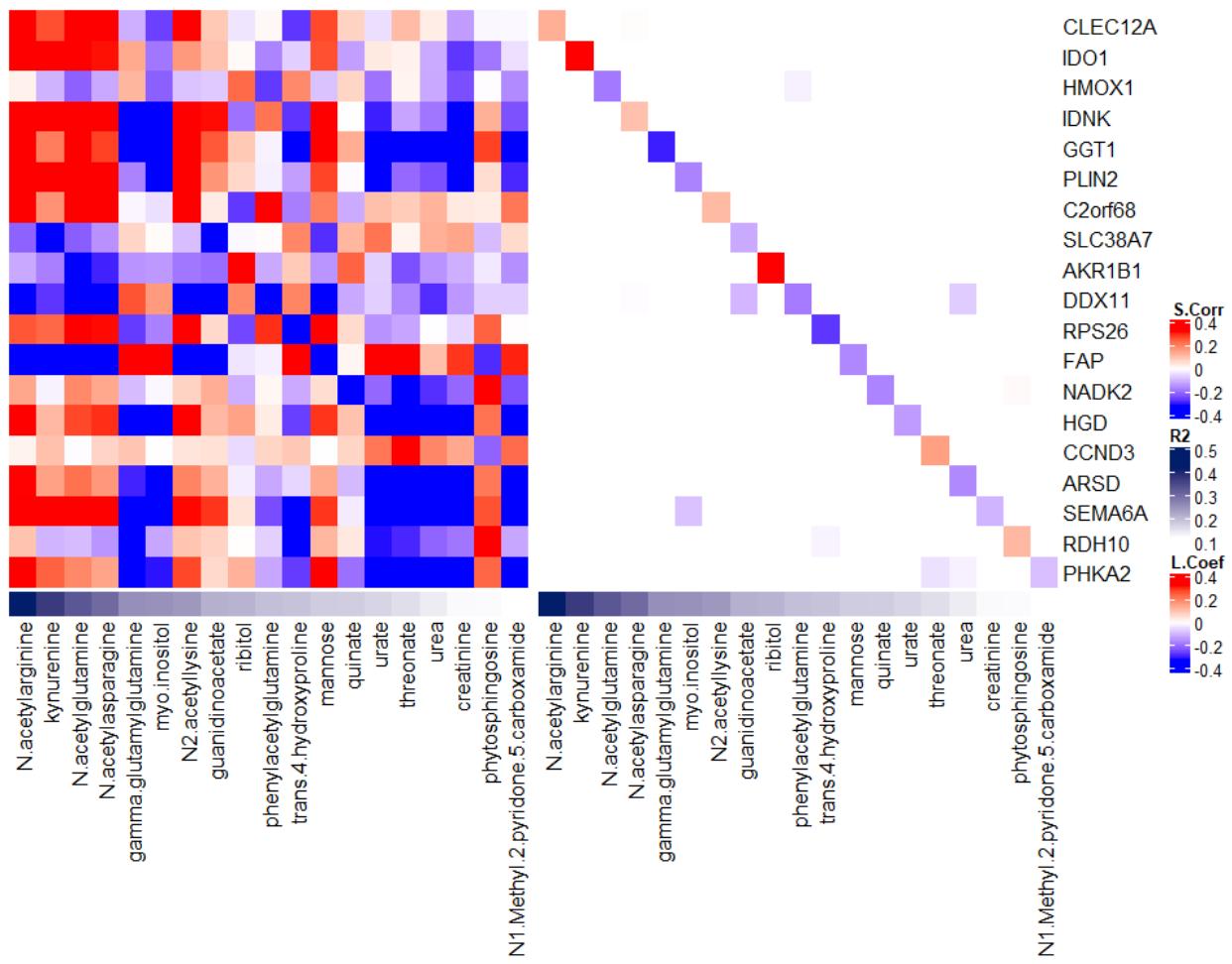
few metabolites. One of the evidences that validates the prediction works is that the highly correlated metabolites are what makes the genes.

### LASSO vs Correlation Coefficient



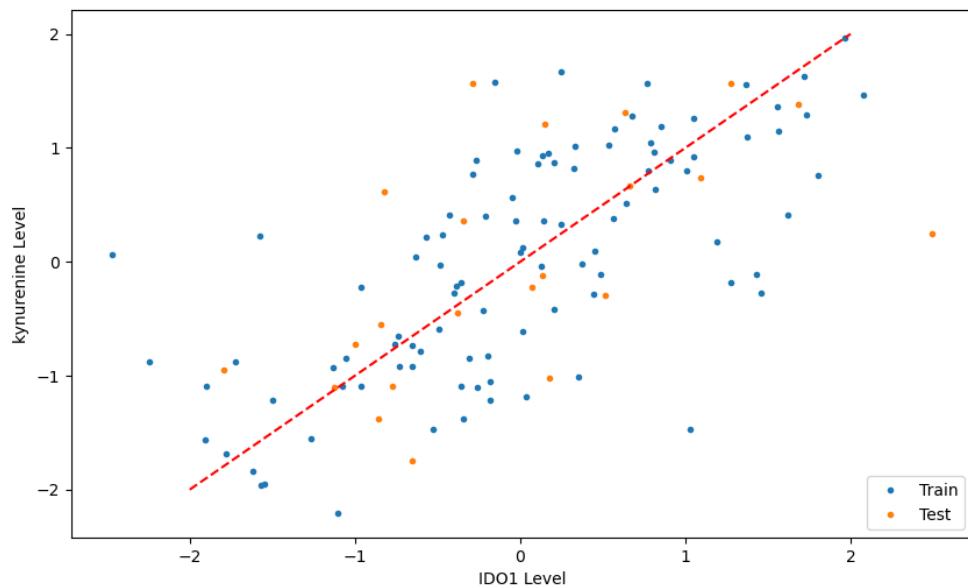
*Figure 23. Spearman Correlation vs. LASSO Coefficient*

X-axis of the plot above shows the Spearman Correlation for each gene-metabolite pair and the y-axis shows the respective LASSO coefficients. As in the plot, these values are correlated. The LASSO coefficient also tends to pick up much less features compared to the spearman correlation and thus is in a much more condense form. While the features that are lower than 0.5 correlation are mostly unpredictable, the ones that have greater than 0.5 correlation are mostly predictable.



*Figure 24. Most Predictable Metabolites and their highest LASSO Coefficients*

As with part 1, we report the most predictable metabolites and their most predictive genes. We skipped the highest LASSO coefficient plot, because the information in the plot were, while also confirming, somewhat redundant. There are three promising relationships that the LASSO coefficients pick up. First is the relationship between kynurenine and IDO1, second between gamma glutamylglutamine and GGT1, and third between ribitol and AKR1B1.



*Figure 25. IDO1 level vs. Kynurenine Level*

IDO1 catabolizes tryptophan to produce kynurenine to exert immunosuppressive functions suppressing effector T and natural killer cells and promoting neovascularization of solid tumors. This behavior is known to happen in RCC as well and is one of the well-practiced targets of immunotherapy. Similarly, GGT1 is a gene that triggers catabolism of gamma glutamylglutamine in chromophobes. AKR1B1 is also a gene that is known to produce AKR1B1 in clear cell papillary. Although the latter two have not been specifically studied within the RCC environment, it is highly likely that these are true positives.

