

# Overcoming the Data-flow limit with **Structural Approximation**

Vignesh Balaji

Brandon Lucia

Radu Marculescu

Carnegie Mellon University



Electrical & Computer  
**ENGINEERING**

**Carnegie Mellon University**

# Outline

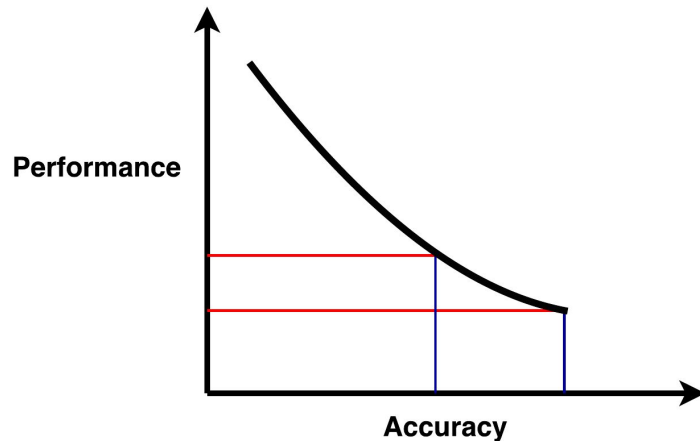
- ❖ Trends in Approximate Computing
- ❖ Structural Approximation
- ❖ Making Structural Approximation viable

# Approximate Computing

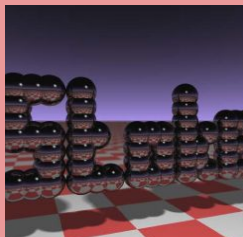
Correctness is *costly*

AND

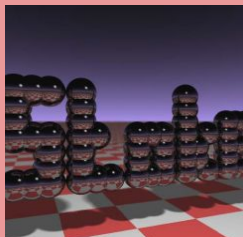
Precision is not always  
*required*



# Successful Domains for Approximation



Precise Output



Approx. Output



Pixel error values

Performance improves by 6.4% \*



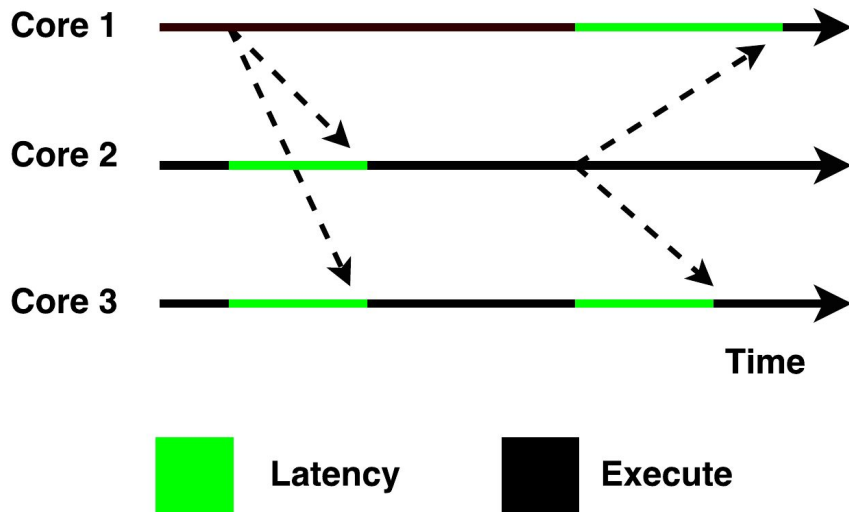
Multiple *correct* answers possible.

Most existing approximations typically target only *numeric values*

\* Eric Schkufza, Rahul Sharma, and Alex Aiken. 2014. Stochastic optimization of floating-point programs with tunable precision. In *Proceedings of the 35th ACM SIGPLAN Conference on Programming Language Design and Implementation (PLDI '14)*

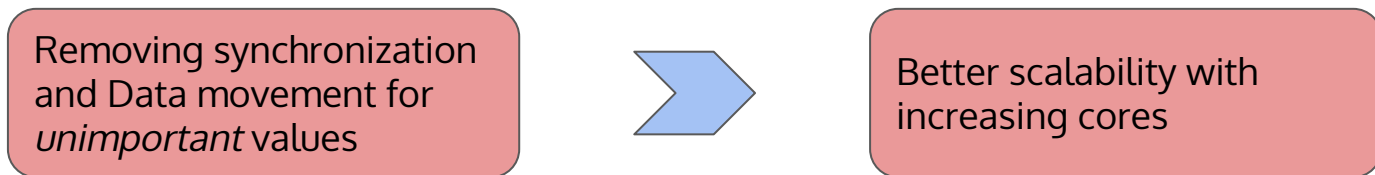
# Another Interesting Domain - Parallel Computing

- Parallel programs communicate to enforce *correctness*:
  - Synchronization primitives (locks, barriers, mutexes, etc.)
  - Cache Coherence
- Communication limits *scalability*



Should we still communicate for values that are not *critical* for the app's correctness?

