

CS CM 182 Lab 1

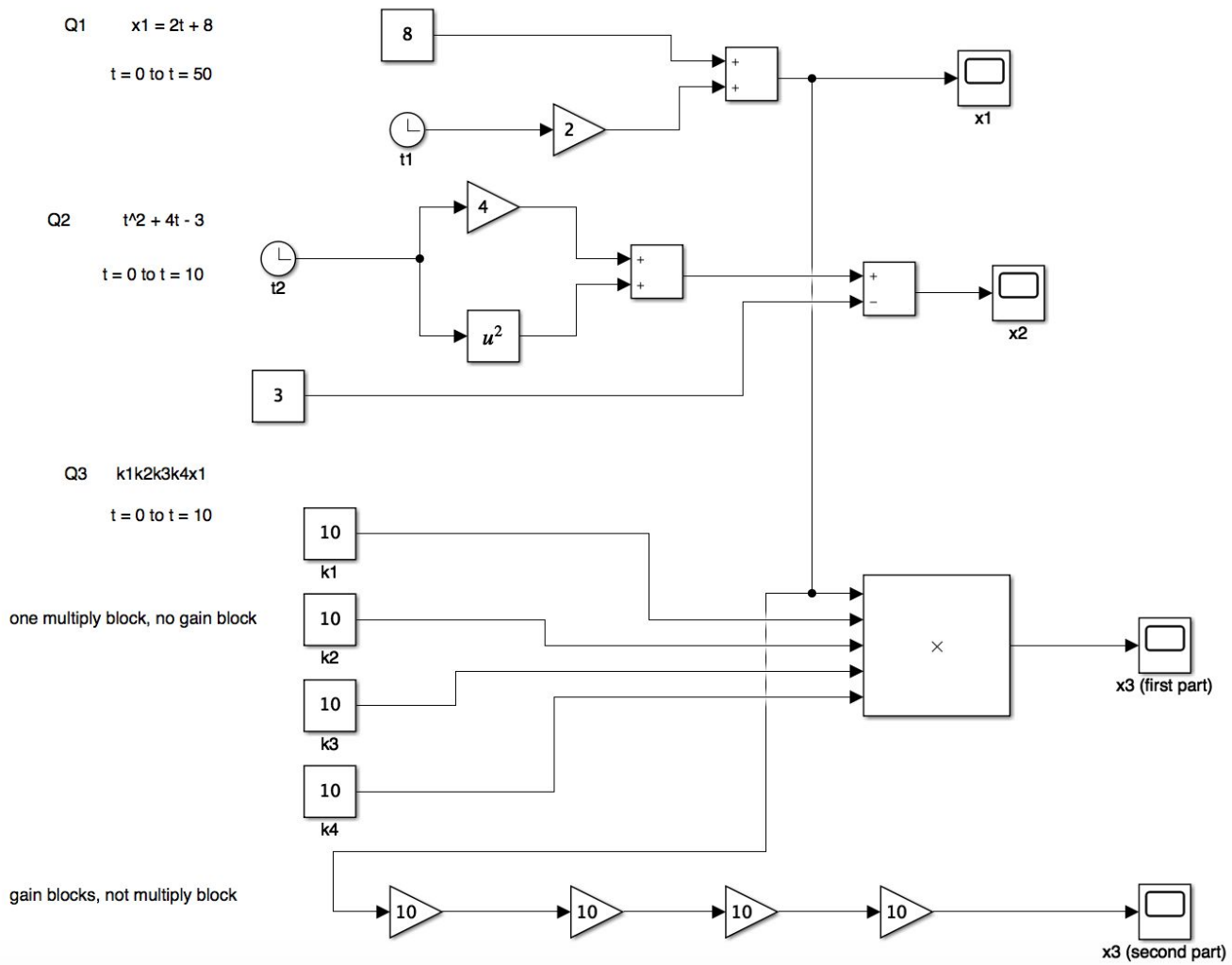
Name : Sum Yi Li

Student ID : 505146702

I completed this written part of the homework, lab report, or exam entirely on my own.

