

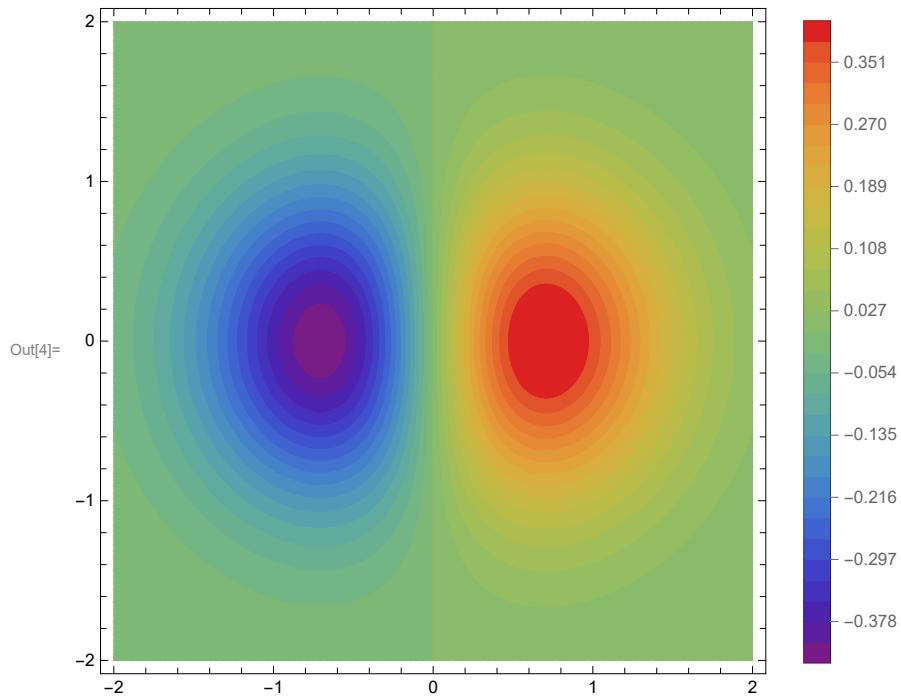
```

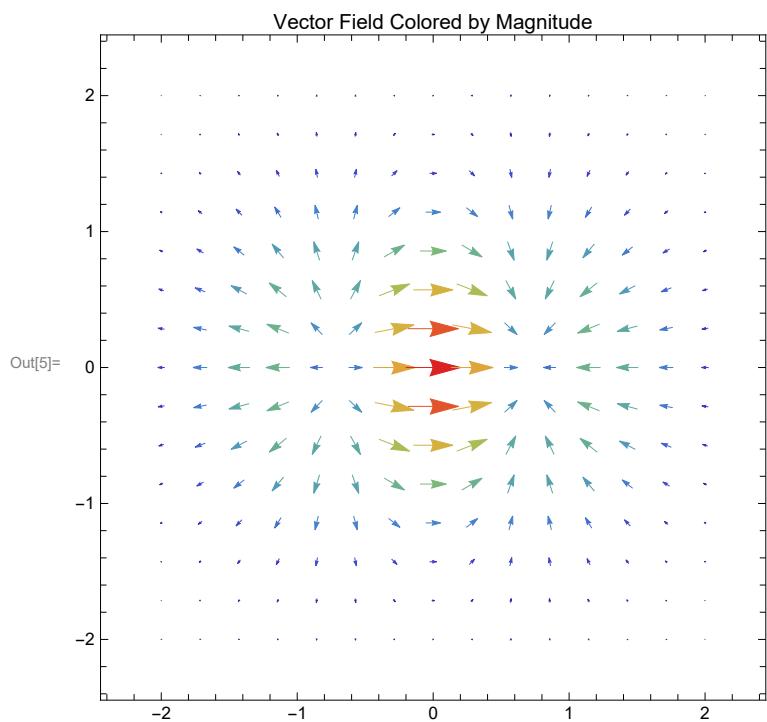
In[1]:= f[x_, y_] := x Exp[-(x^2 + y^2)];
A[x_, y_] = D[f[x, y], x]
B[x_, y_] = D[f[x, y], y]
ContourPlot[f[x, y], {x, -2, 2}, {y, -2, 2}, PlotPoints → 100, Contours → 30,
ContourStyle → None, PlotLegends → Automatic, ColorFunction → "Rainbow"]
VectorPlot[{A[x, y], B[x, y]}, {x, -2, 2}, {y, -2, 2},
VectorColorFunction → Function[{x, y, u, v, norm}, ColorData["Rainbow"] [norm]],
VectorColorFunctionScaling → True, PlotLabel → "Vector Field Colored by Magnitude"]