# Removing Communication via Approximation

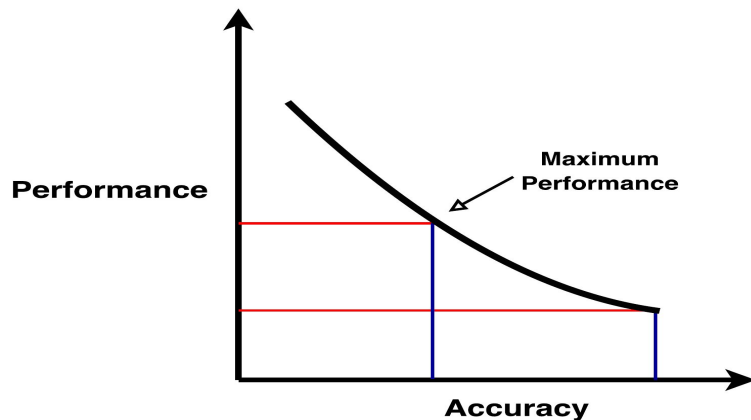


Prior work has successfully removed synchronization for such *values*

*Rely, Relaxing Synchronization for Performance and Insight, Dancing With Uncertainty, Unsynchronized Techniques for Approximate Parallel Computing, ...*

Are such *value* approximations enough? Or is there a need for something more?

# Quantifying the Performance Limit



Definition of correctness for  
the limit study -

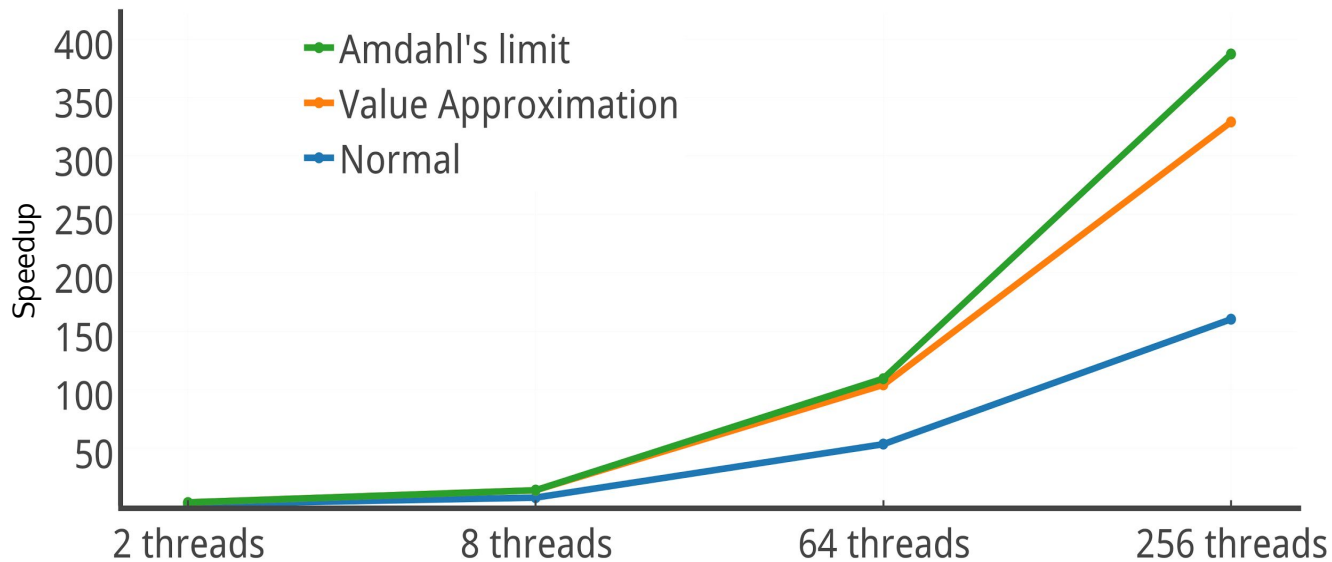
The application should not  
*crash*

Simulated the maximum performance possible with Value Approximation :

- Removed *all* locks guarding values
- Removed all *effects* of cache coherence
- Removed the *cost* of performing reduction operations

