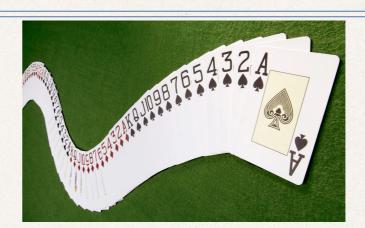
A standard pack of 52 cards

Four suits : \spadesuit , \heartsuit , \diamondsuit , \clubsuit .

Thirteen face values: 2,3,...,10, J, Q, K, A.

- * **Problem 1**: Five packs are placed face down in order from one through five on a table. The first card of each pack is exposed to create a five card sequence of exposed cards. How many possible sequences are there?
- Problem 2: One card apiece from a single pack is given to each of five players, say, I, II, III, IV, and V. How many different arrangements of cards is possible?
- Problem 3: A selection of five cards from a standard pack is called a poker hand. How many different poker hands are there? [A poker player may arrange the cards in her hand any order she pleases; order does not matter.]
- * **Problem 4**: A *deal of hands at bridge* is the distribution of the cards in a pack to four players, traditionally called North, South, East, and West, so that each players gets 13 cards. How many different deals are there?

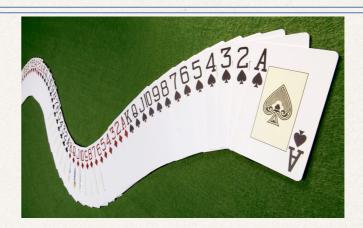


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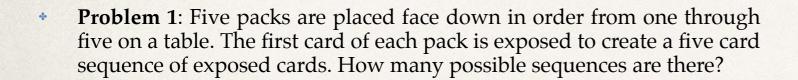


 $52^5 = 380, 204, 032$

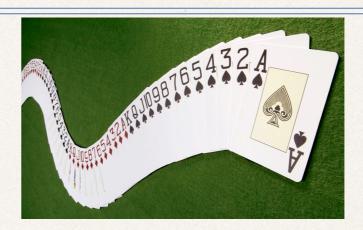
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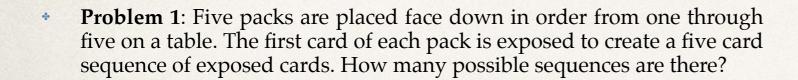
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 $52^{\frac{5}{2}} = 311,875,200$

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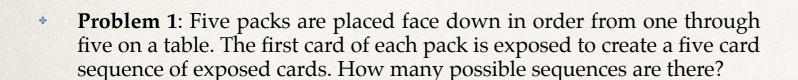
$$52^{\frac{5}{2}} = 311,875,200$$

$$\binom{52}{5} = \frac{52^{\underline{5}}}{5!} = 2,598,960$$

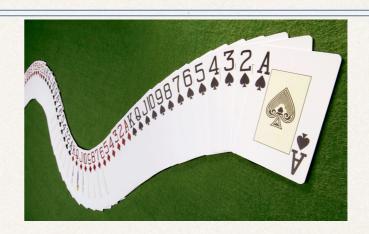
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$${52 \choose 13} {39 \choose 13} {26 \choose 13} {13 \choose 13} = \frac{52!}{13!^4}$$
$$= 53,644,737,765,488,792,839,237,440,000$$