



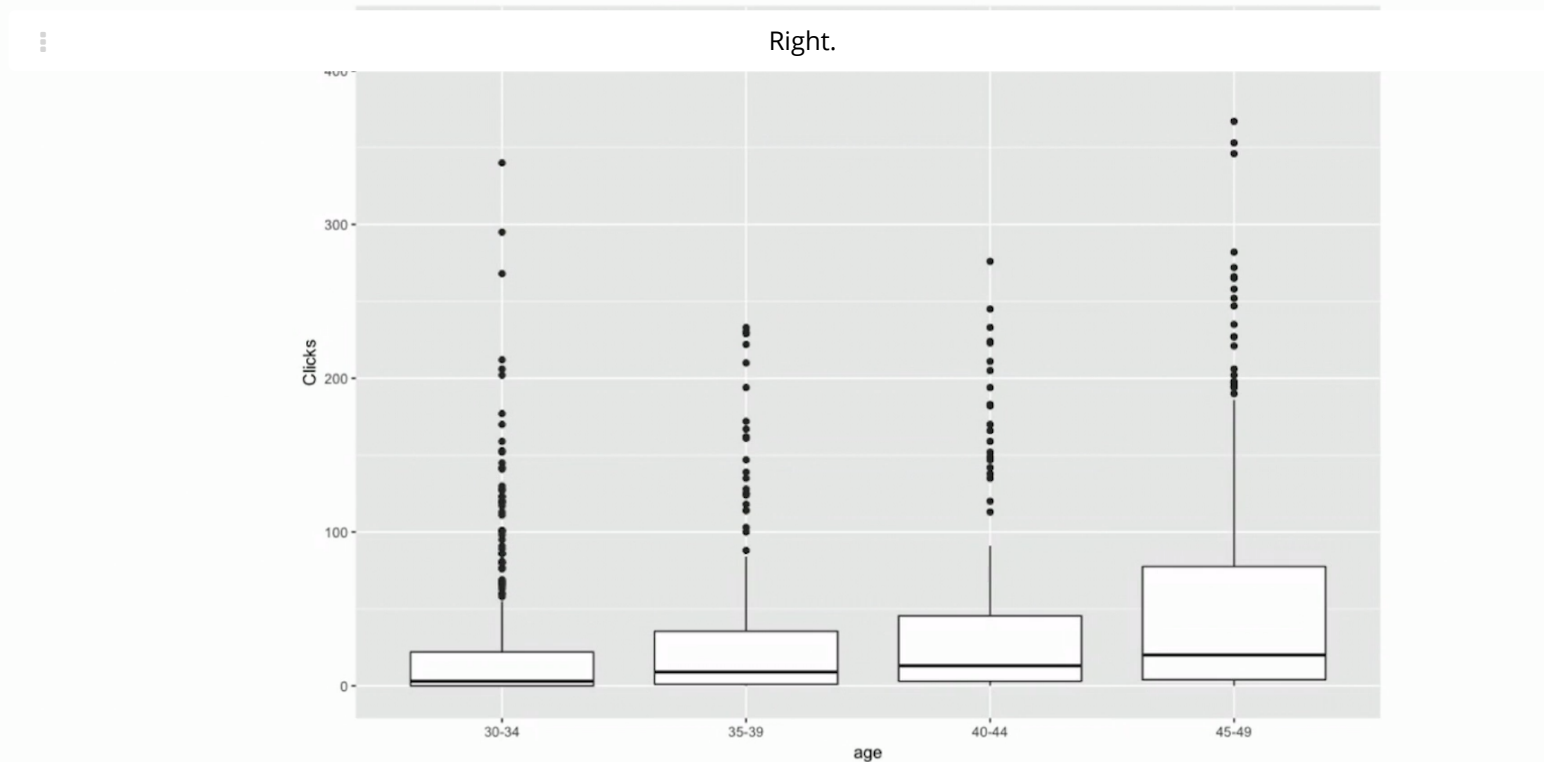
6. Plots of Conditional Distributions
and Conditional Quantiles and Box-

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6. Plots of Conditional Distributions and Conditional Quantiles and Box-and-Whisker Plots

Plots of Conditional Distributions and Conditional Quantiles and Boxplots

Conditional distribution: boots



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The Shapes of Joint and Conditional Distributions

1/1 point (graded)

Let $f(x, y)$ be the joint pdf of the pair of **continuous** random variables (X, Y) . Select from the following all statements that are correct.