```

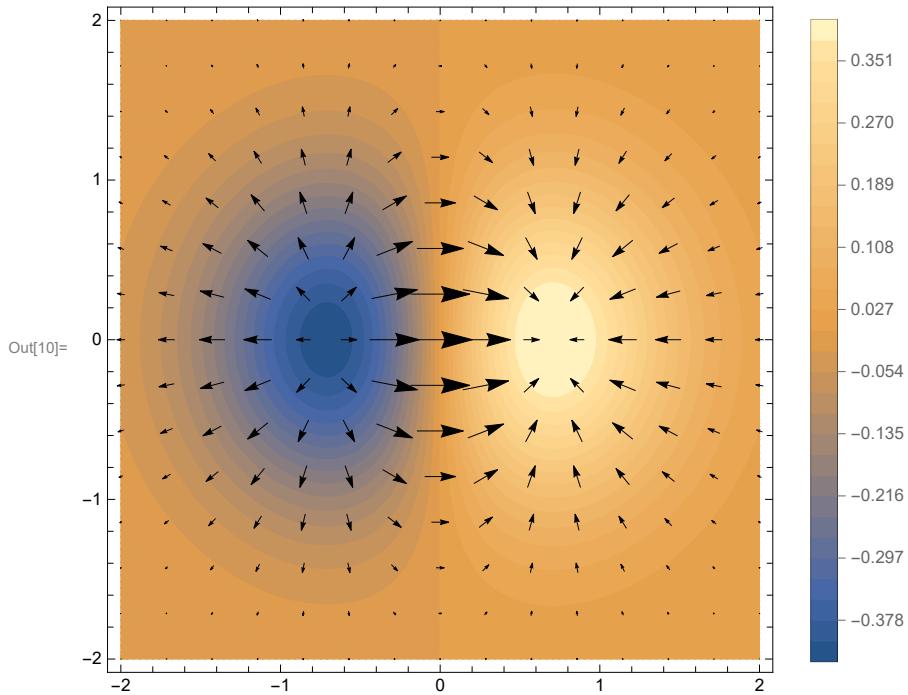
$$\text{Out}[2]= e^{-x^2-y^2} - 2 e^{-x^2-y^2} x^2$$

$$\text{Out}[3]= -2 e^{-x^2-y^2} x y$$

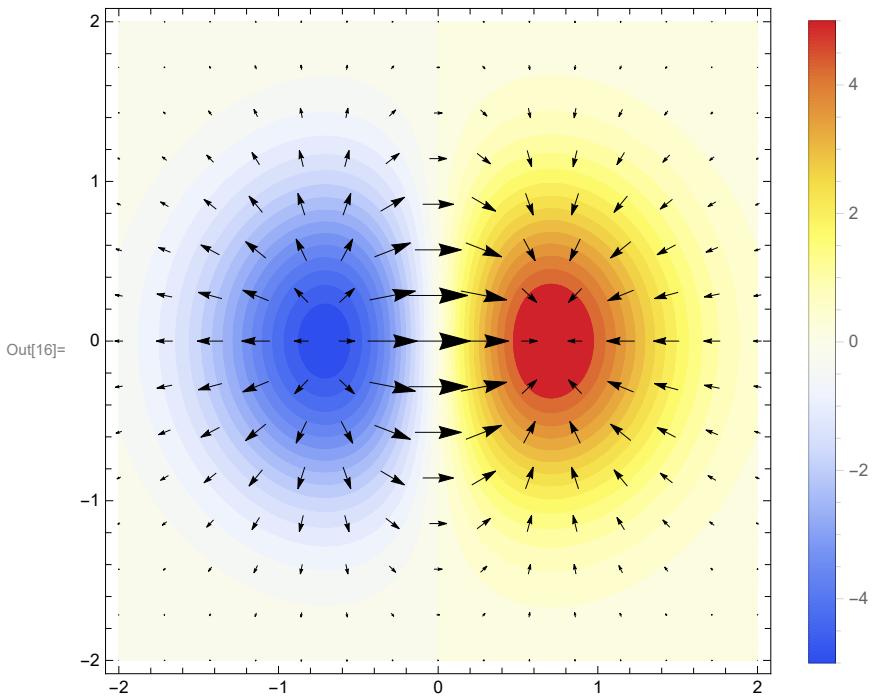




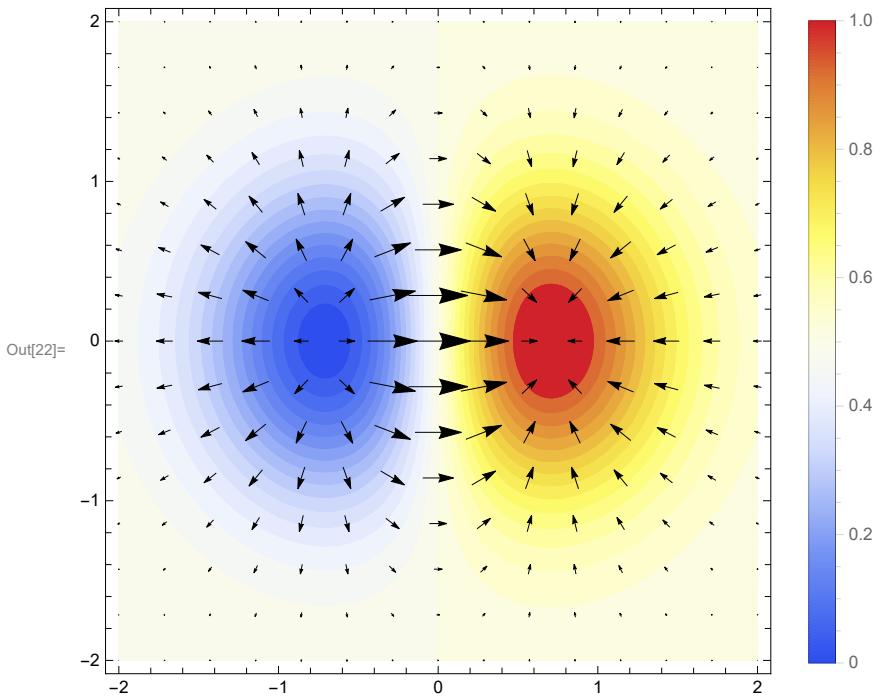
```
In[6]:= f[x_, y_] := x Exp[-(x^2 + y^2)];  
grad = Grad[f[x, y], {x, y}]  
plot1 = ContourPlot[f[x, y], {x, -2, 2}, {y, -2, 2}, PlotPoints → 100,  
Contours → 30, ContourStyle → None, PlotLegends → Automatic];  
plot2 = VectorPlot[grad, {x, -2, 2}, {y, -2, 2}, VectorStyle → Black];  
Show[plot1, plot2]  
  
Out[7]= {e^-x^2-y^2 - 2 e^-x^2-y^2 x^2, - 2 e^-x^2-y^2 x y}
```



```
In[11]:= f[x_, y_] := x Exp[-(x^2 + y^2)];
A = D[f[x, y], x]
B = D[f[x, y], y]
plot1 = ContourPlot[f[x, y], {x, -2, 2}, {y, -2, 2}, PlotPoints → 100, Contours → 30,
ContourStyle → None, PlotLegends → BarLegend[{"TemperatureMap", {-5, 5}}],
ColorFunction → "TemperatureMap"];
plot2 = VectorPlot[{A, B}, {x, -2, 2}, {y, -2, 2}, VectorStyle → Black];
Show[plot1, plot2]
Out[12]=  $e^{-x^2-y^2} - 2 e^{-x^2-y^2} x^2$ 
Out[13]=  $-2 e^{-x^2-y^2} x y$ 
```



