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NAME: SAMRAAT DABOLAY STD: _____ SEC: F ROLL NO: 236 SUB BIS LAB

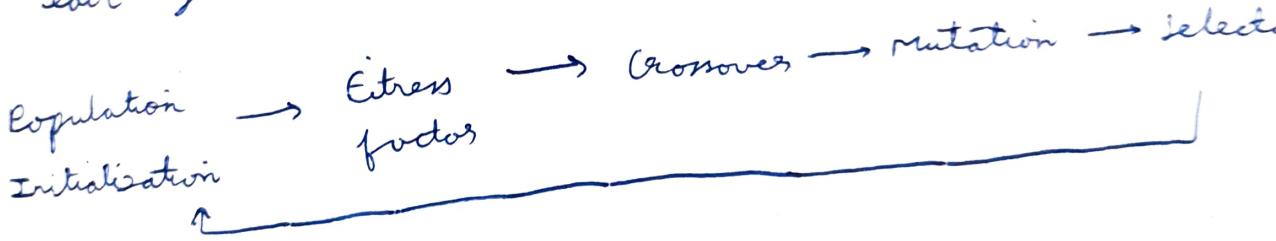
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Algorithm 1 : Genetic Algorithm for Optimisation Problems

3/10/24

Introduction

- It is a search based optimisation technique on principle of genetics and natural selection
- Used to find and solve optimal / non optimal solutions
- Simulates process of natural selection among individuals of consecutive generations
- A population of possible solutions undergo recombination and mutations, producing new children & this process is repeated over few generations
- Individual is assigned a fitness value & after each generation it yields more fitter individuals



Application

- Optimisation : maximise / minimize given objective function under set of constraints
- Neural Network
- DNA analysis
- Travelling Salesman

Algorithm 2 Particle Swarm Optimization (PSO)

Introduction:

- PSO is based on social behavior of birds in a flock or fish behavior in a school
- used for search and optimization
- simulation to discover problem in which birds fly their formations and grouping during flying, to search their food
- Sociobiologists believe a flock of birds "profit from experience of all other members"
- While simulating movement of a flock of birds, each bird is used to help find optimal solution and this leads to best solution found in solution space
- In PSO, a group of particles is used to represent potential solutions
- Each particle in swarm is influenced by current position of other particles as well as its own best solution

Applications :

- ① Energy storage optimization
- ② Food control & routing
- ③ Medical image & segmentation

Algorithm 3 : Ant Colony Optimisation for Travelling Salesman Problem (ACO)

Introduction :

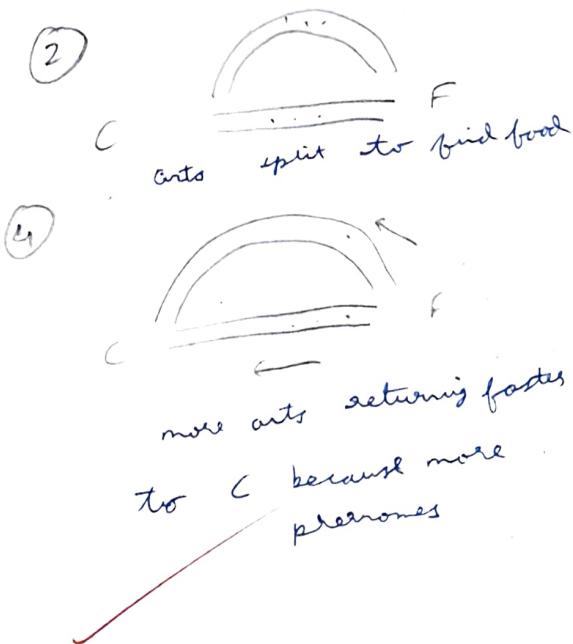
- It is a swarm intelligence algorithm
- goal is to design multi-agent system by observing behaviour of ants

Principle of ACO :

- Ants are social insects that live in colonies
- For communication, they use pheromones - chemical secreted by ants on soil
- To get food, ants use shortest path possible from food source to colony
- Each ^{ant} ~~path~~ uses shortest path, so highest pheromones for that path and other paths decrease
- These two factors used to find shortest path



shortest path reach
first & release
pheromones



Applications

- Scheduling problem
- Image processing
- Data mining

Algorithm - 3 : Ant Colony Optimization for Travelling Salesman Problem (ACO)

