

## Week 3 Homework Assignment

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[Amos B Robinson](#) · a month ago 🔒

### Effect of Smoking on Systolic Blood Pressure

Number of obs = 32

$F(1, 30) = 1.95$

Prob > F = 0.1723

Under the Naive Model the blood pressure is 144. So because the "F" statistic is so low, there is not convincing evidence that smoking has a statistical significance on SBP. This is confirmed on the "F" statistic because the "P" value for the "F" statistic is .1723, which is above the critical value of .05 for a 95% confidence level. Additionally, the R-squared for this regression is 0.0612, which further confirms that the statistical impact of smoking on blood pressure is minimal.

### Effect of Body Size on Systolic Blood Pressure

Number of obs = 32

$F(1, 30) = 36.75$

Prob > F = 0.0000

R-squared = 0.5506

Under the Naive Model the blood pressure is 144. Here the "F" statistic is very large and the associated "P" value is < than .0000. So there is convincing evidence that body size has a statistically significant effect on systolic blood pressure. The high coefficient of determination "R-squared" shows that QUET explains about 55% of SBP.

### Effect of AGE on Body Size

Number of obs = 32

$F(1, 30) = 54.37$

Prob > F = 0.0000

R-squared = 0.6444

The mean body size of this sample is 3.44. However, there is convincing evidence that age does effect body size. The "F" statistic is large at 54.37 and the associated "P" value is less than .0000. The R-squared shows that age explains 64.44% of body size.

### Effect of Age on Systolic Blood Pressure

Number of obs = 32

$F(1, 30) = 45.18$

Prob > F = 0.0000

R-squared = 0.6009

The Naive Model for SBP is 144. The "F" statistic is 45.18, which is pretty large. The corresponding "P" value for this "F" statistic is less than .0000. So there is convincing evidence that age does have

an impact on systolic blood pressure.

↑ 5 ↓ · flag

Kahsay Tadesse · a month ago

well done, great

↑ 0 ↓ · flag

+ Comment

Kahsay Tadesse · a month ago

am not clear about the culculation on :**"Effect of Body Size on Systolic Blood Press**

↑ 0 ↓ · flag

+ Comment



KK Wong · a month ago

## 1. SBP vs SMK

. reg SBP SMK

Source	SS	df	MS	Number of obs = 32		
Model	393.098162	1	393.098162	F( 1, 30) =	1.95	
Residual	6032.87059	30	201.095686	Prob > F =	0.1723	
				R-squared =	0.0612	
				Adj R-squared =	0.0299	
Total	6425.96875	31	207.289315	Root MSE =	14.181	

  

SBP	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
SMK	7.023529	5.023498	1.40	0.172	-3.235823	17.28288
_cons	140.8	3.661472	38.45	0.000	133.3223	148.2777

Given relatively small  $F(1,30)=1.95$ , high  $\text{Prob}>F=0.1723$  and low  $\text{adj R-squared}=0.0299$ , it suggests to reject the hypothesis that SBP has an association with SMK; ie, the association between SBP & SMK is approx 2.99% as suggested by the adj R-squared. It further supports by the fact that SMK 95% CI contains 0 and its  $P>|t|=0.172$  which is significantly away from 0.

## 2. SBP vs QUET

. reg SBP QUET

Source	SS	df	MS	Number of obs = 32		
Model	3537.94574	1	3537.94574	F( 1, 30) =	36.75	
Residual	2888.02301	30	96.2674337	Prob > F =	0.0000	
				R-squared =	0.5506	
				Adj R-squared =	0.5356	
Total	6425.96875	31	207.289315	Root MSE =	9.8116	

  

SBP	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
QUET	21.49167	3.545147	6.06	0.000	14.25151	28.73182
_cons	70.5764	12.32187	5.73	0.000	45.41179	95.74101

Given relatively high  $F(1,30)=36.75$ , significantly low  $\text{Prob}>F=0.0000$  and high  $\text{adj R-squared}=0.5356$ , it suggests not to reject the hypothesis that SBP vs QUET; ie, the association between SBP & QUET is

approx 53.56% as suggested by the adj R-squared. It further supports by the fact that QUET 95% CI does not contains 0 and its  $P > |t| = 0.000$ .

