

<u>Help</u>

sandipan_dey >

Next >

<u>Calendar</u> **Discussion** <u>Notes</u> <u>Course</u> <u>Progress</u> <u>Dates</u>

☆ Course / Unit 2: Geometry of Derivatives / Problem Set 2A



You are taking "Exam (Timed, No Correctness Feedback)" as a timed exam. Show more



Previous

43:43:19



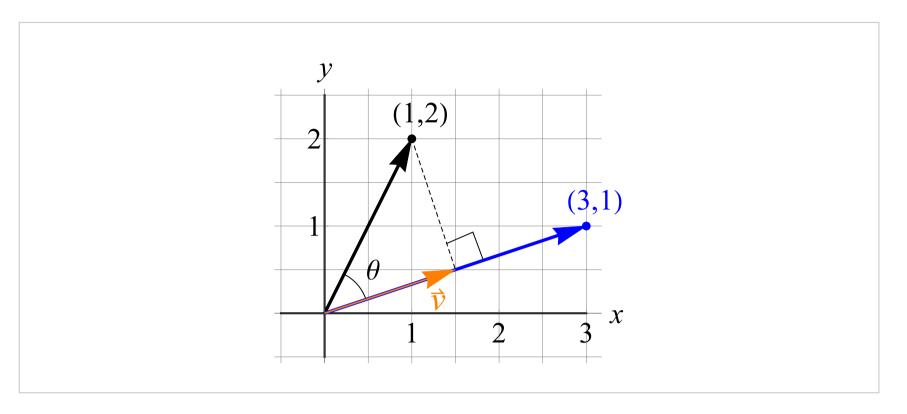


□ Bookmark this page

Problem Set A due Aug 18, 2021 20:30 IST Completed 2A-6(a)

1/1 point (graded)

Consider the figure below.



Find the cosine of the angle $oldsymbol{ heta}$ shown above.

$$\cos \theta = \boxed{\frac{1}{\text{sqrt}(2)}}$$

? INPUT HELP

Solution:

Taking the dot product of the vector $\langle 1,2
angle$ and $\langle 3,1
angle$ gives

$$\langle 1,2 \rangle \cdot \langle 3,1 \rangle = 5.$$

We also have

$$\langle 1,2
angle \cdot \langle 3,1
angle = |\langle 1,2
angle ||\langle 3,1
angle |\cos heta = \sqrt{50}\cos heta.$$

Setting the above equations equal to each other gives

$$5=\sqrt{50}\cos heta$$

which implies

$$\cos heta = rac{5}{\sqrt{50}} = rac{1}{\sqrt{2}}.$$

Submit

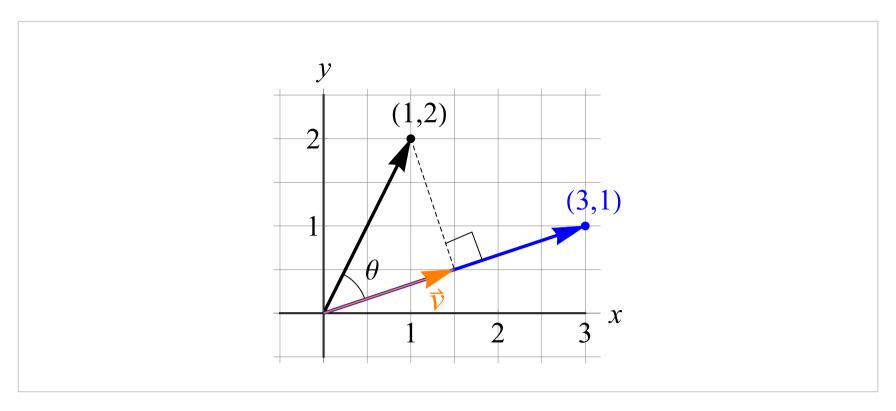
You have used 1 of 9 attempts

1 Answers are displayed within the problem

2A-6(b)

1/1 point (graded)

Use your answer from the previous question to find the length of the vector $ec{v}$ shown.

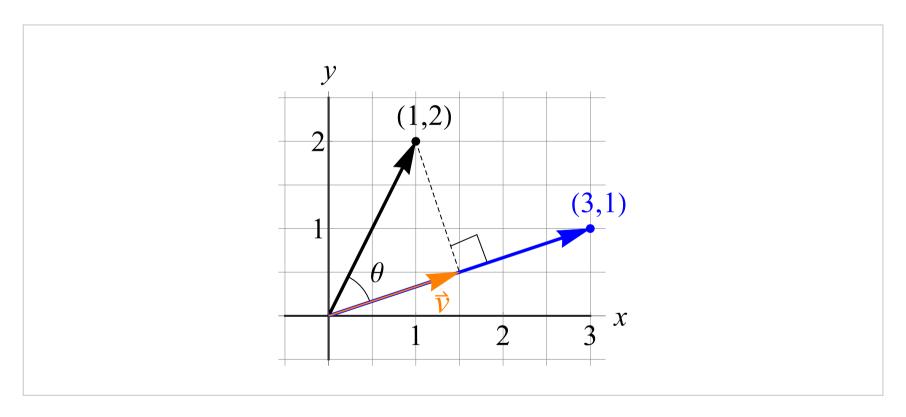


$$|\vec{v}| =$$
 sqrt(5/2) \checkmark Answer: sqrt(5/2)