Introduction :

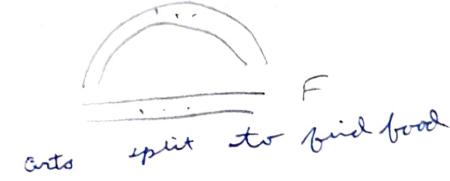
It is a swarm intelligence algorithm
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Principle of ACO :

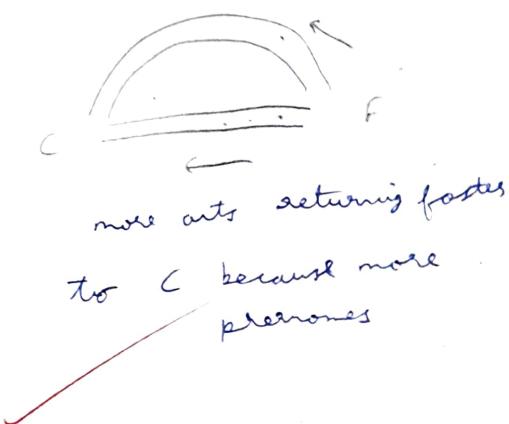
Ants are social insects that live in colonies
for communication, they use pheromones - chemical
secreted by ants on soil
to get food, ants use shortest path possible
from food source to colony
each ^{ant} ~~particular~~ issues shortest path, so highest
pheromones for that path and other paths decrease
use two factors used to find shortest path



②



④



Applications

- ① Scheduling problem
- ② Image processing
- ③ Data mining

Algorithm 4 - Cuckoo search (CS)

Introduction

- CS is an evolutionary optimisation algorithm. It was inspired by species of bird - cuckoo, & their aggressive mate reproduction strategy.
 - They lay their eggs in nests of other host birds. If host bird recognises eggs as not their own, they will throw it away or build a new one.
 - Rules
- ① Each cuckoo lays 1 egg at a time and randomly chooses nest.
 - ② Best nest with highest quality eggs will carry over to next generation.
 - ③ The number of available host nest's is fixed & egg laid by a cuckoo & egg laid is discarded by host bird with a probability of $p \in [0, 1]$.

steps

- ① Initialization
- ② Levy flight
- ③ fitness calculation
- ④ Termination



Applications

- ① Optimization
- ② Cloud computing
- ③ IoT
- ④ Pattern recognition

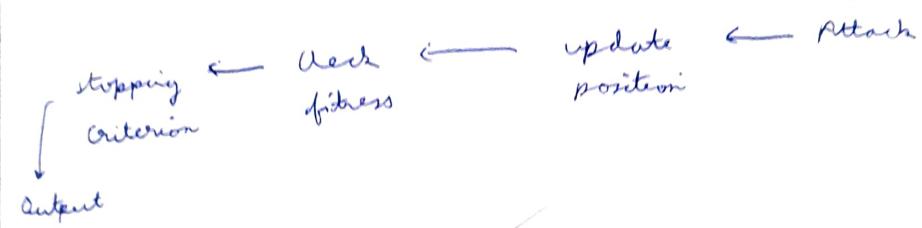
Algorithm 5 : Gray wolf optimizer (GWO)

Introduction

- nature inspired metaheuristic based on the behaviour of pack of wolves to find optimal solution
- Hunt in large packs & rely on cooperation among individual wolves
- ① social hierarchy ② hunting mechanism
 - complex social hierarchy includes delta, gamma, beta & alpha wolves representing best solution candidates at each iteration
 - To find best answer, the hunting behavior of prey wolves are picked. The beta & gamma wolves follow the alpha wolves' lead when they circle their meal. Delta wolf attacks first.

