

Feedback — Advanced MaxEnt / POS Tagging / Parsing

Intro

[Help](#)

You submitted this quiz on **Wed 18 Apr 2012 5:56 AM PDT**. You got a score of **5.00** out of **5.00**.

Question 1

Suppose we build a maxent model for part of speech tagging a word (x), over a set of just 3 parts of speech (y): *Noun*, *Verb*, and *Other*. Our model has just one feature:

$$f(x,y) = [x="breeze" \ \& \ y="Noun"]$$

Our training data consists of 5 observations:

```
[x="breeze" & y="Verb"]
[x="breeze" & y="Verb"]
[x="breeze" & y="Verb"]
[x="breeze" & y="Noun"]
[x="breeze" & y="Noun"]
```

The maxent model will be trained in the usual way to give the feature f a weight λ , so that the model expectation for the feature matches its empirical expectation.

The weight of the feature will be $\log X$ (natural log).

What is X ?

| Your Answer | | Score | Explanation |
|--------------------------------------|---|-------------|-------------|
| <input checked="" type="radio"/> 4/3 | ✓ | 1.00 | Correct! |
| <input type="radio"/> 2 | | | |
| <input type="radio"/> 3/5 | | | |
| <input type="radio"/> 15 | | | |
| Total | | 1.00 / 1.00 | |

Question Explanation

The empirical expectation of f is 2 from 5 identical observed data x . So $P(\text{Noun}|\text{breeze}) = 0.4$.

$$P(\text{Noun}|\text{breeze}) = 0.4 = e^\lambda / (e^\lambda + e^0 + e^0) = e^\lambda / (e^\lambda + 2)$$

So:

$$0.4[e^\lambda + 2] = e^\lambda$$

$$0.8 = 0.6e^\lambda$$

$$4/3 = e^\lambda$$

$$\lambda = \log(4/3)$$

Question 2

Suppose we build a maxent model for part of speech tagging a word (x), over a set of just 3 parts of speech (y): *Noun*, *Verb*, and *Other*. Our model has just one feature:

$$f(x, y) = [x = \text{"breeze"} \ \& \ y = \text{"Noun"}]$$

Our training data consists of 5 observations:

$[x = \text{"breeze"} \ \& \ y = \text{"Verb"}]$

$[x = \text{"breeze"} \ \& \ y = \text{"Verb"}]$

$[x = \text{"breeze"} \ \& \ y = \text{"Verb"}]$

$[x = \text{"breeze"} \ \& \ y = \text{"Noun"}]$

$[x = \text{"breeze"} \ \& \ y = \text{"Noun"}]$

The maxent model will be trained in the usual way to give the feature f a weight λ , so that the model expectation for the feature matches its empirical expectation.

What probability will the model give to $P(\text{Other}|\text{breeze})$?

| Your Answer | Score | Explanation |
|---------------------------------------|-------------|-------------|
| <input type="radio"/> 1/10 | | |
| <input checked="" type="radio"/> 3/10 | 1.00 | Correct! |
| <input type="radio"/> 3/7 | | |
| <input type="radio"/> 3/14 | | |
| Total | 1.00 / 1.00 | |

Question Explanation

$P(\text{Noun}|\text{breeze}) = 0.4$, and the rest is uniform, so 0.3 for each other class.

You can also confirm this from:

$$P(\text{Noun}|\text{make}) = P(\text{Other}|\text{make}) = e^0 / (e^{\log(4/3)} + e^0 + e^0) = 1 / (4/3 + 1 + 1) = 3/10$$

Question 3

Suppose we build a maxent model for part of speech tagging a word (x), over a set of just 3 parts of speech (y): *Noun*, *Verb*, and *Other*. Our model has just one feature:

$$f(x, y) = [x = \text{"make"} \ \& \ y = \text{"Verb"}]$$

Our training data consists of 5 observations:

$[x = \text{"make"} \ \& \ y = \text{"Verb"}]$

$[x = \text{"make"} \ \& \ y = \text{"Verb"}]$

$[x = \text{"make"} \ \& \ y = \text{"Verb"}]$

$[x = \text{"make"} \ \& \ y = \text{"Verb"}]$

$[x = \text{"make"} \ \& \ y = \text{"Noun"}]$

The maxent model will be trained in the usual way to give the feature f a weight λ , so that the model expectation for the feature matches its empirical expectation. Suppose we now put gaussian regularization into the same model over the same data with $\sigma = 1$.

The optimal weight of the feature will still be of the form $\log X$ (natural log). What is X ?

| Your Answer | Score | Explanation |
|--------------------------------------|-------------|-------------|
| <input type="radio"/> 3/4 | | |
| <input checked="" type="radio"/> 5/8 | 1.00 | Incorrect. |
| <input type="radio"/> 3 | | |
| <input type="radio"/> 9 | | |
| Total | 1.00 / 1.00 | |

Question Explanation

We have in terms of expectations that:

$$4 - \text{predicted_count}(\lambda) - \sigma = 0$$

$$\text{i.e., } 4 - 5[e^\lambda / (e^\lambda + 2)] - 1 = 0$$

So,

$$3/5 = e^\lambda / (e^\lambda + 2)$$

$$3/5 e^\lambda + 6/5 = e^\lambda$$

$$6/5 = 2/5 e^\lambda$$

$$3 = e^\lambda$$

$$\lambda = \log 3$$

Question 4

Do the part-of-speech tagging by hand for the following sentence using [Penn Treebank POS tags](#):

Stanford/? and/? Open/? University/? have/? been/? downloaded/? 50/? million/? times/? on/?
iTunes/? !/?

| Your Answer | Score | Explanation |
|---|----------------|-------------|
| <input type="radio"/> Stanford/NNP and/CC Open/NNP University/NNP have/VBP been/VBN downloaded/VBN 50/SYM million/CD times/NNS on/IN iTunes/NNS !/. | | |
| <input checked="" type="radio"/> Stanford/NNP and/CC Open/NNP University/NNP have/VBP been/VBN downloaded/VBN 50/CD million/CD times/NNS on/IN iTunes/NNP !/. | ✓ 1.00 | Correct! |
| <input type="radio"/> Stanford/NNP and/CC Open/NNP University/NNP have/VB been/VBN downloaded/VBN 50/CD million/CD times/NNS on/JJ iTunes/NNS !/. | | |
| <input type="radio"/> Stanford/NNP and/CC Open/JJ University/NN have/VBP been/VBN downloaded/VBN 50/CD million/CD times/NNS on/IN iTunes/NNP !/. | | |
| Total | 1.00 / 1.00 | |

Question 5

Which of the given bracket groups is a constituent in the following sentence?

Sentence: *When she was younger she would play outside with her friends until the bell rang for*

dinner.

[When she was younger] [[she would play] outside] [with her friends] [[until the bell rang] for dinner].

| Your Answer | Score | Explanation |
|---|-------------|-------------|
| <input type="radio"/> outside with her friends | | |
| <input checked="" type="radio"/> she would play outside | ✓ 1.00 | Correct! |
| <input type="radio"/> play outside | | |
| <input type="radio"/> she was younger | | |
| Total | 1.00 / 1.00 | |