☒ $f(y | x) = \frac{f(x,y)}{f(x)}$, provided $f(x) \neq 0$

☒ $f(y | x)$, for each x , is a scaled version of the slice of the 3-D plot of $f(x, y)$ across the x intercept.

☐ $f(y|x)$ is the probability that $Y = y$ given $X = x$.



Solution:

The first two choices are correct. The first choice is the definition of the conditional pdf. The second choice is correct because it follows from the definition that for a given x , $f(y|x)$ is equal to the slice of $f(x, y)$ at the x intercept scaled by $\frac{1}{f(x)}$.

The third choice is not correct because, among many things, $f(y|x)$ can take values greater than 1 and still be a valid pdf and a probability can never be greater than 1. Further, for a continuous random variable with a continuous pdf the probability that the random variable takes on any particular value is equal to 0.

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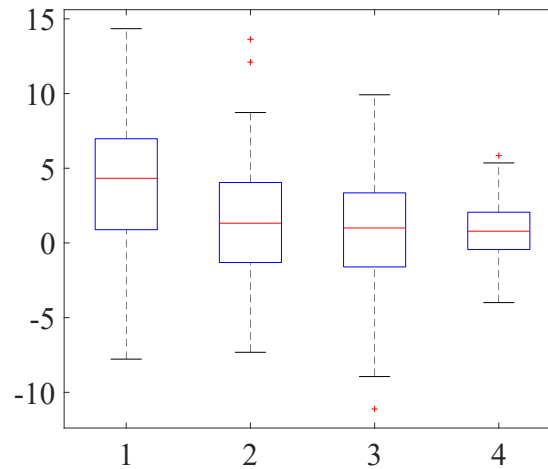
You have used 1 of 2 attempts

i Answers are displayed within the problem

Box-and-Whisker Plot

1/1 point (graded)

The following is a box-and-whisker plot drawn using 100 y axis points for each x value 1, 2, 3, 4:



Which of the following statements accurately reflect the box-and-whisker plot shown above?

- ☐ The y values have a similar standard deviation for all values of $x = 1, 2, 3, 4$.
- ☒ The middle 50 percentile of y values is more concentrated for $x = 4$ when compared to the other three x values.
- ☒ The conditional distribution of y given x does not appear to be heavily skewed one way or another for all values of x .
- ☒ If we assume as ground truth that for every x the conditional distribution of y given x is symmetric, then it is reasonable to conclude that the mean of the conditional distributions is non-increasing with x .



Solution:

The second, third, and fourth statements reflect what we see in the box-and-whisker plot.

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You have used 2 of 2 attempts

i Answers are displayed within the problem

Concept Check: Estimation for Each x

1/1 point (graded)

Is the following statement true or false?

"For a given x , upon observing samples Y_1, \dots, Y_n we have seen an estimation technique in this class to estimate the mean, median, and quantiles of Y for this x even in the absence of a statistical model for Y given this x ."

☒ True

☐ False



Solution:

The answer is **True**. M-estimation can be used to estimate the mean, median, and quantiles of Y for a given x even without having to assume a statistical model for the same.

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You have used 1 of 1 attempt

i Answers are displayed within the problem

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Topic: Unit 6 Linear Regression: Lecture 19: Linear Regression 1 / 6. Plots of Conditional Distributions and Conditional Quantiles and Box-and-Whisker Plots

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[STAFF] By "this class" do you mean in this lecture on Linear Regression or the entire Statistics class we've had up until now?

question posted about 8 hours ago by [DriftingWoods](#)

I would answer differently based on this.

This post is visible to everyone.

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1 response

[Erocha](#) (Community TA)

about 8 hours ago

The entire course.

Thanks - got the answer right but I think for a much simpler reason than given.

posted 12 minutes ago by [DriftingWoods](#)

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