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MITx: 6.86x

Machine Learning with Python-From Linear Models to Deep Learning

<u>Help</u>



sandipan\_dey

Unit 2 Nonlinear Classification, Linear regression, Collaborative <u>Course</u> > <u>Filtering (2 weeks)</u>

> <u>Project 2: Digit recognition (Part 1)</u> > 5. Temperature

## 5. Temperature

We will now explore the effects of the temperature parameter in our algorithm.

You will be working in the files part1/main.py and part1/softmax.py in this problem

## **Effects of Adjusting Temperature**

1/1 point (graded)

Explain how the temperature parameter affects the probability of a sample  $x^{(i)}$  being assigned a label that has a large  $\theta$ . What about a small  $\theta$ ?

- Larger temperature leads to less variance
- ✓ Smaller temperature leads to less variance
- Smaller temperature makes the distribution more uniform



Submit

You have used 3 of 3 attempts

✓ Correct (1/1 point)

**Reporting Error Rates** 

2.0/2.0 points (graded)

Set the temperature parameter to be 0.5, 1, and 2; re-run run\_softmax\_on\_MNIST for each one of these (add your code to the specified part in **main.py**).

$$Error|_{T=2} = \boxed{0.1261}$$

Submit

You have used 1 of 20 attempts

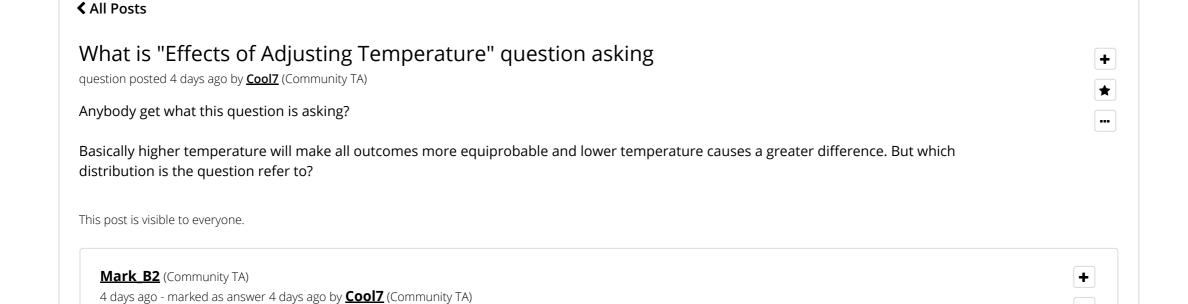
Return the temp\_parameter to be 1 before moving on to the next section.

## Discussion

**Hide Discussion** 

**Topic:** Unit 2 Nonlinear Classification, Linear regression, Collaborative Filtering (2 weeks):Project 2: Digit recognition (Part 1) / 5. Temperature

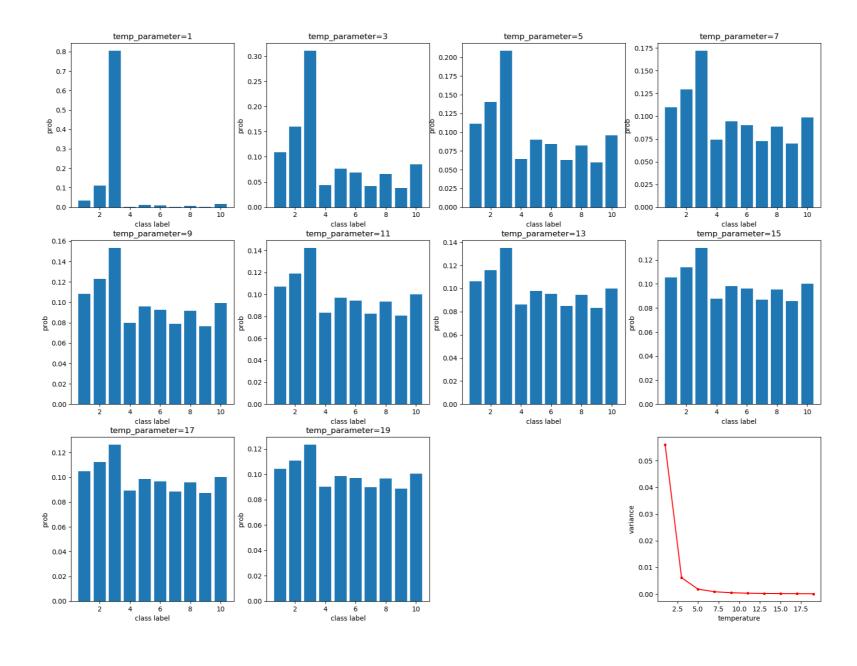
Add a Post



 $p(y(i) = j|x(i), \theta)$ 

Thanks, that means "variance" in the question is not refer to this distribution's variance. Then it must be the variance of probability of a sample $x^{(i)}$ being assigned a label that has a large $\theta$ .	•••
This feels more like a word puzzle then a ML question. 🗐	
posted 4 days ago by <u>Cool7</u> (Community TA)	
""variance" in the question is not refer to this distribution's variance."  It does. It returned by compute_probabilities function and temperature is one of parameters. Would temperature change the returned variance?	•••
posted 4 days ago by Mark B2 (Community TA)	
Oh! I don't know what was I thinking, confused myself. I really should stop doing things at night,embarrassing. Thanks very much.	•••
posted 4 days ago by <u>Cool7</u> (Community TA)	
I'm definitely confused on this one. If a higher temperature makes all outcomes more equiprobable then why is a decrease in variance for larger temperature apparently not correct?  posted 4 days ago by synnfusion	••
The variance of uniform distribution on [0, 1] is 1/12, the variance of delta function is zero.	•
posted 3 days ago by Mark B2 (Community TA)	
Might be helpful if I remember that variance depends on distance from mean and not how much the pdf is going up and down.  posted 3 days ago by <b>synnfusion</b>	-
posted 3 days ago by <u>symmusion</u>	
Add a comment	//
Add a Response	3 other respons
<u>sandipan dey</u>	+
2 days ago	•••

Already used 2 attempts and yet to get the correct answer. Used a random theta matrix and plotted the class-prob-distribution and temperature-vs-variance with the probabilities obtained using compute\_probabilities(), for a test datapoint. The plot supports the intuition, although the grader does not accept the answer and i am not sure what i am doing wrong. Any help? Thanks in advance.



I think from the earlier comments, this question is asking a different thing, to what I think it's asking!

posted 2 days ago by **robweatherston18** 

Check your variance function, note that np.var is not appropriate to calculate variance in this case.  posted about 23 hours ago by nontawat	
Why is np.var inappropriate @nontawat? I thought the question is asking the variance of the computed probabilities (one for each class). Even if we use ddof=1, the result will not change.  posted about 14 hours ago by sandipan dey	
Hint: look at your plot and figure out which kind of distribution it is.  posted about 6 hours ago by nontawat	
Add a comment	
sakimarquis a day ago same here, i use all 3 attempts just guessing, it's really confusing.	4
Add a comment	
dkhachatrian about 14 hours ago	4
What @Mark_B2 described is what the grader is asking for. Staff should probably make this more explicit. Especially because usually, looking at the distribution of the ID number corresponding to a predicted label for a classification problem doesn't have much meaning. For example, what if the label-encoding were {0: "cat", 1: "dog", 2:"other"} rather than our current example of {0:'0', 1:'1',, 9:'9'}? (I imagine a more "meaningful" distribution to look at could be the 1-D distribution of probabilities to see whether/how often the classifier is "confident" vs "ambivalent".)	
Add a comment	