STOCHASTIC GRADIENT DESCENT (SGD)

$$heta^{j+1} := heta^j - \eta(\epsilon_j) x_j$$

y = df['price']

 θ^{j+1} : Next location θ^j : Current location η : Learning coefficient ϵ_j : Error of J data point x_j : The value of the J th feature

```
In [36]:
          import numpy as np
          import pandas as pd
          import matplotlib.pyplot as plt
          from sklearn.model selection import train test split,GridSearchCV,cross val score,KF
          from sklearn.metrics import r2 score,mean squared error
          from sklearn.linear model import SGDRegressor,LinearRegression
          from yellowbrick.model selection import CVScores
 In [8]:
          df = pd.read csv(r'D:\githubProjects\Machine-Learning\Supervised Learning\Model Regu
          df.head()
 Out[8]:
            Unnamed: 0 price rooms m2 floor age
         0
                         475
                                     40
                                                6
                         475
                                                5
                                                7
                         450
                                 1 50
                                 1 55
                         450
                                                6
                                                7
                         475
                                    45
 Out[8]:
            Unnamed: 0 price rooms m2 floor age
         0
                         475
                                     40
                     0
                                                6
         1
                         475
                                    55
                                              5
                     1
         2
                     2
                         450
                                 1 50
                                              7
         3
                     3
                         450
                                 1 55
                                              6
                         475
                                 1
                                    45
                                           2
                                                7
 In [9]:
          X = df.drop(['Unnamed: 0','price'],axis=1)
```

SGD is sensitive to the scale of the properties and target variables, so we apply standard scaling to the values of all variables.

```
In [10]: from sklearn.preprocessing import MinMaxScaler

X_scaler = MinMaxScaler()
y_scaler = MinMaxScaler()

X = X_scaler.fit_transform(X)

y = y_scaler.fit_transform(y.values.reshape(-1,1))
```

HOLD-OUT

For the penalty rule in SGD optimization, we used the ElasticNet regression, which evaluates the L1 and L2 rules together. In this case, we need to determine how much weight we will make for L1 and L2.

Hyperparameter Optimization

If I1_ratio = 1, the SGD model would be built according to Lasso(L1), if I1_ratio = 0, it would be built according to Ridge(L2). The I1_ratio being 0.7 means that the linear regression model will be evaluated according to the ElasticNet regression.

In a Jupyter environment, please rerun this cell to show the HTML representation or trust the notebook.

On GitHub, the HTML representation is unable to render, please try loading this page with nbviewer.org.

R2 of the optimum model

```
In [16]:
          sgd Gs.best score
         0.7083899182622208
Out[16]:
         Final Model
 In [ ]:
          sgd_final = sgd_reg.set_params(**sgd_Gs.best_params_).fit(X_train,y_train)
         Cross-Validate
 In [ ]:
          scores = cross_val_score(sgd_final,X_train,y_train,cv=5)
In [19]:
          scores
         array([0.60528962, 0.86596214, 0.76049417, 0.58436574, 0.72583792])
Out[19]:
         visualization of cross-validation results
In [21]:
          cv= KFold(n_splits=5)
          model = sgd final
          visualizer = CVScores(model,cv=cv,scoring='r2').fit(X_train,y_train)
          visualizer.show()
         C:\ProgramData\Anaconda3\envs\batuhan\lib\site-packages\sklearn\utils\validation.py:
         1111: DataConversionWarning: A column-vector y was passed when a 1d array was expect
         ed. Please change the shape of y to (n samples, ), for example using ravel().
           y = column or 1d(y, warn=True)
         C:\ProgramData\Anaconda3\envs\batuhan\lib\site-packages\sklearn\utils\validation.py:
         1111: DataConversionWarning: A column-vector y was passed when a 1d array was expect
         ed. Please change the shape of y to (n_samples, ), for example using ravel().
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         1111: DataConversionWarning: A column-vector y was passed when a 1d array was expect
         ed. Please change the shape of y to (n_samples, ), for example using ravel().
           y = column_or_1d(y, warn=True)
         C:\ProgramData\Anaconda3\envs\batuhan\lib\site-packages\sklearn\utils\validation.py:
         1111: DataConversionWarning: A column-vector y was passed when a 1d array was expect
         ed. Please change the shape of y to (n_samples, ), for example using ravel().
           y = column_or_1d(y, warn=True)
```