### 3. QUET vs AGE

. reg QUET AGE

Source	SS	df	MS	Number of obs =	32
Model	4.93597143	1	4.93597143	F( 1, 30) =	54.37
Residual	2.72371329	30	.090790443	Prob > F =	0.0000
				R-squared =	0.6444
				Adj R-squared =	0.6326
				Root MSE =	.30131
Total	7.65968472	31	.247086604		

  

QUET	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
AGE	.0573642	.0077799	7.37	0.000	.0414755 .0732529
_cons	.3864519	.4176903	0.93	0.362	-.4665855 1.239489

Given relatively high  $F(1,30)=54.37$ , significantly low  $\text{Prob}>F=0.0000$  and high adj R-squared=0.6326, it suggests not to reject the hypothesis that QUET vs AGE; ie, the association between QUET & AGE is approx 63.26% as suggested by the adj R-squared. It further supports by the fact that AGE 95% CI does not contains 0 and its  $P > |t| = 0.000$ .

### 4. SBP vs AGE

. reg SBP AGE

Source	SS	df	MS	Number of obs =	32
Model	3861.63037	1	3861.63037	F( 1, 30) =	45.18
Residual	2564.33838	30	85.4779458	Prob > F =	0.0000
				R-squared =	0.6009
				Adj R-squared =	0.5876
				Root MSE =	9.2454
Total	6425.96875	31	207.289315		

  

SBP	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
AGE	1.6045	.2387159	6.72	0.000	1.116977 2.092023
_cons	59.09162	12.81626	4.61	0.000	32.91733 85.26592

Given relatively high  $F(1,30)=45.18$ , significantly low  $\text{Prob}>F=0.0000$  and high adj R-squared=0.5876, it suggests not to reject the hypothesis that SMK vs AGE; ie, the association between SMK & AGE is approx 58.76% as suggested by the adj R-squared. It further supports by the fact that AGE 95% CI does not contains 0 and its  $P > |t| = 0.000$ .

↑ 2 ↓ · flag

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Juan C. Trujillo · a month ago

I am confused about this case. Could there be a possibility in which the F test turns out to be statistically significant, but the t test for the explanatory variable appears with a high p-value?

Please, explain.

↑ 0 ↓ · flag

Anonymous · a month ago

If you are testing the statistical significance of the estimate of a single regression coefficient, the inferential outcome will be the same whether you use the t-test or the F-test.

Mechanically, this is because the F-statistic associated with testing a single coefficient estimate is just squared t-statistic associated with that same estimate.

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Varalakshmi · a month ago

Amos: I did the F statistic for SBP (Y) on SMK (X)

The Model with 1 d.f parameter because there is one independent variable SMK and the residual which is y and y predicted has 2 d.f one for intercept and slope. As you stated the R squared which is the explained variation to the Total variation is very little. P value so small suggests that there is a significant difference in Smoking history and SBP.

Finding the t-statistic =  $r/\sqrt{(1-r^2)/(n-2)}$  = 1.398459 or as is also given in the table below. We can check that  $t^2 = 1.40^2$  is the same as F statistic= 1.95

The lecture was quite informative!

Can someone help me to graph two scatter plots in one - Week 1 homework where we need to graph the residuals as well the given observations?

```
Source |    SS    df    MS        Number
> of obs =    32
-----+-----
      Model | 393.098162    1 393.098162    Prob >> F    = 0.1723
      Residual | 6032.87059    30 201.095686    R-squa> red    = 0.0612
-----+-----
      Total | 6425.96875    31 207.289315    Adj R-> squared = 0.0299
      Root MSE    = 14.181
```

```
-----
      sbp |    Coef. Std. Err.    t    P>|t|    [95 % Con
> f. Interval]
      smk |  7.023529  5.023498    1.40  0.172   -3.2 35823
>      17.28288
      _cons |  140.8  3.661472   38.45  0.000   133 .3223
>      148.2777
```

> -----

.

