



## MITx: 6.008.1x Computational Probability and Inference



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## Introduction to Probability

Exercises due Sep 22, 2016 at 02:30 IST



## Probability Spaces and Events

Exercises due Sep 22, 2016 at 02:30 IST



## Random Variables

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## 1. Probability and Inference &gt; Random Variables &gt; Two Ways to Specify a Random Variable in Code

Follow along in an IPython prompt.

From the video, we see that two ways we can fully represent a random variable on a computer are as follows.

**Approach 1.** Go with the mathematical definition of a random variable. First, specify what the underlying probability space is:

```
> prob_space = {'sunny': 1/2, 'rainy': 1/6, 'snowy': 1/3}
```

Then provide a way to map from the sample space to the alphabet:

```
> W_mapping = {'sunny': 'sunny', 'rainy': 'rainy', 'snowy': 'snowy'}
> I_mapping = {'sunny': 1, 'rainy': 0, 'snowy': 0}
```

Then we can generate a random sample/draw for random variables  $W$  and  $I$ :

```
> random_outcome = comp_prob_inference.sample_from_finite_probability_space(prob_space)
> W = W_mapping[random_outcome]
> I = I_mapping[random_outcome]
```

**Approach 2.** Remember how we wrote out probability tables for random variables  $W$  and  $I$ ? Let's directly store these probability tables:

```
> W_table = {'sunny': 1/2, 'rainy': 1/6, 'snowy': 1/3}
> I_table = {0: 1/2, 1: 1/2}
```

Treating the tables as probability spaces, draw samples for  $W$  and  $I$ :

```
> W = comp_prob_inference.sample_from_finite_probability_space(W_table)
> I = comp_prob_inference.sample_from_finite_probability_space(I_table)
```

## Exercise: Two Ways to Specify a Random Variable in Code

(4/4 points)

- In approach 1, is it possible that the variable  $w$  stored at the end is equal to 'sunny', yet the variable  $i$  stored at the end is equal to 0? (Feel free to re-run the code for approach 1 a few times.)

☐ Yes

☒ No ✓

- In approach 2, is it possible that the variable  $W$  stored at the end is equal to sunny, yet the variable  $I$  stored at the end is equal to 0? (Feel free to re-run the code for approach 2 a few times.)

☒ Yes ✓

☐ No

- In approach 1, from running through the code once, the number of times a random sample is drawn is

✓ Answer: 1 .

- In approach 2, from running through the code once, the number of times a random sample is drawn is

✓ Answer: 2 .

**Solution:**

- In approach 1, is it possible that the variable `w` stored at the end is equal to 'sunny', yet the variable `i` stored at the end is equal to 0? (Feel free to re-run the code for approach 1 a few times.)

**No** because `w` and `i` are both assigned based on the same random outcome `random_outcome`.

- In approach 2, is it possible that the variable `W` stored at the end is equal to sunny, yet the variable `I` stored at the end is equal to 0? (Feel free to re-run the code for approach 2 a few times.)

**Yes** (just running the code a few times makes it clear that this is the case).

- In approach 1, from running through the code once, the number of times a random sample is drawn is **1**.

- In approach 2, from running through the code once, the number of times a random sample is drawn is **2**.

Note that each time `comp_prob_inference.sample_from_finite_probability_space` is called, another sample is drawn.

*You have used 3 of 5 submissions*

### What happened?

In approach 2, even though ***W*** by itself has the right probability table, and ***I*** by itself has the right probability table, somehow we have lost how they should behave together! Can you see how approach 1 avoids this problem?

Later on in the course, we'll see many more examples of random variables that are related!

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