



< Previous



Next >

## 8. Synthesis: Q and A

Bookmark this page



Calculator

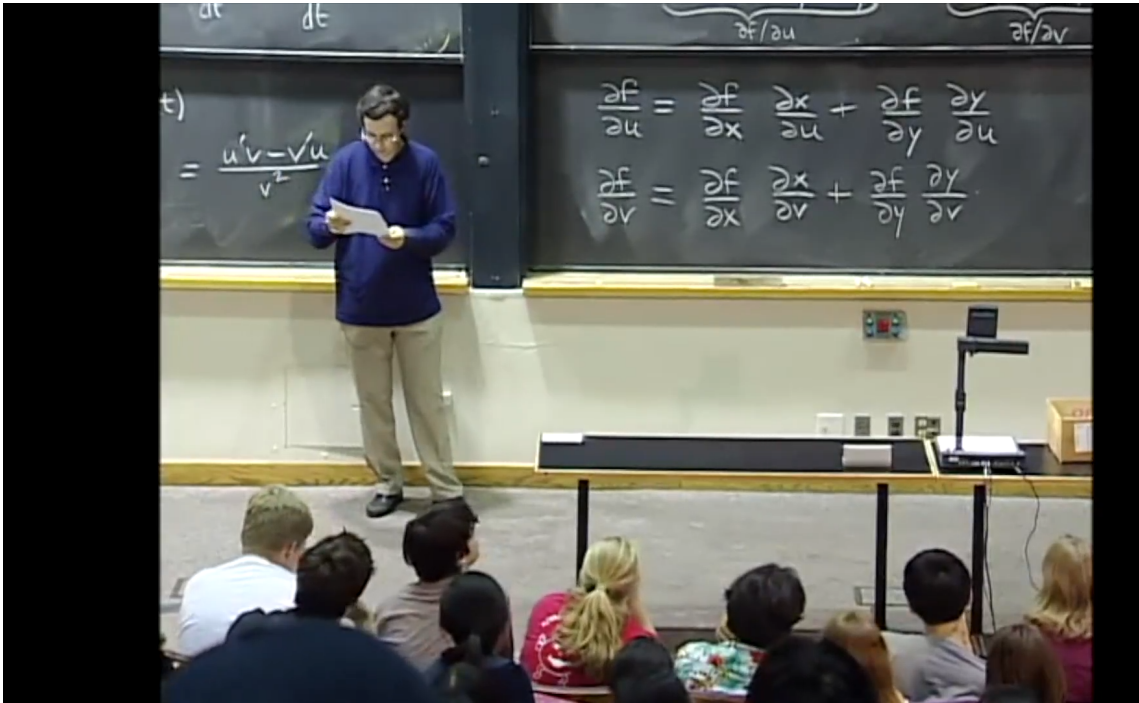


Hide Notes



Synthesize

Q And A



⏮

4:12 / 4:16

▶

2.0x

🔊

🔍

📄

🗨

you would  
continue with your chain rules.  
Maybe you would know how to  
express partial x partial u  
in terms using the chain rule.  
Sorry, so if u and v depend on yet  
another variable  
then you could get the derivative  
with respect  
to that using first the chain rule to  
pass from u v  
to that new variable.  
And then you would plug-in these  
formulas for the partials  
with respect to u and v.  
So in fact, if you have several  
substitutions to do  
you can always arrange to use one  
chain rule at a time.  
You just have to do them in  
sequence.

Video

[Download video file](#)

Transcripts

[Download SubRip \(.srt\) file](#)

[Download Text \(.txt\) file](#)

1. When would you use this?

One case in which you would use the chain rule is if you have a function which has a simple expression in terms of some "helper" variables, say  $x$  and  $y$ , but what you can actually control are other variables  $u, v$  on which  $x$  and  $y$  depend. It might be easier to work directly with the derivatives instead of finding the explicit formula for  $f$  in terms of  $u, v$ .

2. Before we had the straight d's but here we have the curly d's. What's the difference?

The straight d's are used when that quantity depends on only one input variable, such as  $y = f(x)$ . It is certainly possible to have curly d's and straight d's in the same equation depending on the context. It is also possible to just use curly d's everywhere.

3. If  $u$  and  $v$  both depended on another variable what would that look like?

Then we would be in a situation where we have a function that depends on  $u, v$  with known rates of change (given by the equations we already found) but we can't control  $u, v$  directly and instead we control another variable on which they depend. This means we could apply another chain rule to get the desired derivatives.

It may also be simpler to manipulate differentials.

4. Since we have differentials like  $df$ , do we have "partial differentials" like  $\partial f$ ? If so, how do those work?

No, the expression  $\partial f$  does not have meaning, even though  $df$  does. The total differential  $df$  accounts for all the changes to  $f$ , from all the input variables. The symbol  $\partial f$  alone does not have meaning because it is like an unfinished sentence. In order for  $\partial f$  to have meaning, we would need to specify which

# 8. Synthesis: Q and A

Hide Discussion

Topic: Unit 5: Curves and Surfaces / 8. Synthesis: Q and A

Add a Post

Show all posts ▼by recent activity ▼

There are no posts in this topic yet.

✕

< Previous

Next >

© All Rights Reserved



## edX

- About
- Affiliates
- edX for Business
- Open edX
- Careers
- News

## Legal

- Terms of Service & Honor Code
- Privacy Policy
- Accessibility Policy
- Trademark Policy
- Sitemap

## Connect

- Blog
- Contact Us
- Help Center
- Media Kit
- Donate



深圳市恒宇博科技有限公司 [粤ICP备17044299号-2](#)