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[+ Comment](#)

luca balestrini · a month ago

```
Source    SS          df MS          Number of obs = 32
```

$F(1, 30) = 1.95$   
 Model 393.098162 1 393.098162 Prob > F = 0.1723  
 Residual 6032.87059 30 201.095686 R-squared = 0.0612  
 Adj R-squared = 0.0299  
 Total 6425.96875 31 207.289315 Root MSE = 14.181  

sbp	Coef.	Std. Err.	t	P>t	[95% Conf. Interval]
smk	7.023529	5.023498	1.40	0.172	-3.235823 17.28288
_cons	140.8	3.661472	38.45	0.000	133.3223 148.2777

## 2) sbp on quet

Source SS df MS Number of obs = 32  
 $F(1, 30) = 36.75$   
 Model 3537.94585 1 3537.94585 Prob > F = 0.0000  
 Residual 2888.0229 30 96.2674299 R-squared = 0.5506  
 Adj R-squared = 0.5356  
 Total 6425.96875 31 207.289315 Root MSE = 9.8116  

sbp	Coef.	Std. Err.	t	P>t	[95% Conf. Interval]
quet	21.49167	3.545147	6.06	0.000	14.25151 28.73182
_cons	70.57641	12.32187	5.73	0.000	45.4118 95.74102

## 3) quet on age

Source SS df MS Number of obs = 32  
 $F(1, 30) = 54.37$   
 Model 4.93597216 1 4.93597216 Prob > F = 0.0000  
 Residual 2.72371324 30 .090790441 R-squared = 0.6444  
 Adj R-squared = 0.6326  
 Total 7.6596854 31 .247086626 Root MSE = .30131  

quet	Coef.	Std. Err.	t	P>t	[95% Conf. Interval]
age	.0573642	.0077799	7.37	0.000	.0414755 .0732529
_cons	.3864517	.4176903	0.93	0.362	-.4665857 1.239489

## 4) sbp on age

Source SS df MS Number of obs = 32  
 $F(1, 30) = 45.18$   
 Model 3861.63037 1 3861.63037 Prob > F = 0.0000  
 Residual 2564.33838 30 85.4779458 R-squared = 0.6009  
 Adj R-squared = 0.5876  
 Total 6425.96875 31 207.289315 Root MSE = 9.2454  

sbp	Coef.	Std. Err.	t	P>t	[95% Conf. Interval]
age	1.6045	.2387159	6.72	0.000	1.116977 2.092023
_cons	59.09162	12.81626	4.61	0.000	32.91733 85.26592

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+ Comment

David C. Morris · a month ago

I got the same results as above. I'm not going to repost here. However, I was thinking about the four analyses we did. Two of them make sense to me: 1) Blood pressure (sbp) and Smoking (smk); and 2) Blood pressure (sbp) and Body size (quet). I know we're just doing the homework to learn how to run/interpret anova tables. However, it got me thinking about what 'quet' really is. The description says 'body size' but looking at the values (range from ~2 to ~4.6) I don't have any reference point for that. What is Quet? How is it measured? The reason I bring this up is I was a little surprised by the high correlation between Quet and Age. The range of age in the sample is 41 to 65. The correlation between them is R-squared .64. Looking at the scatter plot, as Age goes up, so does Quet. I would've expected it to taper off toward the older ages since people tend to lose muscle mass and usually weight the older they get. Does anyone know what QUET is? I did a Google search but only found other data sets with no description.