Given the observations above, one of the striking and promising results from the figure above is the high predictability of N-acetyl groups. To this date, there has been no study or report mentioning the importance of N-acetyl groups in mammalian metabolism. The fact that we pick up these signals may be a biologically important discovery.

### 3. Pancancer Analysis

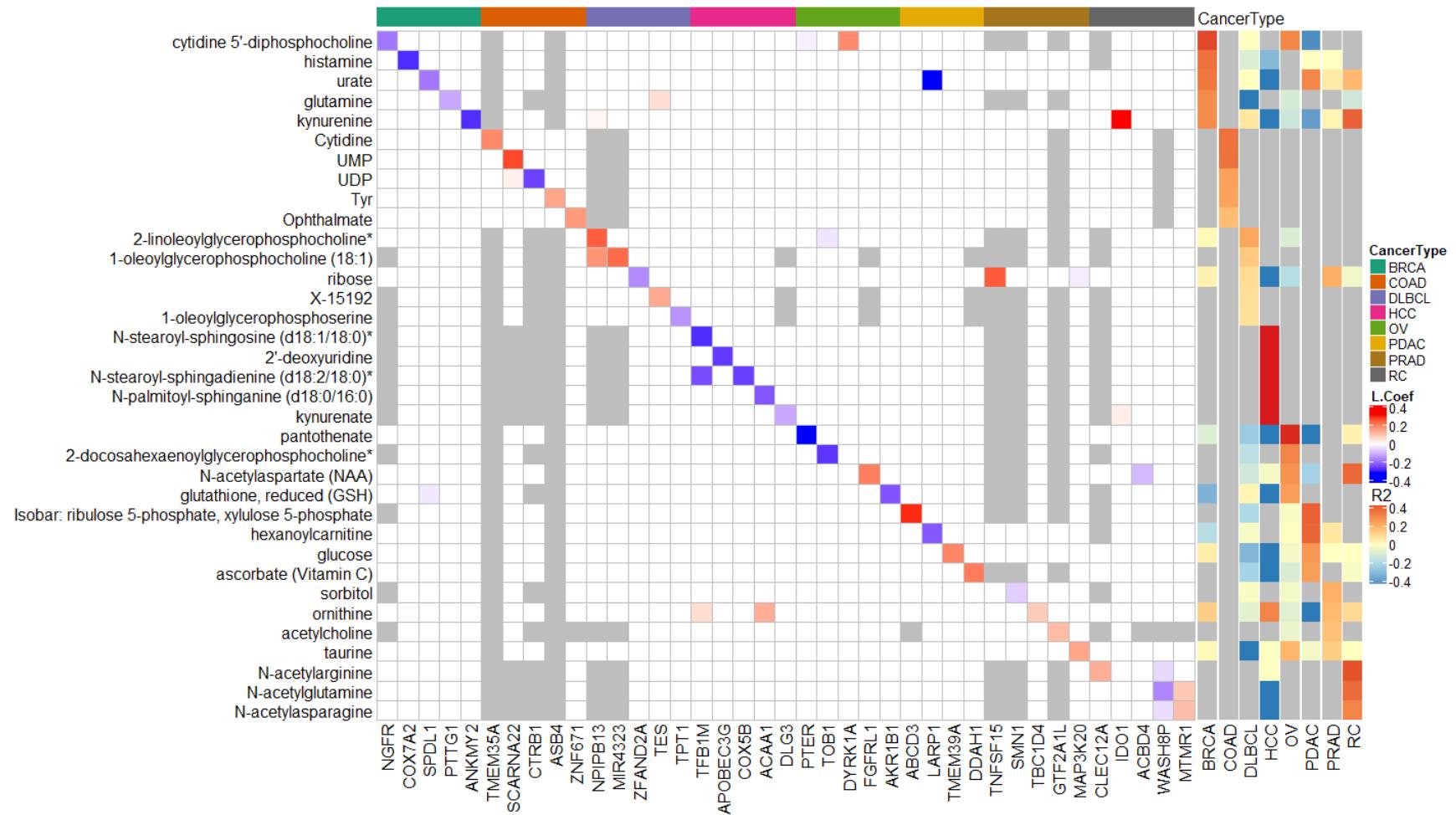


Figure 26. Pancancer Prediction Results and their most significant LASSO coefficients

## Conclusions

In this experiment, we explored various machine models to illustrate the concept of in silico metabolomics: that the level of metabolites could be imputed based on readily available transcriptomics data for cancer samples. From the prediction results, we were able to identify several genes that were highly indicative of metabolites in cancer microenvironments. Most notable ones, especially given that our kidney cancer data is the richest dataset, were between IDO1 and kynurenine, AKR1B1 and ribitol, and GGT1 and gamma glutamylglutamine. We extended this analysis to pancancer analysis, across 8 different cancers. Of these, one of the most staggering result is between AKR1B1 and glutathione, reduced (GSH) in ovarian cancer. This is a similar metabolomic relationship between glucose-transforming polyol pathway and gene AKR1B1.

One of the reasons why LASSO regression was successful was because the data was in high-dimension low observation regime and the relationships were linear. Nevertheless, there were some challenges in this experiment. The two most challenging part of the experiment was the lack of quality and the lack of observation, literally, of the data. Both metabolomics data and transcriptomics data undergo multiple stages of preprocessing, which each layer adds and further propagates error. The metabolomics data are known to have batch effect coming out of chromatography machine. It goes through a preprocessing pipeline where missing values are imputed, and quantile transformation is applied. These all result in a lower the signal to noise ratio at the end of the day. The low signal to noise ratio could potentially be counterbalanced by more observation. We have trained our ccRCC model with 99 samples and tested it on 22 samples, from three different cohorts.

While this is phenomenally abundant for statistics study, this is barely on the edge of possible for a machine learning project this complicated. It would have helped if we had more studies and samples.

We look forward to further studies that could investigate not only the relationships in what predicts better metabolites but also using known pathways to investigate the chain reactions going on in the microenvironment in the computational field, and further validation of these hypothesis in vitro and in vivo so that the discovered relationships could be further used in clinical trials and practices.

