

# Equivalent forms for the binomial

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# Equivalent formulations

A combinatorial approach

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$$\binom{n}{k} = \binom{n}{n-k}$$