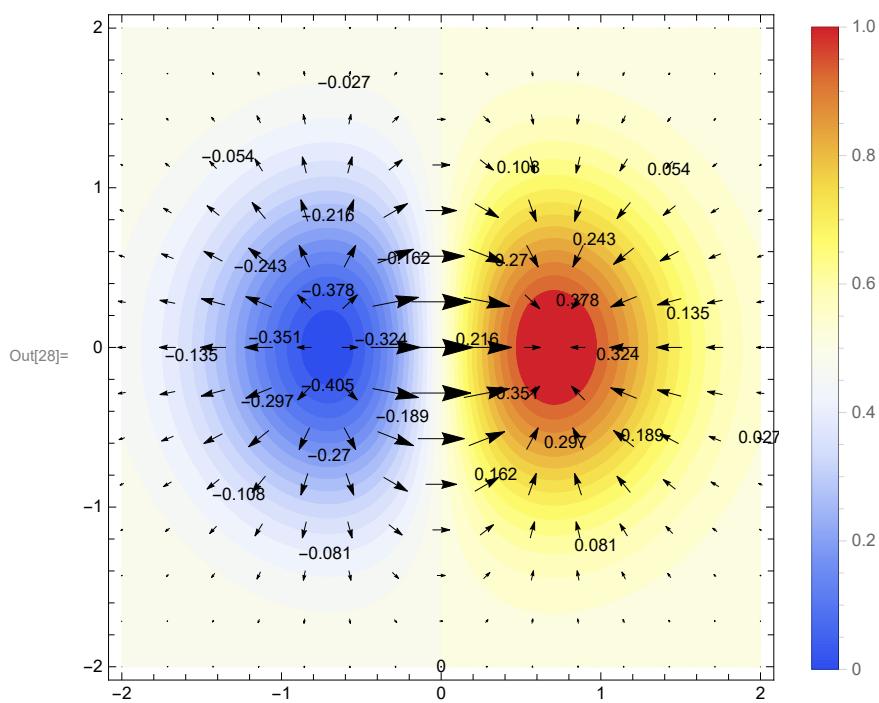
```
In[17]:= f[x_, y_] := x Exp[-(x^2 + y^2)];  
A = D[f[x, y], x]  
B = D[f[x, y], y]  
plot1 = ContourPlot[f[x, y], {x, -2, 2},  
{y, -2, 2}, PlotPoints → 100, Contours → 30, ContourStyle → None,  
PlotLegends → BarLegend[{"TemperatureMap", {0, 1}}], ColorFunction → "TemperatureMap"];  
plot2 = VectorPlot[{A, B}, {x, -2, 2}, {y, -2, 2}, VectorStyle → Black];  
Show[plot1, plot2]  
Out[18]=  $e^{-x^2-y^2} - 2 e^{-x^2-y^2} x^2$   
Out[19]=  $-2 e^{-x^2-y^2} x y$ 
```



