



[Course](#) > [Week 4...](#) > [Lesson...](#) > QQ4

QQ4

QQ4

0 points possible (ungraded)

Which of the following statements are true concerning the Traveling Salesman Problem?
(You may check more than one choice)

- ☐ a) The solution will always be different depending on the start node
- ☒ b) The nearest neighbor heuristic is very fast, but not guaranteed to provide an optimal tour ✓
- ☒ c) The nearest neighbor heuristic is a construction algorithm. ✓
- ☐ d) The nearest neighbor heuristic is an improvement algorithm.
- ☒ e) If N is the number of nodes in the network, then there will be N arcs in the tour ✓



Explanation

The correct answers are b, c, e..

a) False. It may be different, but it will not necessarily be different.

b) True. This is pretty much the definition of a heuristic!

c) True. The heuristic creates or builds a tour, so it is a construction algorithm

d) False. Since this is the opposite of (c)!

e) True. Simply looking at a tour should convince you of this - since every node is visited once and only once.

Submit

You have used 1 of 3 attempts

 Answers are displayed within the problem

Questions, comments and suggestions about this section

If you have any questions, comments or suggestions about this section, please use the "Add a Post" button in the discussion forum below. Your post will be indexed in the right category and it will be easier for the staff to answer it!

If you have a question, classify your post as a "question" (instead of "discussion"), since we try to review those post first.

Discussion

[Hide Discussion](#)

Topic: Week 4 / Lesson 1, Quick Question 4

[Add a Post](#)

Show all posts ▼

by recent activity ▼

- | | | |
|-------------------------------------|---|---|
| <input checked="" type="checkbox"/> | Part a) How could 2 different starting points yield same paths? | 4 |
| | If I'm reading the question correctly, we are asking if each unique starting point will have an optimized tr... | ▼ |
| <input checked="" type="checkbox"/> | Part e) If there are N nodes, won't there N-1 arcs? | 3 |
| | Do we consider starting and ending points to be nodes with set N? If so, shouldn't there be N-1 arcs for ... | ▼ |

© All Rights Reserved