## Appendix

### Appendix A. List of Results for Pancancer Analysis

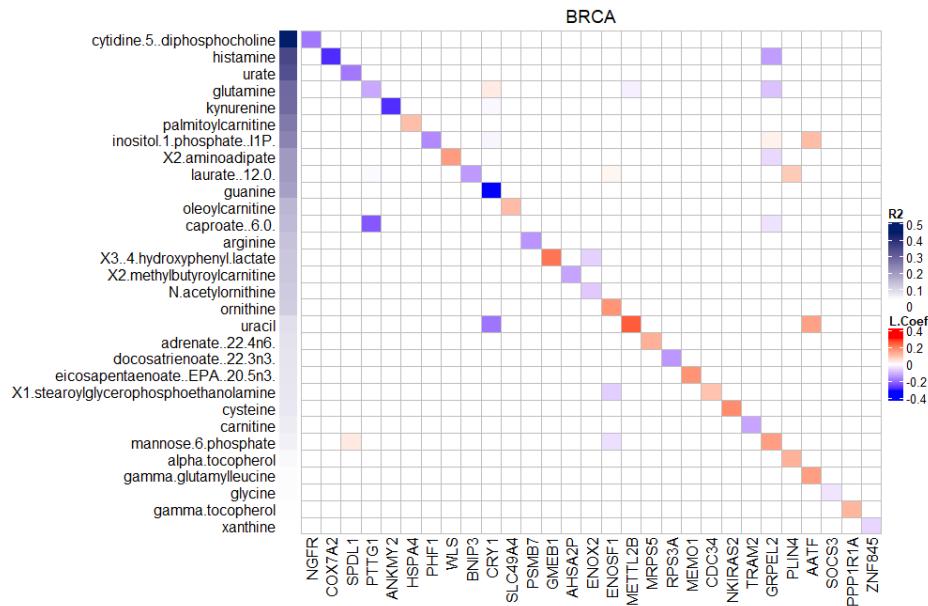


Figure 27. BRCA LASSO Coefficients

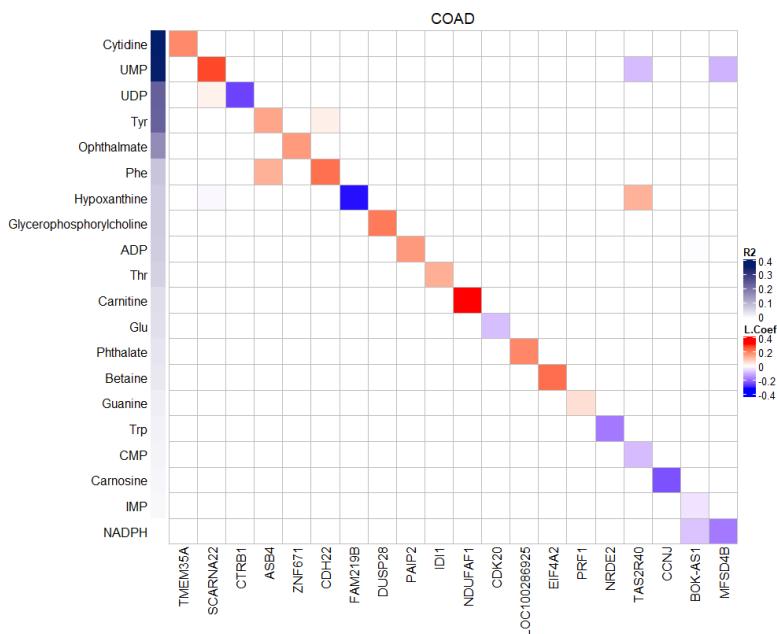


Figure 28. COAD LASSO Coefficients

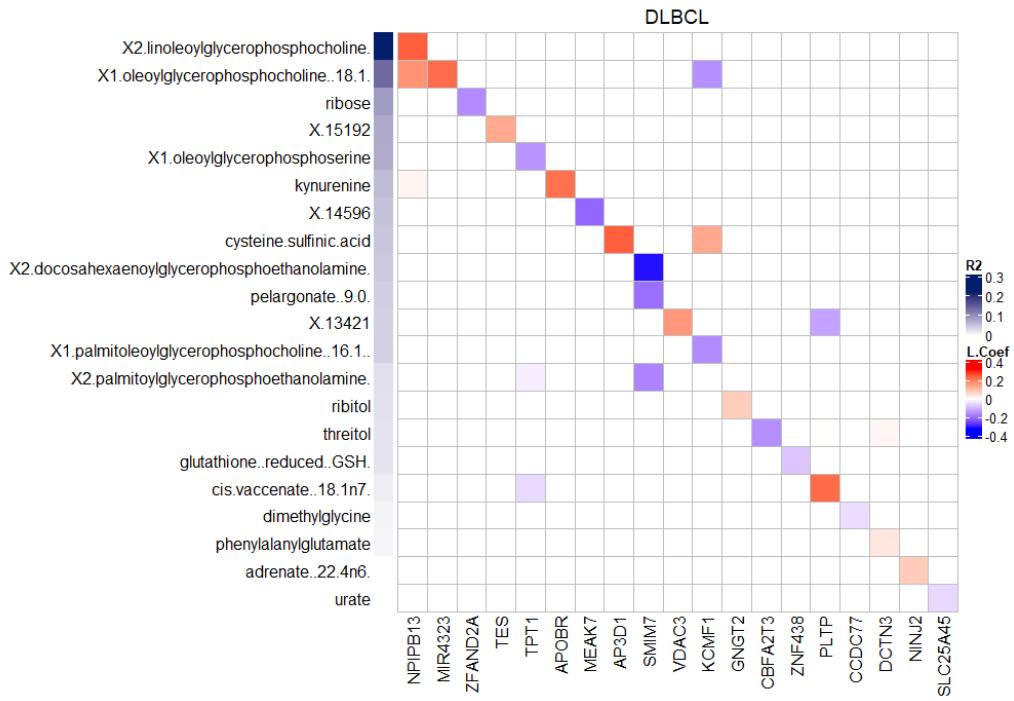


Figure 29. DLBCL LASSO Coefficients

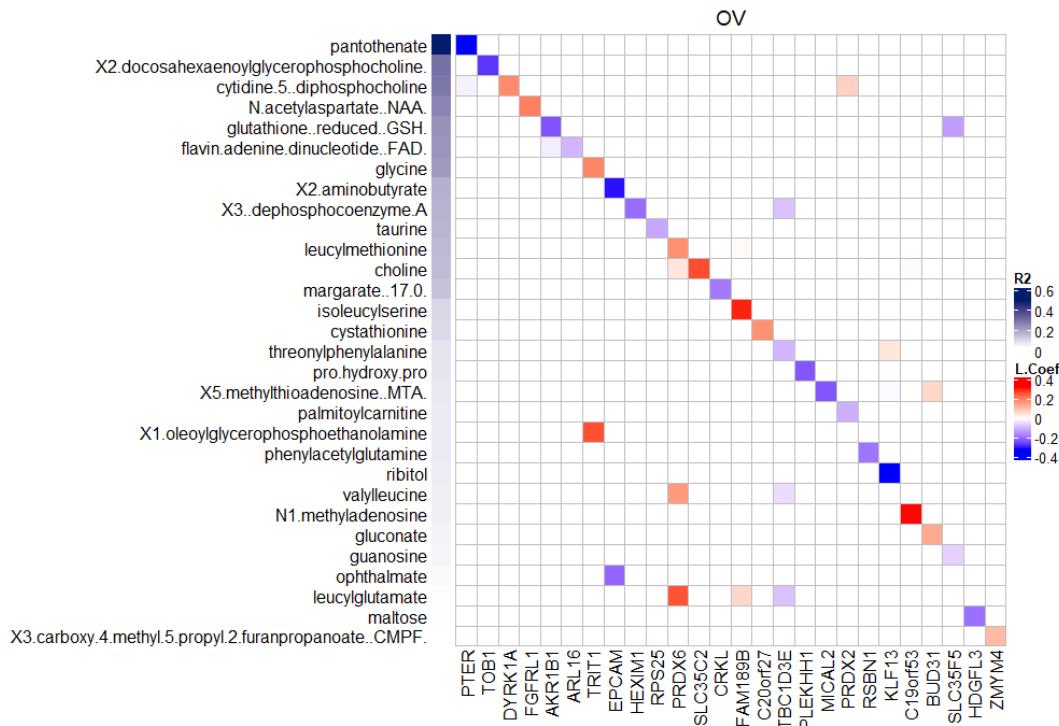


Figure 30. OV LASSO Coefficients

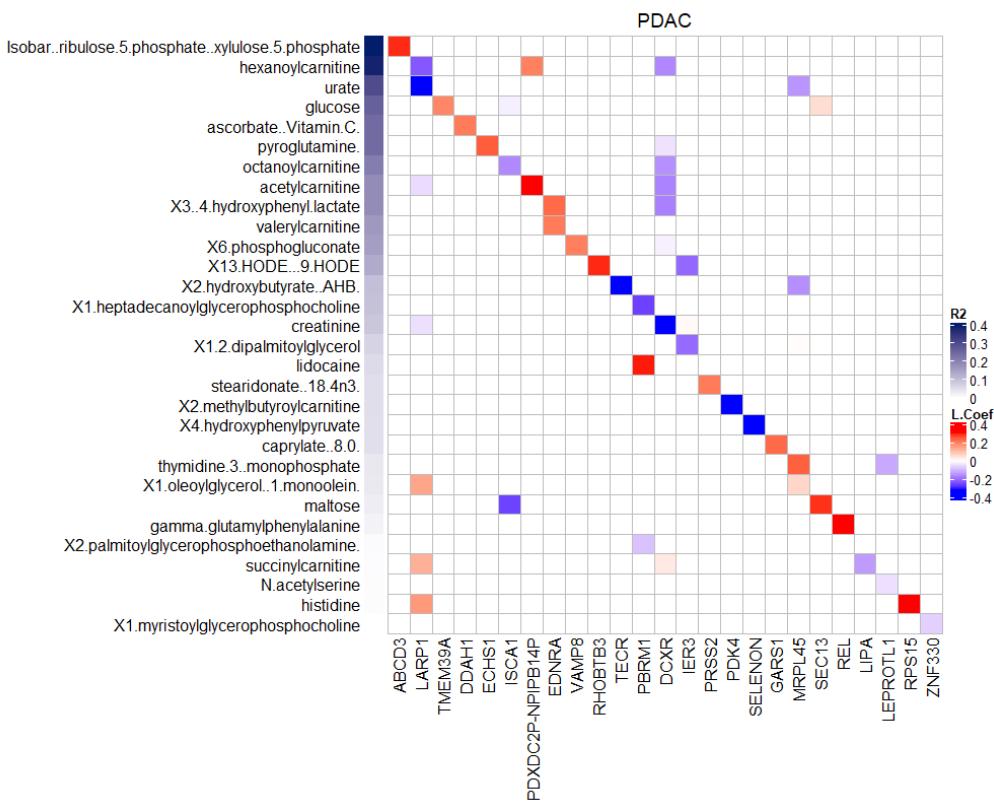


Figure 31. PDAC LASSO Coefficients

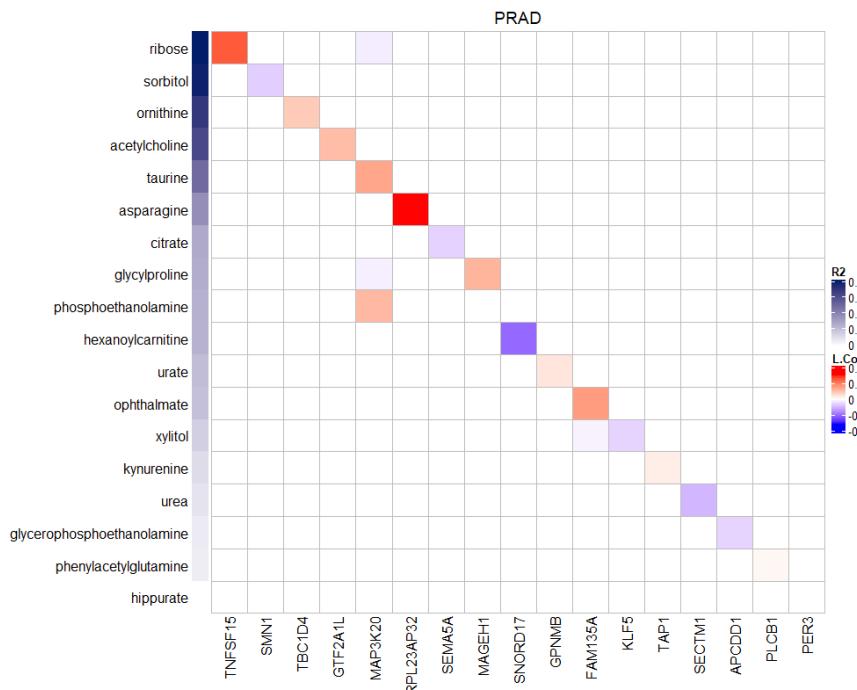


Figure 32. PRAD LASSO Coefficients

## Appendix B. Code

### Loader.py

```
1. import pandas as pd
2. import numpy as np
3. from sklearn.preprocessing import StandardScaler, RobustScaler, PowerTransformer
4. from sklearn.model_selection import train_test_split
5.
6.
7. class Base:
8.     def __init__(self, filename = None, lowpass = True, threshold = 0.1, sc = "z-
score", with_mean = True, with_std = True, log_transform = False, mean_filter = 2):
9.         if filename:
10.             # read file
11.             self.data = pd.read_csv(filename)
12.             self.scaler = None
13.
14.             # apply lowpass filter
15.             if lowpass:
16.                 passed = self.data.apply(np.var) > threshold
17.                 self.data = self.data[self.data.columns[passed]]
18.
19.             if log_transform:
20.                 self.data = np.log(1+self.data)
21.                 mean_filt = self.data.apply(np.mean) > mean_filter
22.                 self.data = self.data.loc[:,mean_filt]
23.
24.             if sc == "z-score":
25.                 self.scaler = StandardScaler(with_mean = with_mean, with_std = with_std).f
it(self.data)
26.             elif sc == "robust":
27.                 self.scaler = RobustScaler(with_centering = with_mean, with_scaling = with
_std).fit(self.data)
28.             elif sc == "power":
29.                 self.scaler = PowerTransformer().fit(self.data)
30.
31.             if self.scaler:
32.                 self.data = pd.DataFrame(self.scaler.transform(self.data), columns = self.
data.columns)
33.
34.     def __getitem__(self, key):
35.         return self.data[key]
36.
37. class Metabolite(Base):
38.     def __init__(self, filename = None, lowpass = True, threshold = 0.1, sc = "z-
score", with_mean = True, with_std = True):
39.         super().__init__(filename, lowpass, threshold, sc, with_mean, with_std)
40.
41. class Immune(Base):
42.     def __init__(self, filename = None, lowpass = True, threshold = 0.1, sc = "z-
score", with_mean = True, with_std = True):
43.         super().__init__(filename, lowpass, threshold, sc, with_mean, with_std)
44.
45. class Gene(Base):
```

```

46.     def __init__(self, filename = None, lowpass = True, threshold = 0.1, sc = "z-
47.         score", with_mean = True, with_std = True, log_transform = True, mean_filter = 2):
48.             super().__init__(filename, lowpass, threshold, sc, with_mean, with_std, log_transf
49.         orm, mean_filter)
50.     class Data:
51.         def __init__(self, X_train, y_train, X_test = None, y_test = None, seed = 42):
52.             if X_test and y_test:
53.                 self.common_features = set(X_test.data.columns)
54.                 self.common_targets = set(y_test.data.columns)
55.             else:
56.                 self.common_features = set(X_train.data.columns)
57.                 self.common_targets = set(y_train.data.columns)
58.             if type(X_train) == list and type(y_train) == list:
59.                 for X_, y_ in zip(X_train, y_train):
60.                     self.common_features = set(X_.data.columns).intersection(self.common_featu