# Approximating Key-Value Store

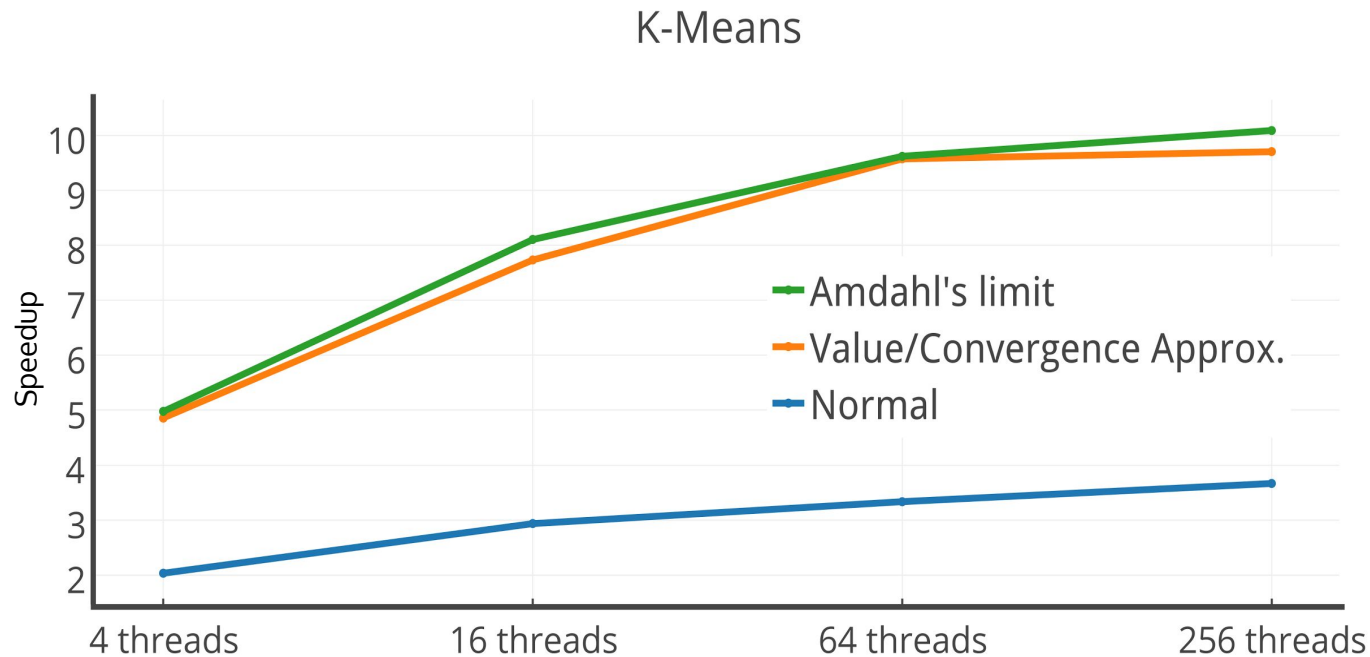
Key-Value Store



```
Lock(table[x].mutex);  
table[x].data++;  
Unlock(table[x].mutex);
```



# Approximating K-Means



Step 1: Assign points  
to the closest cluster

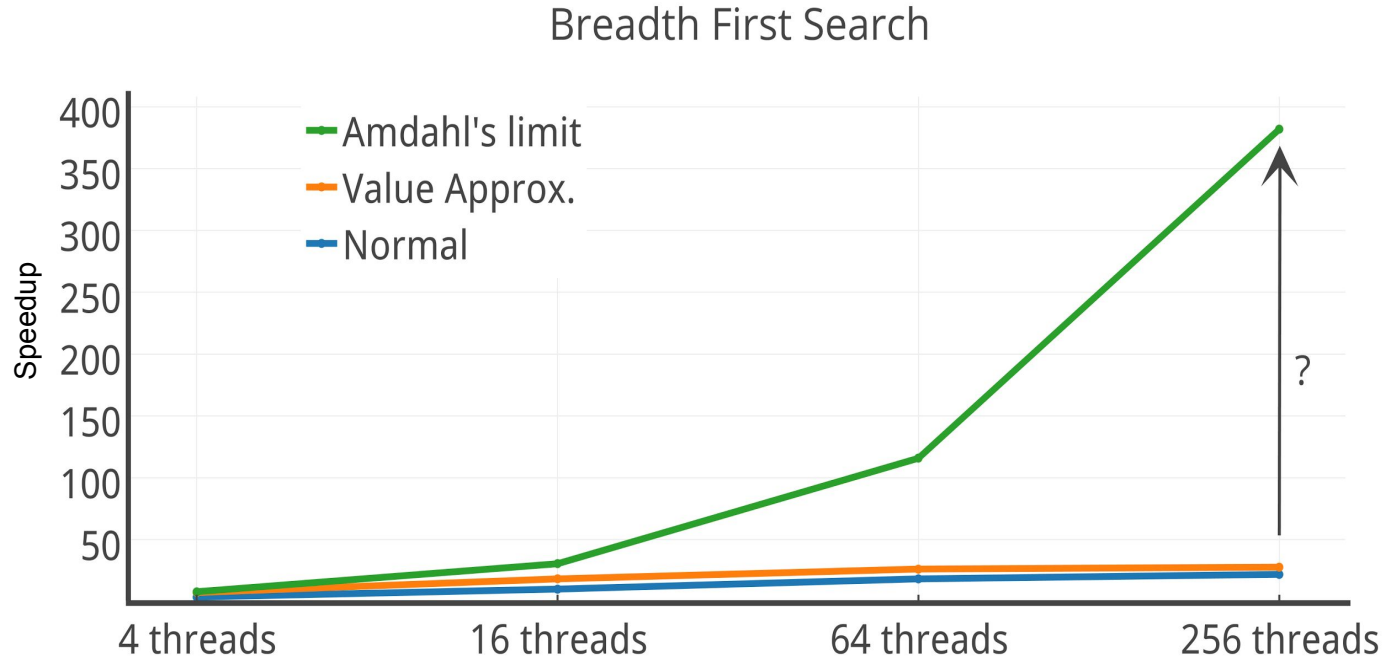
Step 2: Compute means  
of the new clusters

