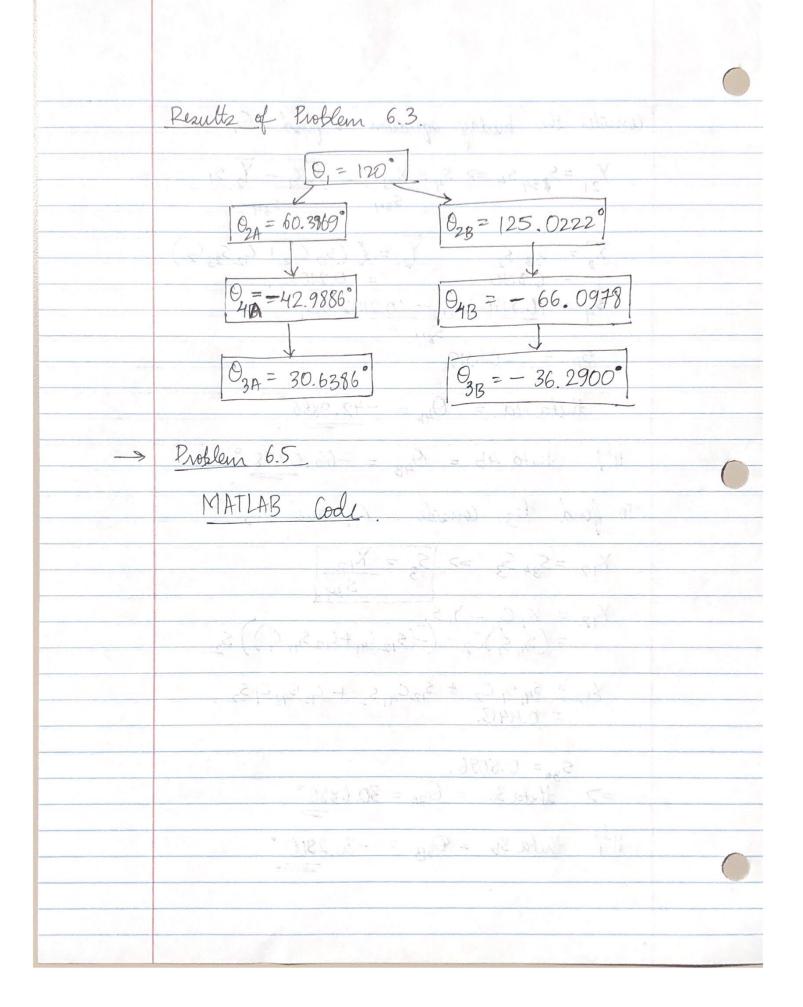
3877		
(22 lb),	EML 6281	
	Robot Geometry - I	
	Homework #5	
	119membre 41	
J= 42 20 30	Problem (6,233,0) 3+ (35,037,883,0) 6-1	
	MATLAB (ado) = 1 - A	
$\rightarrow$	Problem 6.3	4 1
	Given - $\alpha_{12} = 75^{\circ} \alpha_{23} = 1100^{\circ}, \alpha_{24} = 60^{\circ}, \alpha_{41} = 80^{\circ}.$ $\theta_{1} = 120^{\circ}.$	
	$\theta_1 = 120^{\circ}$ .	0,
	Heres of the Market of the Mar	
	we know, 2560 212 = C3410000 = 1	2A 2B
(alti)	M 1 = C34.	PHA PAB
	from the total equation about.	03A 03B.
	$z_1 = s_{41} (x_2 s_1 + Y_2 c_1) + c_{41} z_2 - c_{34} = 0.$ — (	S Constant
	$\overline{X}_2 = S_2 3 S_2$ $\overline{Y}_2 = -(S_{12} S_{13} + (S_{12} S_{13} - S_{12}))$ $\overline{Z}_2 = (S_{12} S_{12} - S_{12})$	5,362
	Plugging these values in equation O.	
	541 ((52352)5,+(-(512(23+(12523C2)C1)+C41 (C12(23-512523C2)-(	0. 20
	5415235251 - 512C23C1541 - C12523C2C1541 + C41C12C23 - 512C415	236220.
	$S_2(S_{41}S_{23}S_{2}) - C_2(C_{12}S_{23}C_1S_{41} + S_{12}C_{41}S_{23}) - S_{12}C_{23}C_1S_{41} + C_{41}S_{41}S_{41}$	
	2 (1232) - (2 (12323 1 41 + 12 41 23 ) - 12 (23 1 41 41	12 23 -134=
	A= 541 523 51; B= C12523 C154 + 51264 523. and	
	D= -512625(541 +641 (12 (23-(34 =0)	
		11111111111