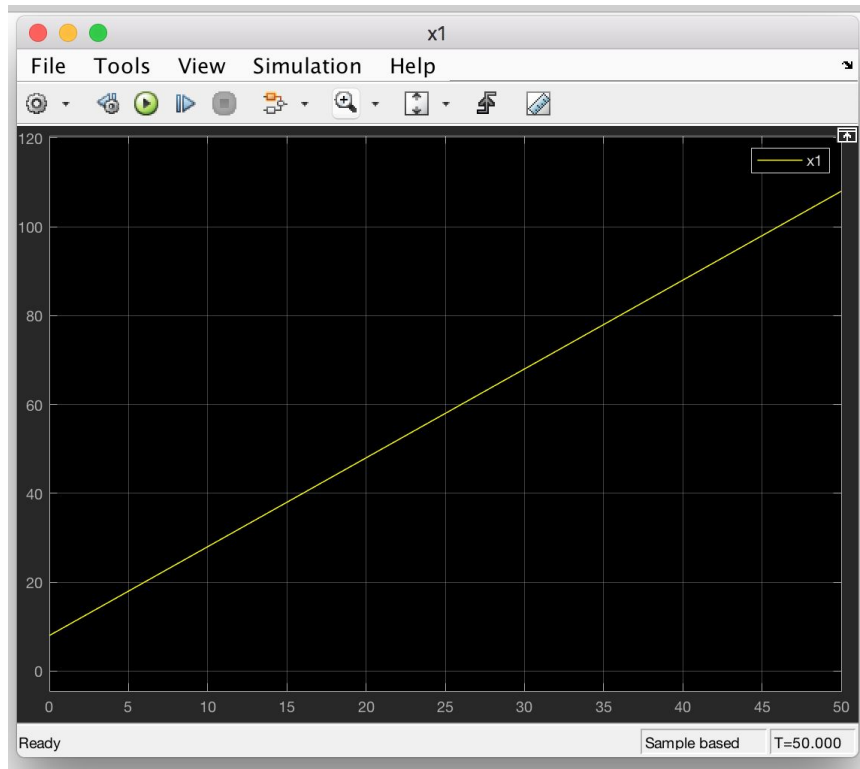
A handwritten signature in blue ink, appearing to read 'Sum Yi Li'.

Entire Simulink Chart (Q1 to Q3)