61.                     res)
62.                     self.common_targets = set(y_.data.columns).intersection(self.common_target
63.                     s)
64.             else:
65.                 self.common_features = set(X_train.data.columns).intersection(self.common_feat
66.                 ures)
67.                 self.common_targets = set(y_train.data.columns).intersection(self.common_targe
68.                 ts)
69.             self.common_features = list(self.common_features)
70.             self.common_targets = list(self.common_targets)
71.             if type(X_train) == list and type(y_train) == list:
72.                 X = [x.data[self.common_features] for x in X_train]
73.                 y = [y.data[self.common_targets] for y in y_train]
74.                 self.X_train = pd.concat(X)
75.                 self.y_train = pd.concat(y)
76.             else:
77.                 self.X_train = X_train.data[self.common_features]
78.                 self.y_train = y_train.data[self.common_targets]
79.             if X_test and y_test:
80.                 self.X_test = X_test.data[self.common_features]
81.                 self.y_test = y_test.data[self.common_targets]
82.             else:
83.                 self.X_train, self.X_test, self.y_train, self.y_test = train_test_split(self.X
84.                 _train, self.y_train, test_size = 0.33, random_state = seed)
85.             str_to_replace = []#[["[","]","<",">"]
86.             for s in str_to_replace:
87.                 self.X_train.columns = self.X_train.columns.str.replace(s,"")
88.                 self.y_train.columns = self.y_train.columns.str.replace(s,"")
89.                 self.X_test.columns = self.X_test.columns.str.replace(s,"")
90.                 self.y_test.columns = self.y_test.columns.str.replace(s,"")
91.             def add(self, train_metadata, test_metadata):
92.                 if train_metadata.shape[0] != self.X_train.shape[0]:
93.                     print("number of training sample does not match")
94.                     return
95.                 if test_metadata.shape[0] != self.X_test.shape[0]:
96.                     print("number of test sample does not match")
97.                     return

```

```
99.     if train_metadata.shape[1] != test_metadata.shape[1]:
100.         print("number of training column and test column does not match")
101.         return
102.     self.X_train = pd.concat([self.X_train, train_metadata], axis=1)
103.     self.X_test = pd.concat([self.X_test, test_metadata], axis = 1)
```

## Spearmanr.py

```
1. from scipy.stats import spearmanr, pearsonr
2. from statsmodels.stats.multitest import multipletests
3. import pandas as pd
4. from tqdm import tqdm
5.
6. class Correlation:
7.     def __init__(self, X = None, y = None, filename = None, corr_type = "spearman"):
8.         # if a filename is given, load the file
9.         if filename:
10.             self.data = pd.read_csv(filename)
11.         # otherwise compute correlations
12.         else:
13.             if X.empty or y.empty:
14.                 print("invalid argument")
15.                 return
16.             result = []
17.             for target in tqdm(y.columns):
18.                 # batch = []
19.                 for feature in X.columns:
20.                     if corr_type == "spearman":
21.                         r, pval = spearmanr(X[feature], y[target])
22.                     elif corr_type == "pearson":
23.                         r, pval = pearsonr(X[feature], y[target])
24.                     item = tuple([feature, target, r, pval])