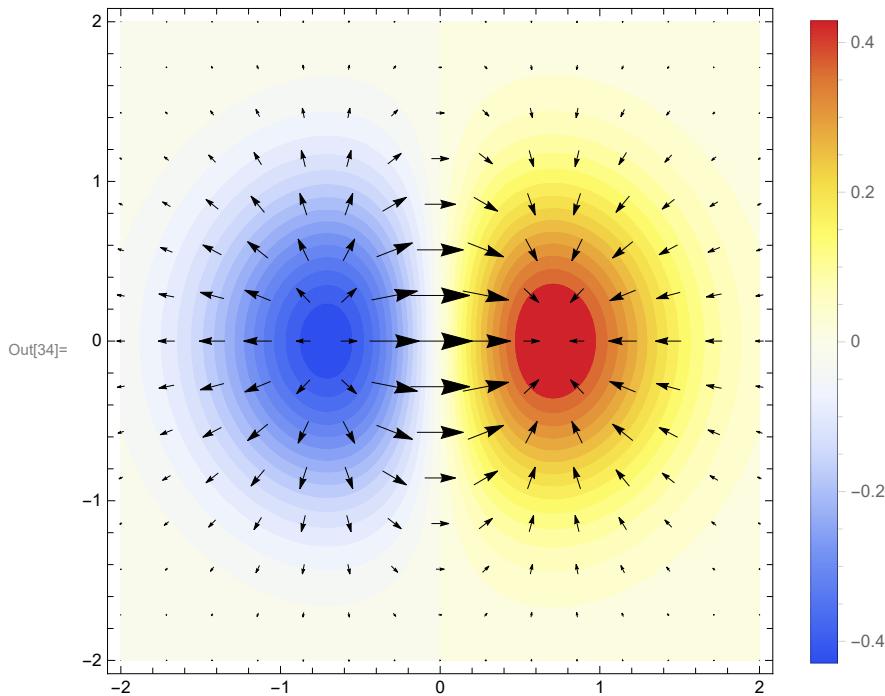
```
In[23]:= f[x_, y_] := x Exp[-(x^2 + y^2)];
A = D[f[x, y], x]
B = D[f[x, y], y]
plot1 = ContourPlot[f[x, y], {x, -2, 2}, {y, -2, 2},
  PlotPoints → 100, Contours → 30, ContourStyle → None, ContourLabels → True,
  PlotLegends → BarLegend[{"TemperatureMap", {0, 1}}], (*Setting range in legend
  may show wrong data from the plot*)ColorFunction → "TemperatureMap"];
plot2 = VectorPlot[{A, B}, {x, -2, 2}, {y, -2, 2}, VectorStyle → Black];
Show[plot1, plot2]

Out[24]= e-x2-y2 - 2 e-x2-y2 x2

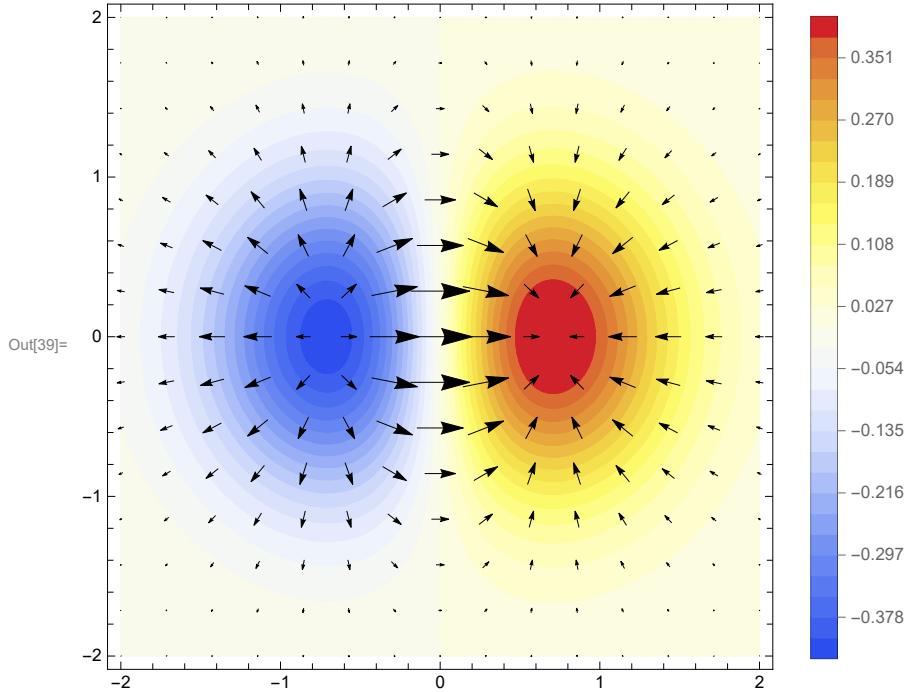
Out[25]= -2 e-x2-y2 x y
```



