Microeconomic Theory — ECON 323 503 Chapter 17: Property Rights, Externalities, Rivalry, and Exclusion

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- 6. Rivalry and exclusion: Markets without these fail.

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- ▶ Negative externalities: pollution
- ▶ Positive externalities: immunization

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Costs:

- 1. Private: the costs of production (raw material, capital, etc).
- 2. Social: the harm that the pollution causes.

Supply/private marginal cost:

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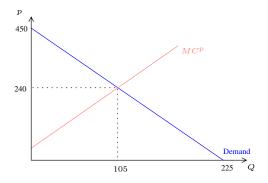
$$p = 450 - 2Q.$$

Equilibrium:

$$30 + 2Q = 450 - 2Q.$$

So $Q_c = 105$ and $p_c = 240$

Graphically



Marginal cost to society due to pollution:

$$MC^g(Q) = Q.$$

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To find the social optimum, equate inverse demand and MC^s :

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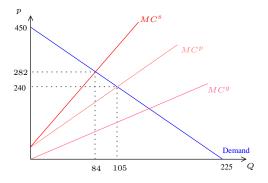
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To find the social optimum, equate inverse demand and MC^s :

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So $Q_s = 84$ and $p_s = 282$.

Graphically



Previously, we only needed to think about CS and PS.

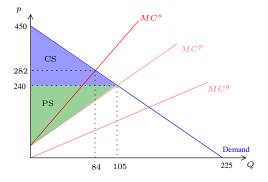
Previously, we only needed to think about CS and PS.

Now we also consider the harm from pollution.

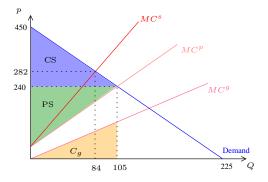
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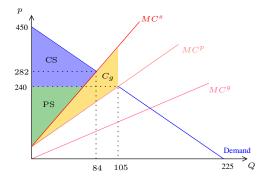
$$W = CS + PS - C_g$$
cost of pollution



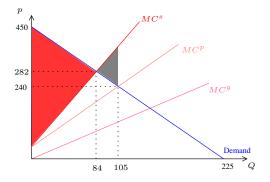
If we ignore the social cost of pollution, welfare is CS+PS.



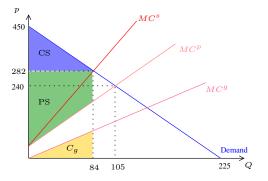
The yellow area is the social cost of 105 units of pollution.



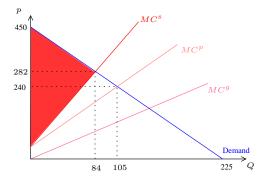
Since $MC^s - MC^p = MC^g$, this is the same area.



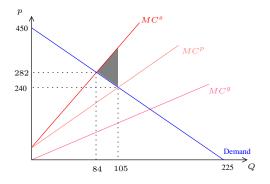
Total welfare is the red area minus the grey area.



Social optimum: total welfare is calculated as $CS + PS - C_g$.



So total welfare is the red area.



Loss of welfare from competitive allocation is the grey area.

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C(G) — cost to society from cutting pollution by G from G_c . This is from reduced consumption.

To balance these, we pick the amount to cut that maximizes

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The marginal benefit equals the marginal cost.

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Two kinds of regulation:

- 1. Standards: restrict the amount that the mills can pollute to 84 units.
- 2. Taxes: charge a tax to make the private cost more like the social cost.

Standards

Difficulties with standards:

- ▶ Need to know enough to calculate the optimal quantity.
- ▶ Enforcement can be difficult.

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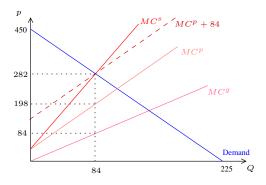
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This is particularly handy if firms can switch to technologies that pollute less.

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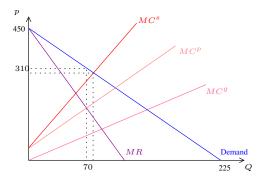
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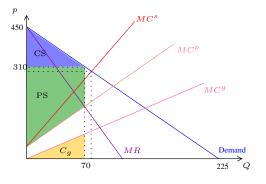
But this calculation doesn't account for $MC^g(Q)$ so if social cost were much greater than private cost, the monopoly might produce too much.

Monopoly ad externalities



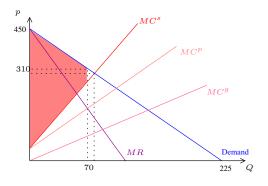
In this case, the monopoly produces too little of good (despite the pollution).

