

• In general, we write $m \times n$ (read "m by n") to designate a matrix with m rows and n columns. The total no. of elements in such a matrix is mn . If m equals n , the matrix is square.

• When a matrix is represented as a 2D array defined as $a[\text{MAX_ROWS}][\text{MAX_COLS}]$, we can locate quickly any element by writing $a[i][j]$, where i is the row index and j is the column index.

• **Problem:** Huge wastage of space if matrix is sparse, i.e. most of the elements of the matrix are 0. (Difficult to determine exactly whether a matrix is sparse or not).

Only 8 out of 36 elements are

	col 0	col 1	col 2	col 3	col 4	col 5
row 0	15	0	0	22	0	-15
row 1	0	11	3	0	0	0
row 2	0	0	0	-6	0	0
row 3	0	0	0	0	0	0
row 4	91	0	0	0	0	0
row 5	0	0	28	0	0	0

• We can do much better by using a representation in which only the nonzero elements are stored.

ADT SparseMatrix is

objects: a set of triples, $\langle \text{row}, \text{column}, \text{value} \rangle$, where **row** and **column** are integers and form a unique combination, and **value** comes from the set **items**.

functions: for all $a, b \in \text{SparseMatrix}$, $x \in \text{item}$, $i, j \in \{0, \text{maxCol}, \text{maxRow} \} \in \text{index}$

SparseMatrix Create(maxRow, maxCol):: return a sparseMatrix that can hold up to $\text{maxItems} = \text{maxRow} \times \text{maxCol}$ and whose maximum row size is maxRow and whose maximum column size is maxCol .

SparseMatrix Transpose(a):: return the matrix produced by interchanging the row and column value of every triple.