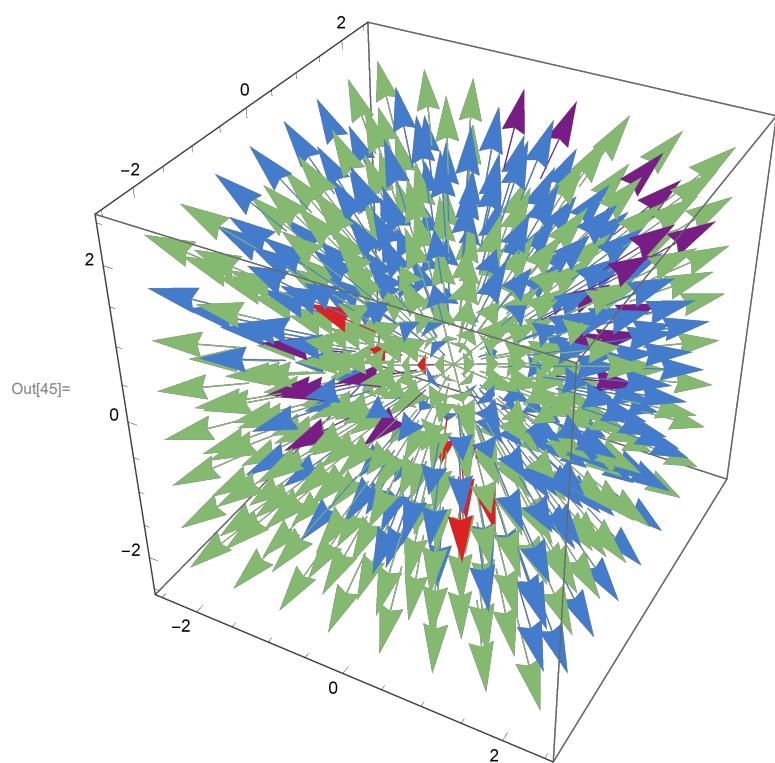
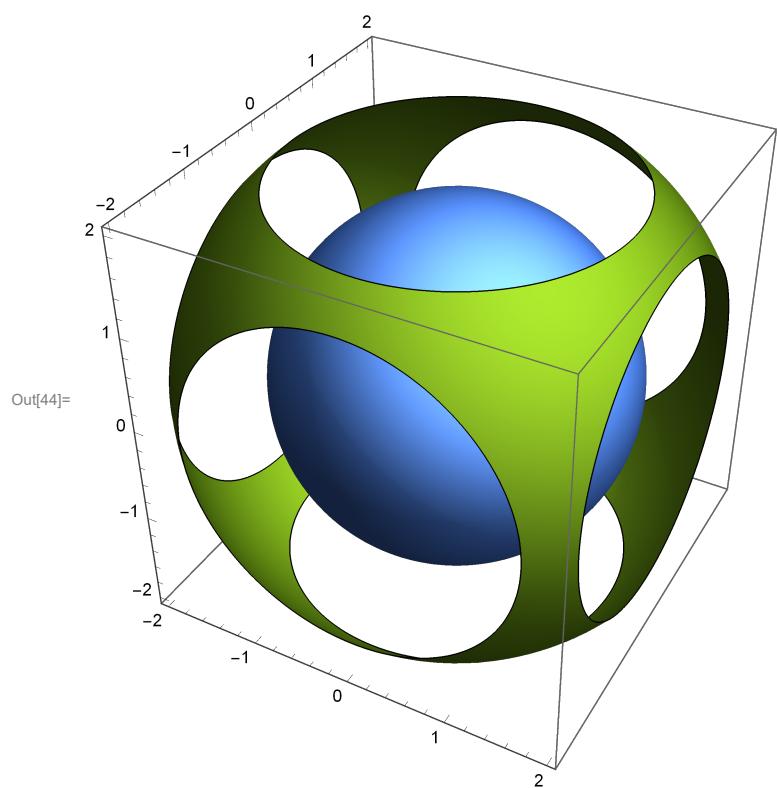
```
In[29]:= f[x_, y_] := x Exp[-(x^2 + y^2)];
A = D[f[x, y], x]
B = D[f[x, y], y]
plot1 = ContourPlot[f[x, y], {x, -2, 2},
{y, -2, 2}, PlotPoints → 100, Contours → 30, ContourStyle → None,
PlotLegends → BarLegend[Automatic, None], ColorFunction → "TemperatureMap"];
plot2 = VectorPlot[{A, B}, {x, -2, 2}, {y, -2, 2}, VectorStyle → Black];
Show[plot1, plot2]
Out[30]= e-x2-y2 - 2 e-x2-y2 x2
Out[31]= -2 e-x2-y2 x y
```



```
In[35]:= f[x_, y_] := x Exp[-(x^2 + y^2)];
grad = Grad[f[x, y], {x, y}]
plot1 = ContourPlot[f[x, y], {x, -2, 2}, {y, -2, 2}, PlotPoints → 100, Contours → 30,
ContourStyle → None, PlotLegends → Automatic, ColorFunction → "TemperatureMap"];
plot2 = VectorPlot[grad, {x, -2, 2}, {y, -2, 2}, VectorStyle → Black];
Show[plot1, plot2]
Out[36]= {e^-x^2-y^2 - 2 e^-x^2-y^2 x^2, - 2 e^-x^2-y^2 x y}
```

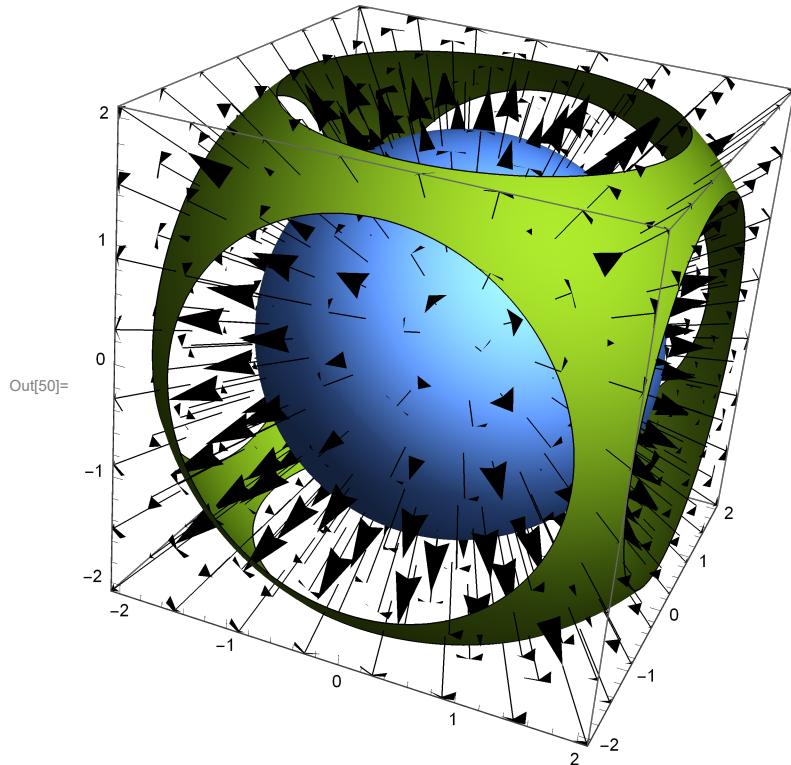


```
In[40]:= f[x_, y_, z_] := Sqrt[x^2 + y^2 + z^2];
a = D[f[x, y, z], x]
b = D[f[x, y, z], y]
c = D[f[x, y, z], z]
ContourPlot3D[f[x, y, z], {x, -2, 2}, {y, -2, 2}, {z, -2, 2}, Mesh → None]
VectorPlot3D[{a, b, c}, {x, -2, 2}, {y, -2, 2}, {z, -2, 2},
VectorColorFunction → Function[{x, y, z, u, v, w, norm}, ColorData["Rainbow"] [norm]],
VectorColorFunctionScaling → True]
Out[41]=  $\frac{x}{\sqrt{x^2 + y^2 + z^2}}$ 
Out[42]=  $\frac{y}{\sqrt{x^2 + y^2 + z^2}}$ 
Out[43]=  $\frac{z}{\sqrt{x^2 + y^2 + z^2}}$ 
```



