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Random sampling from finite sets; balls and urns

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$$P(A) = \frac{\text{\# outcomes favorable for } A}{\text{\# of possible outcomes}} = \frac{\text{card}(A)}{\text{card}(\Omega)}$$

card stands for cardinality or size of a set.