Aside From  $\chi_2 = -2B \pm \sqrt{(2B)^2 - 4(D-A)(D+A)}$ 2(D-A) -C2 (C12523C1541 + 52 C41523) +52 (S4152351)-S12 (23 (1541+C4) (1223-C3+=0 AC2 + BS2 + D=0. from companision use get. A = - (C12523C1S41 + S12C41S23), B= (S41523S1) D= (41 €12 (23 - C34 - S12 (23 (1541) A = -0.0349. B = 0.8014 D = -0.6780. (From MATLAB. from the Aside equation above. X= 0.5819 and 1.9219. X2 = tem 9/2 => 0, = 2 x tant (X2 thata O2A = 60.3869° 4 (From MATLAB) O<sub>2</sub>R = 125.0222° (50, 535) - (2(9, 536) Sup + 513 Gul 533) - 83 Grs

consider the buddy equation to find O4. Sy = (0.8170) C, - (0.2102) S,  $S_{4} = -0.6819.$ Theta  $4a = 0_{44} = -42.9886^{\circ}$ 11 theta 4b = 04B = -66.0978. To fend 03 consider. K12 and Y12.  $X_{12} = S_{34} S_3 \implies S_3 = X_{12}$   $S_{34}.$  $X_{12} = X_1 C_2 - Y_1 S_2$ =  $(S_{41} S_1)C_2 - (-(S_{12} C_{41} + C_{12} S_{41} C_1))S_2$ . ×12= 54151 C2 + 512C4152 + C12541 C152 = 0.4413. 53a= 0.5096. => theta 3a = 03A = 30.6386° 11 that 36 = 03B = -36.2900°



```
clear all
clc
alpha12=75;
alpha23=110;
alpha34=60;
alpha41=80;
theta1=120;
s12=sind(alpha12);
s23=sind(alpha23);
s34=sind(alpha34);
s41=sind(alpha41);
c12=cosd(alpha12);
c23=cosd(alpha23);
c34=cosd(alpha34);
c41=cosd(alpha41);
s1=sind(theta1);
c1=cosd(theta1);
B=s41*s23*s1
A=-(c12*s23*c1*s41+(s12*c41*s23))
D=-s12*c23*c1*s41+c41*c12*c23-c34
Q=(2*B)^2-4*(D-A)*(D+A);
X2a=(-2*B+sqrt(Q))/(2*(D-A))
X2b=(-2*B-sqrt(Q))/(2*(D-A))
theta2a=atand(X2a)*2
theta2b=atand(X2b)*2
s2=sind(theta2a);
c2=cosd(theta2a);
X 2bar=s23*s2
Y_2bar=-(s12*c23+c12*s23*c2)
s4=(X_2bar*c1-Y_2bar*s1)/s34
theta4a=asind(s4)
s2=sind(theta2b);
c2=cosd(theta2b);
X_2bar=s23*s2
Y_2bar=-(s12*c23+c12*s23*c2)
s4=(X_2bar*c1-Y_2bar*s1)/s34
theta4b=asind(s4)
%to find theta3
c2=cosd(theta2a);
s2=cosd(theta2a);
X 12=s41*s1*c2+s12*c41*s2+c12*s41*c1*s2
s3a=(X 12/s34)
theta3a=asind(s3a)
c2=cosd(theta2b);
s2=cosd(theta2b);
X_12=s41*s1*c2+s12*c41*s2+c12*s41*c1*s2
s3b=(X 12/s34)
theta3ab=asind(s3b)
```

A =

-0.0379

D =

-0.6780

X2a =

0.5819

X2b =

1.9219

theta2a =

60.3869

theta2b =

125.0222

X\_2bar =

0.8170

Y\_2bar =

0.2102

s4 =

-0.6819

theta4a =

-42.9886

X\_2bar =

0.7695

Y\_2bar =

0.4699

0.5096

s3a =

theta3a = 30.6386

X\_12 = -0.5126

s3b = -0.5919

theta3ab = -36.2900