Que-1. Write linear search psuedo code to search an element in an sorted array with minimum comparisons.

Dus! void linear Search (int ACT, int n, ent key)

int flag = 0; for (int i=0; i <n; i++) { if (A[i] == Key).

{ flag = 1; bruak; if (flay == 0) cout << "Not found";

write psuedo code for iterative and recursive insertion sort insertion sort is called Online Sorting why? what about other sorting algorithms that has been discussed in lectures.

Stratione for (i=1 ton)

2 t = A[i], j = i-1 while (j >0 22 A[j]>t) (A [j+1] = A[i]) 4 1 -- ; A [j+1] = t;

uoid "usertion Lort (int are (7, int n) hecursing d'y(n<=1) return;

insertion sort (arr, n-1)

int last = arr [n-1], j = n-2

while (j > = 0 22 arr (j) > last)

f arr [j+1] = arr [j];

j --;

y

arr [j+1]=last;

Insertion sort is called online sorting because insertion sort considers one input element per i teration and peroduces a partial solutions without considering future elements. But other sorting algorithms evenire access to the entire input, thus considered as offline algorithms.

Exters: Confplinity of all sorting because insertion soft considers one imput element per iteration and produces a partial solution without considering fature elements.

Bue-3: Complinity of all sorting algorithm that has been discussed in lectures

Algorithm.	I'm complemery		
	Best	durage O(n2)	worst
1 Bubble sort	0(n)	0 (n ²)	0 (n²)
2 Selection Sort	$O(n^2)$	$O(n^2)$	$O(n^2)$
3 Juscition Sort	0(n)	$O(n^2)$	0(n²)
4) Court Sort	0(n+k)	0 (n+k)	0(n+k)
3 Quick Sort	o(n logn)	o (n logn)	0 (n²)
6 Merge Sort	O (n lign)	o(n logn)	O(ntogn)
(7) Head Sort	O/nlogn)	o (ntogn)	o (n logn)

Que-4. Divide all sorting algorithms into implace, stable, online Algorithm Stable Inplace oulin. Bubble Soit Selection Sort Justition Sort Court Sort Merge Sort Duick Sout Heap Sort X du-5: Write Recursing/iterative psuidocode for binary Search. what is the time and space complexity of dimar and Binary Search (Recurssion and iteration both) Aus-5. Recursive - int Binary Seauch (int arr [], int l, int r, int key) (if (r>=1) 1 int mid = 1+(8-1)/2; if (ars[mid] == key) returen mid;
if (arr [mid] > key) enteun binary Search (arr, l, mid-1, key); luturn binary Seauch (arr, mid+1, 8, ky); int kinary Search (int arr (7, int l, int r, int key) Strating -

```
( while ( 1 < 1)
                [ int m = l+(r-l)/2;
                  if (arr[m] = = key)
                       return m;
                ef (are [m] < key)
                    l=m+1;
                lls1 r=m-1;
                return - 1;
                                              Space Complenity
                   Time complexity
                                              housing Iteration
                               Iterative
                   Recursive
                                                      0(1)
                                              0(1)
                               0(n)
                  0(n)
Linear Cearch
                                              o(cog H) 0(1)
                               O (log n)
Sinary Search.
                  O(logn)
      write heurence helation for binary encursive search
      T(n) = T(n/2) + 1
      find two indices such that A[i] + A[j] = k in minimum
       time Complexity.
Aus-7 word Sum (int ACT, int k, ? ut n)
        { sort (A, A+n);
          int i=0, j=n-1;
          while (i<j)
         2 4 (A[i] + A[j] == K)
           break;
```

else y (A[i] + A[j]) k)

Algorithm

Just:

bu-t

penint (i, j);

Hue, sout function has ofn(logn)) complexity and for while

: Overall Complexity = O(n(logn))

Qui-8: Which sorting is best for practical use? Emplain. for practical use, we mostly prufer merge sort, because of its stability and it would be best for viry large data. further, time complenity of merge sort is same in all cases, that is O(n(logn)).

In which case Quick Sort will give, the best and the worst du-10.

Can time Complexity.

when the array is already souted or sorted in events order, quick sort gives the worst case time Complexity i.e. O(n2), but dus-lo when the array is totally unsorted, it will give best time complainty 1.e o(nlogn).

With Recurrence Relation of Merge and Quick Sout in best and worst Case ? what are similarities and differences b/w complinities of tur algorithms and why?

Recurrence Relation Algorithm

Worst case Best Case

T(n) =2T(n/2)+n Buick Sort

T(n) = T(n-1) + n

t(n) = 2T(n/2) + n

T(n) = 2T(n/2) + nMerge Sort

Both algorithms are based on the divide and conquire algorithms; both the algorithms have same time complemities in the best and average case