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+ Comment

Emilija Nikolic-Djoric · a month ago

I think that it is Quetelet's index defined as:

$$QUET = 100 * (\text{weight} / \text{height}^2)$$

1 · flag

+ Comment

Emilija Nikolic-Djoric · a month ago

Week 3-Slide 17-at the bottom n-2 instead n-1?

0 · flag

+ Comment

ANCA MINCIU · a month ago

I have done the test, with same results. To avoid re-posting the same information, I would just add one sentence to each interpretation.

### 1. Effect of Smoking on Systolic Blood Pressure

The confidence interval in this case contains zero, so smoking is not a good predictor for blood pressure.

### 2. Effect of Body Size on Systolic Blood Pressure

The confidence interval does not contain zero, so the body size influences the systolic blood pressure.

### 3. Effect of AGE on Body Size

The confidence interval does not contain zero, so age is a very important predictor for body size.

### 4. Effect of Age on Systolic Blood Pressure

Age is a very important predictor for systolic blood pressure, taking into consideration that the confidence interval does not contain zero.

↑ 1 ↓ · flag

[+ Comment](#)

Alina Denham · a month ago

Hello, everybody!

Here are my observations:

- Let's test the null hypothesis (the slope equals zero) for SBP on SMK.  $F=1.95$  ( $< F_{.95}=4.20$ ) and  $p=0.1723$  ( $>.05$ ). Therefore, we fail to reject the null hypothesis. This means that we do not have sufficient evidence to prove that there is a significant linear relationship between blood pressure and smoking history.

- Let's test the null hypothesis (the slope equals zero) for SBP on QUET.  $F=36.75$  ( $>> F_{.95}$ ) and  $p=0.000$  ( $<0.001$ ). Therefore, we reject the null hypothesis. This means that we have sufficient evidence to prove that there is a significant linear relationship between blood pressure and body size.

-Let's test the null hypothesis (the slope equals zero) for QUET on AGE.  $F=54.37$  ( $>>F_{.95}$ ) and  $p=0.000$  ( $<0.001$ ). Therefore, we reject the null hypothesis. This means that we have sufficient evidence to prove that there is significant linear relationship between body size and age.

- Let's test the null hypothesis (the slope equals zero) for SBP on AGE.  $F=45.18$  ( $>>F_{.95}$ ) and  $p=0.000$  ( $<0.001$ ). Therefore, we reject the null hypothesis. This means that we have sufficient evidence to prove that there is significant linear relationship between blood pressure and age.

↑ 2 ↓ · flag

[+ Comment](#)

Lien-yu Yeh · a month ago

**Assume that,**

**$H_0: \beta_1$  equal to 0 vs  $H_1: \beta_1$  not equal to 0**

**According to the rule of test with P-value,**

**if  $\alpha > p$ -value, then we reject  $H_0$ , and if  $\alpha < p$ -value, we don't reject  $H_0$ , where  $\alpha$  is significant level because  $p$ -value =  $\Pr(\text{reject } H_0 \mid H_0 \text{ is true})$  = probability of type I error (with sample), when  $p$ -value is large,  $H_0$  probably be true, because there is high probability to make mistake, so we don't reject  $H_0$**

**when  $p$ -value is small, the probability of type I error is too low, so we reject  $H_0$**

**I used above concept to test following question, and I assume that significant level is**

**0.05( $\alpha=0.05$ )**

. regress SBP SMK

Source	SS	df	MS	Number of obs = 32
-----+-----				F( 1, 30) = 1.95
Model	393.098162	1	393.098162	Prob > F = 0.1723
Residual	6032.87059	30	201.095686	R-squared = 0.0612
-----+-----				Adj R-squared = 0.0299
Total	6425.96875	31	207.289315	Root MSE = 14.18

SBP	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
-----+-----					
SMK	7.023529	5.023498	1.40	0.172	-3.235823 17.28288
_cons	140.8	3.661472	38.45	0.000	133.3223 148.2777

