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Question 1

1/1 point (graded)

Let's look at the general predator prey system with constants **a, b, c, d** > 0 and

$$\frac{dS}{dt} = aS - bSM$$

$$\frac{dM}{dt} = -cM + dSM$$

There are two nullclines on which $\frac{dM}{dt} = 0$. One of these is the line $M = 0$. What is the equation of the other line?

☐ $S = 0$

☐ $S = \frac{a}{b}$

☒ $S = \frac{c}{d}$ ✓

☐ $M = \frac{a}{b}$

☐ $M = \frac{c}{d}$

☐ None of the above.

Explanation

Factoring $\frac{dM}{dt}$ we get $\frac{dM}{dt} = 0$ if $M = 0$ or $(-c + dS) = 0$. Thus the other nullcline equation is $S = \frac{c}{d}$.

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You have used 1 of 3 attempts



i Answers are displayed within the problem

Question 2

1/1 point (graded)

Let's look at the general predator prey system with constants $a, b, c, d > 0$ and

$$\frac{dS}{dt} = aS - bSM$$

$$\frac{dM}{dt} = -cM + dSM$$

There is one equilibrium point at $(0, 0)$ (meaning no sardines and no marlin). There is one other equilibrium point. What is it?

☐ $(c/d, 0)$

☐ $(0, (a/b))$

☒ $(c/d, a/b)$ ✓

☐ $(a/b, c/d)$

☐ None of the above.

Explanation

The other equilibrium point is $(c/d, a/b)$. We can solve for these by finding where $\frac{dS}{dt}$ and $\frac{dM}{dt}$ are both zero. This is the same as finding the points at which the nullclines for S intersect the nullclines for M .

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You have used 2 of 3 attempts

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Question 3

1/1 point (graded)

The nullcline you found above is separated into two parts by a nullcline on which $\frac{dS}{dt} = 0$. On the part of the $\frac{dM}{dt}$ nullcline closest to the S axis, how is the value of S changing with time? (Hint: Think about values of M very close to 0.)

☒ S is increasing. ✓

☐ S is constant.

☐ S is decreasing.

Explanation

S is increasing, and if $M \approx 0$, then $\frac{dS}{dt} \approx aS$ so the population of sardine would be increasing almost exponentially.

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You have used 1 of 1 attempt

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