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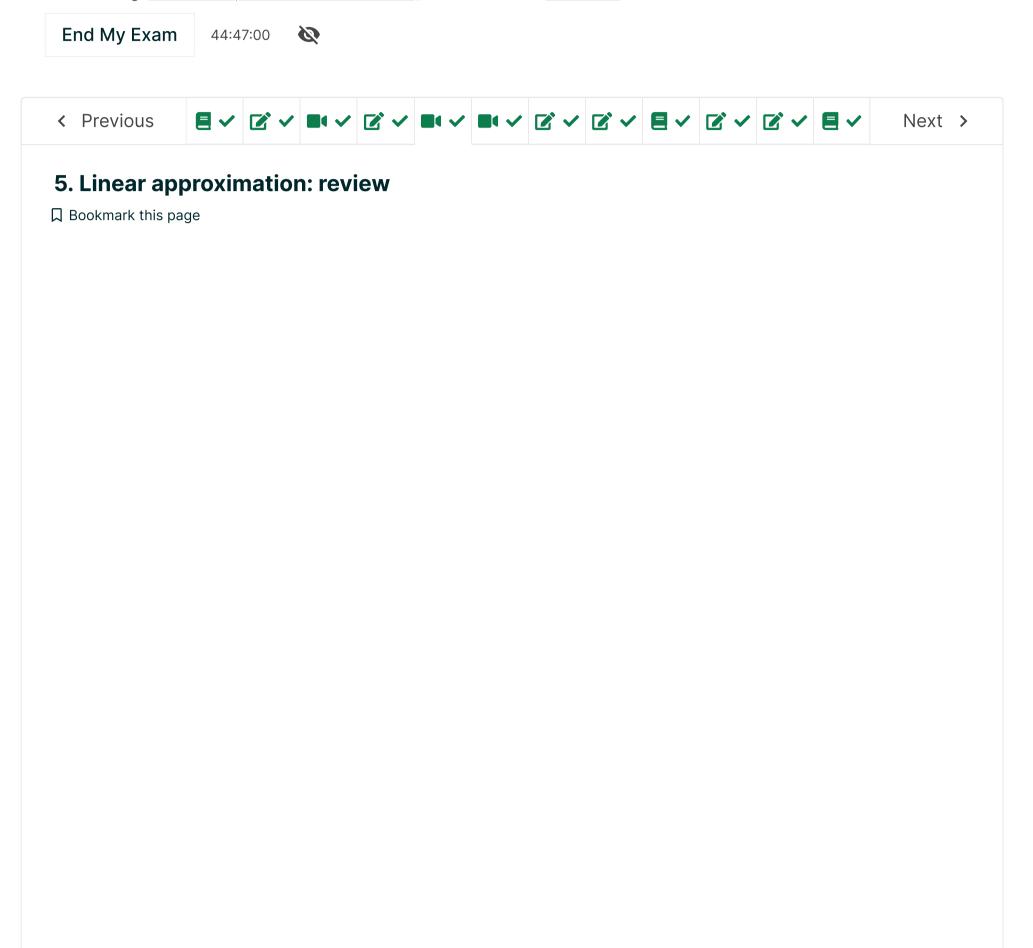
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☆ Course/ Unit 1: Functions of two vari... / Lecture 2: Linear approximations and tangent ...



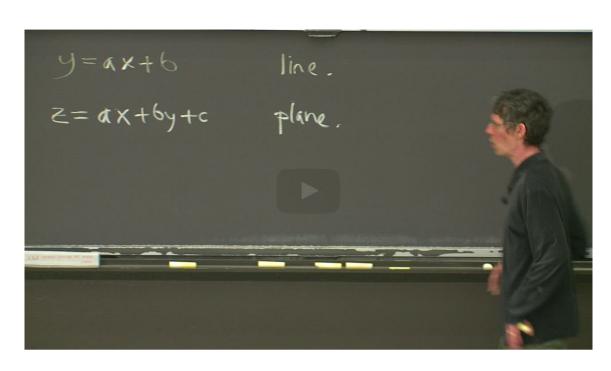
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# **Review**

## **1D linear approximation**



 Start of transcript. Skip to the end.

PROFESSOR: So let's remember how it worked in 18.01.

So in 18.01, linear approximation, we had a function of one variable, say, g of x.

And linear approximation tells us, how does the function g change if we change x a little bit?

that's approximately g
of x0 plus g prime of x0 times Delta

So if we look at g at x0 plus Delta x,

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Recall: The linear approximation of a function  $g\left(x
ight)$  in one variable near  $x=x_0$  is

$$g\left(x_{0}+\Delta x
ight)pprox g\left(x_{0}
ight)+g'\left(x_{0}
ight)\Delta x.$$

**Example 5.1** Consider  $g\left(x
ight)=x^2$  near  $x_0=1$ .

$$g(1) = 1^2 = 1$$

$$g'(x) = 2x$$

$$g'(1) = 2$$

Thus

$$g\left(1+\Delta x
ight)pprox g\left(1
ight)+g'\left(1
ight)\Delta x=1+2\Delta x.$$

Another way to write this is that near 1,

$$g\left(x
ight)pprox g\left(1
ight)+g'\left(1
ight)\underbrace{\left(x-1
ight)}_{\Delta x}=1+2\left(x-1
ight)=2x-1$$

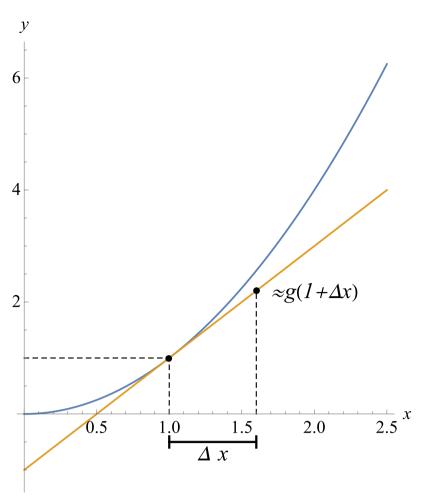


Figure 3: The parabola  $y=x^2$  and its tangent line near x=1 given by the line y=2x-1. The horizontal distance between vertical lines is  $\Delta x$  and the dot represents the linear approximation of  $g(1+\Delta x)$ .

### Remark 5.2

5. Linear approximation: review

- 1. The line y=2x-1 is the tangent line to the graph of  $y=g\left( x
  ight)$  at the point x=1.
- 2. 2x-1 is a good approximation to  $g\left(x\right)$  when x is near 1.
- 3.  $1+2\Delta x$  is a good approximation to  $g\left(1+\Delta x
  ight)$  when  $\Delta x$  is small.

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