Workflow :

Initialisation \rightarrow Fitness Evaluation \rightarrow Encircling prey \downarrow



Applications :

- ① Data mining
- ② Image & signal processing
- ③ Energy management
- ④ Machine learning

Algorithm 6 : parallel cellular Algorithms

Introduction :

- Parallel cellular algorithm are computational model based on the idea of dividing a problem into smaller units or cells that operate simultaneously & open independently
- Inspired by cellular automata , where the cells interact with their neighbours based on local rules
- Parallelization in cellular algorithm is achieved by distributing these cells across multiple processing units , allowing for concurrent execution of many operations
- Two main concepts -
 - ① cellular automata
 - ② Parallel processing

Applications :

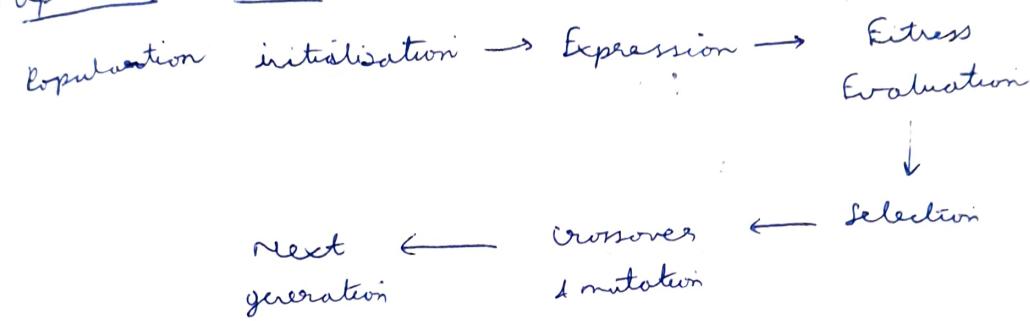
- ① Image processing
- ② Fluid dynamics
- ③ Biological System
- ④ Physics simulation

Algorithm 7 : Optimisation via gene Expression Algorithms

Introduction :

- GEA is inspired by biological processes, particularly gene expression in living organisms and belong to family of evolutionary algorithm
- GEA's optimise problems by mimicking the way genes in DNA express the metrics to develop specific traits traits in organisms

Optimisation Process :



Applications

- ① Machine learning
- ② Data mining
- ③ Resource allocations
- ④ Engineering optimizations

24/10/24

Algorithm 1 : Genetic Algorithm for Optimization Problems

Initialize - population (bounds, n) {

random. uniform (bounds[0], bounds[1] , 1) }

Evaluate - fitness (population) {

~~of function~~ (i) for i in population }

Roulette - wheel (pop, scores) {

total \leftarrow sum (scores)

prob \leftarrow 1 - score / total for each score

selection \leftarrow random. choice (len(pop) , p)

p \leftarrow prob / sum (prob)

return pop [selection]

Crossover (p1, p2, α) :

return offspring = alpha * p1[0] + (1 - α) * p2[0]

Mutation (individuals, bounds, rate) :

if random() < rate :

 return [random. uniform (bounds[0], bounds[1])]

return individual

Genetic - Algorithm (bounds, iter, n-pop, rate) :

pop \leftarrow initialise population (bounds, n-pop)

best, best - eval \leftarrow pop [0] , function (pop [0])

```

for ger in range (iter):
    scores ← evaluate - fitness (pop)
    for i in range (n - pop):
        if scores[i] < best - eval:
            best, best - eval ← pop[i], scores[i]

    children = []
    for _ in range (n - pop):
        p1 ← roulette - wheel (pop, scores)
        p2 ← roulette - wheel (pop, scores)
        child ← crossover (p1, p2)
        child ← mutation (child, bounds, rate)
        Add child to children list
        pop ← children
    return [best, best - eval]

```

Input:

$$\text{range / bounds} = [-10, 10]$$

$$\text{total iterations} = 50$$

$$\text{population size} = 100$$

$$\text{mutation rate} = 0.1$$

$$\text{Alpha} = 0.5$$

~~lernend~~
→ 24/10/24

2 7/11/24

F Algorithm 2 : Particle Swarm Optimization

: Fitness - function (x_1, x_2) :

$$f_1 \leftarrow x_1 - 2(x_2) + 3$$

$$f_2 \leftarrow 2x_1 + x_2 - 8$$

$$Z \leftarrow f_1^2 + f_2^2$$

return Z

Update - velocity (particle, velocity, pbest, gbest) :

