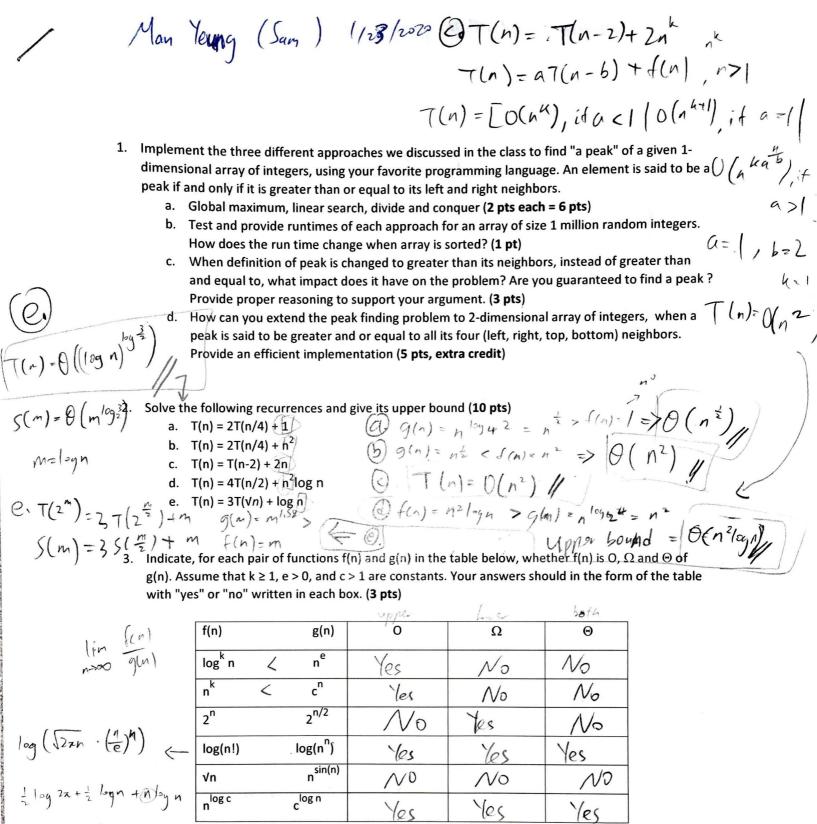
a. Submit program (python) Man Young (Sam)
b. When array is sorted, the runtimes will be faster because it will just go one direction until the end by half of Atime. No matter what approach. Global maximum will go the end. O(n2) Linear seath will go the end, O(n2) Divide and conquer will go one way to the end. that by holf. O (1/3/1)

It is not guaranteed to find a peak.

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Because the array may have all elements are equal to each other or one side is always equal, then we cannot find a peak in

this stuation,



Prove that running time of an algorithm is Θ(g(n)) if and only if its worst-case running time is O(g(n)) for h > n > n

- Nog e

Let T(n) be the running time, if T(n)=O(g(n)), then  $0 \le c,g(n) \le T(n) \le c_2g(n)$ .

As  $0 \le T(n) \le c_2g(n)$  for  $n \ge n_0$ , T(n)=O(g(n)), worst case  $\int P^{rove}$ .

As  $0 \le c_1g(n) \le T(n)$  for  $n \ge n_0$ ,  $T(n)=\Re(g(n))$ , best case

$$\mathcal{M}_{an} \text{ lowng } (S_{am})$$

$$O(1) < O((\log n)^2) < O(n\log n) < O(n\sqrt{n}) < O(n^2)$$

5. Arrange the following in order from smallest to largest. (2 pts)  $O(n^2)$ , O(1),  $O((\log n)^2)$ ,  $O(n \vee n)$ ,  $O(n \log n)$   $O(1) < O((\log n)^2)$   $O(n \vee n)$ 

6. What is the worst-case complexity for the code below? Show the recurrence relation (3 pts)

```
int someFunctionFoo(int n) {
  int count = 0;
  int cur = 1;
  while (cur < n) {
    count++;
    cur = cur * 2;  |, 2, *, 8, will cur > n , | ogn |
}
return cur;
}
```