- \* Error: €
- \* Confidence:  $1 \delta$
- \* Sample size: n

0.03

∗ Error: ∈

$$0.95 = 1 - 0.05$$

- \* Confidence:  $1 \delta$
- \* Sample size: n

0.01

♣ Error: €

$$0.99 = 1 - 0.01$$
  
 $0.95 = 1 - 0.05$ 

- \* Confidence:  $1 \delta$
- \* Sample size: n

```
0.05

0.01

0.03

Error: \epsilon
0.90 = 1 - 0.10
0.99 = 1 - 0.01
0.95 = 1 - 0.05
```

- \* Confidence:  $1 \delta$
- \* Sample size: n

```
0.05

0.01

0.03

* Error: \epsilon
0.90 = 1 - 0.10
0.99 = 1 - 0.01
0.95 = 1 - 0.05
* Confidence: 1 - \delta
```

\* Sample size: n

## The desired relation

0.05  
0.01  
0.03  
Error: 
$$\epsilon$$

$$0.90 = 1 - 0.10$$

$$0.99 = 1 - 0.01$$

$$0.95 = 1 - 0.05$$

\* Sample size: n

\* Confidence:  $1 - \delta$ 

$$\mathbf{P}\big\{p-\varepsilon\leq \frac{S_n}{n}\leq p+\varepsilon\big\}\geq 1-\delta$$

## 0.05 0.01 0.03 **\* Error: €**

$$0.90 = 1 - 0.10$$
 $0.99 = 1 - 0.01$ 
 $0.95 = 1 - 0.05$ 

- \* Confidence:  $1 \delta$
- \* Sample size: n

The desired relation

$$P\{p - \epsilon \le \frac{S_n}{n} \le p + \epsilon\} \ge 1 - \delta$$

$$--or --$$

$$\mathbf{P}\{\left|\frac{S_n}{n} - \mathbf{p}\right| \le \mathbf{\epsilon}\} \ge 1 - \delta$$

## 0.05 0.01 0.03

Error: €

$$0.90 = 1 - 0.10$$
 $0.99 = 1 - 0.01$ 
 $0.95 = 1 - 0.05$ 

- \* Confidence:  $1 \delta$
- \* Sample size: n

## The desired relation

$$\mathbf{P}\big\{p-\varepsilon\leq \frac{S_n}{n}\leq p+\varepsilon\big\}\geq 1-\delta$$

$$\mathbf{P}\{\left|\frac{S_n}{n} - \mathbf{p}\right| \le \mathbf{\epsilon}\} \ge 1 - \delta$$

$$\mathbf{P}\{\left|\frac{S_n}{n} - p\right| > \epsilon\} \le \delta$$

$$\mathbf{P}\{\left|\frac{S_n}{n}-p\right|>\epsilon\}\leq \delta$$

$$\mathbf{P}\{\left|\frac{S_n}{n}-p\right|>\epsilon\}\leq\delta$$

How are the error  $\epsilon$ , the confidence  $1 - \delta$ , and the sample size n related?