Monopoly ad externalities



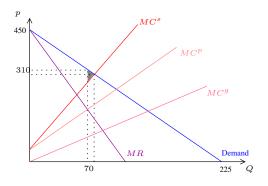
To evaluate the impact of the monopoly, calculate social welfare.

Monopoly ad externalities



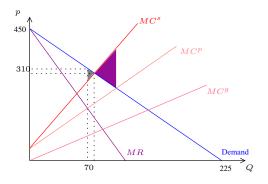
Social welfare is the red area.

Monopoly ad externalities



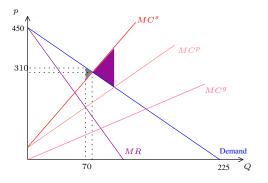
Deadweight loss from monopoly is the grey area.

Monopoly ad externalities



DWL from monopoly (grey) is less than competition (purple).

Monopoly ad externalities



DWL from monopoly (grey) is less than competition (purple). Relationship can go the other way for other MCs and D.

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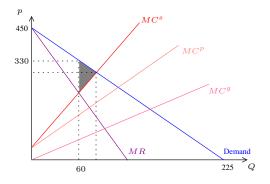
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But if there was overprovision without tax, the tax may help.



DWL is higher with tax than without.

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Not a practical solution, but highlights the problem of not having property rights defined.

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Social optimum: 1 car per hour and total profit of 500.

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If no property rights: mechanic maximizes profits by choosing to work on 2 cars per hour.

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Right to quiet: tea house maximizes profit by selling the right to one car per hour for 200. The mechanic makes 300 minus the 200 paid for the right to work on a car. The tea shop makes 200 plus the 200 it gets from the mechanic.

Cars per hour	π_{mech}	π_{tea}	total
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Right to be noisy: mechanic sells its right to work on one car and makes 300. The loss of 100 is made up for by the price it charges the tea shop between 100 and 200.

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Caveat: This kind of bargaining only works in very special circumstances where there is no asymmetric information, no transaction cost, and so on.

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Markets for all but private goods fail.

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This is the tragedy of the commons.

 ${\bf Examples:\ Cable\ TV,\ software.}$

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Cannot regulate to require price to be zero.

 $\label{eq:consumes} \text{Everyone consumes public goods.}$

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So if 1 hires and 2 doesn't:

- 1 gets 8 10 = -2
- 2 gets 8 0 = 8.

	2 hires	2 doesn't hire
1 hires	-2, -2	-2, 8
1 doesn't hire	8, -2	0, 0

	2 hires	2 doesn't hire
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If you have a roommate, this is what probably happens when it comes to cleaning up.

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The Nash equilibrium is still for neither to hire.

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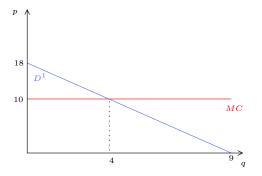
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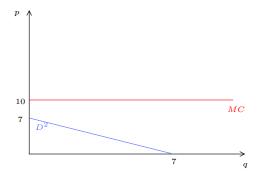
Total value of q guards: $D^1(q) + D^2(q)$ — vertical sum.

Free riding



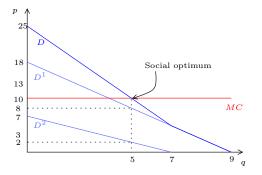
If 1 makes its decision alone, with no guards provided by 2, it decides on 4 guards.

Free riding



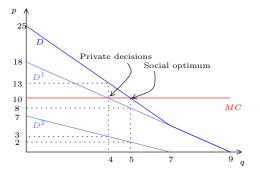
If 2 makes its decision alone, with no guards provided by 1, it decides on no guards.

Social optimum



The social optimum is to hire 5 guards and split the cost between 1 and 2.

Equilibrium



If they are choosing independently, the equilibrium is for 1 to hire 4 guards and 2 to hire none.

 $U_1(G, P_1)$ — utility of store 1 with G guards while paying P_1 .

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 $G = G_1 + G_2$ — the total amount of public good provided.

 $U_1(G, P_1)$ — utility of store 1 with G guards while paying P_1 .

 $U_2(G, P_2)$ — utility of store 2 with G guards while paying P_2 .

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Pareto-efficiency: Each provides G_i so that increasing one's utility decreases the other's.

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Free riding leads to the phenomenon where the provision of the public good is too little if we treat it like a private good.

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- 4. Coercion: the government can impose the socially efficient levels via taxes.