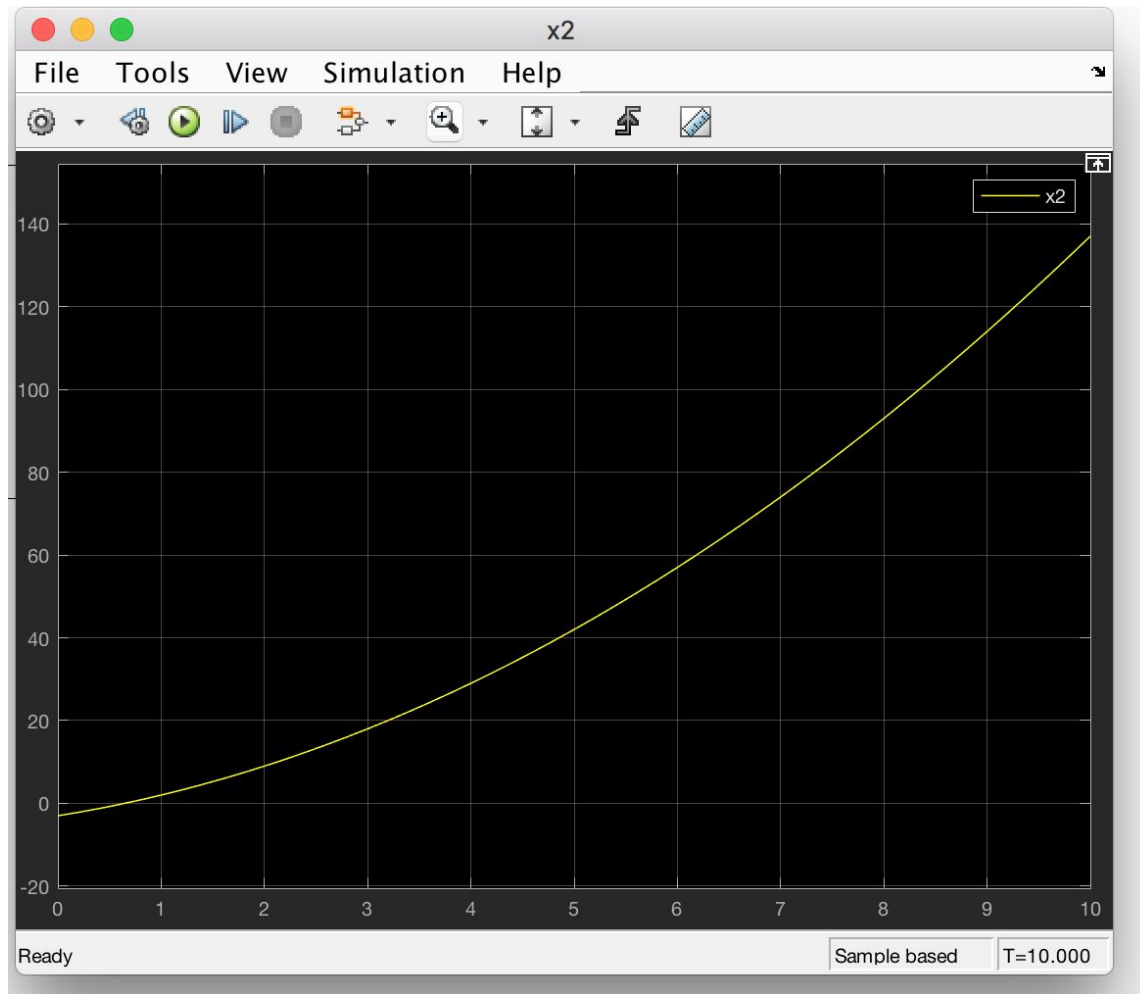


Analysis

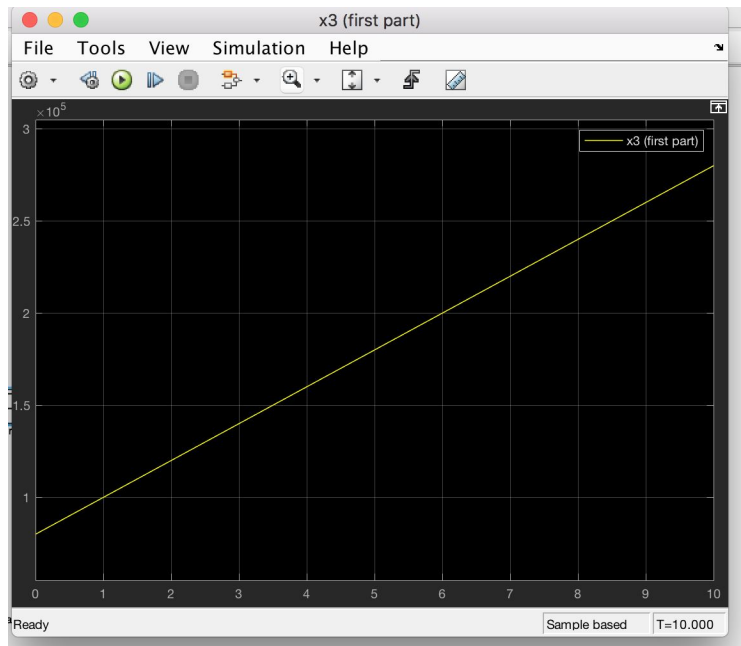
Q1



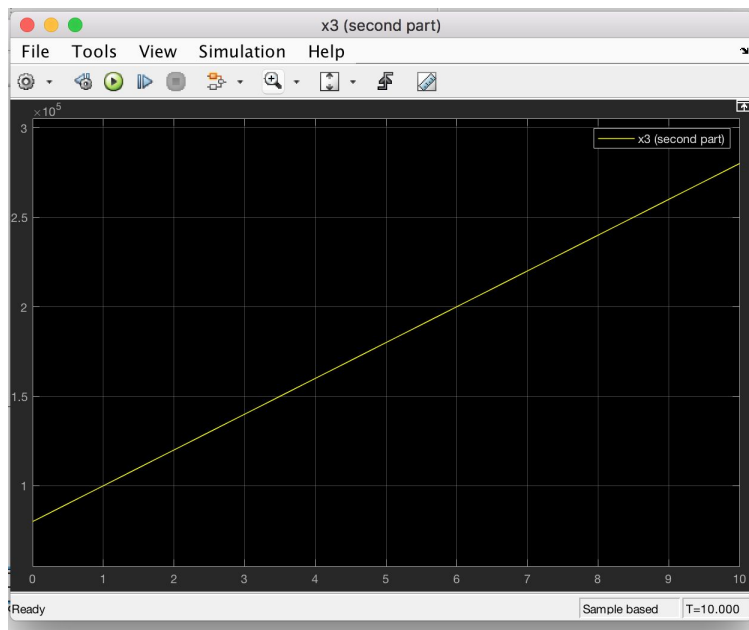
Q2



Q3



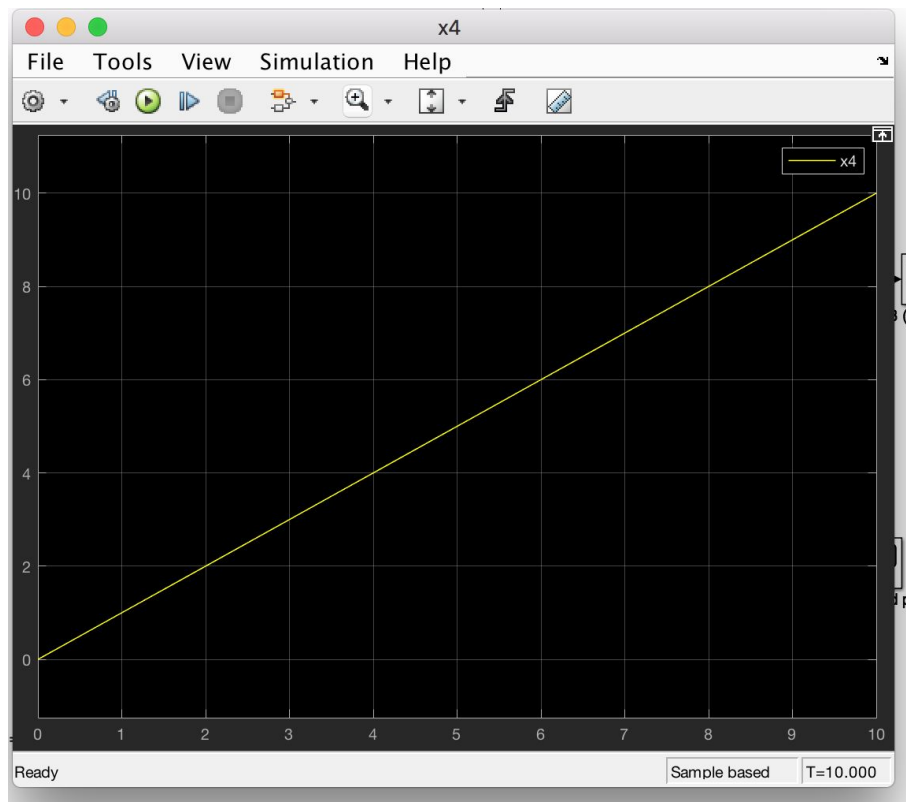
(use one multiply block)



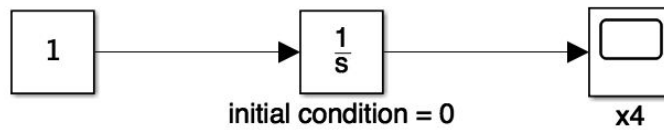
(use gain block, no multiply)

The method with using gain blocks and no multiply blocks is more cleaner because the total used blocks is one less than the method using one multiply block and no gain blocks. The total used blocks with just using gain blocks are 5 while the total used blocks with just using one multiply block are 6. Also, the structure is sequential and looks more straightforward.