? INPUT HELP

Solution:

Consider the right triangle in the figure below whose hypotenuse is the vector $\langle 1, 2 \rangle$.



The hypotenuse has length $\sqrt{5}$. By definition, we have $|\vec{v}|=|\langle 1,2\rangle|\cos\theta$. Using the value of $\cos\theta$ computed above, we have

$$|ec{v}|=|\langle 1,2
angle |\cos heta=\sqrt{5}\cos heta=(\sqrt{5})\left(rac{1}{\sqrt{2}}
ight)=rac{\sqrt{5}}{\sqrt{2}}=\sqrt{5/2}.$$

Submit

You have used 1 of 9 attempts

1 Answers are displayed within the problem

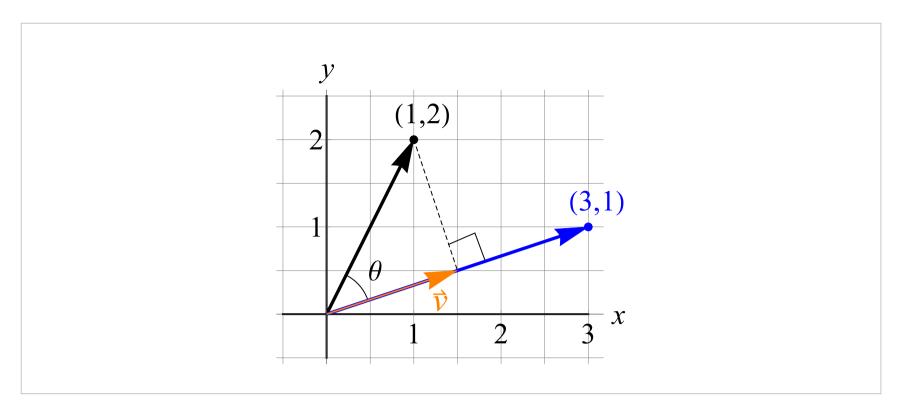
■ Calculator

Hide Notes

2A-6(c)

1.0/1 point (graded)

Find the components of the vector \vec{v} shown in orange.



(Enter the vector in the form [a,b]. That is surround your vector by square brackets, and separate entries by a comma. Note that the entries of your vector must be numbers.)

Solution:

The vector \vec{v} is in the same direction as $\langle 3,1 \rangle$, and we know $|\vec{v}|=\sqrt{10}/2$. The unit vector in the direction of $\langle 3,1 \rangle$ is $\langle 3/\sqrt{10},1/\sqrt{10} \rangle$. So \vec{v} is given by

$$ec{v}=|ec{v}|\langlerac{3}{\sqrt{10}},rac{1}{\sqrt{10}}
angle=\langlerac{3}{2},rac{1}{2}
angle.$$

Submit

You have used 1 of 9 attempts

1 Answers are displayed within the problem

4. Vector components

Topic: Unit 2: Geometry of Derivatives / 4. Vector components

Hide Discussion

Add a Post

Show all posts ✓ by recent act	ctivity 🗸
[Staff] Grader does not accept decimal answer to 3 decimal places At least for 2A-6(a)	2
I don't understand why sqrt(5)*0.7071 is not acceptable for 2A-6(b). I don't understand why sqrt(5)*0.7071 is not acceptable for 2A-6(b). Especially when 0.7071 was accepted for 2A-6(a). I've spent wa.	. 4
■ Geometric Approach to 2A-6(a)	1
Staff: Problem with submission on 2A-6(c) Tried to submit answer. Got this response: Could not format HTML for problem. Contact course staff in the discussion forum for assi	2

Previous

Next >

© All Rights Reserved



edX

About

Affiliates

edX for Business

Open edX

<u>Careers</u>

<u>News</u>

Legal

Terms of Service & Honor Code

Privacy Policy

Accessibility Policy

Trademark Policy

<u>Sitemap</u>

Connect

Blog

Contact Us

Help Center

Media Kit

Donate















© 2021 edX Inc. All rights reserved.

深圳市恒宇博科技有限公司 <u>粤ICP备17044299号-2</u>



