

38. $a+c = (a+(-a)) + (-(-1)a)$ (Symmetry of eq on 33)
39. $a+c_1 = (-(-1)a)$ (Transitivity of eq on 38, 37)
40. $(-1)a + (a+c_1) = (-1)a + (-(-1)a)$ (Substitution of eq on 39)
41. $((-1)a+a)+c_1 = (-1)a+(a+c_1)$ (A2)
42. $((-1)a+a)+c_1 = (-1)a+(-(-1)a)$ (Transitivity of eq on 41, 40)
43. $(-1)a+(-(-1)a) = 0$ (A4)
44. $((-1)a+a)+c_1 = 0$ (Transitivity of eq on 42, 43)
45. ~~$a+(-a) = a$~~ $-(-a) = a$ (Part b)
46. $(-1)a+(-(-a)) = (-1)a+a$ (Substitution of eq on 45)
47. $(((-1)a+a)+c_1)+(-c_1) = 0+(-c_1)$ (Substitution of eq on 44)
48. ~~$0+(-c_1) = (-c_1)$~~ $0+(-c_1) = (-c_1)$ (A3)
49. $(((-1)a+a)+c_1)+(-c_1) = (-c_1)$ (Transitivity of eq on 47, 48)
50. $(((-1)a+a)+c_1)+(-c_1) = ((-1)a+a)+(c_1+(-c_1))$ (A2)
51. $((-1)a+a)+(c_1+(-c_1)) = (((-1)a+a)+c_1)+(-c_1)$ (Symmetry of eq on 50)
52. $((-1)a+a)+(c_1+(-c_1)) = (-c_1)$ (Transitivity of eq on 51, 49)
53. $c_1+(-c_1) = 0$ (A4)
54. $((-1)a+a)+(c_1+(-c_1)) = ((-1)a+a)+0$ (Substitution of eq on 53)
55. $((-1)a+a)+0 = (-1)a+a$ (A3)
56. $((-1)a+a)+(c_1+(-c_1)) = (-1)a+a$ (Transitivity of eq on 54, 55)
57. $(-1)a+a = ((-1)a+a)+(c_1+(-c_1))$ (Symmetry of eq on 56)
58. $(-1)a+a = (-c_1)$ (Transitivity of eq on 57, 52)
59. $(-1)a+(-(-a)) = (-c_1)$ (Transitivity of eq on 46, 58)
60. $(-1)a-(-a) = (-1)a+(-(-a))$ (Defn. of subtraction)
61. $(-1)a-(-a) = (-c_1)$ (Transitivity of eq on 60, 59)
- (The rest of the proof is similar to 1st part)