Q4



Q4 integral of 1
initial condition = 0



Integrate 1 by hand

$$\int 1 dt \rightarrow t + C \rightarrow \underline{C=0 \text{ (initial condition=0)}}$$

$$x_4(t) = t$$

$$x_4(10) = 10$$

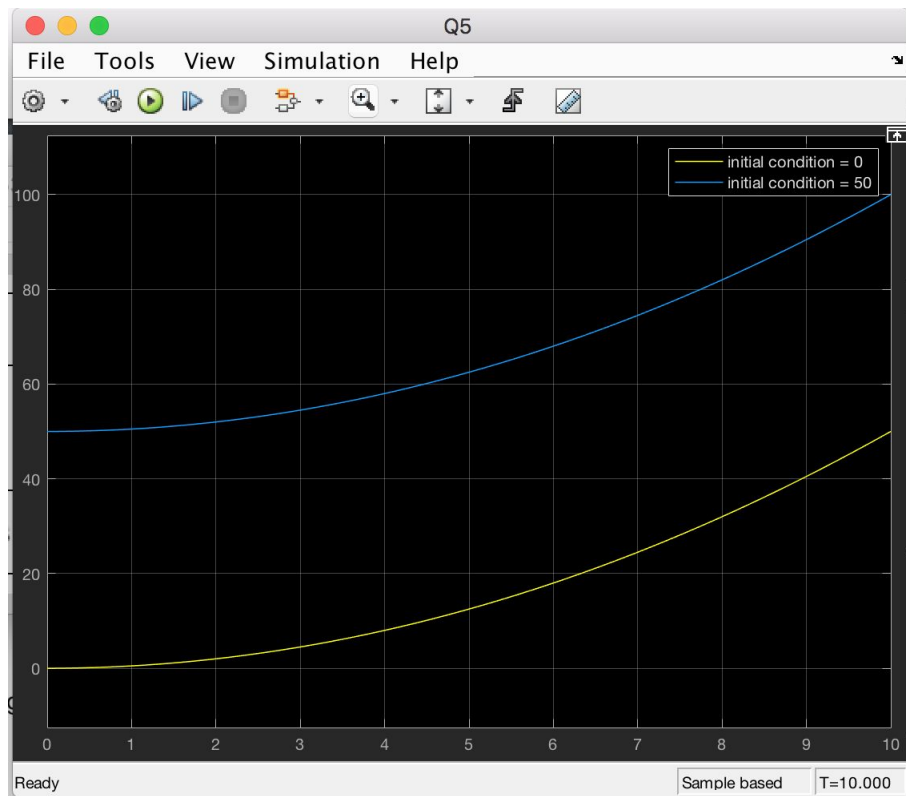
$$x_4(2) = 2$$

$$\int_0^5 1 dt \rightarrow t \Big|_0^5 = 5 - 0 = \boxed{5}$$

$$\int_0^2 1 dt \rightarrow t \Big|_0^2 = 2 - 0 = \boxed{2}$$

Verification by taking integral by hand with two points

Q5

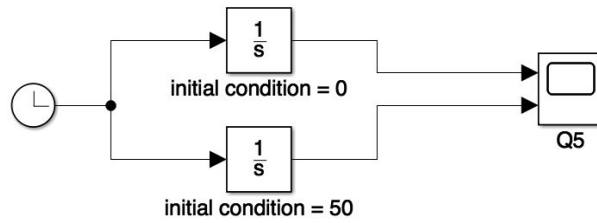


Q5

integral of t

initial condition = 0

initial condition = 50



Integrate t by hand

$$\int t \, dt \rightarrow \frac{t^2}{2} + C$$

~~11.5~~ a) $\int_0^5 t \, dt \rightarrow \frac{t^2}{2} \Big|_0^5 = \frac{5^2}{2} - \frac{0^2}{2} = \frac{25}{2} = \boxed{12.5}$

b) $\int_0^2 t \, dt \rightarrow \frac{t^2}{2} \Big|_0^2 = \frac{2^2}{2} - \frac{0^2}{2} = \boxed{2}$