25.                     result.append(item)
26.
27.             columns = ["X", "y", "R", "pval"]
28.             self.data = pd.DataFrame(result, columns = columns)
29.             self.data["X"] = self.data["X"].astype(str)
30.             self.data["y"] = self.data["y"].astype(str)
31.
32.
33.             str_to_replace = ["[", "]", "<", ">"]
34.             for s in str_to_replace:
35.                 self.data["X"] = self.data["X"].str.replace(s, "")
36.                 self.data["y"] = self.data["y"].str.replace(s, "")
37.
38.             # compute adjusted pvalue based on benjamini_hochberg algorithm
39.             def adjusted_pval(self):
40.                 def benjamini_hochberg(corr):
41.                     result = multipletests(corr["pval"], method = "fdr_bh")
42.                     corr["reject"] = result[0]
43.                     corr["qval"] = result[1]
44.                     return corr
45.                 self.data = self.data.groupby(by = "X").apply(benjamini_hochberg)
46.                 self.data = benjamini_hochberg(self.data)
47.
48.             def __getitem__(self, target):
49.                 return self.data.loc[self.data["y"] == target]
50.
51.             def save(self, filename):
52.                 self.data.to_csv(filename, index = False)
```

## Preprocessor.py

```
1. import pandas as pd
2. import os
3.
4. MASTERFILE = "MasterMapping_MetImmune.csv"
5. master = pd.read_csv(MASTERFILE, index_col=0)
6. datasets = master["Identifier"].unique()
7.
8. for x in datasets:
9.     print(x)
10.    # process RC data
11.    cur_data = master[(master["Identifier"] == x) & (master["Histology"] == "Clear Cell")]
12.    if not cur_data.any().any():
13.        continue
14.    order = cur_data[cur_data.columns[:3]]
15.
16.    metfile = 'Metabolites_Processed_Immune/' + cur_data["MetabFile"].unique()[0]
17.    rnafile = 'Kuo_RNA_Processed/' + cur_data["RNAFile"].unique()[0]
18.    ithfile = 'Kuo_Processed_Deconvolution/' + cur_data["ITHFile"].unique()[0]
19.
20.    try:
21.        cur_met = pd.read_csv(metfile, index_col = 0).T
22.        cur_rna = pd.read_csv(rnafile, index_col = 0).T
23.        cur_ith = pd.read_csv(ithfile, index_col = 0)
24.    except FileNotFoundError:
25.        print("one of ", metfile, rnafile, ithfile, "doesnt exist")
26.        continue
27.
28.    cur_met["MetabID"] = cur_met.index
29.    cur_met.reset_index(inplace = True)
30.    cur_rna["RNAID"] = cur_rna.index
31.    cur_rna.reset_index(inplace = True)
32.    cur_ith["ITHID"] = cur_ith.index
33.    cur_ith.reset_index(inplace = True)
34.
35.    tmp = order.merge(cur_met, how = "inner", on = "MetabID")
36.    tmp_order = tmp[tmp.columns[:3]]
37.    tmp = tmp_order.merge(cur_rna, how = "inner", on = "RNAID")
38.    tmp_order = tmp[tmp.columns[:3]]
39.    tmp = tmp_order.merge(cur_ith, how = "inner", on = "ITHID")
40.    tmp_order = tmp[tmp.columns[:3]]
41.
42.    final_met = tmp_order.merge(cur_met, how = "inner", on = "MetabID")
43.    final_rna = tmp_order.merge(cur_rna, how = "inner", on = "RNAID")
44.    final_ith = tmp_order.merge(cur_ith, how = "inner", on = "ITHID")
45.
46.    dir_ = 'normal/'
47.    directory = os.path.dirname("".join(["data/" + dir_, x, "/"]))
48.
49.    if not os.path.exists(directory):
50.        os.makedirs(directory)
51.
52.    final_met[final_met.columns[4:]].to_csv("data/" + dir_ + x + "/met.csv", index = False)
53.    final_rna[final_rna.columns[4:]].to_csv("data/" + dir_ + x + "/rna.csv", index = False)
```

```
| 54.      final_ith[final_ith.columns[4:]].to_csv("data/" + dir_ + x + "/ith.csv", index = False  
| )
```

