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## Missing part in recursive definition of pi function?

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Stefan Bunk · 3 years ago %

On slide 33/38 in the slides for week two you are giving a recursive definition for  $\pi$ .

You say, that this rule applies for any  $u \in S$  and  $v \in S$ 

However, I think that at least for u it should be  $u \in S \cup \{*\}$ , because otherwise the term  $\pi(k-1,w,u)$  is always equal to zero.

I am sorry, if I missed something.

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Eszter Csernai · 3 years ago %

I think I agree - as I understand the recursive definition, for k=1, both u and w, and for k=2, w should be allowed to take the value \$\$,  $because they need to correspond to {it y{0}} and {it y{-1}}, which are defined to be $\$$ .

Also hope I did not miss something.

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Michael Collins INSTRUCTOR · 3 years ago %

You're absolutely correct, this was a bug in the definitions.

I've posted a revised version of the note on HMMs at

http://www.cs.columbia.edu/~mcollins/notes-spring2013.html

You'll see that I've now taken care to include \* where appropriate (comments welcome...)

Many thanks for catching this -

Mike

**↑ 21 ↓** · flag

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## Michael Collins INSTRUCTOR · 3 years ago %

We've now corrected the videos on the Viterbi lectures to fix this bug (thanks again for catching it), and to match the note at http://www.cs.columbia.edu/~mcollins/notes-spring2013.html

The new definitions are close to the old ones, but are now correct. We have

$$\pi(0, , ) = 1$$

as the base case, and the recursive case is now:

For any  $k \in 1 \dots n$ , for any  $u \in S_{k-1}$  and  $v \in S_k$ :

 $\phi(k, u, v) = \max\{w \in S\{k-2\}\} \setminus \{v \in \{v, u\} \setminus \{v \in \{v, u\} \in \{v\}\}\} \setminus \{v \in \{v, u\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v, u\} \setminus \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}\}\} \setminus \{v \in \{v\}\} \setminus \{v \in \{v\}$ 

where  $S_k$  is defined to be the set of possible tags at position k: more precisely

$$S_{-1} = S_0 = \{*\}$$

and

$$S_k = S$$
 for  $k = 1 \dots n$ 

where S is the set of possible tags.

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Are the video lectures present now reflecting the changes.. Or should we refer to ur notes for correction

It seems that the two videos Viterbi Part 1 & Part 2 are concerned, but not sure whether the video sequences at hand have been corrected as intended.

The videos "The Viterbi Algorithm for HMMs" Parts 1, 2 and 3 should now reflect this change.

+ Comment

## FRANCISCO IVANILDO PEREIRA DA SILVA · 3 years ago %

HI IM NEW IN COURSE I WILL SAW THW VIDEOS TODAYNIGHT I FROM BRAZIL AND I HOPE GOD LUCK FOR ALL BEST REGARDS.

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