# Value Approximation Works Well

- Approximating data *values* took performance close to Amdahl's limit
- Previous two applications only shared *numerical values*

What if we have applications that share *more* than just numerical values?

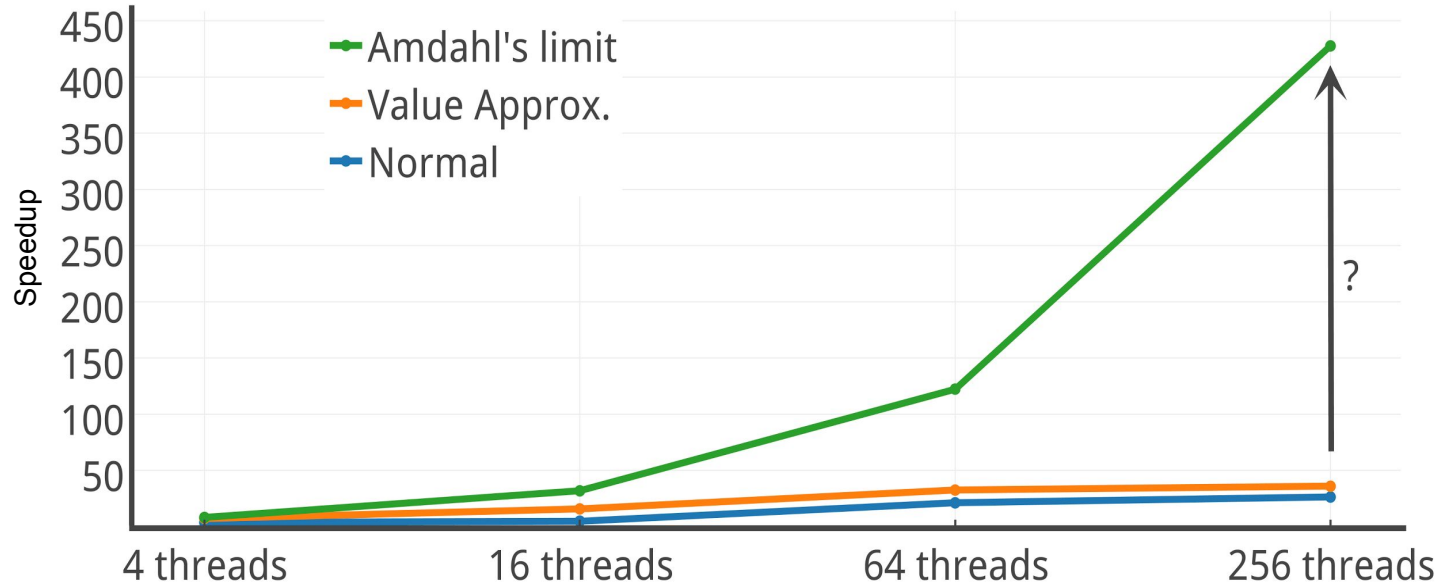
# Breadth First Search



*Data structure that holds the children nodes of a frontier is shared*

# Single Source Shortest Path

SSSP



*Data structure*  
maintaining  
nodes closest to  
the source is  
shared

# End of the Road for Value Approximation

What's different in these applications?

These application *share data structures* in addition to values

What if we remove synchronization for operations guarding data structures?