Inertia

$$\omega \leftarrow \text{random_uniform}(\omega_{\min}, \omega_{\max})$$

Social & Cognitive components

$$c_1 \leftarrow c$$

$$c_2 \leftarrow c$$

$$r_1 \leftarrow \text{random_uniform}(0, 1)$$

$$r_2 \leftarrow \text{random_uniform}(0, 1)$$

$$\text{new_velocity} \leftarrow [0 \dots \text{num_particle}]$$

for $i \leftarrow 0$ to num_particle

$$\begin{aligned} \text{new_velocity}[i] \leftarrow & \omega * \text{velocity}[i] + \\ & c_1 * r_1 * (\text{pbest}[i] - \text{particle}[i]) + \\ & c_2 * r_2 * (\text{gbest}[i] - \text{particle}[i]) \end{aligned}$$

return new_velocity

Update - position (particle, velocity) :

$$\text{new_particle} \leftarrow \text{particle} + \text{velocity}$$

return new_particle

psot-

2d (population, dimension, pos-min, pos-max, generation, fitness-criteria):

particles \leftarrow [[random.uniform(pos-min, pos-max)
for j \leftarrow 0 to dimension] for
i \leftarrow 0 to population]

pbest-pos \leftarrow particles

pbest-fitness \leftarrow fitness-function(p[0], p[1])
for all p in particles

gbest-index \leftarrow min(pbest-fitness)

gbest-pos \leftarrow p best - pos [gbest-index]

velocity \leftarrow [0...dimension] for i in range of
population

for t \leftarrow 0 to generation

if average(pbest-fitness) \leq fitness-criteria

break

else

for n \leftarrow 0 to population

velocity[n] \leftarrow update-velocity(
particles[n], velocity[n],
pbest-pos[n], gbest-pos)

~~particles[n] \leftarrow update-position(
particles[n], velocity[n])~~

pbest-fitness \leftarrow fitness-function(p[0], p[1])

gbest-index \leftarrow min(pbest-fitness)

gbest-pos \leftarrow pbest-pos[gbest-index]

2 Inputs :

A population = 100

dimension = 2

pos-min = -100.0

pos-max = 100

generation = 100

fitness-criterion = $10e^{-6}$

CGO
2/11/24

14/11/29

Algorithm 3 Ant Colony Optimization for TSP

Input city () :

$n \leftarrow$ no. of cities

cities \leftarrow list of city

for $i \leftarrow 0$ to n

visit city [i] x,y coords.

return cities

Distance (p_1, p_2) :

return $\sqrt{\text{sum}((p_1 - p_2)^2)}$

Build-path (n , pheromone, points, α , β) :

visited \leftarrow for $i \leftarrow 0$ to n all false

visited [current] \leftarrow true

current \leftarrow random(n -points)

path \leftarrow [current]

path-length $\leftarrow 0$

while false in visited :

probabilities $\leftarrow [0 \dots n]$ all zeros array

unvisited \leftarrow find point which is not visited
using array

for i, unvisited-point is unvisited :

pheromone-value \leftarrow pheromone [current, unvisited-point]
 α

distance-value \leftarrow distance (points [current],
points [unvisited-point]) β

probabilities [i] = pheromone-value / distance-value

2
—
A

sum and normalize probabilities
next-point \leftarrow random (unvisited, p = probability)
path.append(next-point)
path-length += distance(points[current-point],
points[next-point])

visited[next-point] \leftarrow true
current-point \leftarrow next-point

return path, path-length

Update-pheromones (pheromone, paths, path-lengths,
 \rhoho, α):

pheromone \leftarrow pheromone * rho

for path, path-length in their arrays:

for i $\leftarrow 0$ to $n-1$

pheromone [path[i], path[i+1]] \leftarrow pher.
+ $\alpha / \text{path-length}$

pheromone [path[-1], path[0]] += $\alpha / \text{path-length}$

return pheromone

Ant-Colony-Optimization (points, n-ants, n, alpha, beta, rho):
 $n\text{-points} \leftarrow \text{len}(points)$

pheromone \leftarrow $\begin{bmatrix} (1, 1), (1, 1), \dots, \dots \end{bmatrix}$ for $n\text{-points}$
best-path-length $\leftarrow \infty$

for iter in range of n:

paths $\leftarrow [.]$

path-lengths $\leftarrow []$

for i in range of n-arts:

path, path-length ← Build-path (n,
pheromone, α , β , point)

paths.append(path)

path-lengths.append(path-length)

if path-length < best-path-length

best-path ← path

best-path-length ← path-length

pheromone ← update-pheromones (pheromones,
paths, path-lengths, rho, Q)

return best-path; best-path-length

points ← input-city()