## Modelhub.py

```
1. from tqdm import tqdm
2. import numpy as np
3. import pandas as pd
4.
5. from sklearn.linear_model import LassoCV
6. from sklearn.ensemble import RandomForestRegressor
7. import xgboost as xgb
8. from sklearn.svm import SVR
9.
10. class ModelHub:
11.     def __init__(self, model = "LASSO"):
12.         self.model = model
13.         # full model or partial model
14.         self.models = dict()
15.         self.results = dict()
16.         if model in ("LASSO", "SVM"):
17.             self.coefs = dict()
18.         elif model in ("XGBoost", "RandomForest"):
19.             self.featimp = dict()
20.
21.     def __call__(self, data, sig_corr = None, cv = 3, seed = 42, iter = 1e4, metadata = None, num_feature = None):
22.         #y_cols = data.y_train.columns
23.         #data.y_train.columns = [str(x) for x in range(len(y_cols))]
24.
25.         for target_feature in tqdm(data.y_train.columns):
26.             # runs full mode if sig_corr is not given as a parameter
27.             if sig_corr:
28.                 if num_feature:
29.                     features = sig_corr[target_feature].sort_values("qval")[:num_feature][
30.                         "X"]
31.                     if len(features) == 0:
32.                         continue
33.                         #print(features)
34.                     else:
35.                         features = list(set(sig_corr[target_feature]["X"]).intersection(set(da-
36.                             ta.X_train.columns)))
37.                         if metadata:
38.                             features += metadata
39.                             # if no correlated features exist, skip the current loop
40.                             if not num_feature and not features:
41.                                 continue
42.                             else:
43.                                 features = data.X_train.columns
44.
45.                             if self.model == "LASSO":
46.                                 model = LassoCV(cv = cv, random_state = seed, max_iter = iter)
47.                             elif self.model == "XGBoost":
48.                                 model = xgb.XGBRegressor(objective ='reg:squarederror', scoring='r2', rand-
49.                                     om_state = seed)
50.                             elif self.model == "RandomForest":
51.                                 model = RandomForestRegressor()
52.                             elif self.model == "SVM":
53.                                 model = SVR(kernel = "linear")
54.
55.                             # train
```

```

53.         model.fit(data.X_train[features], np.ravel(data.y_train[target_feature]))
54.
55.         # test
56.         train_score = model.score(data.X_train[features], data.y_train[target_feature])
57.     )
58.         test_score = model.score(data.X_test[features], data.y_test[target_feature])
59.
60.         # store everything
61.         self.models[target_feature] = model
62.         self.results[target_feature] = (train_score, test_score)
63.         if self.model in ("LASSO", "SVM"):
64.             self.coefs[target_feature] = pd.DataFrame({'X':features, 'Y': target_featu
re, 'coef':model.coef_})
65.
66.         elif self.model in ("XGBoost", "RandomForest"):
67.             self.featimp[target_feature] = pd.DataFrame({'X':features, 'Y': target_fea
ture, 'featimp':model.feature_importances_})
68.
69.         self.results = pd.DataFrame(self.results).T.rename(columns = {0:"R2 train", 1:"R2
test"})
70.
71.         if self.model in ("LASSO", "SVM"):
72.             self.coefs = pd.concat(self.coefs.values())
73.
74.         elif self.model in ("XGBoost", "RandomForest"):
75.             self.featimp = pd.concat(self.featimp.values())
76.
77.     return self.results
78.
79. def predict(self, data, sig_corr = None, num_feature = None, metadata = None):
80.     results = []
81.     for target_feature in tqdm(data.y_train.columns):
82.         if sig_corr:
83.             if num_feature:
84.                 features = sig_corr[target_feature].sort_values("qval")[:num_feature][
"X"]
85.                 if len(features) == 0:
86.                     continue
87.                     #print(features)
88.                 else:
89.                     features = list(set(sig_corr[target_feature]["X"]).intersection(set(da
ta.X_train.columns)))
90.                     if metadata:
91.                         features += metadata
92.                         # if no correlated features exist, skip the current loop
93.                         if not num_feature and not features:
94.                             continue
95.                         else:
96.                             features = data.X_train.columns
97.
98.                         train_pred = self.models[target_feature].predict(data.X_train[featu
res])
99.                         test_pred = self.models[target_feature].predict(data.X_test[featu
res])
100.
101.                         train_score = self.models[target_feature].score(data.X_train[featu
res], dat
a.y_train[target_feature])
102.                         test_score = self.models[target_feature].score(data.X_test[featu
res], data.
y_test[target_feature])
103.
104.                         train = pd.DataFrame({ "Y": target_feature,

```

```
105.                               "label": data.y_train[target_feature],
106.                               "pred": train_pred,
107.                               "r2": train_score,
108.                               "residual":(data.y_train[target_feature] - train_pred
109.                                )**2})
110.                               test = pd.DataFrame({ "Y": target_feature,
111.                                         "type": "test",
112.                                         "label": data.y_test[target_feature],
113.                                         "pred": test_pred,
114.                                         "r2": test_score,
115.                                         "residual":(data.y_test[target_feature] - test_pred)**2})
116.                               results.append(train.append(test))
117.                               df = pd.concat(results)
118.
119.                               return df.sort_values(by = "r2", ascending = False)
```

