

## MITx: 6.041x Introduction to Probability - The Science of Uncertainty



Unit 0: Overview

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## Exercise: Possible values of the estimates

(1/2 points)

Suppose that the random variable  $\Theta$  takes values in the interval [0,1].

a) Is it true that the LMS estimator is guaranteed to take values only in the interval [0,1]?

Yes ▼

✓ Answer: Yes

b) Is it true that the LLMS estimator is guaranteed to take values only in the interval [0, 1]?

Yes ▼

**Answer:** No

## Answer:

- a) The conditional expectation  $\mathbf{E}[\Theta \mid X=x]$  is a weighted average of the values of  $\Theta$ , weighted according to the posterior PDF. A weighted average of values in [0, 1] must lie in [0, 1].
- b) On the other hand, there is no such guarantee for the LLMS estimator. You can see this from the picture in the last example. Or you may consider the example where  $X = \Theta + W$ , where W can take any real value. Then, the term  $am{X}$  can take any real value, and can therefore fall outside the range [0, 1].

You have used 1 of 1 submissions

## Unit overview

Lec. 14: Introduction to **Bayesian inference** Exercises 14 due Apr 06, 2016 at 23:59 UT 🗗

Lec. 15: Linear models with normal noise Exercises 15 due Apr 06, 2016 at 23:59 UT 4

Problem Set 7a Problem Set 7a due Apr 06, 2016 at 23:59 UTC

Lec. 16: Least mean squares (LMS) estimation Exercises 16 due Apr 13, 2016 at 23:59 UT 🗗

Lec. 17: Linear least mean squares (LLMS) estimation

Exercises 17 due Apr 13, 2016 at 23:59 UT (2)

Problem Set 7b Problem Set 7b due Apr 13, 2016 at 23:59 UTC

Solved problems

Additional theoretical material

**Unit summary** 

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