

## Program 2.8: Transpose of a sparse matrix

```
1. void transpose(term a[], term b[])
2. { /* b is set to the transpose of a */
3.   int n, i, j, currentb;
4.   n = a[0].value; /* total number of elements */
5.   b[0].row = a[0].col; /* rows in b = columns in a */
6.   b[0].col = a[0].row; /* columns in b = rows in a */
7.   b[0].value = n;
8.   if (n > 0) { /* non zero matrix */
9.     currentb = 1;
10.    for (i = 0; i < a[0].col; i++)
11.      /* transpose by the columns in a */
12.      for (j = 1; j <= n; j++)
13.        /* find elements from the current column */
14.        if (a[j].col == i) {
15.          /* element is in current column, add it to b */
16.          b[currentb].row = a[j].col;
17.          b[currentb].col = a[j].row;
18.          b[currentb].value = a[j].value;
19.          currentb++;
20.        }
21.    }
```

The matrix  $b$  stores the transpose of the sparse matrix  $a$ . Since  $b$  is of type `term`, it follows that  $b[0].row$  stores the no. of rows of  $b$ ,  $b[0].col$  stores the no. of columns of  $b$  and  $b[0].value$  stores the no. of non-zero elements in  $b$ .

It's easy to see that  $b[0].value = a[0].value = n$ , since  $b$  is only the transpose of  $a$ . By defn of transpose matrix,  $b[0].row = a[0].col$  and  $b[0].col = a[0].row$ . We have done just that in lines 4-7.