









How many ways are there of distributing three balls in five urns?



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$$5 \times 5 \times 5 = 125$$

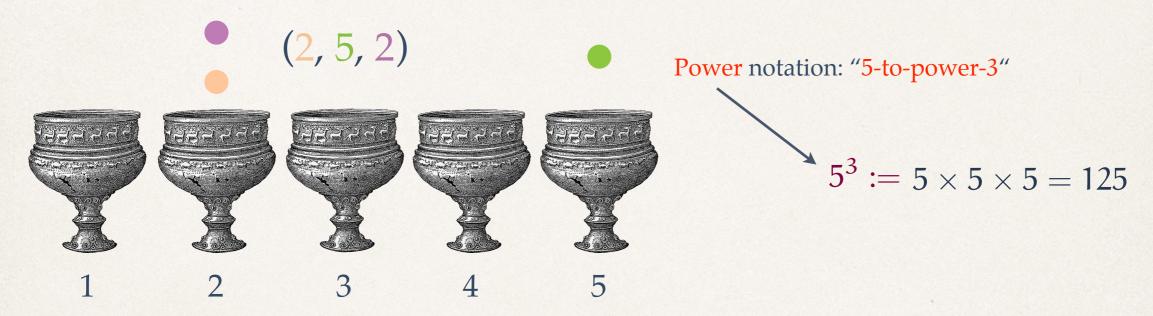
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"n-to-power-k"
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