Microeconomic Theory — ECON 323 503 Chapter 8: Competitive firms and markets

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- 2. Profit maximization: how much to produce if at all.
- 3. Competition in the short run: supply curve is driven by variable costs.
- 4. Competition in the long run: no fixed costs and firms can enter/exit.

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Perfectly competitive industry: firms are "price takers."

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If there are many competing firms, raising your price causes demand for your goods to drop to zero.

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Example: Chicago commodity exchange

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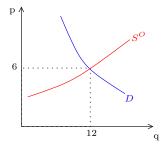
D(p) — Market demand

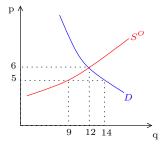
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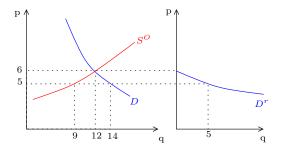
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 $S^{O}(p)$ — Other firms' supply (add up the supply of other firms).







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(Differentiate $D^r(p) = D(p) - S^O(p)$ with respect to p.)

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Residual demand for firm i is over 300 times more elastic than market demand!

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This means that the firm can sell as many units as it wishes to as long as it charges no more than p. If it charges anything more than p, demand for its good drops to zero.

The demand curve that a perfectly competitive firm faces

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This means that the firm can sell as many units as it wishes to as long as it charges no more than p. If it charges anything more than p, demand for its good drops to zero.

This is intuitive: if other firms sell the same product as you, when you charge more than they do, nobody buys from you.

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- 2. More importantly: the competitive model is a *benchmark* to compare real world markets to.

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Since C is economic cost (including all opportunity costs), π is the economic profit.

Two steps to maximizing profit

When picking q:

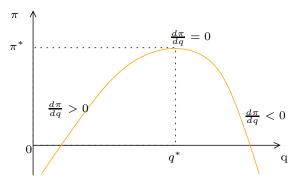
1. Which level q^* yields the highest profit (or minimizes loss when $(\pi(q) < 0)$?

Two steps to maximizing profit

When picking q:

- 1. Which level q^* yields the highest profit (or minimizes loss when $(\pi(q) < 0)$?
- 2. Should you just shut down rather than produce q^* ?

Picking q^*



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So, at q^* , $\frac{d\pi}{dq} = 0$.

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$$q^*$$
, $\frac{d\pi}{dq} = 0$.

 $\frac{d\pi}{dq}$ is marginal profit: the additional profit per unit increase of quantity.

Since
$$\pi(q) = R(q) - C(q)$$
,
$$\frac{d\pi(q)}{dq} = \frac{dR(q)}{dq} - \frac{dC(q)}{dq} = MR(q) - MC(q).$$

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If
$$\frac{d\pi(q^*)}{dq} = 0$$
 then
$$MR(q^*) = MC(q^*).$$

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It is equivalent to $\frac{dMR(q)}{dq} < \frac{dMC(q)}{dq}$: the marginal revenue curve is flatter than the marginal cost curve

Shutdown rules

What happens if $\pi(q^*) < 0$ so that you're running a loss?

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Only if doing so reduces your loss.

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No.

If you shut down, R = \$0 and VC = \$0 so $\pi = -\$3,000$.

Competition in the short run

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So MR(q) = p for every q.

To find q^* , equate MR and MC to find optimal quantity:

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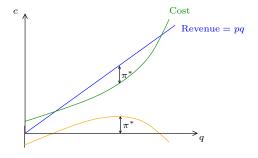
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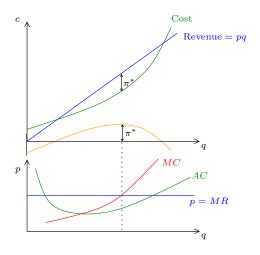
$$MC(q^*) = p.$$

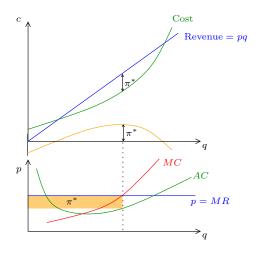
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$$\frac{dMC}{dq} > 0$$

So, MC is upward sloping.







Shut down or not?

Three cases:

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- 2. minimum AVC $\leq p \leq$ minimum AC: you're running a loss, but reducing it by staying in business.
- 3. p > minimum AVC: you're losing money by staying in business. Shut down.

Short run supply

Remember, for $p \ge \min \text{minimum AVC}$,

$$p = MC(q^*).$$

and for $p < \min \text{minimum AVC}$, output is zero.

Short run supply

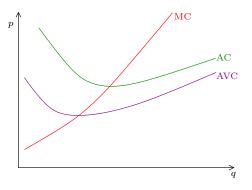
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That's your supply curve!

