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Probability Integral Transformation - Quiz

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For an additional resource on the Probability Integral Transformation, check out this explanation on Quora.

Question 1


1/1 point (graded)

The example of the probability integral transformation given in class demonstrates which of the following?


- ☐ a. The nature of the relationship between the PDF and the CDF for all types of distributions
- ☒ b. The result that if you transform a random variable by its own CDF, the resulting distribution will be uniform $[0,1]$ ✓
- ☐ c. That the PDF and the CDF are equivalent functions for uniformly-distributed random variables
- ☐ d. If X is a uniformly-distributed random variable, then the CDF is also uniformly distributed

▼ **Module 5: Moments of a Random Variable, Applications to Auctions, & Intro to Regression**

Moments of a Distribution and Auctions

Finger Exercises due Oct 31, 2016 at 05:00 IST 

Expectation, Variance, and an Introduction to Regression

Finger Exercises due Oct 31, 2016 at 05:00 IST 

Module 5: Homework

Homework due Oct 24, 2016 at 05:00 IST 

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Explanation

Transforming a continuous random variable by its CDF yields a random variable that is uniformly distributed.

Submit

You have used 1 of 2 attempts

✓ Correct (1/1 point)

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