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MITx: 6.86x

Machine Learning with Python-From Linear Models to Deep Learning

<u>Help</u>

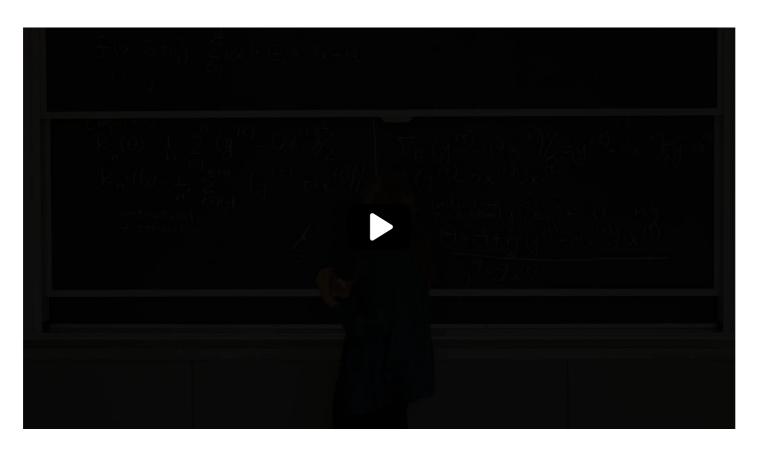


sandipan_dey

Unit 2 Nonlinear Classification, Linear regression, Collaborative <u>Course</u> > <u>Filtering (2 weeks)</u>

> <u>Lecture 5. Linear Regression</u> > 5. Gradient Based Approach

5. Gradient Based Approach Learning Algorithm: Gradient Based Approach



in the positive direction of point x.

That's what you're trying to do.

In reality, each time you select new point,

it may push it in its own direction.

But at least in this case, this point

contributed and pushed it in the right direction for itself.

So this is a very simple algorithm,

and you can run this algorithm and get your values.

7:03 / 7:03 X ▶ Speed 1.50x

End of transcript. Skip to the start.

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True or False

1/1 point (graded)

Let $R_n\left(heta
ight)$ be the least squares criterion defined by

$$R_{n}\left(heta
ight) = rac{1}{n}\sum_{t=1}^{n}\mathrm{Loss}\left(y^{(t)} - heta \cdot x^{(t)}
ight).$$

Which of the following is true? Choose all those apply.

- lacksquare The least squares criterion $R_n\left(heta
 ight)$ is a sum of functions, one per data point. lacksquare
- Stochastic gradient descent is slower than gradient descent.
- lacksquare $\nabla_{ heta}R_{n}\left(heta
 ight)$ is a sum of functions, one per data point. lacksquare



Solution:

For every point, the loss is a function of θ , so the least squares criterion $R_n\left(\theta\right)$ is a sum of functions, one per data point, and this is what makes stochastic gradient descent possible. We want to do stochastic gradient descent because it is faster than gradient descent. Finally, because $R_n\left(\theta\right)$ is sum of functions, one per data point, $\nabla_{\theta}R_n\left(\theta\right)$ is also a sum of functions one per data point.

Submit

You have used 2 of 3 attempts

• Answers are displayed within the problem

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?	What's the superscript k in last option indicate?	6
2	When I submit nothing happens. After I press the submit button nothing happens. Neither the number of attempts is increased and it does not show if I had it correct or not	3
2	Sum of functions this exercise was really unclear. You should rephrase it.	3
?	[Staff] Don't understand the question 1. What do you mean under the "sum of functions"? Everything can be considered as function:) 2. What do you mean under the "slower" in second option. Slower in calculati	8
Q	[Staff]True or False The equation misses the equal sign. It seems the question come before the relevant lecture. & Community TA	3
∀	When a closed form of solution exists why use gradient based solution? I seems a closed form of solution exists by setting derivative of square loss equal to zero, the solution is going find parameters where training error is zero. So if such a solutio	4

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