

MITx: 6.008.1x Computational Probability and Inference

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Exercise: Events

(3/3 points)

• Consider the following probability space.

```
model = {'benign': 0.3, 'malignant': 0.5, 'not sure': 0.2}
```

• What is the probability of the event encoded by the Python set {'benign', 'malignant'}?



How many events are there for this probability space? (Remember that the empty set is also an event since it is a subset of the sample space $\Omega = \{\text{benign, malignant, not sure}\}$!)



In general, suppose that a probability space has m (not infinite) different possible outcomes, i.e., the sample space Ω has size $|\Omega|=m$. How many events are there, in terms of m?

In this part, please provide your answer as a mathematical formula (and not as Python code). Use $^{\land}$ for exponentiation, e.g., $x^{\land}2$ denotes x^2 . Explicitly include multiplication using *, e.g. x^*y is xy.



Solution:

• What is the probability of the event encoded by the Python set {'benign', 'malignant'}?

We add the probabilities of 'benign' and 'malignant' to get 0.3 + 0.5 = 0.8.

• How many events are there for this probability space? (Remember that the empty set is also an event since it is a subset of the sample space $\Omega = \{\text{benign}, \text{malignant}, \text{not sure}\}$!)

There are 8 possible events: {}, {benign}, {malignant}, {not sure}, {benign, malignant}, {benign, not sure}, {malignant, not sure}, {benign, malignant, not sure}.

• In general, suppose that a probability space has m (not infinite) different possible outcomes, i.e., the sample space Ω has size $|\Omega|=m$. How many events are there, in terms of m?

There are 2^m possibilities. To count the number of events, note that to form each event, we go through each of the m possible outcomes and we either include the outcome or not. Thus, the total number of possible events is:

- 2 (whether we include the first outcome or not) multiplied by
- 2 (whether we include the second outcome or not) multiplied by

...

finally multiplied by 2 (whether we include the m-th outcome or not) = 2^m .

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