Introduction to Week Six

Numerical Solutions of PDEs

Video: Boundary and Initial Value
Problems | Lecture 60
4 min

Practice Quiz: Classify Partial Differential Equations 6 questions

Video: Central Difference
Approximation | Lecture 61

Reading: Higher-order Central Difference Approximation 10 min

Direct Solution of Boundary Value Problems

Iterative Solution of Boundary Value Problems

Time-stepping Methods for Initial Value Problems

Quiz

Programming Assignment: Twodimensional Diffusion Equation

Farewell

Higher-order Central Difference Approximation

Using Taylor series approximations for

 $y(x+2h), \quad y(x+h), \quad y(x-h), \quad y(x-2h),$

derive a central difference approximation for the first derivative y'(x) that is accurate to $\mathrm{O}(h^4)$.

✓ Completed Go to next item

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