Short run supply curve



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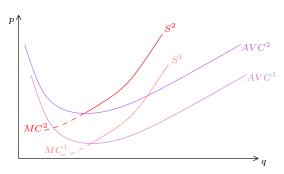
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So AVC and MC curves are higher. Thus, the supply curve shifts upwards.

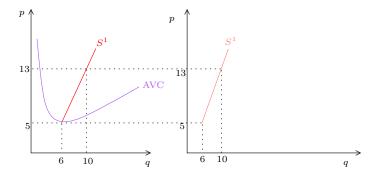
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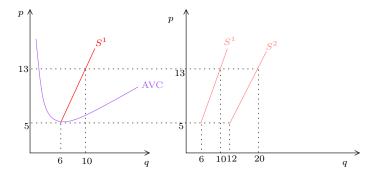


Short run market supply



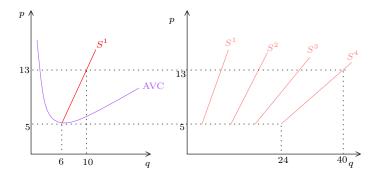
If there's only one firm, its supply is the market supply.

Short run market supply



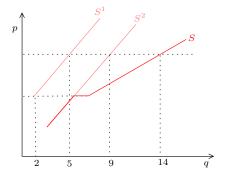
If there are two, add them up.

Short run market supply



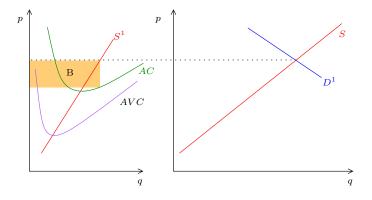
And so on.

What if the firms aren't identical



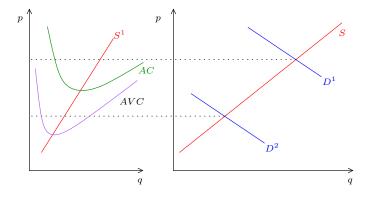
You can still add supply curves horizontally.

Short run competitive equilibrium



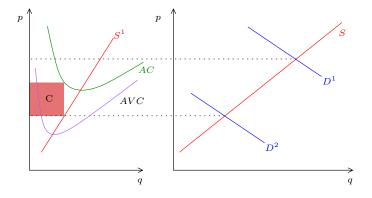
Firms are making a profit (B).

Short run competitive equilibrium



Equilibrium price shifts if demand changes.

Short run competitive equilibrium



Firms are making a loss (C) but covering variable costs.

Everything can be varied in the long run.

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Shut down in case of loss.

Long run: pick q^* and inputs to maximize profit based on forecast of future.

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Stuck with wrong input in short run. It takes time to fix it.

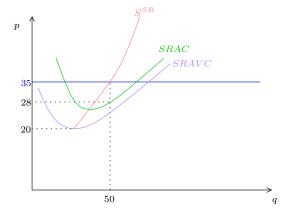
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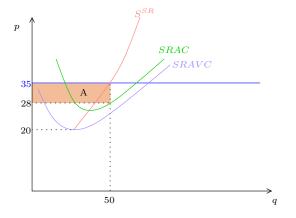
Again, in the long run, the firm can have the right inputs.

An example



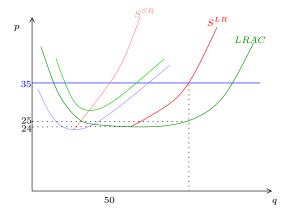
Stuck with small a plant: at p = \$35, produce 50 units.

An example



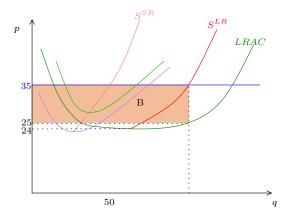
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With optimal plant size: at p = \$35, produce 100 units.

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With optimal plant size: at p = \$35, produce 100 units. Profit is B.

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Another difference: prices of inputs respond to increased market output.

In the long run:

▶ Enter if $\pi > 0$.

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- Enter if $\pi > 0$.
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Major implication: Long run profit is zero.

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Major implication: Long run profit is zero.

Remember: this is economic profit. The cost is *all* economic cost, including opportunity cost.

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Once there is no more loss, no more firms exit.

When entry is not free

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- 2. Licensing: cabs.

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- 1. Start-up costs: utilities.
- 2. Licensing: cabs.
- 3. Limited resources for inputs: wireless spectrum for mobile phones.