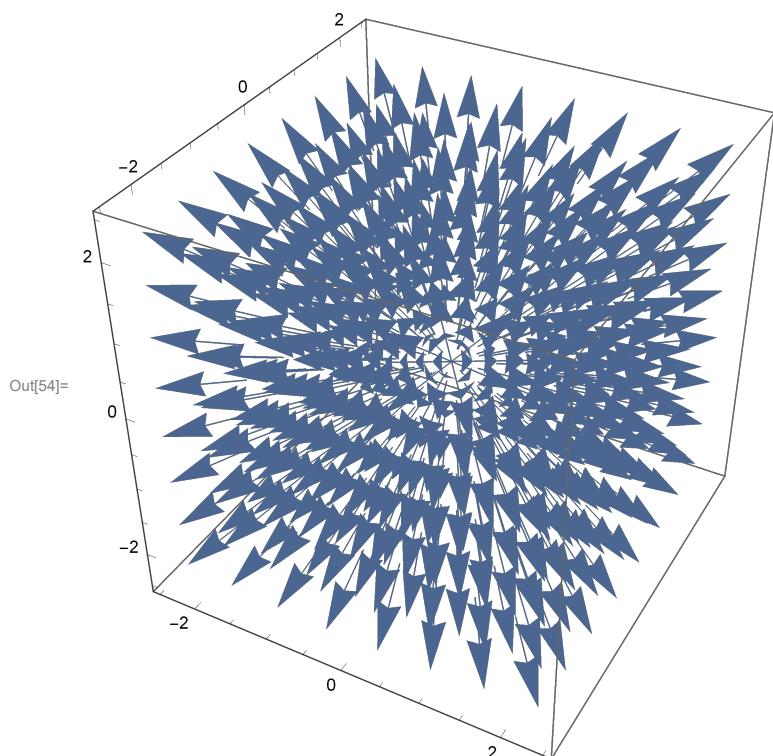
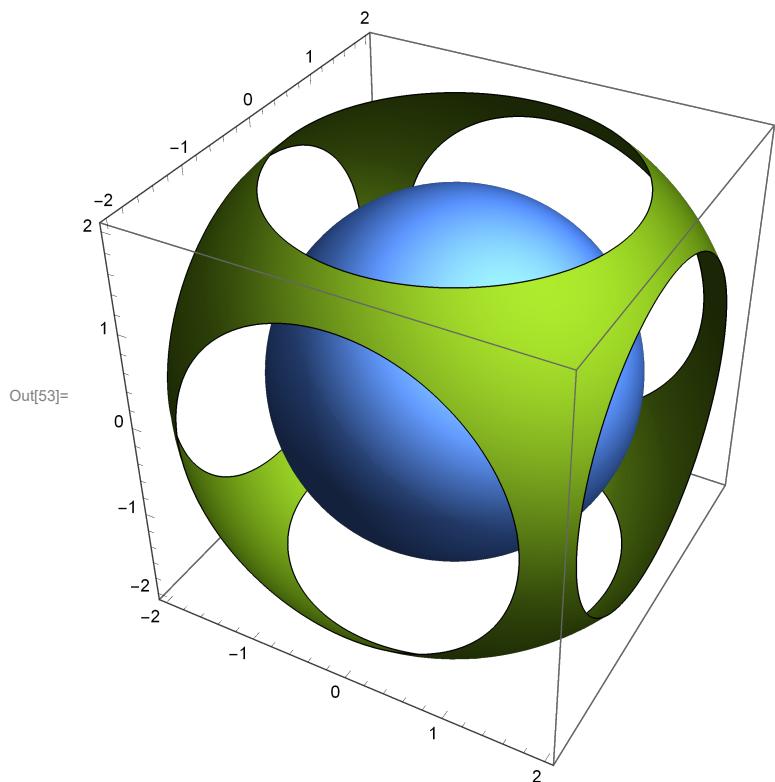
```
In[46]:= f[x_, y_, z_] := Sqrt[x^2 + y^2 + z^2];
grad = Grad[f[x, y, z], {x, y, z}]
plot1 = ContourPlot3D[f[x, y, z], {x, -2, 2}, {y, -2, 2}, {z, -2, 2}, Mesh -> None];
plot2 = VectorPlot3D[grad, {x, -2, 2}, {y, -2, 2}, {z, -2, 2}, VectorStyle -> Black];
Show[plot1, plot2]
```

```
Out[47]= {x/Sqrt[x^2 + y^2 + z^2], y/Sqrt[x^2 + y^2 + z^2], z/Sqrt[x^2 + y^2 + z^2]}
```