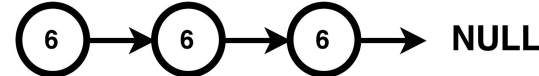
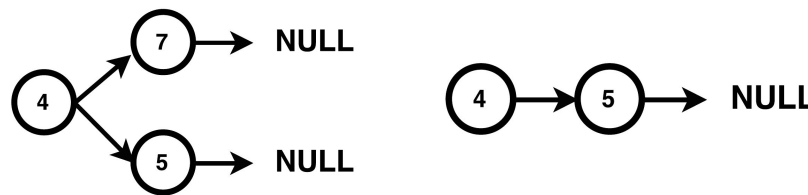
Removing synchronization for data structures leaves them *inconsistent*

How do we reason about output quality now?

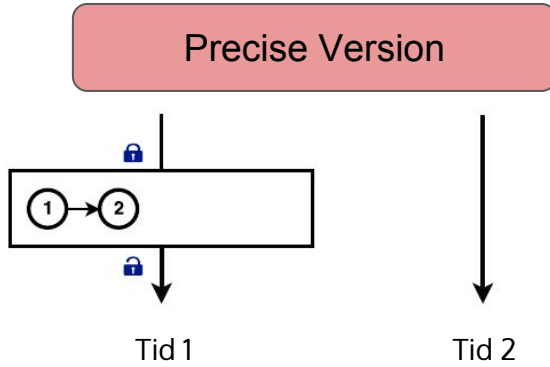
# Outline

- ❖ Trends in Approximate Computing
- ❖ **Structural Approximation**
- ❖ Making Structural Approximation viable

# Overview of Structural Approximation

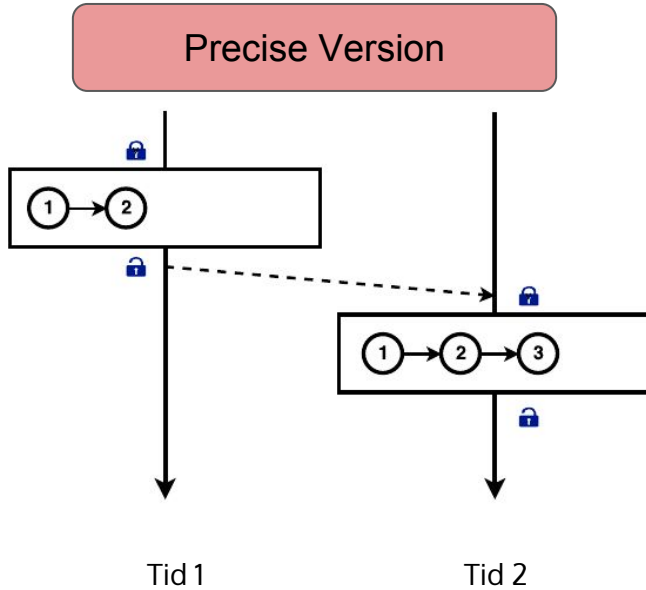
Precise Output	 <pre>graph LR; 4((4)) --&gt; 7((7)); 7 --&gt; 5((5)); 5 --&gt; NULL;</pre>
Output after Value Approximation	 <pre>graph LR; 6((6)) --&gt; 6((6)); 6 --&gt; 6((6)); 6 --&gt; NULL;</pre>
Output after Structural Approximation	 <pre>graph LR; 4a((4)) --&gt; 7((7)); 4a --&gt; 5((5)); 7 --&gt; NULL; 5 --&gt; NULL;</pre> <pre>graph LR; 4b((4)) --&gt; 5b((5)); 5b --&gt; NULL;</pre>

