

P1

Problem 1: (a) Number of accident happen in the west = $P(\text{accident happens in the west}) \times \text{total number of work force}$ = $P(\text{the work force is in the west factory}) \times P(\text{there is an accident}) \times \text{total number of work force}$ = $1306/1979 \times 59/1979 \times 1979 = 38.9$. So the number of accident happened in the west factory is around 39.

```
dat = expand.grid(factory=c("East", "West"), accident=c("No", "Yes"))
dat$y = c(645,1275, 28,31)
tab = matrix(dat$y, nrow=2,
  dimnames=list(factory=c("East", "West"), accident=c("No", "Yes")))

#(b)
chisq.test(tab)$expected
```

```
##          accident
## factory      No      Yes
##   East  652.9358 20.06417
##   West 1267.0642 38.93583
```

- (c) Let 1 represent the west factory or accident and 2 represent the east factory or no accident. $m_{11} = \pi_{1+} \times \pi_{+1} \times 1979$ $m_{12} = \pi_{1+} \times \pi_{+2} \times 1979$ $m_{21} = \pi_{2+} \times \pi_{+1} \times 1979$ $m_{22} = \pi_{2+} \times \pi_{+2} \times 1979$ To generalize, $m_{ij} = \pi_{i+} \times \pi_{+j} \times n$.
- (d) $\log(m_{11}) = \log(\pi_{1+}) + \log(\pi_{+1}) + \log(1979)$ $\log(m_{12}) = \log(\pi_{1+}) + \log(\pi_{+2}) + \log(1979)$
 $\log(m_{21}) = \log(\pi_{2+}) + \log(\pi_{+1}) + \log(1979)$ $\log(m_{22}) = \log(\pi_{2+}) + \log(\pi_{+2}) + \log(1979)$ In terms of generalized form, $\log(m_{ij}) = \log(\pi_{i+}) + \log(\pi_{+j}) + \log(n)$
- (e) $\log(\pi_{ij}) = \log(\pi_{i+}) + \log(\pi_{+j})$