Inputs:

points,

n-arts = 10

n-iters = 100

$\alpha = 1$

$\beta = 1$

$\rho = 0.5$

$Q = 1$

GLD
14/11/2024

2 21/11/24

Algorithm 4: Cuckoo Search Algorithm

• objective - function (x):
return $x[0]^{\alpha/2}$

• Levy - flight (num, $\beta = 1.5$):

$$\text{sigma} = u \leftarrow \frac{\text{gamma}^{(1+\beta)} \sin(\pi \cdot \beta/2)}{\text{gamma}^{(1+\beta)/2} \cdot \beta \cdot 2^{(\beta-1)/2}}$$

 $u \leftarrow \text{random normal}(0, \text{sigma}, \text{num})$
 $v \leftarrow \text{random normal}(0, 1, \text{num})$
return $\frac{u}{|v|^{\beta}}$

Cuckoo - search (~~→ iter~~; num - nests, pa = 0.25):
num - dim $\leftarrow 1$
nests $\leftarrow \text{random . rand}(\text{num - nests}, \text{num - dim})$
fitness $\leftarrow \text{objective - function (nests)}$
best - nest $\leftarrow \text{nests} [\text{np.argmax(fitness)}]$
best - fitness $\leftarrow \text{np.min(fitness)}$
for - in range (iter):
for i $\leftarrow 0$ to num - nests:
new - nest $\leftarrow \text{nests}[i] + \text{levy - flight}$
new - fitness $\leftarrow \text{objective - function (new - nest)}$
if new - fitness < fitness[i]:
nests[i] \leftarrow new - nest
fitness[i] \leftarrow new - fitness

worst_nests \leftarrow argsort (fitness) [- int(pa * num_nests):]
 for j in worst_nests:
 nests[j] \leftarrow random (num_dim) * 10 - 5
 fitness[j] \leftarrow objective function (nests[j])

 current_best \leftarrow np.argmax (fitness)
 current_best_fitness \leftarrow fitness [current_best]
 if current_best_fitness < best_fitness:
 best_fitness \leftarrow current_best_fitness
 best_nest \leftarrow nests [current_best]

 return best_nest, best_fitness

Inputs : num_iterations = 1000
 num_nests = 25
 pa = 0.25
 b = 1.5

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 11/24

28/11/24

Algorithm 5 : Gray Wolf Optimization

```
Initialize-wolves ( search-space , num-wolves ) :
    dim ← len ( search-space )
    wolves ← zeros (( num-wolves , dimension ))
    for i ← 0 to num-wolves :
        wolves [i] ← random . uniform (
            search-space [:, 0] ,
            search-space [:, 1] )
    return wolves
```

Fitness - function (x) :

```
return np . sum ( x ** 2 )
```

GWO - algorithm (search-space , num-wolves , max - iterations) :

```
dim ← len ( search-space )
wolves ← initialize - wolves ( search-space ,
    num-wolves )
alpha ← zeros ( dim ) ✓
beta ← zeros ( dim ) ✓
gamma ← zeros ( dim ) ✓
alpha-fit = beta-fit = gamma-fit ← float('inf')
best-fit ← float ('inf')
```

for iter in range (max) :

$$a \leftarrow 2 - (\text{iteration}/\text{max})^2$$

for i $\leftarrow 0$ to num-wolves :

fitness \leftarrow fitness-function(wolves[i])

if fitness < alpha-fitness :

copy beta wolf & fitness to gamma

copy alpha wolf & fitness to beta

alpha-wolf \leftarrow wolves[i].copy()