# Mechanism of Structural Approximation

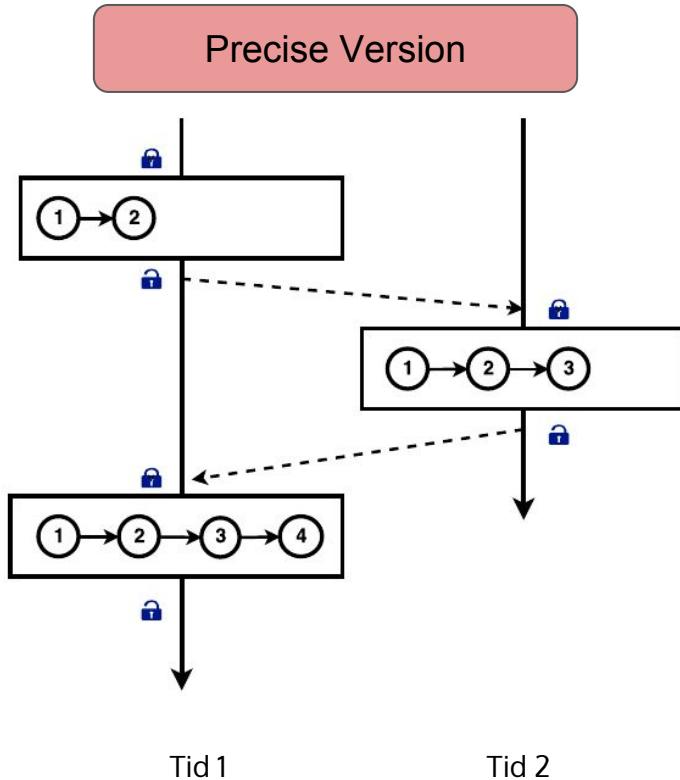




# Mechanism of Structural Approximation

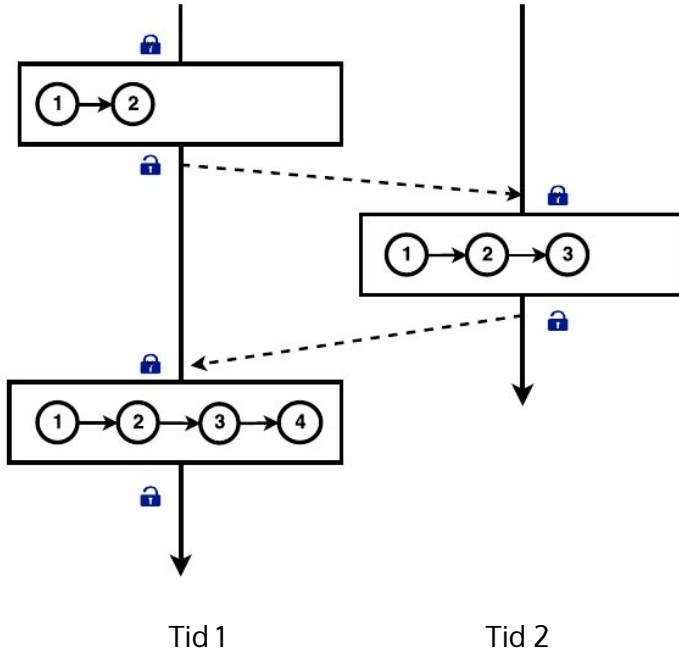


# Mechanism of Structural Approximation

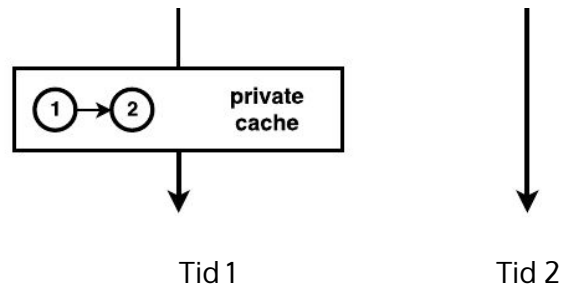


# Mechanism of Structural Approximation

Precise Version

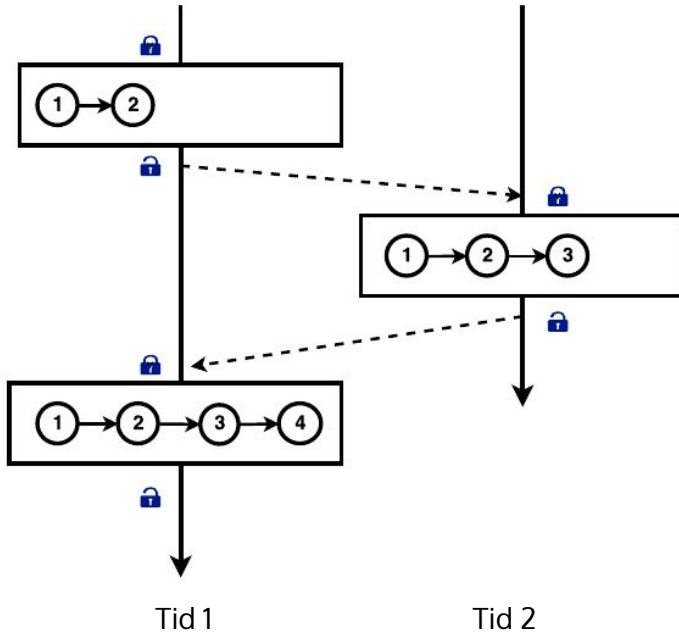


Approximate Version

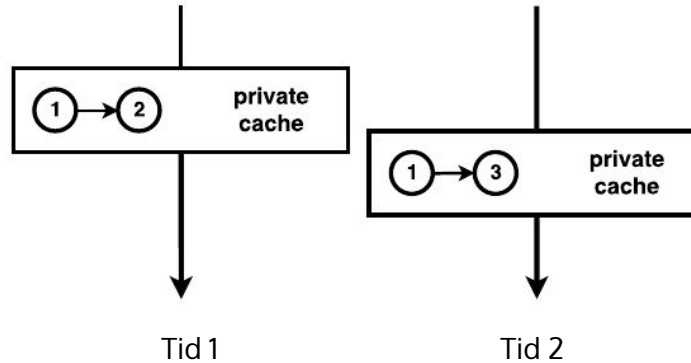


# Mechanism of Structural Approximation

Precise Version

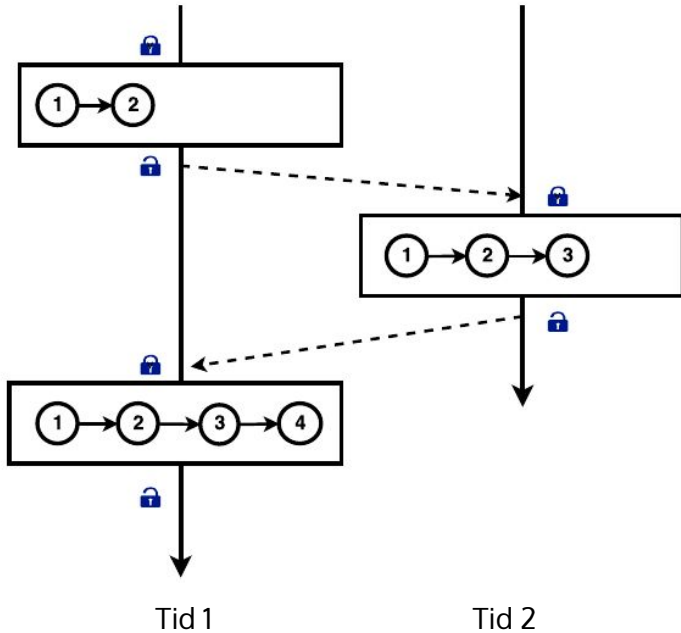


Approximate Version

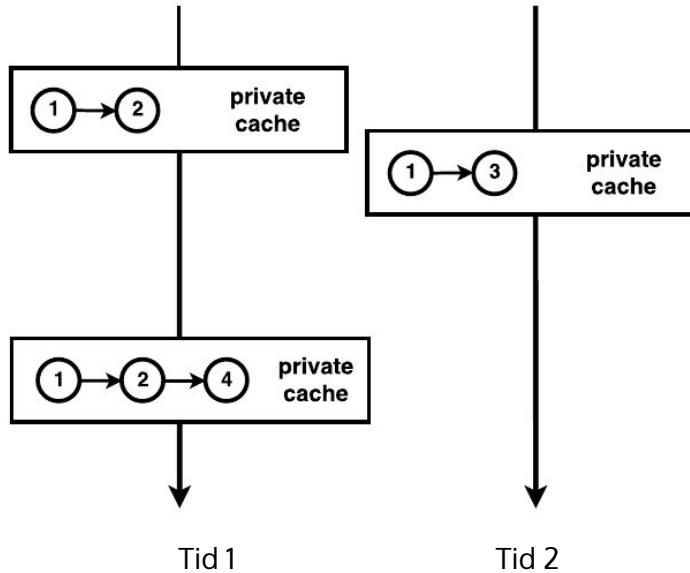


# Mechanism of Structural Approximation

Precise Version



Approximate Version



How can we ensure *usable* results from Structural Approximation?

# Outline

- ❖ Trends in Approximate Computing
- ❖ Structural Approximation
- ❖ Making Structural Approximation viable

# Existing Definition of Correctness

- Value based approximations use *numerical distance* to measure error

$$\text{Metric} = (\text{Output}_{\text{precise}} - \text{Output}_{\text{approximate}})$$

- Makes sense for value approximation

3	4	6	8	—	2	3	5	7	=	1	1	1	1
Precise Output					Approx. Output					Error			

We cannot use this error definition for Structural Approximation!

# New Definition of Correctness

The new definition should:

- Accommodate *temporary* inconsistency in data structures
- *Tolerate* the loss of a few elements in data structures