**significant level=0.05 < p-value=0.1723 ,we don't reject  $H_0:\beta_1$  equal to 0,**  
**so we *don't have* enough evidence to refer that SBP and SMK has significant relationship.**

. regress SBP QUET

Source	SS	df	MS	Number of obs = 32
-----+-----				F( 1, 30) = 36.75
Model	3537.94574	1	3537.94574	Prob > F = 0.0000
Residual	2888.02301	30	96.2674337	R-squared = 0.5506
-----+-----				Adj R-squared = 0.5356
Total	6425.96875	31	207.289315	Root MSE = 9.8116

SBP	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
-----+-----					
QUET	21.49167	3.545147	6.06	0.000	14.25151 28.73182
_cons	70.5764	12.32187	5.73	0.000	45.41179 95.74101

**significant level=0.05 > p-value=0.0000 ,we reject  $H_0:\beta_1$  equal to 0,**  
**so we *have* enough evidence to refer that SBP and QUET has significant relationship.**

. regress QUET AGE

Source	SS	df	MS	Number of obs = 32
-----+-----				F( 1, 30) = 54.37
Model	4.93597143	1	4.93597143	Prob > F = 0.0000
Residual	2.72371329	30	.090790443	R-squared = 0.6444
-----+-----				Adj R-squared = 0.6326
Total	7.65968472	31	.247086604	Root MSE = .30131



QUET	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
-----+-----					
AGE	.0573642	.0077799	7.37	0.000	.0414755 .0732529
_cons	.3864519	.4176903	0.93	0.362	-.4665855 1.239489

significant level=0.05 > p-value=0.0000 ,we reject  $H_0: \beta_1$  equal to 0,  
so we *have* enough evidence to refer that QUET and AGE has significant relationship.

. regress SBP AGE

Source	SS	df	MS	Number of obs =	32
-----+-----				F( 1, 30) =	45.18
Model	3861.63037	1	3861.63037	Prob > F	= 0.0000
Residual	2564.33838	30	85.4779458	R-squared	= 0.6009
-----+-----				Adj R-squared =	0.5876
Total	6425.96875	31	207.289315	Root MSE	= 9.2454

SBP	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
-----+-----					
AGE	1.6045	.2387159	6.72	0.000	1.116977 2.092023
_cons	59.09162	12.81626	4.61	0.000	32.91733 85.26592

significant level=0.05 > p-value=0.0000 ,we reject  $H_0: \beta_1$  equal to 0,  
so we *have* enough evidence to refer that SBP and AGE has significant relationship.

↑ 0 ↓ · flag

[+ Comment](#)



Walter O. Augenstein · a month ago 🔗

### 1. SBP(Y) vs. SMK(X)

. regress sbp smk

Source	SS	df	MS	Number of obs =	32
-----+-----				F( 1, 30) =	1.95
Model	393.098162	1	393.098162	Prob > F	= 0.1723
Residual	6032.87059	30	201.095686	R-squared	= 0.0612
-----+-----				Adj R-squared =	0.0299
Total	6425.96875	31	207.289315	Root MSE	= 14.181

sbp	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
-----	-------	-----------	---	------	----------------------

```

-----+-----
smk | 7.023529 5.023498 1.40 0.172 -3.235823 17.28288
_cons | 140.8 3.661472 38.45 0.000 133.3223 148.2777
-----+-----

```

$\text{invFtail}(1, 30, 0.05) = 4.1708768$ , but  $F = 1.95 \Rightarrow$  we cannot reject the Null hypothesis.

The regression line explains 6% of the total squared variation.

We cannot establish a relationship of sbp to smk.

