

Type	Name	No. of bytes
Parameter: integer	n	4
return address		4
Total per recursive call		8

If $n = \text{MAX_SIZE}$, the total variable space reqd. for the recursive version is $\boxed{8 * \text{MAX_SIZE}}$

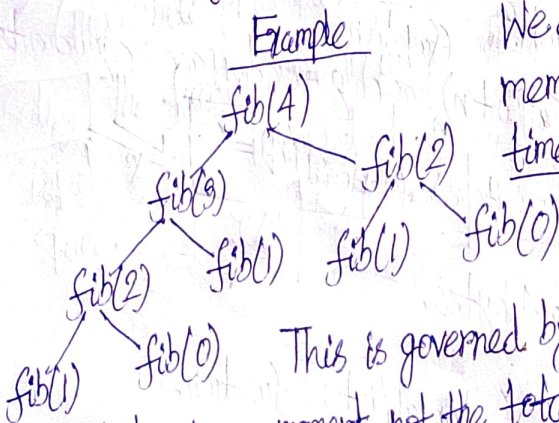
2) Determine the space complexity of the iterative and recursive Fibonacci number functions created in Exercise 8, Section 1.3

Soln: The iterative `nthFibonacci(int n)` function has input variable n . n takes up 4 bytes. Each of the variables f_i , f_{i-1} and f_{i-2} take up 4 bytes each. There is no structural variable.

\therefore Iterative `nthFibonacci(n) = 0`

• Now let's analyze the recursive `nthFibonacci(int n)` function.

Type	Name	No. of bytes
Parameter: integer	n	4
Parameter: integer	n	4
return address		4
return address		4
Total per recursive call		16



We care about: How much memory is being used at the same time during execution.

This is governed by the maximum depth of the call stack at any one moment, not the total number of recursive calls made over time.