alpha-fitness \leftarrow fitness

elif fitness < beta-fitness :

copy beta wolf & fitness to gamma

beta-wolf \leftarrow wolves[i].copy()

beta-fitness \leftarrow fitness

elif fitness < gamma-fitness :

gamma-wolf \leftarrow wolves[i].copy()

gamma-fitness \leftarrow fitness

if alpha-fitness < best-fitness :

best-fitness \leftarrow alpha-fitness

for i $\leftarrow 0$ to num-wolves :

for j $\leftarrow 0$ to dims :

r_1, r_2 random floats

$$A1 \leftarrow 2 * r_1 - a$$

$$C1 \leftarrow 2 * r_2$$

$$\begin{aligned} D_alpha &\leftarrow \text{abs}(C1 * \text{alpha-wolf}[j] \\ &\quad - \text{wolves}[i, j]) \end{aligned}$$

$$X1 \leftarrow \text{alpha-wolf}[j] - A1 * D_alpha$$

New α_1 & α_2 random floats

$$A_2 \leftarrow 2^* \alpha^* \alpha_1 - \alpha$$

$$C_2 \leftarrow 2^* \alpha_2$$

$$D\text{-beta} \leftarrow \text{abs}(C_2^* \text{beta-wolf}_{[j]} - \text{wolves}_{[i,j]})$$

$$x_2 \leftarrow \text{beta-wolf}_{[j]} - A_2^* D\text{-beta}$$

New α_1 & α_2 random floats

$$A_3 \leftarrow 2^* \alpha^* \alpha_1 - \alpha$$

$$C_3 \leftarrow 2^* \alpha_2$$

$$D\text{-gamma} \leftarrow \text{abs}(C_3^* \text{gamma-wolf}_{[j]} - \text{wolves}_{[i,j]})$$

$$x_3 \leftarrow \text{gamma-wolf}_{[j]} - A_3^* D\text{-gamma}$$

$$\text{wolves}_{[i,j]} \leftarrow (x_1 + x_2 + x_3) / 3$$

$$\text{wolves}_{[i,j]} \leftarrow \text{clip}(\text{wolves}_{[i,j]},$$

$$\text{search-space}_{[j,0]},$$

$$\text{search-space}_{[j,1]})$$

Inputs:

~~$$\text{Search-space} = \text{array}([-5, 5], [-5, 5])$$~~

~~$$\text{num-wolves} = 10$$~~

~~$$\text{max-iter} = 100$$~~

Algorithm 6 Parallel Cellular Algorithms

Custom-function (*) :

return sum (x^{**2})

Finalize - population (grid-size, dir, lower, upper)

```
population ← random(lower, upper, (grid-size,  
grid-size, dim))
```

return population

Evaluate - fitness (population, fitness-function) :

```
fitness ← zeros (population.shape [:-1])
```

for i in range (population . shape [0]):

for j in range (population.shape[1]):

`fitness[i][j] ← fitness custom-function
(population[i, j])`

return fitness

update_states (pop, fit, radius, lower, upper):

grid-size, -, dim ← ~~population~~.shape

new-pop \leftarrow pop · copy ()

for i in 0 to grid-size :

for j in 0 to grid-size:

neighbours \leftarrow get - Neighbors
radius

~~best - neighbor~~ ← None

~~best - fitness~~ \leftarrow float('inf')

for ri, rj in neighbors:

if fitness [n_i, n_j] < best-fitness .

best-fitness \leftarrow fitness [n, n]

best-neighbor $\leftarrow (n_i, n_j)$

if best - neighbors:
 $n_i, n_j \leftarrow$ best - neighbors
 new - population $[i, j] \leftarrow \text{pop}[n_i, n_j] +$
 $\text{random}(-0.5, 0.5, \text{dim})$
 new - population $[i, j] \leftarrow \text{clip}(\text{new - population}$
 $[i, j], \text{lower}, \text{upper})$

return new - population

get - neighbors($i, j, \text{grid-size}, \text{radius}$):
 neighbors $\leftarrow []$
 for di in range $(-\text{radius}, \text{radius} + 1)$:
 for dj in range $(-\text{radius}, \text{radius} + 1)$:
 $n_i, n_j \leftarrow (i + di) \% \text{grid-size},$
 $(j + dj) \% \text{grid-size}$
 if $(di \neq 0 \text{ or } dj \neq 0)$:
 neighbors.append($((n_i, n_j))$)

return neighbors

Parallel - cellular - Algorithm (grid - size , dim , lower ,
 upper , max - iters ; radius , fitness - func).
~~population \leftarrow initialize - population (grid - size ,
 dim , lower , upper)~~