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- 1. identical costs
- 2. free entry/exit

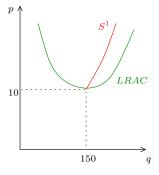
If an *unlimited* number of firms have

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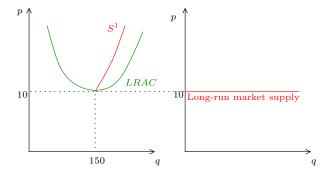
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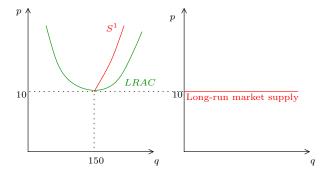
then market supply is a horizontal line at minimum average cost.



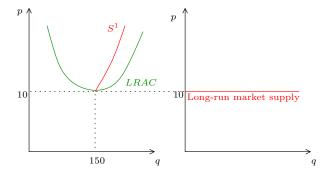
 S^1 is the supply curve of a single firm. Obviously market supply is zero below \$10.



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If p > \$10 then $\pi > 0$. Firms enter until p = \$10. At p = \$10, $Q = n \times 150$ for any number of firms n.

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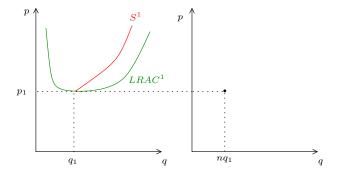
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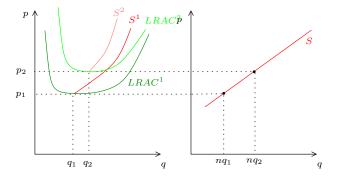
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- 3. Input prices vary with market output:
 - 3.1 price rises with output: market supply slopes upwards.
 - 3.2 price drops with output:market supply slopes downwards.

Long-run market supply in an increasing-cost market



At price p_1 , each firm produces q_1 . If there are n firms, market supply is $Q_1 = nq_1$.

Long-run market supply in an increasing-cost market



At $Q_2 = nq_2 > Q_1$, the input is more expensive. So the cost curves all shift up and S slopes upwards.

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$$S^r(p) = S(p) - D^O(p)$$

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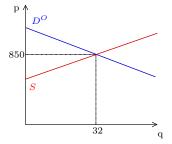
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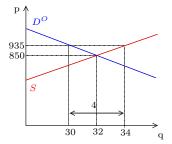
From the perspective of consumers in that country, the supply of the good is S^r .

Residual supply



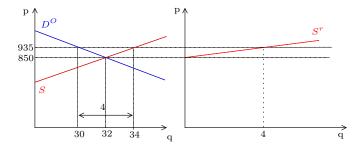
When p = \$850, the rest of the world consumes the entire world supply. This leaves a supply of 0 for the country.

Residual supply



At p = \$935, the rest of the world demands 30 units and the world supply is 30 units, leaving a supply of 4 for the country.

Residual supply



Doing this for all prices above \$850 gives us S^r . It's a lot flatter than S.

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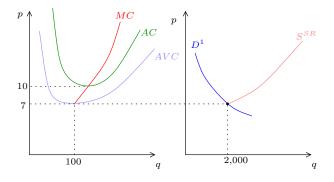
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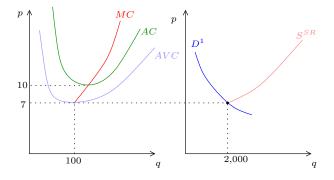
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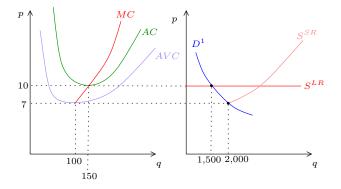
 S^{SR} most likely slopes upwards.



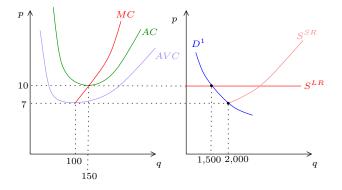
Minimum AVC = \$7, 20 firms in short run, each with the right number of level of fixed input for the long run.



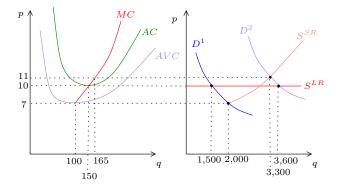
Minimum AVC = \$7, 20 firms in short run, each with the right number of level of fixed input for the long run. When demand is low, firms stay in business but sell goods at a loss (p = \$7).



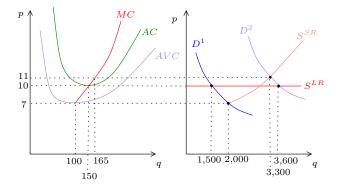
Minimum AC = \$10 so firms start going out of business in long run and equilibrium quantity drops.



Minimum AC = \$10 so firms start going out of business in long run and equilibrium quantity drops. So long-run price is higher than short-run price.



Relationship is reversed for high demand. Equilibrium price is higher in short run than in long run.



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