## Metith.py

```
1. import pandas as pd
2. import numpy as np
3. import copy
4.
5. from codes.spearmanr import Correlation
6. from codes.loader import Metabolite, Immune, Data
7. from codes.modelhub import ModelHub
8.
9. from collections import defaultdict
10.
11. import matplotlib.pyplot as plt
12.
13. SCALE = "z-score"
14.
15. DIRECTORY_FILENAME = "data/directories.csv"
16. CORR_FILENAME = "results/rna/RC/corr2/allcorr.csv"
17.
18. ....
19. si18mr = pd.read_csv("data/RC18MR/si.csv")
20. si18fc = pd.read_csv("data/RC18Flow/si.csv")
21. si12 = pd.read_csv("data/RC12/si.csv")
22. ...
23.
24.
25. if __name__ == "__main__":
26.
27.     # read in directories
28.     directories = pd.read_csv(DIRECTORY_FILENAME)
29.     # read in filenames from the directory
30.     #directories = directories[directories["type"] == "RC"]
31.
32.     #load all files
33.     met = dict()
34.     ith = dict()
35.     corr = dict()
36.     train_test_split = defaultdict(lambda:[[]], dict())
37.
38.     for idx, row in directories.iterrows():
39.         dir_ = 'data/' + row['status'] + '/' + row['data'] + '/'
40.         mfile = dir_ + 'met.csv'
41.         ifile = dir_ + 'ith.csv'
42.         cfile = dir_ + 'corr_metith.csv'
43.
44.         met[row["data"]] = Metabolite(mfile, sc=SCALE)
45.         ith[row["data"]] = Immune(ifile, sc=SCALE)
46.         data = Data(X_train = [met["RC18MR"], met["RC12"]], y_train = [ith["RC18MR"], ith["RC12"]], X_test = met["RC18Flow"], y_test = ith["RC18Flow"])
47.
48.         #corr["RC"] = Correlation(filename = "data/corr/RCCorr_metith.csv")
49.         #corr["BRCA"] = Correlation(filename = "data/corr/BRCAcorr_metith.csv")
50.         #corr["PRAD"] = Correlation(filename = "data/corr/PRADcorr_metith.csv")
51.         full_lasso = ModelHub(model = "LASSO")
52.         full_lasso(data = data)
53.         print(full_lasso.results[(full_lasso.results > 0.2).all(axis = 1)].sort_values("R2 test", ascending = False))
54.
```

```
55.     cr = Correlation(data.X_train, data.y_train)
56.     pd.pivot(cr.data, index = "X", columns = "y", values = "R").to_csv("metith/corr.csv")
57.     pd.pivot(full_lasso.coefs, index = "X", columns = "Y", values="coef").to_csv("metith/lasso_coef.csv")
58.
59.     partial_rf = ModelHub(model = "RandomForest")
60.     partial_rf(data = data)
61.     print(partial_rf.results[(partial_rf.results > 0.2).all(axis = 1)].sort_values("R2 test",
62.                                         ascending = False))
63.
64.     partial_xgb = ModelHub(model = "XGBoost")
65.     partial_xgb(data = data)
66.     print(partial_xgb.results[(partial_xgb.results > 0.2).all(axis = 1)].sort_values("R2 test",
67.                                         ascending = False))
68.
69.     full_lasso.predict(data).to_csv("metith/lasso_residuals.csv", index = False)
70.     partial_rf.predict(data).to_csv("metith/rf_residuals.csv", index = False)
71.     partial_xgb.predict(data).to_csv("metith/xgb_residuals.csv", index = False)
72.
73.     full_lasso.results["Y"] = full_lasso.results.index()
```

## Rnauth.py

```
1. import pandas as pd
2. import numpy as np
3. import copy
4.
5. from codes.spearmanr import Correlation
6. from codes.loader import Metabolite, Gene, Immune, Data
7. from codes.modelhub import ModelHub
8. from collections import defaultdict
9.
10. from sklearn.linear_model import LassoCV
11.
12. import matplotlib.pyplot as plt
13. from tqdm import tqdm
14. from seaborn import heatmap
15. from sklearn.cross_decomposition import PLSRegression
16. from sklearn.metrics import r2_score
17.
18. SCALE = "z-score"
19. STATUS = "tumor"
20. DIRECTORY_FILENAME = "data/directories.csv"
21. # CORR_FILENAME = "results/rna/RC/corr2/allcorr.csv"
22.
23. if __name__ == "__main__":
24.     # read in directories
25.     directories = pd.read_csv(DIRECTORY_FILENAME)
26.     # read in filenames from the directory
27.     directories = directories[(directories["status"] == STATUS) & (directories["type"]
28.     != "RC")]
28.
29.     #load all files
30.     met = dict()
31.     ith = dict()
32.     gene = dict()
33.     corr = dict()
34.     data = dict()
35.     train_test_split = defaultdict(lambda: [], dict())
36.
37.     for idx, row in directories.iterrows():
38.         dir_ = 'data/' + row['status'] + '/' + row['data'] + '/'
39.         mfile = dir_ + 'met.csv'
40.         ifile = dir_ + 'ith.csv'
41.         gfile = dir_ + 'rna.csv'
42.         cfile = dir_ + 'corr_rnamet.csv'
43.
44.         met[row["data"]] = Metabolite(mfile, sc=SCALE)
45.         ith[row["data"]] = Immune(ifile, sc=SCALE)
46.         gene[row["data"]] = Gene(gfile, sc=SCALE)
47.         try:
48.             corr[row["data"]] = Correlation(filename = cfile)
49.         except FileNotFoundError:
50.             print("Correlation file not found.")
51.             continue
52.
53.         for key in gene:
54.             print(key, str(ith[key].data.shape))
55.
```

```

56.     # train test split
57.     # data = Data(X_train = [gene["RC18MR"], gene["RC12"]], y_train = [met["RC18MR"], met[
58.         "RC12"]], X_test = gene["RC18Flow"], y_test = met["RC18Flow"])
59.     for idx, df in directories.groupby(["type"]):
60.         if type(df) is pd.DataFrame:
61.             train_data = df[df["set"] == "train"]["data"].tolist()
62.             test_data = df[df["set"] == "test"]["data"].tolist()
63.             dataset = df["type"].unique()[0]
64.
65.             if train_data and test_data:
66.                 if len(train_data) > 1:
67.                     xi = [gene[x] for x in train_data]
68.                     yi = [met[x] for x in train_data]
69.                 else:
70.                     xi = gene[train_data[0]]
71.                     yi = met[train_data[0]]
72.                 if len(test_data) > 1:
73.                     xo = [gene[x] for x in test_data]
74.                     yo = [met[x] for x in test_data]
75.                 else:
76.                     xo = gene[test_data[0]]
77.                     yo = met[test_data[0]]
78.             data[dataset] = Data(X_train = xi, y_train = yi, X_test = xo, y_test = yo)
79.
80.         else:
81.             data[dataset] = Data(X_train = gene[dataset], y_train = met[dataset])
82.
83.     lasso_modelhub = dict()
84.     rf_modelhub = dict()
85.     cancer_results = dict()
86.
87.     pls = PLSRegression(n_components=4)
88.     pls.fit(data['RC'].X_train, data['RC'].y_train[metabolites])
89.     #pls.score(data['RC'].X_train, data['RC'].y_train[metabolites])
90.     #pls.score(data['RC'].X_test, data['RC'].y_test[metabolites])
91.     y = pd.DataFrame(pls.predict(data['RC'].X_test), columns = metabolites)
92.     pls_result = dict()
93.     for key in y:
94.         pls_result[key] = r2_score(data['RC'].y_test[key], y[key])
95.     pls_result = pd.Series(pls_result)
96.     print(pls_result)
97.
98.     plt.plot(y[:,0],data['RC'].y_test[metabolites[0]],'.')
99.
100.    metabolites = full_lasso.results.sort_values('R2 test', ascending = False).head(5).
101.        index
102.    for key in data:
103.        key = 'RC'
104.        print(key)
105.        full_lasso = ModelHub(model = "LASSO")
106.        full_lasso(data = data[key])
107.        full_lasso.results.columns = 'L1 ' + full_lasso.results.columns
108.
109.        rf_model = ModelHub(model = "RandomForest")
110.        rf_model(data = data[key])
111.        rf_model.results.columns = 'RF ' + rf_model.results.columns
112.

