## **Introduction to Week Five Initial Value Problems Systems of Differential Equations Initial Value Problems in MATLAB Boundary Value Problems** Quiz **Programming Assignment: The Two-Body Problem**

Video: The Two-Body Problem (Part A) | Lecture 58

**Reading:** Circular orbits 10 min

9 min

Video: The Two-Body Problem (Part B) | Lecture 59 10 min

**Ungraded External Tool:** Two-Body Problem (audit)

**Reading:** Reference Solution to "Two-Body Problem (audit)" 1 min

**Graded External Tool:** Two-Body Problem

1h

**Reading:** Reference Solution to "Two-Body Problem" 1 min

e=0.7; m1=1; m2=4;

 $T=2*pi./(1-e).^1.5$ ; tspan=linspace(0,T,1000);

options=odeset('RelTol',1.e-6);

%%%%% Solve differential equations for x and y and find x1,y1 and x2,y2

[t,xyuv]=ode45(@(t,xyuv) newton(xyuv),tspan,[-1,0,0,sqrt(1+e)],options);

x=xyuv(:,1); y=xyuv(:,2);

x1=m2/(m1+m2)\*x; y1=m2/(m1+m2)\*y;

x2=-m1/(m1+m2)\*x; y2=-m1/(m1+m2)\*y;

Reference Solution to "Two-Body Problem (audit)"

% k=0.1;

% R1=k\*(m1)^(1/3); R2=k\*(m2)^(1/3); %radius of masses

% theta = linspace(0,2\*pi);

% figure; axis equal; hold on; set(gcf,'color','w');

% axis off;

% xlim([-2,5]); ylim([-2.5,2.5]);

% planet=fill(R1\*cos(theta)+x1(1), R1\*sin(theta)+y1(1),'b'); % sun=fill(R2\*cos(theta)+x2(1), R2\*sin(theta)+y2(1),'r');

% pause(1);

% nperiods=5; %number of periods to plot

% for j=1:nperiods

for i=1:length(t)

planet.XData=R1\*cos(theta)+x1(i); planet.YData=R1\*sin(theta)+y1(i);

% sun.XData=R2\*cos(theta)+x2(i); sun.YData=R2\*sin(theta)+y2(i);

drawnow; %

% end

% end

function d\_xyuv\_dt=newton(xyuv)

x=xyuv(1); y=xyuv(2); u=xyuv(3); v=xyuv(4);

 $r=sqrt(x^2 + y^2);$ 

 $d_xyuv_dt=[u; v; -x/r^3; -y/r^3];$ 

end

**✓** Completed Go to next item





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