Out[21]: <AxesSubplot:title={'center':'Cross Validation Scores for SGDRegressor'}, xlabel='Tr
aining Instances', ylabel='Score'>

Estimation parameters coefficients

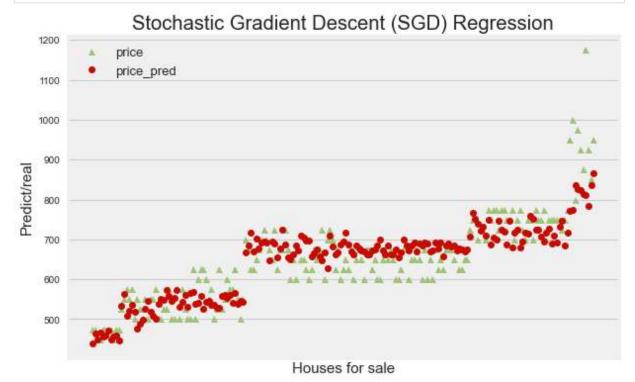
475 439.132969

```
In [22]:
          sgd_final.intercept_
         array([0.01692942])
Out[22]:
In [23]:
          sgd_final.coef_
         array([ 0.29368591, 0.16057681, 0.11152484, -0.12767369])
Out[23]:
           • \hat{y} = 0.016 + 0.293 * rooms + 0.16 * m_2 + 0.111 * floor - 0.128 * age
In [25]:
          print(f'Train R2 :',{sgd_final.score(X_train,y_train)})
          print(f'Test R2 :',{sgd_final.score(X_test,y_test)})
         Train R2 : {0.7321784405612313}
         Test R2 : {0.6901787126678489}
In [29]:
          df['pred_price'] = sgd_final.predict(X)
          df['pred_price'] = y_scaler.inverse_transform(df['pred_price'].values.reshape(-1,1))
          df[['price','pred_price']].head()
Out[29]:
            price pred_price
```

	price	pred_price
1	475	463.534165
2	450	448.972417
3	450	467.027856
4	475	456.825290

Graph

```
In [30]:
    plt.figure(figsize=(10,6))
    plt.style.use('fivethirtyeight')
    plt.title('Stochastic Gradient Descent (SGD) Regression')
    plt.xticks(df['price'],df.index.values)
    plt.plot(df['price'],'g^',label='price')
    plt.xticks(df['pred_price'],df.index.values)
    plt.plot(df['pred_price'],'ro',label='price_pred')
    plt.xlabel('Houses for sale',fontsize=15)
    plt.ylabel('Predict/real',fontsize=15)
    plt.legend(fontsize=13,loc='upper left')
    plt.show()
```



SGD optimization and Linear Regression Performance Comparison

```
In [38]:
    MSE_train = mean_squared_error(y_train,sgd_final.predict(X_train))
    print('Train MSE:',y_scaler.inverse_transform(MSE_train.reshape(-1,1))[0,0])

MSE_test = mean_squared_error(y_test,sgd_final.predict(X_test))
    print('Test MSE: ',y_scaler.inverse_transform(MSE_test.reshape(-1,1))[0,0])
```

Train MSE: 454.3634585018962

Linear Regression

```
In [41]:
          X = df[['rooms','m2','floor','age']]
          y = df['price']
          X_train,X_test,y_train,y_test=train_test_split(X,y,test_size=0.2,random_state=42)
In [43]:
          lr =LinearRegression().fit(X train,y train)
          y train pred = lr.predict(X train)
          y test pred = lr.predict(X test)
In [44]:
          print('Linear Reg Train MSE :', mean squared error(y train, y train pred))
          print('Linear Reg Test MSE :',mean_squared_error(y_test,y_test_pred))
         Linear Reg Train MSE : 3145.0627316271507
         Linear Reg Test MSE: 4115.003886902745
In [45]:
          print('Linear Reg Train R2 :',lr.score(X_train,y_train))
          print('Linear Reg Test R2 :',lr.score(X_test,y_test))
         Linear Reg Train R2 : 0.733739961656849
         Linear Reg Test R2 : 0.6987282352837991
```

The error of the optimum model determined as a result of SGD optimization (MSE was used as a criterion) was found to be 454 for the training data and 455 for the test set. The error values of the classical linear regression model were found to be approximately 3145 for the training data and 4115 for the test data. Thus, it was revealed that the classical multiple linear regression model was not the model with the lowest possible error.