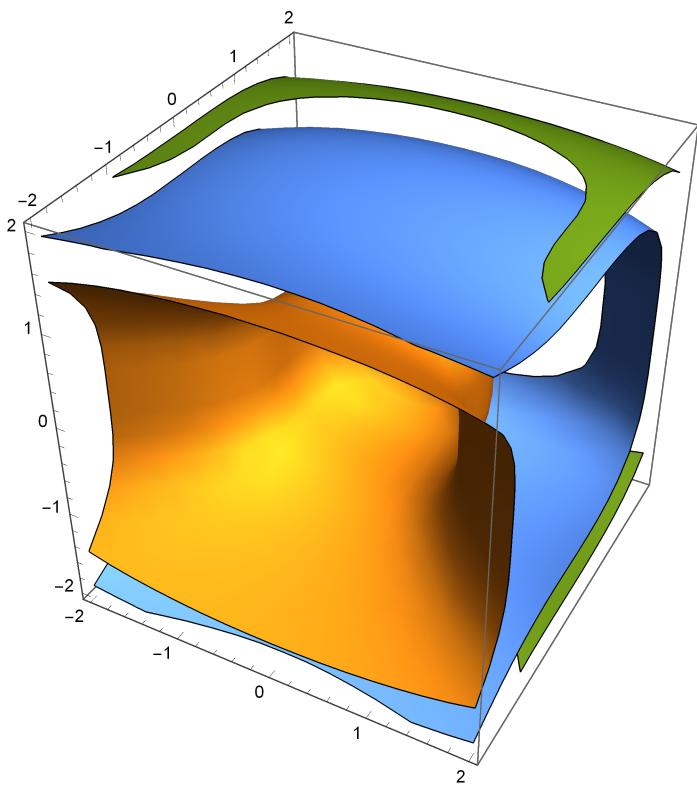
```
In[51]:= f[x_, y_, z_] := Sqrt[x^2 + y^2 + z^2];
grad = Grad[f[x, y, z], {x, y, z}]
ContourPlot3D[f[x, y, z], {x, -2, 2}, {y, -2, 2}, {z, -2, 2}, Mesh -> None]
VectorPlot3D[grad, {x, -2, 2}, {y, -2, 2}, {z, -2, 2}]
```

```
Out[52]= {x/Sqrt[x^2 + y^2 + z^2], y/Sqrt[x^2 + y^2 + z^2], z/Sqrt[x^2 + y^2 + z^2]}
```

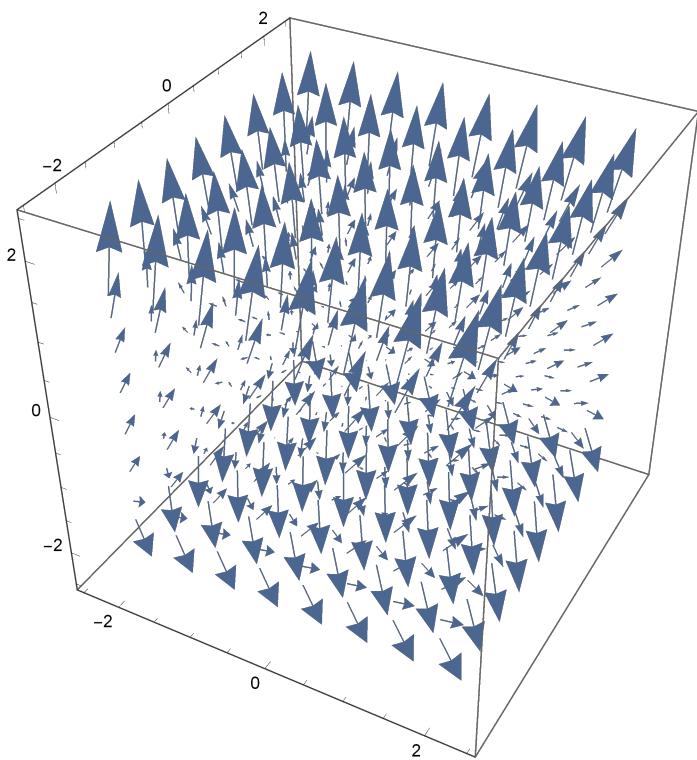


```
In[55]:= f[x_, y_, z_] := x^2 + y^3 + z^4;
grad = Grad[f[x, y, z], {x, y, z}]
ContourPlot3D[f[x, y, z], {x, -2, 2}, {y, -2, 2}, {z, -2, 2}, Mesh -> None]
VectorPlot3D[grad, {x, -2, 2}, {y, -2, 2}, {z, -2, 2}]
```