~~11.5~~ initial condition = 0 ($C = 0$)

a) $12.5 + 0 = 12.5$

b) $2 + 0 = 2$

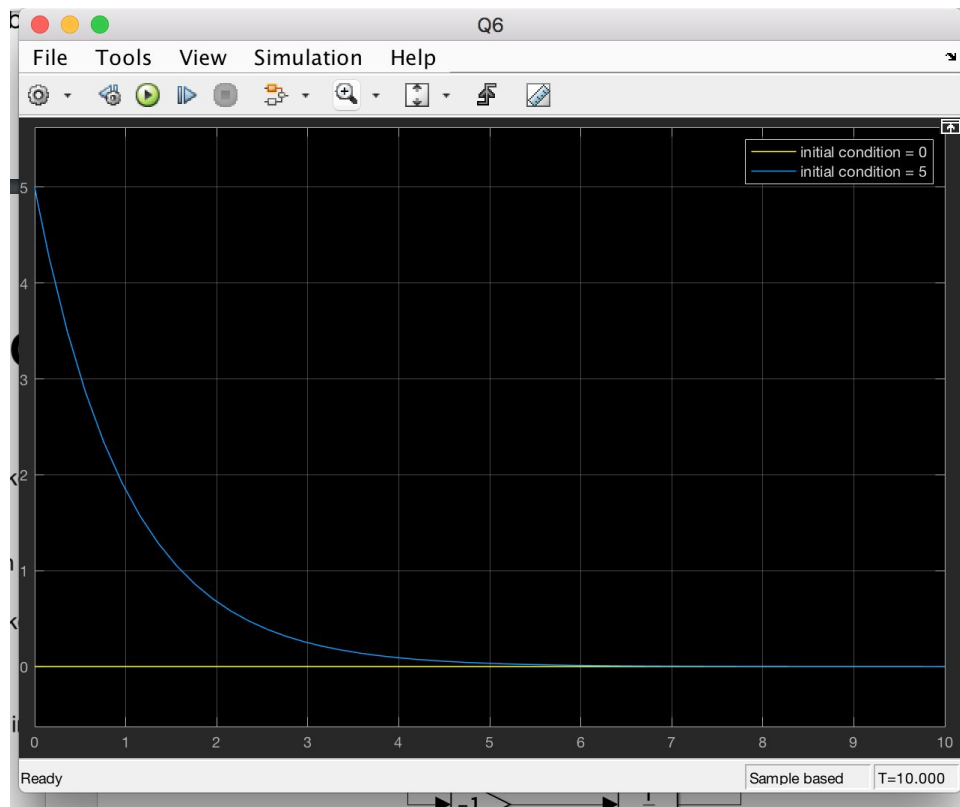
initial condition = 50 ($C = 50$)

a) $12.5 + 50 = 62.5$

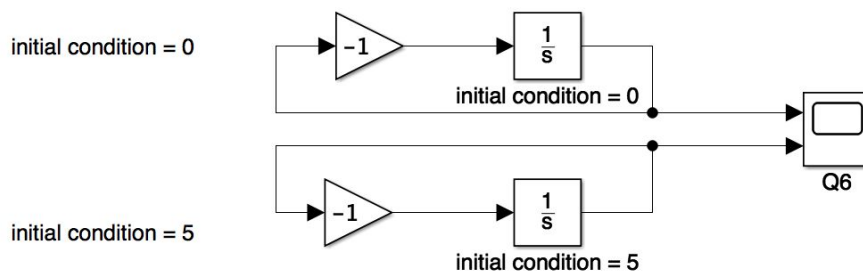
b) $2 + 50 = 52$

Verification by taking integral by hand with two points

Q6



Q6 $\frac{dq}{dt} = -kq$



k is a parameter and q is a state variable.

The difference I see between the two plots are their own shape and structure. The plot with initial condition = 0 shows as a flat horizontal line on the x-axis. The plot with initial condition = 5 is first concave up and then approaching zero as x-axis goes to infinity. The blue plot looks like a negative exponential function. The two plots start with different initial conditions which contribute to starting at different y-axis values (initial condition, c) and integrate under different areas of the equations. Different initial conditions for order differential equations yield uniquely

different future motions. Order differential equations have different solution trajectories for $t > 0$, starting from different initial conditions, different starting states.

In terms of equations, we have $q = C * e^{-t}$

For the yellow plot with initial condition = 0 and $C = 0$, the equation becomes $q = 0$

For the blue plot with initial condition = 5 and $C = 5$, the equation becomes $q = 5e^{-t}$.