

MITx: 14.310x Data Analysis for Social Scientists

Heli

Bookmarks

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More on Inference in the Linear Model - Quiz

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Question 1

1/1 point (graded)

Suppose you are interested in testing hypotheses of the following form:

 $H_0:Reta=c$

 $H_1:Reta
eq c$

Suppose $oldsymbol{R}$ and $oldsymbol{c}$ are as follows:

 $R = [0\ 0\ 1\ 1\ 1\ 0], c = 1$

What hypotheses would this be testing?

- Module 5: Moments of a Random Variable,
 Applications to Auctions,
 Intro to Regression
- Module 6: Special
 Distributions, the
 Sample Mean, the
 Central Limit Theorem,
 and Estimation
- Module 7: Assessing and <u>Deriving Estimators -</u> <u>Confidence Intervals,</u> and Hypothesis Testing
- Module 8: Causality,
 Analyzing Randomized
 Experiments, &
 Nonparametric
 Regression
- Module 9: Single and Multivariate Linear Models

The Linear Model due Nov 28, 2016 05:00 IST

Ø,

- ullet a. The set of coefficients $eta_2=eta_3=eta_4=1,\;eta_5=0$
- lacksquare b. The set of coefficients $eta_1=eta_2=eta_3=1,\;eta_4=0$
- ullet c. $eta_2+eta_3+eta_4=1$
- d. A subset of the coefficients are all equal.

Explanation

Write out the matrix multiplication:

$$Reta = [0\ 0\ 1\ 1\ 1\ 0] egin{bmatrix} eta_0 \ eta_1 \ eta_2 \ eta_3 \ eta_4 \ eta_5 \end{bmatrix} = eta_2 + eta_3 + eta_4 = c = 1$$

Submit

You have used 1 of 2 attempts

The Multivariate Linear Model

due Nov 28, 2016 05:00 IST

Module 9: Homework due Nov 21, 2016 05:00 IST

- Ø.
- Module 10: Practical **Issues in Running** Regressions, and **Omitted Variable Bias**
- Exit Survey

✓ Correct (1/1 point)

Question 2

1/1 point (graded)

Using the same setup discussed in class, and in the previous questions, suppose we have a model with 5 parameters, and want to test the hypotheses that $\beta_1 = \beta_2, \beta_3 + \beta_4 = 1$, and $\beta_5 = 10$. Fill in the missing elements of the matrix of restrictions $m{R}$ and the vector $m{c}$ (Note: the elements to fill in are bolded and underlined below):

$$Reta = egin{bmatrix} 0 & 1 & \mathbf{\underline{a}} & 0 & 0 & 0 \ 0 & 0 & \mathbf{\underline{b}} & \mathbf{\underline{c}} & 1 & 0 \ 0 & 0 & 0 & 0 & \mathbf{\underline{d}} & \mathbf{\underline{e}} \end{bmatrix} egin{bmatrix} eta_0 \ eta_1 \ eta_2 \ eta_3 \ eta_4 \ eta_5 \end{bmatrix} = c = egin{bmatrix} \mathbf{\underline{f}} \ \mathbf{\underline{g}} \ \mathbf{\underline{h}} \end{bmatrix}$$

A:

-1

✓ Answer: -1

-1

B:

0	✓ Answer: 0
0	
C:	
1	✓ Answer: 1
1	
D:	
0	✓ Answer: 0
0	
E:	
1	✓ Answer: 1
1	
F:	
0	✓ Answer: 0

0

G:

1

✓ Answer: 1

1

H:

10

✓ Answer: 10

10

Explanation

$$R\beta = \begin{bmatrix} 0 & 1 & -\mathbf{1} & 0 & 0 & 0 \\ 0 & 0 & \mathbf{0} & \mathbf{1} & 1 & 0 \\ 0 & 0 & 0 & 0 & \mathbf{0} & \mathbf{1} \end{bmatrix} \begin{bmatrix} \rho_0 \\ \beta_1 \\ \beta_2 \\ \beta_3 \\ \beta_4 \\ \beta_5 \end{bmatrix} = c = \begin{bmatrix} \mathbf{0} \\ \mathbf{1} \\ \mathbf{10} \end{bmatrix}$$

This follows immediately from the matrix multiplication

$$R\beta = \begin{bmatrix} 0 & 1 & -\mathbf{1} & 0 & 0 & 0 \\ 0 & 0 & \mathbf{0} & \mathbf{1} & 1 & 0 \\ 0 & 0 & 0 & 0 & \mathbf{0} & \mathbf{1} \end{bmatrix} \begin{bmatrix} \beta_0 \\ \beta_1 \\ \beta_2 \\ \beta_3 \\ \beta_4 \\ \beta_5 \end{bmatrix} = \begin{bmatrix} \beta_1 - \beta_2 \\ \beta_3 + \beta_4 \\ \beta_5 \end{bmatrix} = \begin{bmatrix} \mathbf{0} \\ \mathbf{1} \\ \mathbf{10} \end{bmatrix}$$

Submit

You have used 1 of 2 attempts

✓ Correct (1/1 point)

Discussion

Topic: Module 9 / More on Inference in the Linear Model - Quiz

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