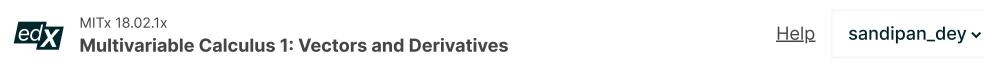
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**Synthesize** 

We continue our exploration of the same function  $f\left(x,y
ight)=y^2-x^3+xy-x$ .

Since we took the linear approximation of f around the point (1,1), our approximation is accurate near to (1,1) but not so accurate far away. To give a sense of that, here is a picture of the level curves of f at a bigger scale.

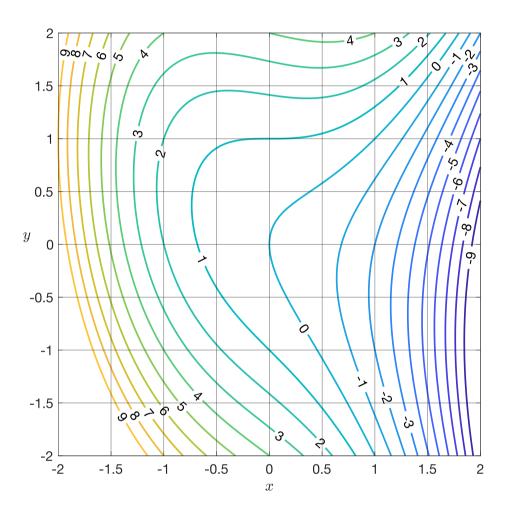


Figure 8: The function f on the interval  $-2 \leq x, y \leq 2$ .

#### Food for thought: Reverse the process

1.0/1 point (graded)

Look at the picture of the level curves of  $f(x,y)=y^2-x^3+xy-x$  near to (-1,-1). Based on this picture, try to guess the linear approximation of f around the point (-1,-1).

#### Hints:

- What is the height of the level curve that contains the point (-1,-1)?
- What is the equation for the linear approximation to that level curve?

Check your guess by computing the linear approximation like you did on the first page.

Near 
$$(-1,-1)$$
,  $f(x,y) \approx \begin{bmatrix} -4-5*x-3*y \end{bmatrix}$   $\checkmark$  Answer:  $4-5*$ Deltax- $3*$ Deltay

? INPUT HELP

Submit

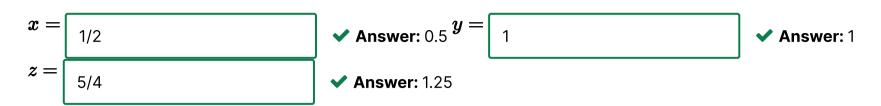
You have used 2 of 15 attempts

**1** Answers are displayed within the problem

#### Food for thought: Find a point of tangency

3/3 points (graded)

Suppose that  $g(x,y)=x^2+y^2$  and P is the plane defined by z=x+2y-10. The graph of g lies above the plane P. Suppose we raise the plane P (without tilting it) until it touches the graph of g. At what point do they touch?



Submit

You have used 1 of 15 attempts

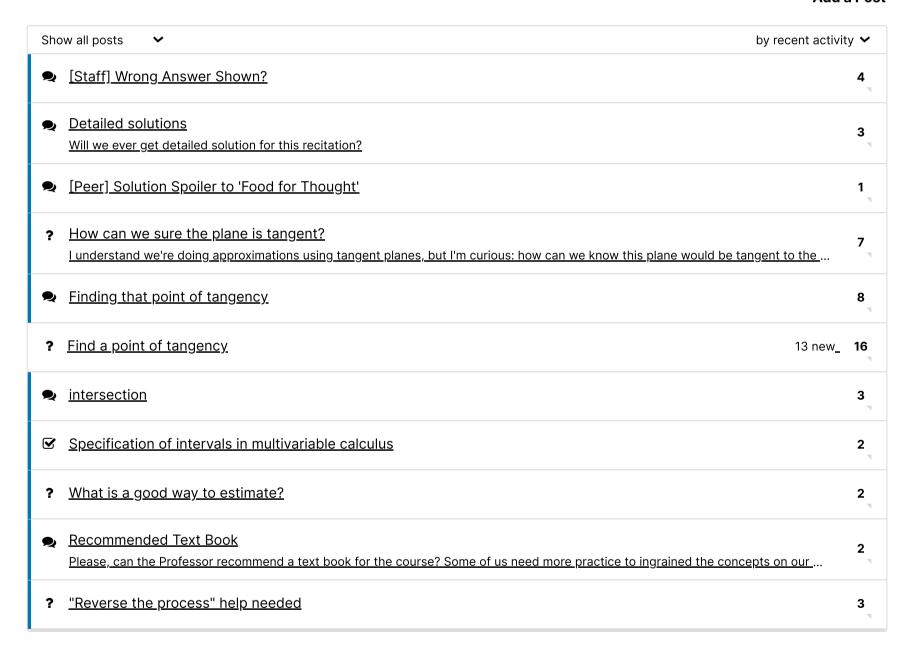
• Answers are displayed within the problem

### 16. The big picture

Topic: Unit 1: Functions of two variables / 16. The big picture

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