## 2. SBP(Y) vs. QUET(x)

```
. regress sbp quet
```

```

Source |      SS      df       MS      Number of obs =   32
-----+-----
Model | 3537.94585    1 3537.94585      Prob > F      = 0.0000
Residual | 2888.0229   30 96.2674299      R-squared     = 0.5506
-----+-----
Total | 6425.96875   31 207.289315      Adj R-squared = 0.5356
Root MSE   = 9.8116

```

```

-----+-----
sbp |      Coef.   Std. Err.      t    P>|t|   [95% Conf. Interval]
-----+-----
quet | 21.49167   3.545147    6.06  0.000   14.25151   28.73182
_cons | 70.57641  12.32187    5.73  0.000   45.4118   95.74102
-----+-----

```

$\text{invFtail}(1, 30, 0.05) = 4.1708768$ , and  $F = 36.75 \Rightarrow$  we reject the Null hypothesis.

The regression line explains 55%% of the total squared variation.

There is a definite linear component to the regression of sbp on quet.

## 3. QUET(Y) vs. AGE(X)

```
. regress quet age
```

```

Source |      SS      df       MS      Number of obs =   32
-----+-----
Model | 4.93597216    1 4.93597216      Prob > F      = 0.0000
Residual | 2.72371324   30 .090790441      R-squared     = 0.6444
-----+-----
Total | 7.6596854    31 .247086626      Adj R-squared = 0.6326
Root MSE   = .30131

```

```

-----+-----
quet |      Coef.   Std. Err.      t    P>|t|   [95% Conf. Interval]
-----+-----
age | .0573642   .0077799    7.37  0.000   .0414755   .0732529
_cons | .3864517   .4176903    0.93  0.362  -1.4665857  1.239489
-----+-----

```

$\text{invFtail}(1, 30, 0.05) = 4.1708768$ , and  $F = 54.37 \Rightarrow$  we reject the Null hypothesis.

The regression line explains 64% of the total squared variation.  
There is a definite linear component to the regression of quet on age.

#### 4. SBP(Y) vs AGE(X)

. regress sbp age

Source	SS	df	MS	Number of obs =	32
				F( 1, 30) =	45.18
Model	3861.63037	1	3861.63037	Prob > F	= 0.0000
Residual	2564.33838	30	85.4779458	R-squared	= 0.6009
				Adj R-squared =	0.5876
Total	6425.96875	31	207.289315	Root MSE	= 9.2454

sbp	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
age	1.6045	.2387159	6.72	0.000	1.116977 2.092023
_cons	59.09162	12.81626	4.61	0.000	32.91733 85.26592

invFtail(1, 30, 0.05) = 4.1708768, and  $F = 45.18 \Rightarrow$  we reject the Null hypothesis.

The regression line explains 60% of the total squared variation.

There is a definite linear component to the regression of sbp on age.

↑ 0 ↓ · flag

[+ Comment](#)

[Erin Dillon](#) · [a month ago](#) 🔗

I also got the same results as the responses above and will avoid re-posting the results. Taking this one step further, though, if we know from this homework that age predicts body size (body size increases as people get older) and that both body size and age predict blood pressure, how do we determine if these are both useful predictors? Perhaps body size is irrelevant, except that body size tends to increase as people age. If you maintain a low body size as you get older, will your blood pressure still increase?

If I put both variables in the model at the same time, I get:

. regress sbp quet age

Source	SS	df	MS	Number of obs =	32
				F( 2, 29) =	25.92
Model	4120.59224	2	2060.29612	Prob > F	= 0.0000
Residual	2305.37651	29	79.4957416	R-squared	= 0.6412
				Adj R-squared =	0.6165
Total	6425.96875	31	207.289315	Root MSE	= 8.916

sbp	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
-----+-----						
quet	9.750732	5.402456	1.80	0.081	-1.298531	20.8
age	1.045157	.3860567	2.71	0.011	.2555828	1.834732
_cons	55.32344	12.53475	4.41	0.000	29.687	80.95987
-----						

Age remains a significant predictor of blood pressure, but body size falls below the  $p < .05$  mark. So perhaps it's the case that age is the real predictor of blood pressure and both body size and blood pressure increase independently with age.

