

MSiA 401: Homework 4

Due: Nov 2, 3pm

Professor Malthouse

1. Charlie Sharp is the national sales manager of Hitech Inc. Charlie recently hypothesized that “Hitech’s increase in sales is due to the new sales personnel that we recruited from the vocational school over the last several years. Sales of the new salespeople are up substantially, whereas sales for longer-term salespeople have not increased.”
 - (a) Identify the casual factor X and the effect factor Y in the preceding statement.
 - (b) Draw a diagram for this experiment.
 - (c) To gather support for his hypothesis, Charlie asked the research department of Hitech to investigate the sales of each of the company’s salespeople. Using criteria supplied by management, the department categorized territory sales changes as “increased substantially,” “increased marginally,” or “no increase.” Consider the following table, in which 260 sales personnel have been classified as old or new:

Salesperson Assigned	Territory Sales Change			Total
	Increased Substantially	Increased Marginally	No Increase	
New	75	30	5	110
Old	50	40	60	150

Does this table provide evidence of concomitant variation? Justify your answer.

- (d) What conclusions can be drawn about the relationship between X and Y on the basis of the preceding table? What are threats to internal validity? What are threats to external validity?
2. A marketing research consultant evaluated the effects of the fee schedule, scope of work, and type of supervisory control on the quality of work performed under contract by independent marketing research agencies. The quality of work performed was measured by an index taking into account several characteristics of quality. Four agencies were chosen for each factor level combination and the quality of their work evaluated.

```
mrcontract = expand.grid(agency=LETTERS[1:4], sup=c("local","travel"),
  scope=c("in-house", "subcontract"), fee=c("high","med","low"))
mrcontract$quality=c(124.3,120.6,120.7,122.6,112.7,110.2,113.5,108.6,115.1,
  119.9,115.4,117.3,88.2,96,96.4,90.1,119.3,118.9,125.3,121.4,113.6,109.1,
  108.9,112.3,117.2,114.4,113.4,120,92.7,91.1,90.7,87.9,90.9,95.3,88.8,
  92,78.6,80.6,83.5,77.1,89.9,83,86.5,82.7,58.6,63.5,59.8,62.3)
```

- (a) Regress **quality** on **agency**, **fee** and an interaction between **sup** and **scope**. State the estimated regression equation and use `drop1` to test which terms are significant.
 - (b) Are there differences in quality between the agencies? To receive full credit state the null and alternative hypotheses, find the P value, state your decision (reject or not), and summarize your conclusion.
 - (c) Are there differences in quality between the fee values? To receive full credit state the null and alternative hypotheses, find the P value, state your decision (reject or not), and summarize your conclusion.
 - (d) What does the coefficient for **feemed** tell you? Test whether it is different from 0 and discuss what the results of this tell you from a managerial perspective.
 - (e) Is the interaction between **sup** and **scope** significant? To receive full credit state the null and alternative hypotheses, find the P value, and state your decision (reject or not).
 - (f) Construct an interaction plot for **sup** and **scope**. Write one sentence summarizing what the interaction plot tells you.
3. An experiment is conducted to study the influence of operating temperature and three types of face-plate glass in the light output of an oscilloscope tube.

```
dat = data.frame(type=c(rep("A",9), rep("B",9), rep("C",9)),
  temp=rep(c(100,125,150), 9),
  y=c(580,1090,1392,568,1087,1380,570,1085,1386,550,1070,1328,530,1035,1312,
    579,1000,1299,546,1045,867,575,1053,904,599,1066,889))
```

- (a) Generate an interaction plot.
- (b) Fit a model with main effects and an interaction term.
- (c) Test whether the overall model is significant by stating the null and alternative hypothesis, P -value and decision. Use $\alpha = 0.05$.
- (d) Test whether the interaction is significant by stating the null and alternative hypothesis, P -value and decision. Use $\alpha = 0.05$.
- (e) Write a few sentences interpreting the results (tell the story).
- (f) Would it be appropriate to treat temperature as a numerical variable with the following model. Explain.

4. Build a model to predict Divvy demand as a function of the predictors you have been given. You will not be able to include all of the variables in a model. Start by examining a correlation matrix and scatterplots. Ultimately, I want a model that is both interesting and correct. The conclusions should also be robust to small changes in the specification. Submit your model, VIFs, and a written summary of your conclusions. Here are a few hints:

- Think about why some crimes should be positively associated with trips, why others would be negatively associated, and why some should not affect trips at all. Test whether your explanations are correct. Having a good reason why is critical to making the results interesting.
- Think about omitted variables.
- You may want to think about forming composite variables. For example, you could form a new variable that measures the extent that a station is located in a “central business district” (CBD). Many variables indicate a CBD, such as having many businesses and train stations, while residential neighborhoods will have fewer businesses. You could average variables that you have to measure CBD. You will also want to group crime variables into types of crimes.