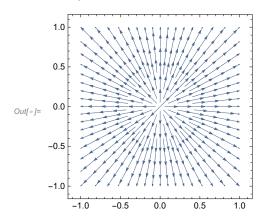
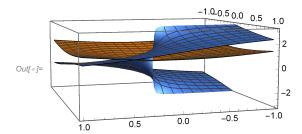
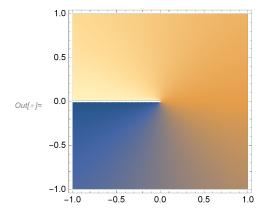
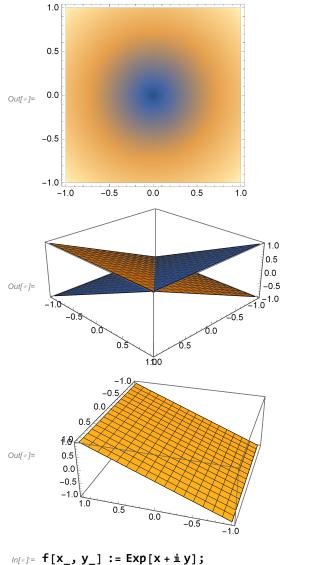
```
In[*]:= f[x_, y_] := x + i y;
f[x, y]
StreamPlot[{Re[f[x, y]], Im[f[x, y]]}, {x, -1, 1}, {y, -1, 1}]
Plot3D[{Abs[f[x, y]], Arg[f[x, y]]}, {x, -1, 1}, {y, -1, 1}]
DensityPlot[Arg[f[x, y]], {x, -1, 1}, {y, -1, 1}]
DensityPlot[{Abs[f[x, y]], Arg[f[x, y]]}, {x, -1, 1}, {y, -1, 1}]
Plot3D[{Re[f[x, y]], Im[f[x, y]]}, {x, -1, 1}, {y, -1, 1}]
Plot3D[Re[f[x, y]], {x, -1, 1}, {y, -1, 1}]
```

Out[•] = x + i y

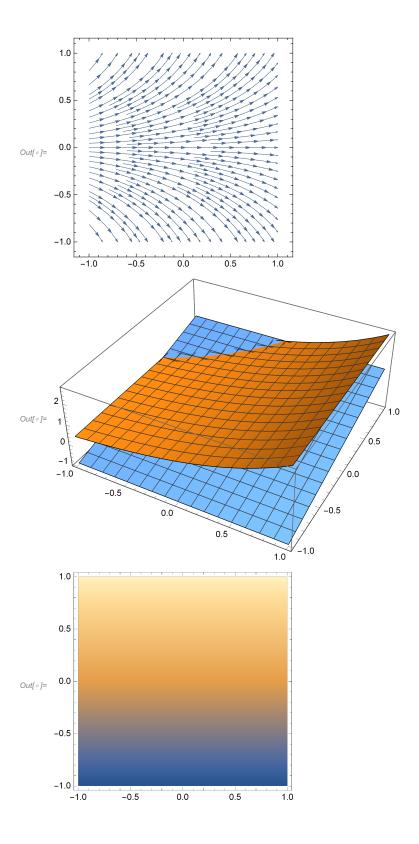


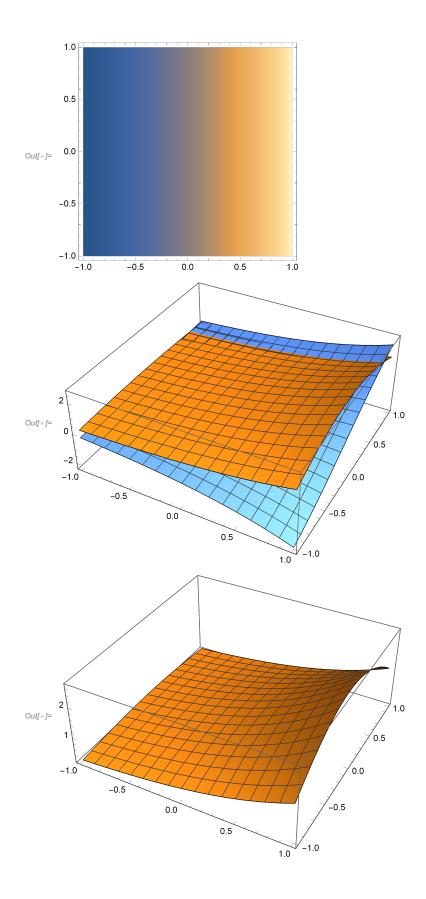






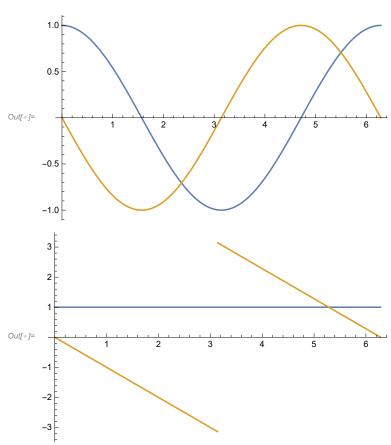
```
 \begin{split} & \text{In}[*] \coloneqq f[x_{-},y_{-}] := \text{Exp}[x+\dot{\text{i}}\,y]; \\ & \text{f}[x,y] \\ & \text{StreamPlot}[\{\text{Re}[f[x,y]], \, \text{Im}[f[x,y]]\}, \, \{x,-1,1\}, \, \{y,-1,1\}] \\ & \text{Plot3D}[\{\text{Abs}[f[x,y]], \, \text{Arg}[f[x,y]]\}, \, \{x,-1,1\}, \, \{y,-1,1\}] \\ & \text{DensityPlot}[\, \text{Arg}[f[x,y]], \, \{x,-1,1\}, \, \{y,-1,1\}] \\ & \text{DensityPlot}[\{\text{Abs}[f[x,y]], \, \text{Arg}[f[x,y]]\}, \, \{x,-1,1\}, \, \{y,-1,1\}] \\ & \text{Plot3D}[\{\text{Re}[f[x,y]], \, \text{Im}[f[x,y]]\}, \, \{x,-1,1\}, \, \{y,-1,1\}] \\ & \text{Out}[*] = e^{x+\dot{\text{i}}\,y} \end{split}
```

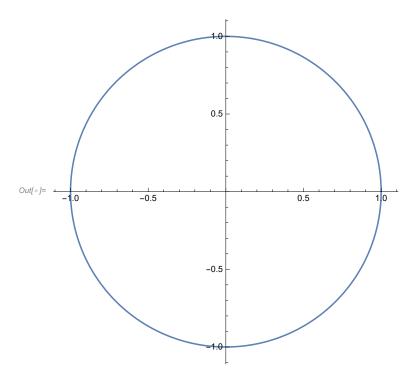




```
In[*]:= f[t_] := Exp[-it];
f[t]
Plot[{Re[f[t]], Im[f[t]]}, {t, 0, 2Pi}]
Plot[{Abs[f[t]], Arg[f[t]]}, {t, 0, 2 Pi}]
ParametricPlot[\{Re[f[t]],\ Im[f[t]]\}\ ,\ \{t,0,2\ Pi\}]
ComplexPlot[f[t], \{t, 1-i, 1+i\}]
```

Out[σ]= e^{-it}





ComplexPlot: Corners for t in $\{t, 1 - i, 1 + i\}$ must have distinct machine–precision real and imaginary parts.