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14. Even and odd simplified

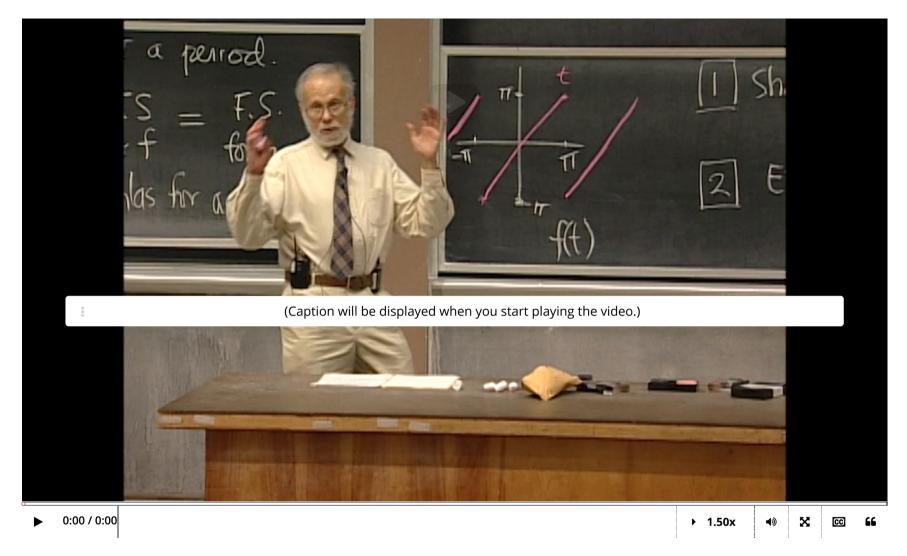
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14. Even and odd simplified formulas Formulas, simplified



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Even functions: If f(t) is an even, 2π periodic function, its Fourier series is

$$f\left(t
ight) =rac{a_{0}}{2}+\sum_{n=1}^{\infty }a_{n}\cos \left(nt
ight) ,$$

where (since $f(t)\cos{(nt)}$ is an even function as well)

$$a_{n}=rac{2}{\pi}\int_{0}^{\pi}f\left(t
ight) \cos \left(nt
ight) \,dt,\qquad b_{n}=0.$$

Odd functions:

If f(t) is an odd, 2π periodic function, its Fourier series is

$$f\left(t
ight) =\sum_{n=1}^{\infty }b_{n}\sin \left(nt
ight) ,$$

where (since $f(t)\sin{(nt)}$ is an even function)

$$b_{n}=rac{2}{\pi}\int_{0}^{\pi}f\left(t
ight) \sin\left(nt
ight) \,dt,\qquad a_{n}=0.$$

14. Even and odd simplified formulas

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