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Constructing Confidence Intervals, Case I - Quiz

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Question 1

1/1 point (graded)

Suppose you are sampling from a normal distribution with a known variance and you want to construct a confidence interval for the mean. You have an estimator for the mean \bar{X} , which has a normal distribution with mean 10 and variance 4. What are the bounds on the corresponding **95%** confidence interval?

Please round your answers to 2 decimal points, i.e. if the answer is 2.2123, please round to 2.21 or if it is 2.2167, please round to 2.22.

A. Lower Bound


✓ Answer: 6.08

B. Upper Bound


✓ Answer: 13.92

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[Assessing and Deriving Estimators](#)

Finger Exercises due Nov 14, 2016 at 05:00 IST 

[Confidence Intervals and Hypothesis Testing](#)

Finger Exercises due Nov 14, 2016 at 05:00 IST 

[Module 7: Homework](#)

Homework due Nov 07, 2016 at 05:00 IST 

13.92

Explanation

Since you know the underlying distribution from which you are sampling is $N(10, 4)$, you can use the formula given by Professor Ellison in class:

$$[\bar{X} + \Phi^{-1}(\alpha/2)\sigma, \bar{X} - \Phi^{-1}(\alpha/2)\sigma]$$

By either using R, or the standard normal distribution table, you know that the critical value $(\Phi^{-1}(\frac{1-0.95}{2}))$ for the **95%** confidence interval is 1.96. Plugging in the relevant quantities:

$$[10 - 1.96(\sqrt{4}), 10 + 1.96(\sqrt{4})] = [6.08, 13.92]$$

Submit

You have used 1 of 2 attempts

✓ Correct (1/1 point)

Question 2

1/1 point (graded)

True or False: Based on the confidence interval you obtained in question 1, you know that the true mean is definitely between A (the lower bound) and B (the upper bound).

[Exit Survey](#)☐ a. True☒ b. False ✓**Explanation**

Recall that we construct confidence intervals based on a probability statement, so you cannot be sure that the true mean lies within your interval, because on average, this is only true **95%** of the time. In other words, it means that if you compute the confidence interval in repeated samples, then $(1 - \alpha)$ percent of the time, the interval will bracket the true mean. Note: your interval is random, but the population mean is fixed.

You have used 1 of 1 attempt

✓ Correct (1/1 point)

Discussion**Topic:** Module 7 / Constructing Confidence Intervals, Case I - Quiz**Add a Post**

[STAFF] what is the sample size?

question posted about 14 hours ago by **jmknow**



Without knowing the sample size how is one to find the upper and lower bounds of the interval unless you want each as a function of n ?

This post is visible to everyone.

Add A Response

1 response

TabiM

21 minutes ago



Use $n=1$

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Clarify wording - Confidence Intervals Case 1s

discussion posted 3 days ago by **Margaret_Niehaus**

The wording for Question 1 seems off? If you know the mean for the estimator (uppercase X-bar) then you already have the mean for the population,...

This post is visible to everyone.

+ Expand discussion

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