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☆ Course / Unit 3: Optimization / Lecture 12: Least squares approximation



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Explore

In this lecture, we are going to learn about a topic from statistics known as least-squares interpolation. We present this topic here because the method for solving this problem comes from the methods of unconstrained optimization that you learned earlier in this Unit. Here, the "real-world" function we want to minimize will be the error between a linear fit of our data and the data itself. We will minimize the error by computing when its partial derivatives are all zero.

Introduction to least squares



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DENIS AUROUX: What I would like to tell you about now instead is a nice application of min-max problems that maybe you don't think of as a min-max problem, but you will see-because you don't think of it that way because probably your calculator can do it for you. Or if not, your computer can do it for you.

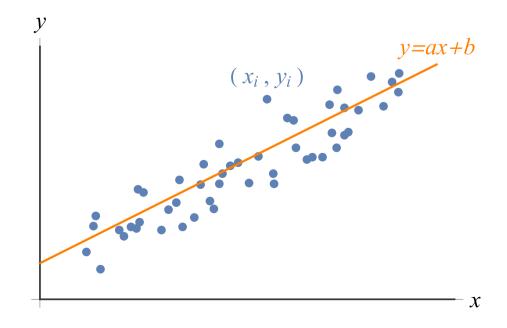
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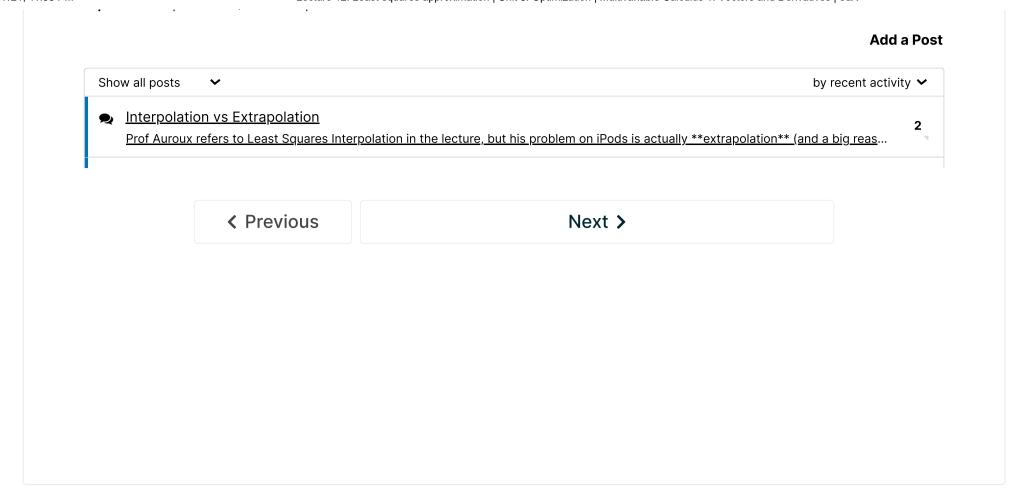
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The idea behind "least squares fit" or "least squares interpolation" is to find a mathematical expression that describes a relationship between two variables. If the data points (x_i,y_i) look like they might be following a linear trend, we want to find the constants a and b such that y=ax+b is the "best" fit line that describes the relationship between \boldsymbol{x} and \boldsymbol{y} .



2. Least squares introduction



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