```

```

113.         combined_result = full_lasso.coefs\
114.             .merge(rf_model.featimp, how = 'left', on = ['X','Y'])\
115.             .merge(full_lasso.results, how = 'left', left_on = 'Y', right_index = True)
116.             .merge(rf_model.results, how = 'left', left_on = 'Y', right_index = True)
117.
118.         important_results = combined_result[(combined_result['coef'].abs()> 0) | (combined_result['featimp'] > 0)]
119.
120.         important_results['Importance'] = important_results['L1 R2 test'] * \
121.             np.exp(important_results['coef'].abs() * 10) + \
122.             important_results['RF R2 test'] * \
123.             np.exp(important_results['featimp'] * 10)
124.
125.         important_results = important_results.sort_values('Importance', ascending = False)
126.         important_results.to_csv(key + ' important results.csv', index = False)
127.
128.         lasso_modelhub[key] = full_lasso
129.         rf_modelhub[key] = rf_model
130.         cancer_results[key] = important_results
131.
132.         tmp = cancer_results
133.         for key in cancer_results:
134.             tmp[key].set_index(['X','Y'], inplace = True)
135.
136.         result = pd.concat(tmp, axis=1)
137.         result.reset_index(inplace = True)
138.         result.columns = ['X','Y'] + result.columns.get_level_values(1)[2:].tolist()
139.         result['Mean Importance'] = result.loc[:,result.columns.str.contains('Importance')]
140.             .mean(axis=1)
141.         new_col_order = result.columns[:2].tolist() + [result.columns[-1]] + result.columns[2:-1].tolist()
142.         result = result[new_col_order].sort_values('Mean Importance', ascending = False)
143.         result.to_csv('pancancer result.csv', index = False)
144.
145.         tmp[key].columns = cancer_results[key].columns[:2] \
146.             .append(key + ' ' + cancer_results[key].columns[2:])
147.             ....
148.         print(full_lasso.results[(full_lasso.results > 0.1).all(axis = 1)].sort_values("R2 test", ascending = False))
149.
150.         lasso_modelhub[key] = full_lasso
151.         full_lasso.predict(data[key]).to_csv("rnamet/" + key + "lasso_residuals.csv", index = False)
152.         pd.pivot(full_lasso.coefs, index = "X", columns = "Y", values="coef").to_csv("rnamet/" + key + "lasso_coef.csv")
153.             ...
154.
155.         results = []
156.         for key in lasso_modelhub:
157.             tmp_result = lasso_modelhub[key].results.sort_values(by = "R2 test", ascending = False)
158.             tmp_result["type"] = key
159.             results.append(tmp_result)
160.
161.         pd.concat(results).sort_values(by= "R2 test", ascending = False).to_csv("final result.csv")
162.

```

```

163.      ....
164.      full_rf = ModelHub(model = "RandomForest")
165.      full_rf(data = data)
166.      print(full_rf.results[(full_rf.results > 0).all(axis = 1)])
167.
168.      full_rf.predict(data).to_csv("rnamat/rf_residuals.csv", index = False)
169.
170.      full_xgb = ModelHub(model = "XGBoost")
171.      full_xgb(data = data)
172.      print(full_xgb.results[(full_xgb.results > 0).all(axis = 1)])
173.
174.      full_xgb.predict(data).to_csv("rnamat/xgb_residuals.csv", index = False)
175.      ...
176.
177.      coefs = dict()
178.      corrs = dict()
179.      results = dict()
180.      r2_results = dict()
181.
182.      N = 30
183.      for key in lasso_modelhub:
184.          coefs[key] = pd.pivot(lasso_modelhub[key].coefs, index = "X", columns = "Y", va
lues="coef")
185.          #corrs[key] = pd.pivot(corr[key].data, index = "X", columns = "y", values="R")
186.
187.          lasso_modelhub[key].results = lasso_modelhub[key].results.sort_values("R2 test"
, ascending = False)
188.          filtdf = lasso_modelhub[key].results[lasso_modelhub[key].results["R2 test"] > 0
][:N]
189.          mets = filtdf.index
190.          genes = coefs[key].loc[:,mets].abs().idxmax().unique()
191.
192.          #genes1 = corrs[key].index.intersection(genes)
193.          #mets1 = corrs[key].columns.intersection(mets)
194.          r2_results[key] = filtdf
195.          results[key] = coefs[key].loc[genes, mets]
196.
197.          results[key].to_csv("rnamat/" + key + "coef_heatmap.csv")
198.          r2_results[key].to_csv("rnamat/" + key + "r2_annotation.csv")
199.
200.
201.          tmp_heatmap_data = pd.concat(results.values(), sort = False)
202.          rows = tmp_heatmap_data.index
203.          cols = tmp_heatmap_data.columns
204.
205.          coef_data_dict = dict()
206.          r2 = dict()
207.          for key in coefs:
208.              tmp_coef_data = pd.DataFrame(np.NaN, index = rows, columns = cols)
209.
210.              c_rows = coefs[key].index.intersection(rows)
211.              c_cols = coefs[key].columns.intersection(cols)
212.
213.              r2[key] = lasso_modelhub[key].results.loc[c_cols,"R2 test"]
214.
215.              tmp_coef_data.loc[c_rows, c_cols] = coefs[key].loc[c_rows, c_cols]
216.              coef_data_dict[key] = tmp_coef_data
217.
218.          r2df = pd.DataFrame(r2)

```

```

219.     heatmap_data = coef_data_dict['BRCA']
220.     for key in coef_data_dict:
221.         heatmap_data = heatmap_data.where(heatmap_data.abs() > coef_data_dict[key].abs(
222. ), coef_data_dict[key]).fillna(heatmap_data)
223.     coef_data_dict['BRCA'].abs().max(axis=1) > 0
224.     col_ann_data = dict()
225.     for key in coef_data_dict:
226.         col_ann_data[key] = coef_data_dict[key].abs().max(axis=1)
227.
228.     colAnn = pd.DataFrame(col_ann_data)
229.
230.     heatmap_data.T.to_csv("rnamat/heatmap.csv")
231.     colAnn.idxmax(axis=1).to_csv("rnamat/colann.csv")
232.     r2df.loc[heatmap_data.columns].to_csv("rnamat/rowann.csv")
233.     heatmap(heatmap_data.T, cmap = 'RdBu_r')
234.
235.     ds = 'RC'
236.     g = '3620'#'1347'
237.     m = 'kynurenine'#'histamine'
238.     plt.figure(figsize=(10,6), dpi = 100)
239.     plt.plot(data[ds].X_train[g], data[ds].y_train[m], '.', label = 'Train')
240.     plt.plot(data[ds].X_test[g], data[ds].y_test[m], '.', label = 'Test')
241.     plt.plot(np.linspace(-2,2),np.linspace(-2,2),'r--')
242.     plt.xlabel("ID01 Level")
243.     plt.ylabel("kynurenine Level")
244.     plt.legend(loc = "lower right")
245.     plt.savefig("figure1.png")

```

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