

# The requisite background

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A **mathematical** theory of chance



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$\{x_1, x_2, x_3, \dots\}$



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  - \* **[Tableau 4]** Basic set theory: sets and subsets; set relations — unions, intersections, complements, differences —; de Morgan's laws.