

Likelihood-ratio test

	<p>In statistics, a likelihood ratio test is used to compare the fit of two models, one of which is nested within the other. This often occurs when testing whether a simplifying assumption for a model is valid, as when two or more model parameters are assumed to be related.</p>	related documents
		Average
		Estimator
		Conditional probability
		Reinforcement learning
		Poisson distribution
		Interpolation search
		Mersenne twister
		Golden ratio base
		Linear
		Monotonic function
		Automata theory
		Borel algebra
		Graftal
		Special linear group
		Monotone convergence theorem
		Generating trigonometric tables
related topics		
{math, number, function}		
{rate, high, increase}		
{game, team, player}		
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{disease, patient, cell}		
{album, band, music}		
	<p>Both models are fitted to the data and their log-likelihood recorded. The test statistic (usually denoted D) is twice the difference in these log-likelihoods:</p> <p>The model with more parameters will always fit at least as well (have a greater log-likelihood). Whether it fits significantly better and should thus be preferred can be determined by deriving the probability or p-value of the obtained difference D. In many cases, the probability distribution of the test statistic can be approximated by a chi-square distribution with $(df1 - df2)$ degrees of freedom, where $df1$ and $df2$ are the degrees of freedom of models 1 and 2</p>	

respectively.

The test requires nested models, that is, models in which the more complex one can be transformed into the simpler model by imposing a set of linear constraints on the parameters.

In a concrete case, if model 1 has 1 free parameter and a log-likelihood of 8012 and the alternative model has 3 degrees of freedom and a LL of 8024, then the probability of this difference is that of chi-square of $24 = 2 \cdot (8024 - 8012)$ under $2 = 3 - 1$ degrees of freedom. Certain assumptions must be met for the statistic to follow a chi-squared distribution and often empirical p-values are computed.

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De Morgan's laws

Column space

Discriminant

Controllability

Isomorphism theorem

NaN

Generalized Riemann hypothesis

Stirling's approximation

Conjunctive normal form

Sylow theorems

Jacobi symbol

Free variables and bound variables

Laurent series

Kolmogorov space

Background

The **likelihood ratio**, often denoted by Λ (the capital [Greek letter lambda](#)), is the ratio of the [likelihood function](#) varying the parameters over two different sets in the numerator and denominator. A **likelihood-ratio test** is a statistical test for making a decision between two hypotheses based on the value of this ratio.

It is central to the [Neyman–Pearson](#) approach to statistical hypothesis testing, and, like statistical hypothesis testing generally, is both widely used and much criticized; see [Criticism](#), below.

Simple-versus-simple hypotheses

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