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### E1.3.5 Exam Question 5

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Exam 1 due Oct 31, 2023 09:12 IST

Question 5

2/2 points (graded)

```
function [ y_out ] = matvec( A, x, y )

n = size( A, 1 );
for j = 1:n

    for i = 1:j-1
        y( i ) = A( i,j ) * x( j ) + y( i );
    end

    y( j ) = A( j,j ) * x( j ) + y( j );

    for i = j+1:n
        y( i ) = A( i,j ) * x( j ) + y( i );
    end

end

y_out = y;

return
```

[y] := MATVEC\_UNB\_VAR2(A, x, y)

Partition  $A \rightarrow \left( \begin{array}{c|c} A_{TL} & A_{TR} \\ \hline A_{BL} & A_{BR} \end{array} \right), x \rightarrow \left( \begin{array}{c} x_T \\ \hline x_B \end{array} \right),$   
 $y \rightarrow \left( \begin{array}{c} y_T \\ \hline y_B \end{array} \right)$   
where  $A_{TL}$  is  $0 \times 0$ ,  $x_T$  has 0 rows,  
 $y_T$  has 0 rows  
while  $m(A_{TL}) < m(A)$  do  
    Repartition  
 $\left( \begin{array}{c|c} A_{TL} & A_{TR} \\ \hline A_{BL} & A_{BR} \end{array} \right) \rightarrow \left( \begin{array}{c|c|c} A_{00} & a_{01} & A_{02} \\ \hline a_{10}^T & \alpha_{11} & a_{12}^T \\ \hline A_{20} & a_{21} & A_{22} \end{array} \right),$   
 $\left( \begin{array}{c} x_T \\ \hline x_B \end{array} \right) \rightarrow \left( \begin{array}{c} x_0 \\ \hline \chi_1 \\ \hline x_2 \end{array} \right), \left( \begin{array}{c} y_T \\ \hline y_B \end{array} \right) \rightarrow \left( \begin{array}{c} y_0 \\ \hline \psi_1 \\ \hline y_2 \end{array} \right)$   
    where  $\alpha_{11}$  is  $1 \times 1$ ,  $\chi_1$  has 1 row,  $\psi_1$  has 1 row  

---

 $y_0 := \chi_1 a_{01} + y_0$   
 $\psi_1 := \chi_1 \alpha_{11} + \psi_1$   
 $y_2 := \chi_1 a_{21} + y_2$   

---

    Continue with  
 $\left( \begin{array}{c|c} A_{TL} & A_{TR} \\ \hline A_{BL} & A_{BR} \end{array} \right) \leftarrow \left( \begin{array}{c|c|c} A_{00} & a_{01} & A_{02} \\ \hline a_{10}^T & \alpha_{11} & a_{12}^T \\ \hline A_{20} & a_{21} & A_{22} \end{array} \right),$   
 $\left( \begin{array}{c} x_T \\ \hline x_B \end{array} \right) \leftarrow \left( \begin{array}{c} x_0 \\ \hline \chi_1 \\ \hline x_2 \end{array} \right), \left( \begin{array}{c} y_T \\ \hline y_B \end{array} \right) \leftarrow \left( \begin{array}{c} y_0 \\ \hline \psi_1 \\ \hline y_2 \end{array} \right)$   
endwhile

Both the MATLAB code on the left and the algorithm (expressed with FLAME notation) to its right implement the computation  $y := Ax + y$  (matrix-vector multiplication).

"Mark" on the above code/algorithm what you would modify so that the code/algorithm computes  $y := Ax + y$  where  $A$  is symmetric, stored only in the lower triangular part of array  $A$  (or matrix  $A$ ). Then answer the following questions:

Which of the following modifications to the MATLAB code on the left yield implementations that compute  $y := Ax + y$  where  $A$  is symmetric, stored only in the lower triangular part of array  $A$  (mark all correct modifications):

☒ Change

```
for i = 1:j-1
    y( i ) = A( i,j ) * x( j ) + y( i );
end
```

to

```
for i = 1:i-1
```

Calculator

```
for i = 1:j-1
    y( i ) = A( j,i ) * x( j ) + y( i );
end
```

☐ Change

```
for i = j+1:n
    y( i ) = A( i,j ) * x( j ) + y( i );
end
```

to

```
for i = j+1:n
    y( i ) = A( j,i ) * x( j ) + y( i );
end
```

☐ Delete

```
for i = 1:j-1
    y( i ) = A( i,j ) * x( j ) + y( i );
end
```

☐ Delete

```
for i = j+1:n
    y( i ) = A( i,j ) * x( j ) + y( i );
end
```



```
function [ y_out ] = matvec( A, x, y )

n = size( A, 1 );
for j = 1:n

    for i = 1:j-1
        y( i ) = A( j,i ) * x( j ) + y( i );
    end

    y( j ) = A( j,j ) * x( j ) + y( j );

    for i = j+1:n
        y( i ) = A( i,j ) * x( j ) + y( i );
    end

end

y_out = y;

return
```

Which of the following modifications to the algorithm on the right yield implementations that compute  $y := Ax$  if  $A$  is symmetric, stored only in the lower triangular part of matrix  $A$ :

Calculator

☐ Change  $y_2 = \chi_1 a_{21} + y_2$  to  $y_2 = \chi_1 (a_{12}^T)^T + y_2$

☒ Change  $y_0 = \chi_1 a_{01} + y_0$  to  $y_0 = \chi_1 (a_{10}^T)^T + y_0$

☐ Delete  $y_2 = \chi_1 a_{21} + y_2$

☐ Delete  $y_0 = \chi_1 a_{01} + y_0$



[y] := MATVEC\_UNB\_VAR2(A, x, y)

Partition  $A \rightarrow \left( \begin{array}{c|c} A_{TL} & A_{TR} \\ \hline A_{BL} & A_{BR} \end{array} \right), x \rightarrow \left( \begin{array}{c} x_T \\ \hline x_B \end{array} \right),$

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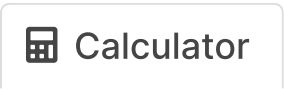
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