↑ 0 ↓ · flag

+ Comment

Anonymous · a month ago

why do we call this the Naive Model

↑ 0 ↓ · flag

+ Comment

Anonymous · a month ago

What is the most important factor that determines how the significance to which the independent variable contributes to the model? Is it the p value or the value of the coefficient of independent variable

↑ 0 ↓ · flag

+ Comment

Ronald Ndesanjo · a month ago

```

. regress sbp quest

```

Source	SS	df	MS	Number of obs =
Model	3537.90714	1	3537.90714	32
Residual	2089.02301	30	69.63410	
Total	5626.93015	31		

F(1, 30) = 36.75  
 Prob > F = 0.0000  
 R-squared = 0.6246  
 Adj R-squared = 0.6114  
 Root MSE = 8.34514

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
quest	.8214917	.1035451	7.93	0.000	.6142035 .1087798
_cons	70.5794	12.52187	5.63	0.000	45.41279 95.74601

```

. regress sbp age

```

Source	SS	df	MS	Number of obs =
Model	4935971.43	1	4935971.43	32
Residual	2727713.29	30	90923.776	
Total	7663684.72	31		

F(1, 30) = 54.37  
 Prob > F = 0.0000  
 R-squared = 0.6444  
 Adj R-squared = 0.6326  
 Root MSE = 95.131

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
age	57.36417	7.779808	7.37	0.000	41.47548 73.25286
_cons	186.4519	427.4793	0.43	0.672	-466.3055 1279.489

```

. regress sbp age quest

```

Source	SS	df	MS	Number of obs =
Model	3841.43037	2	1920.71519	32
Residual	2144.10038	29	73.93450	
Total	5985.53075	31		

F(2, 29) = 25.85  
 Prob > F = 0.0000  
 R-squared = 0.6374  
 Adj R-squared = 0.6244  
 Root MSE = 8.59854

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
age	1.40461	.2787158	5.04	0.000	0.84817 1.96105
quest	19.59942	12.85426	1.52	0.140	-12.95173 52.15057
_cons	55.32344	12.53475	4.41	0.000	29.687 80.95987

(a) The regression does not suggest a strong relationship between smoking and blood pressure ( $F=1.95$ ). Therefore, we don't have evidence to reject the null hypothesis.

(b) The regression indicates a strong influence of body size on blood pressure ( $F=36.75$ ). In other words, as one body grow so is chance for blood pressure. There is evidence to reject the null

hypothesis therefore.

(c) The regression show that with increasing age so is the body size ( $F=54.37$ ). We therefore have evidence to reject the null hypothesis.

(d) Age has got influence on bloods pressure ( $F=45.18$ ). We have evidence to reject the null hypothesis.

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[Sveta Kochergina](#) · 21 days ago 🔒

1) SBP (Y) on SMK (X)

$$F(1, 30) = 1.95$$

that's why  $\beta_1$  is probably equal to zero. We fail to reject the null hypothesis. There is not sufficient evidence that smoking has a statistically significant effect on SBP

2) SBP (Y) on QUET (X)

$$F(1, 30) = 36.75$$

the F-ratio gets too large, so it's likely that  $\beta_1$  is not equal to zero. We reject the null hypothesis. There is sufficient evidence that body size has a statistically significant effect on SBP

3) QUET (Y) on AGE (X)

$$F(1, 30) = 54.37$$

the F-ratio gets too large, so it's likely that  $\beta_1$  is not equal to zero. We reject the null hypothesis. There is sufficient evidence that age has an impact on the body size

4) SBP (Y) on AGE (X)

$$F(1, 30) = 45.18$$

the F-ratio gets too large, so it's likely that  $\beta_1$  is not equal to zero. We reject the null hypothesis. There is sufficient evidence that age has an impact on SBP

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[Michele Svanera](#) · 16 days ago 🔒

Great explanation from Amos B Robinson! (I avoid to repeat answers)

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