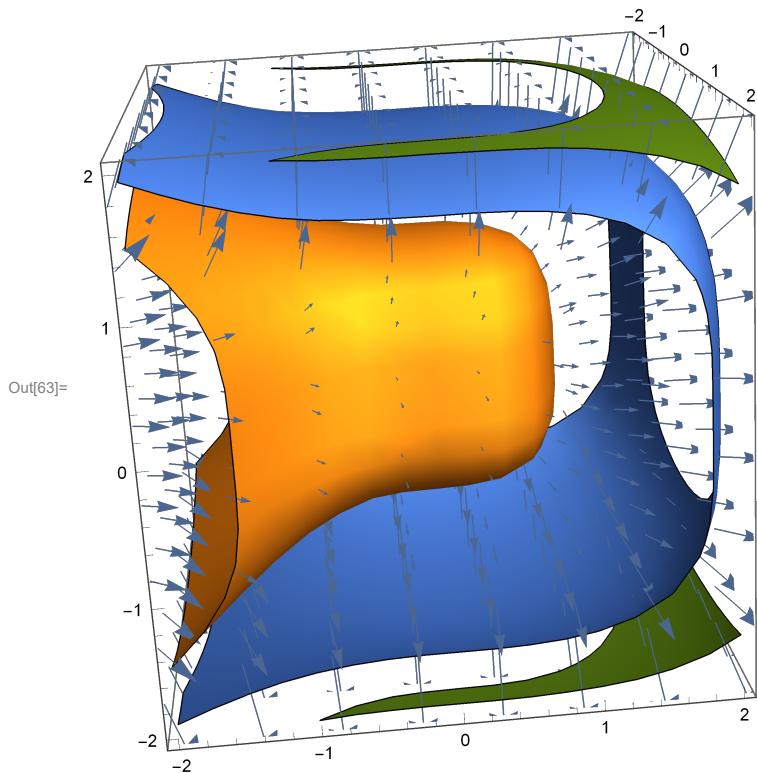
Out[56]=  $\{2x, 3y^2, 4z^3\}$



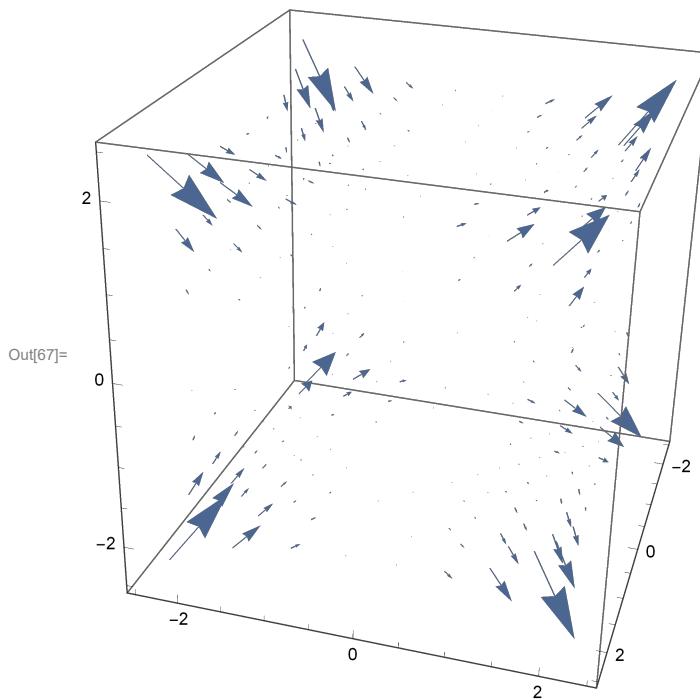
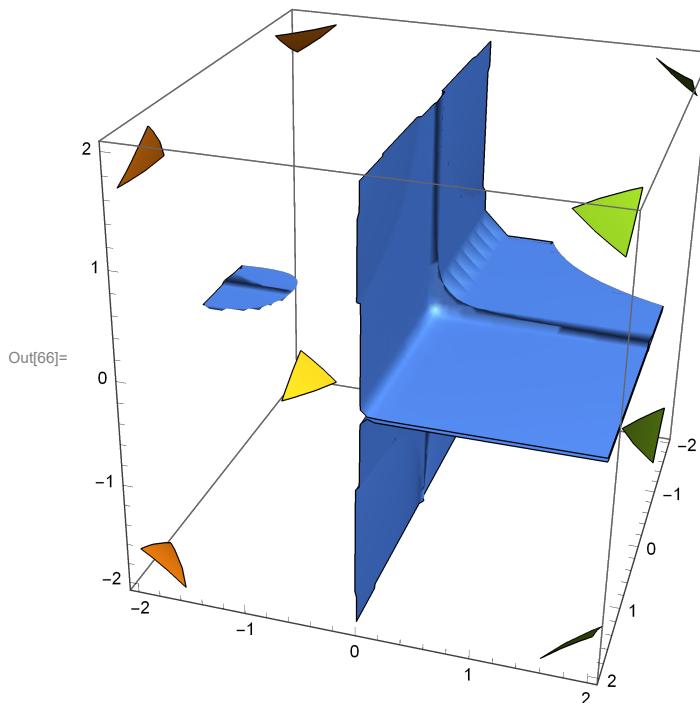
Out[57]=



```
In[59]:= f[x_, y_, z_] := x^2 + y^3 + z^4;
grad = Grad[f[x, y, z], {x, y, z}]
plot1 = ContourPlot3D[f[x, y, z], {x, -2, 2}, {y, -2, 2}, {z, -2, 2}, Mesh -> None];
plot2 = VectorPlot3D[grad, {x, -2, 2}, {y, -2, 2}, {z, -2, 2}];
Show[plot1, plot2]
Out[60]= {2 x, 3 y2, 4 z3}
```



```
In[64]:= f[x_, y_, z_] := x^2 y^3 z^4;
grad = Grad[f[x, y, z], {x, y, z}]
ContourPlot3D[f[x, y, z], {x, -2, 2}, {y, -2, 2}, {z, -2, 2}, Mesh -> None]
VectorPlot3D[grad, {x, -2, 2}, {y, -2, 2}, {z, -2, 2}]
Out[65]= {2 x y^3 z^4, 3 x^2 y^2 z^4, 4 x^2 y^3 z^3}
```



```
In[68]:= f[x_, y_, z_] := Exp[x] Sin[y] Log[z];
grad = Grad[f[x, y, z], {x, y, z}]
ContourPlot3D[f[x, y, z], {x, -2, 2}, {y, -2, 2}, {z, -2, 2}, Mesh -> None]
VectorPlot3D[grad, {x, -2, 2}, {y, -2, 2}, {z, -2, 2}]

Out[69]= {ex Log[z] Sin[y], ex Cos[y] Log[z],  $\frac{e^x \sin[y]}{z}$ }
```