~~fitness \leftarrow evaluate - fitness (population ,
 fitness - function)~~

$\text{min-fitness} \leftarrow \text{fitness}.\text{min}()$

if $\text{min-fitness} < \text{best-fitness}$

$\text{best-fitness} \leftarrow \text{min-fitness}$

best - sol & done

best - fit ← ∞

for iter in max_iters :

pop ← update - states (population, fitness,
radius, lower, upper)

fitness ← evaluate - fitness (pop,
fitness - function)

min - fitness ← fitness . min()

if min - fitness < best - fitness :

best - fitness ← min - fitness

best - sol ← population [np.

wavelet - index (fitness . min(),
fitness . slope)]

print (iteration, fitness)

return best - sol, best - fit

Inputs:

grid - size = 10

dim = 1

lower = -5

upper = 5

max_iters = 100

radius = 1

Algorithm 7 : Optimization via Gene Expression

Function (x):

return sum(x^{**2})

Initialize - Population (pop^{num-genes}, lower^{lower}, upper^{upper})

pop ← random(lower, upper, {pop^{size}, num-genes})

return pop

Evaluate - fitness (pop, function^{fitness}) :

fitness ← zeros (pop.shape[0])

for i in range pop.shape[0]:

fitness[i] ← ~~fitness~~ function (pop[i])

return fitness

Selection (pop, fitness, num-selected) :

prob ← fitness / fitness.sum()

indices ← random.choice(range(len(pop)), size=num-selected, p=prob)

selected-pop ← pop[indices]

return selected-pop

Crossover (selected-pop, crossover) :

new-pop ← []

num-individuals ← len(selected-pop)

for i in range 0 to num-individuals-1, step 2:

p1, p2 ← selected-pop[i], selected-pop[i+1]

if len(p1) > 1 and random < crossover:

crossover-point ← random(1, len(p1)-1)

child1 ← concatenate(p1[:crossover-point])

p2[crossover-point:] >

```
child2 ← concatenate (p2[:crossover-point],  
                      p1[crossover-point:])
```

new-pop. extend ($p^1, p^2]$)

of non-individuals $1 \cdot 2 = 1$

new-pop append (selected - prop [-1])

return here - pop

Mutation (pop, rate, lower, upper)

```
for i in range(len(pop.shape[0])):
```

if random < rate :

gene ← random ($0, \text{pop. size}$)

`pop[i, gen] ← random.uniform(lower, upper)`

return pop

bere-expression (individual, function) :

return function (individual)

```

    (re- Expression - Algorithm ( pop - size , num - genes , lower , upper ,
    met - ger , mutation - rate , crossover - rate , function ) ;
    pop ← initialize - population ( pop - size , num - genes ,
    lower , upper )

```

~~butter~~

best-sol ← π^*

$$\text{best-fit} \leftarrow \infty$$

for gen in Oto max - ger

~~for ger in 0 to max-ger:
fitness ← evaluate-fitness (pop, function)~~

~~min-fitness~~ \leftarrow fitness.min()

if $\text{mis-fitress} < \text{best-fit}$:

best-fit ← min-fitness

`best_sol ← pop [min(fitness)]`

selected - pop \leftarrow selection (pop, fitness,
pop-size /2)

offspring-pop \leftarrow crossover (selected-pop
crossovers - rate)

pop \leftarrow mutation (offspring-pop, mutation,
lower, upper)

point (generation, fitness)

return best-sol, best-fit

Inputs:

pop-size = 50

num-genes = 1

lower = -5

upper = 5

max-gen = 100

mutation-rate = 0.1

crossover-rate = 0.7

(f)
 lg(12) \approx 4