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\* Course / Review / Practice exam (untimed, with solutions)

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Let c be the curve  $x^2+xy+2y^2=4$ . The point (1,1) is in the curve c.

Find a vector which is normal to c at (1,1).

[3,5] **Answer:** [3,5]

Then find a vector which is tangent to c at (1,1).

[5,-3] **Answer:** [5,-3]

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#### **Solution:**

Let  $f(x,y)=x^2+xy+2y^2$ . Hence c is the level curve of f given by f(x,y)=4. We know that  $\nabla f(1,1)$  will be normal to c at (1,1). Computing  $f_x$  and  $f_y$  gives

$$f_x=2x+y$$
  $f_y=x+4y$ 

Hence a normal vector will be

$$abla f(1,1) = \overline{\langle 3,5 
angle.}$$

To find a tangent vector, we must rotate the normal vector by 90 degrees; this gives  $\langle -5,3 \rangle$  as a tangent vector.

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Answers are displayed within the problem

#### 6. Practice Exam

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