Need mechanisms to *enforce* this correctness definition



# Resilient Operators

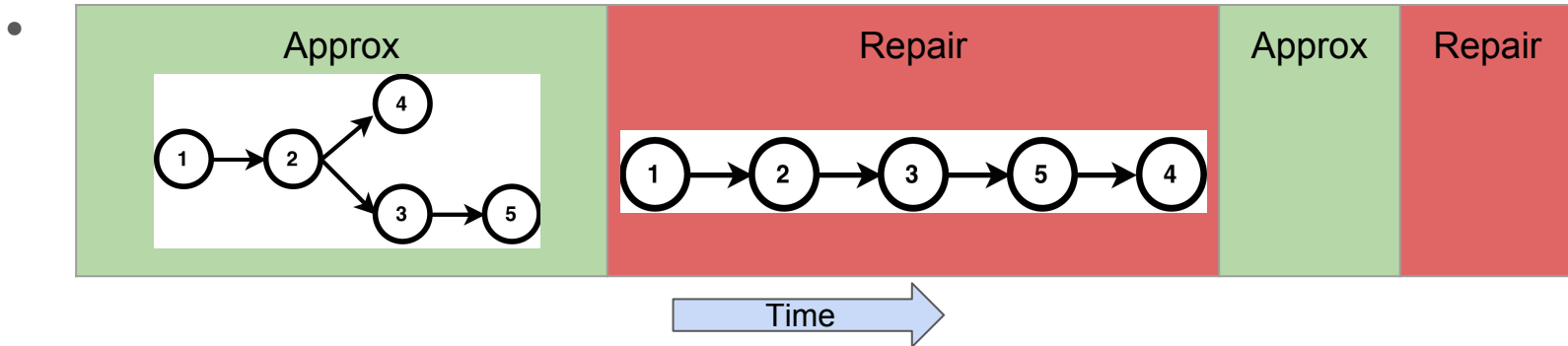
- Operators that *successfully* service queries even on inconsistent data structures
- Similar to the concept of Defensive Programming

```
int risky_visitor(int size){
    while(i < size){
        do_work(node->value); //Fails if elements
                               //dropped from list
        node = node->next;
        i++;
    }
}
```

```
int secure_visitor(int size){
    while(i < size){
        if (node != NULL){
            do_work(node->value); //saved from
                                //NULL ptr exception
            node = node->next;
        }
        i++;
    }
    else
        break;
}
```

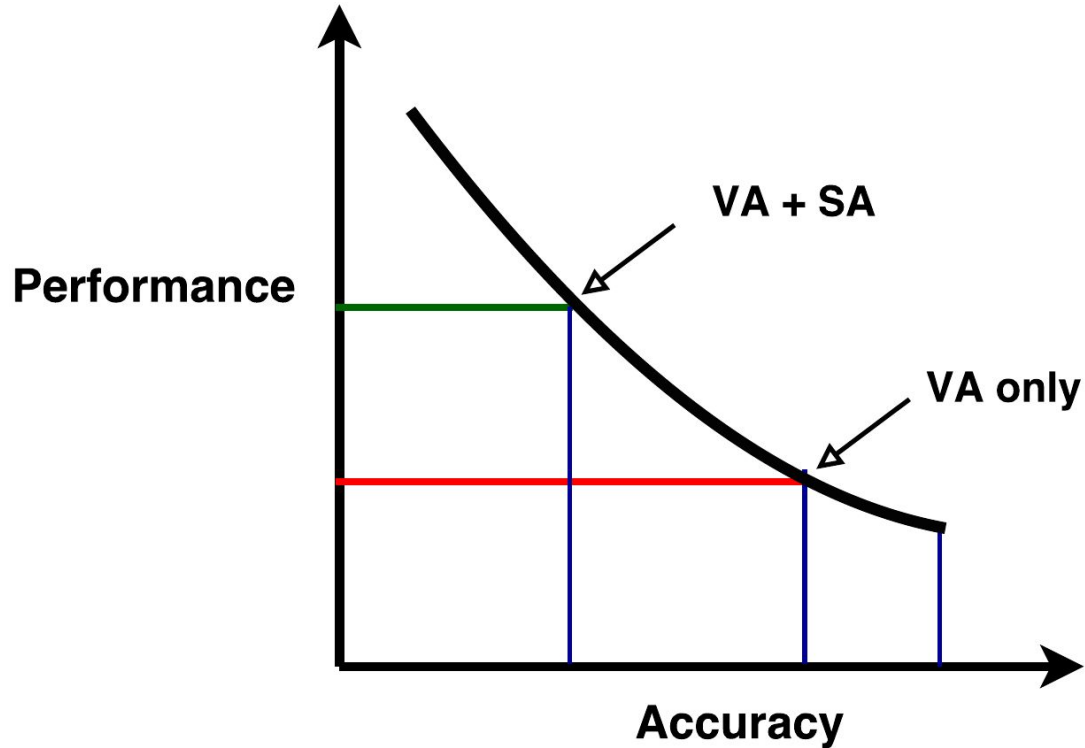
Handle all failures that are possible due to Structural Approximation

# Data Structure Repair



- Major challenge - How to implement *low-cost* repairs?
  - Offload repair to cloud?

# Role of SA in the Future of Approximate Computing



Thank You