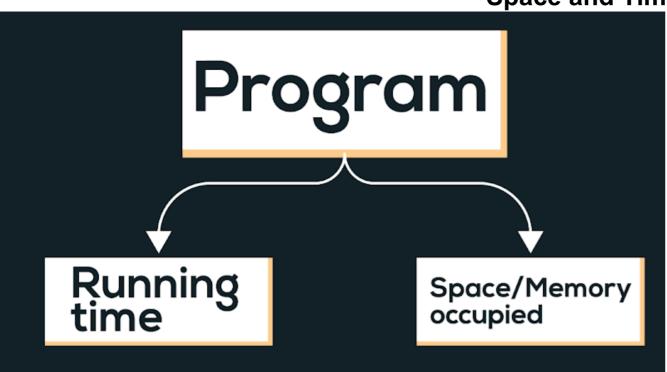
# **Space and Time Complexity**



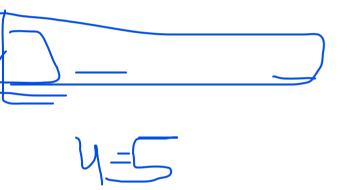
## **Time Complexity**

Time complexity of an algorithm quantifies the amount of time taken by an algorithm to run as a function of the length of the input.

#### Types of notations

- 1 O-notation) It is used to denote asymptotic upper bound. For a given function g(n), we denote it by O(g(n)). Pronounced as "big-oh of g of n". It also known as worst case time complexity as it denotes the upper bound in which algorithm terminates.
- 2 O-notation: It is used to denote asymptotic lower bound. For a given function g(n), we denote it by  $\Omega(g(n))$ . Pronounced as "big-omega of g of n". It also known as best case time complexity as it denotes the lower bound in which algorithm terminates.
- 3. O-notation: It is used to denote the average time of a program.

### Examples:



int n;
cin >> n;
int a = 0;
for (int i = 1; i <= n; i++)
{
 for (int j = 1; j <= n; j++)
 {
 a = a + 1;
 }
}</pre>

Quadratic time Complexity. O(n<sup>2</sup>)



```
int n, m;
cin >> n >> m;
int a = 0;
for (int i = 1; i <= n; i++)
```



```
a = a + 1;
for (int j = 1; j <= m; j++)
  a = a + 1;
```

Time Complexity: O(n+m)

```
int n, m;
cin >> n >> m;
int a = 0;
for (int i<u>= 1;</u> i <<u>= n;</u> i++)
  for (int j = 1; j \le m; j++)
     a = a + rand()
```

Time complexity: O(n\*m)

```
int n;
cin >> n;
int a = 0, i = n;
while (i >= 1)
  a = a + 1;
  i /= 2;
```

Time complexity: O(log(n))

Comparison of functions on the basis of time complexity

It follows the following order in case of time complexity:

Note: Reverse is the order for better performance of a code with corresponding time complexity, i.e. a program with less time complexity is more

## **Space Complexity**

Space complexity of an algorithm quantifies the amount of time taken by a program to run as a function of length of the input. It is directly proportional to the largest memory your program acquires at any instance during run time. For example: int consumes 4 bytes of memory.

Apni Kaksha