



Bookmarks

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Fundamentals of Probability, Random Variables, Distributions, and Joint Distributions**

Fundamentals of Probability
Finger Exercises due Oct 10, 2016
at 05:00 IST

Random Variables, Distributions, and Joint Distributions
Finger Exercises due Oct 10, 2016
at 05:00 IST

Module 2: Homework

Homework due Oct 03, 2016 at
05:00 IST

Module 2: Fundamentals of Probability, Random Variables, Distributions, and Joint Distributions > Module 2: Homework > Question 1-5

Bookmark

Question 1

(1/1 point)

For events A and B in S, which of the following formulas correspond to the probability that either A or B, but not both, occur? (Select all that apply)

☐ a. $P(A)+P(B)-P(A\cap B)$
☒ b. $P(A)+P(B)-2*P(A\cap B)$ ✓

☐ c. $P(A)+P(B)$
☒ d. $(P(A)- P(A\cap B)) + (P(B)- P(A\cap B))$ ✓

☒ e. $P(A\cap B^c)+ P(A^c\cap B)$ ✓


EXPLANATION

► Exit Survey

If A occurs and B does not, this corresponds to the event $A \cap B^c$. Similarly, when B occurs and A does not, then the event that occurs is $A^c \cap B$. Since these are mutually exclusive, we can take the sum. We also have that $P(A \cap B^c) = P(A) - P(A \cap B)$ and that $P(A^c \cap B) = P(B) - P(A \cap B)$. If we add the two, we get $P(A) + P(B) - 2 * P(A \cap B)$.

You have used 2 of 2 submissions

Question 2

(1/1 point)

State whether the following statement is True or False:

If $P(A) = 1/3$ and $P(B^c) = 1/4$, A and B can be disjoint.

☐ a. True

☒ b. False ✓

☐ c. From the information given it is not possible to tell

EXPLANATION

If A and B were disjoint, then we will have that $P(A \cup B) = P(A) + P(B)$. Here, we have that $P(A) = 1/3$ and $P(B) = 1 - P(B^c) = 1 - 1/4 = 3/4$. Using this information, we have that $P(A) + P(B) = 1/3 + 3/4 = 13/12 > 1$. Thus, the statement is false.

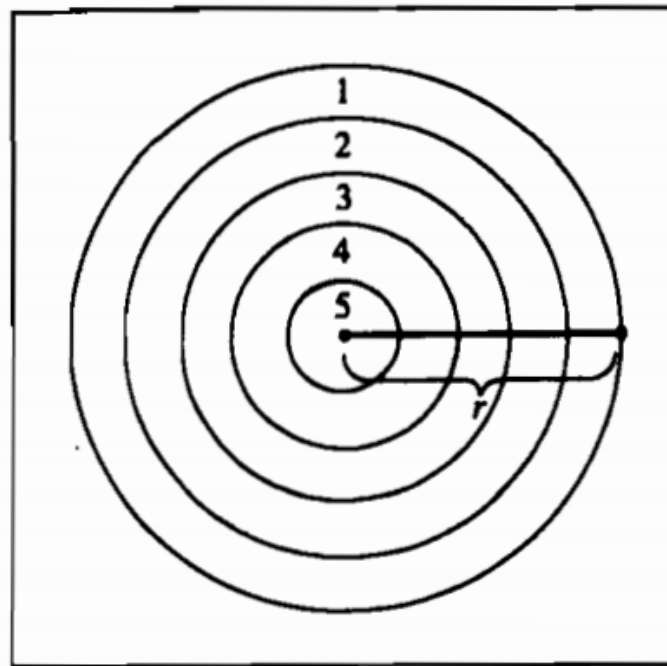
You have used 1 of 1 submissions

Question 3

(1/1 point)

Consider the following example taken from Casella Berger: A game of darts is played by throwing a dart at a board and receiving a score assigned to the region where the dart hits. Figure 1 shows the board and the different possible regions.

Figure 1:



Assume that you are a novice player and that a friend suggests that the probability of you scoring i points is given by the following formula: $P(\text{scoring } i \text{ points}) = \frac{\text{Area of region } i}{\text{Area of dart board}}$

Does this definition satisfy the definition of probability discussed by Sara during the lecture?

☒ a. Yes ✓

☐ b. No

EXPLANATION

You should be able to verify that the three conditions regarding a probability (as discussed by Sara) are satisfied. First, since for any real value there is either a region in the board or not, we have that $P(\text{scoring } i)$ is greater or equal to zero for any i . Second if we add up all the regions i , we will get the total area of dart board. Thus, adding the probabilities will sum up to one, and so the second condition is satisfied. Third, striking each region i with the dart is a disjoint event. Therefore, we can sum the probability of scoring i, j, k points up and consequently the third condition is also satisfied.

You have used 1 of 1 submissions

Question 4

(1/1 point)

Using an alphabet of 26 letters, how many sets of initials can be formed if every person has exactly one first name and one surname (last name)?

✓ Answer: 676

676

EXPLANATION

The first initial can take 26 possible values, the second one can take 26 possible values as well. Thus, the total set of initials is given by $26 \times 26 = 676$

You have used 1 of 2 submissions

Question 5

(1/1 point)

In the game of dominoes, each piece is marked with two numbers. The pieces are symmetrical so that the numbered pair is not ordered: this means that $(2,6) = (6,2)$. How many pieces can be formed with different numbers using the numbers $1, 2, \dots, n$?

☐ $\frac{2n}{n+1}$

☐ $\frac{n(n+1)}{2}$ ✓

☒ $\frac{n(n-1)}{2}$ ✓

☐ $n(n+1)$

EXPLANATION

The number of pieces with different numbers is equal to n choose 2. Then, the total pieces with different numbers is $\frac{n(n-1)}{2}$. There are n additional pieces with the same number. Thus, the total is: $n + \frac{n(n-1)}{2} = \frac{(n+1)n}{2}$.. Since there can be a misinterpretation of the wording of question we would accept $\frac{n(n-1)}{2}$ also as a valid answer.

You have used 1 of 2 submissions

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