

Assignment3_B_1_1

Sangamesh

25 September 2018

Reading data and making data into training and test data.

```
## [1] "head of training data"

##           Y1           X1           X2
## 1 -1.0565192 -6.236444 0.9615355
## 2 -0.5754127 -3.873848 0.5050130
## 3  5.0910630  5.640287 0.7175317
## 4  2.9475637  1.191125 0.3074231
## 5  2.9519538 -10.849769 0.5960600
## 6  3.1685278  2.603705 0.3109550

## [1] "head of testing data"

##           Y1           X1           X2
## 10 -0.7316911 -2.2906586 0.43611757
## 20  1.1998000  7.7123714 0.47222562
## 30  0.6124209 -1.4169026 0.01161898
## 40 -0.1139879  0.6901132 0.48192669
## 50  3.5655124  1.3302962 0.49526489
## 60  4.3900710  3.1920603 0.98896327
```

Fitting data for linear regression model

```
##
## Call:
## lm(formula = Y1 ~ X1 + X2, data = trainData)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -3.1226 -1.3189 -0.0519  1.1825  3.3815
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)  2.77301    0.33680   8.233 1.66e-12 ***
## X1           0.19480    0.03465   5.623 2.24e-07 ***
## X2          -0.15753    0.61320  -0.257  0.798
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 1.711 on 87 degrees of freedom
## Multiple R-squared:  0.2666, Adjusted R-squared:  0.2498
## F-statistic: 15.81 on 2 and 87 DF, p-value: 1.387e-06
```

Several metrics useful for regression diagnostics : model.diag.metrics

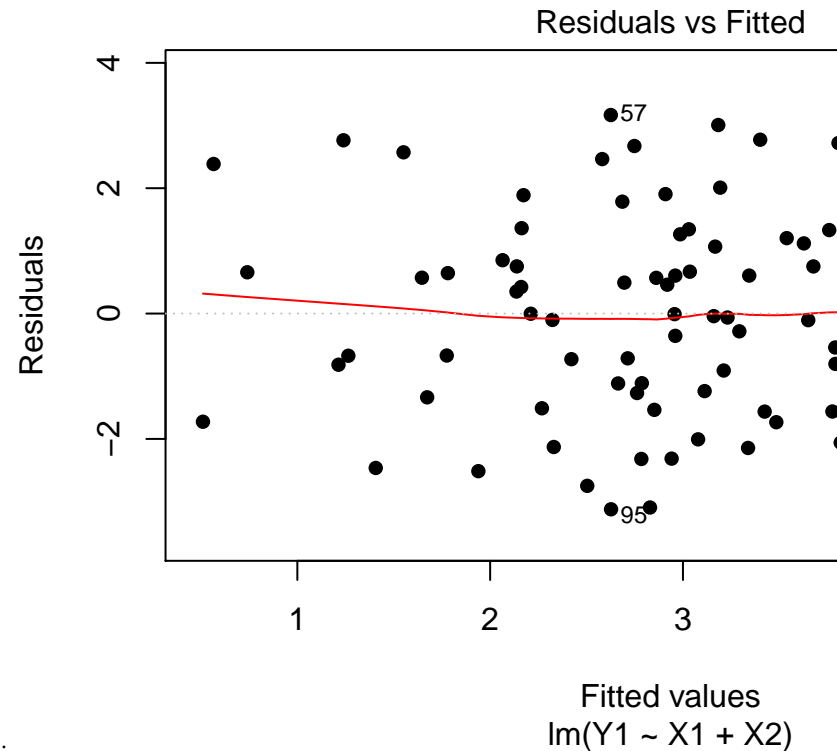
```
## # A tibble: 6 x 11
##   .rownames    Y1      X1      X2 .fitted .se.fit  .resid  .hat .sigma
##   <chr>      <dbl> <dbl> <dbl> <dbl>  <dbl>  <dbl> <dbl> <dbl>
## 1 1         -1.06  -6.24 0.962  1.41    0.460 -2.46  0.0724  1.70
## 2 2         -0.575 -3.87 0.505  1.94    0.265 -2.51  0.0240  1.70
```

```
## 3 3      5.09    5.64 0.718    3.76    0.272  1.33    0.0252  1.71
## 4 4      2.95    1.19 0.307    2.96    0.203 -0.00905 0.0141  1.72
## 5 5      2.95   -10.8 0.596    0.566    0.480  2.39    0.0788  1.70
## 6 6      3.17    2.60 0.311    3.23    0.206 -0.0627 0.0145  1.72
## # ... with 2 more variables: .cooksd <dbl>, .std.resid <dbl>
```

Meta Data for model.diag.metrics Among the table columns, there are:

Y1: original values X1, X2: the observed values .fitted: the fitted values .resid: the residual errors

Let's see correlation between the features:

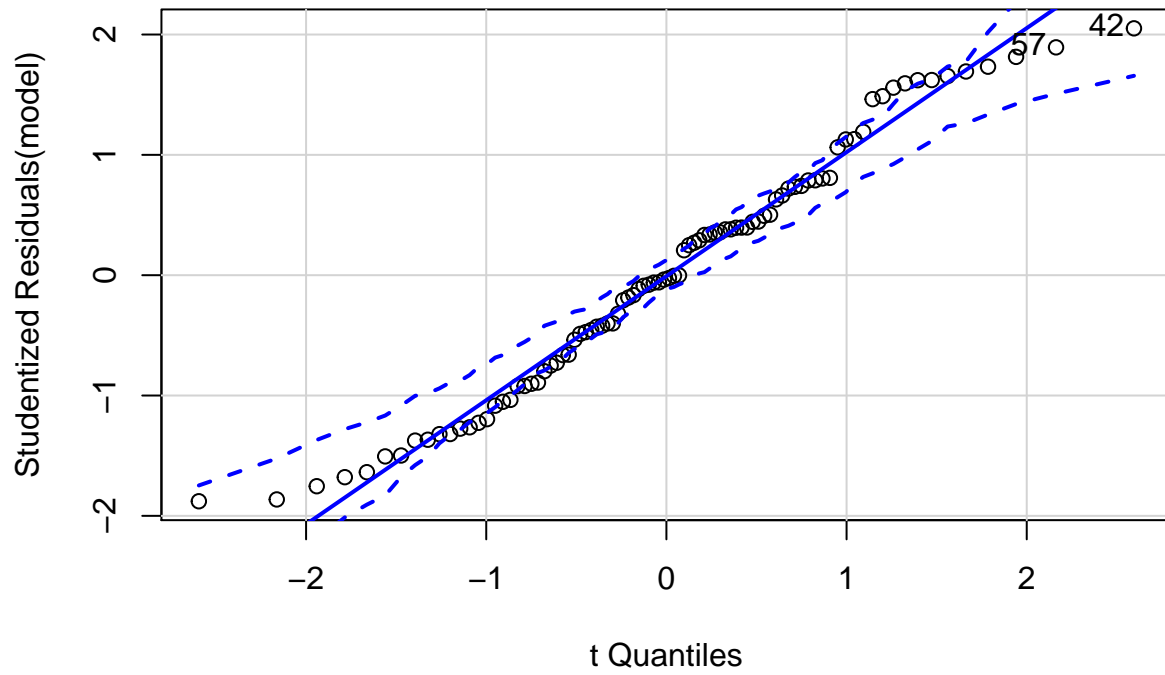


We can see the plot in residual and fitted plot here now:

Note how the residuals plot of this last model shows some important points still lying far away from the middle area of the graph. Since the behaviour is random in nature we were successful in this test.

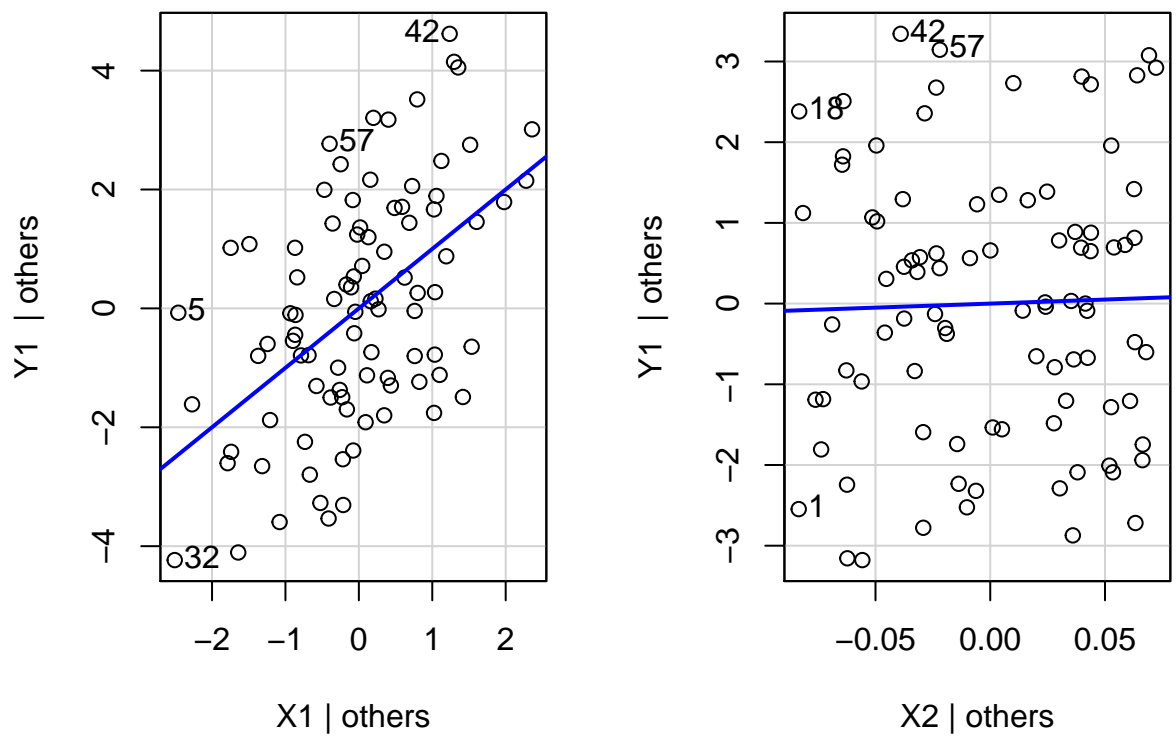
```
## Loading required package: carData
```

QQ Plot



42 57
38 52

Leverage Plots



Check outliers:

Check if errors are auto correlated

```
## Loading required package: zoo
```

```
##
```

```
## Attaching package: 'zoo'
```

```
## The following objects are masked from 'package:base':
```

```
##
```

```
##   as.Date, as.Date.numeric
```

```
##
```

```
## Durbin-Watson test
```

```
##
```

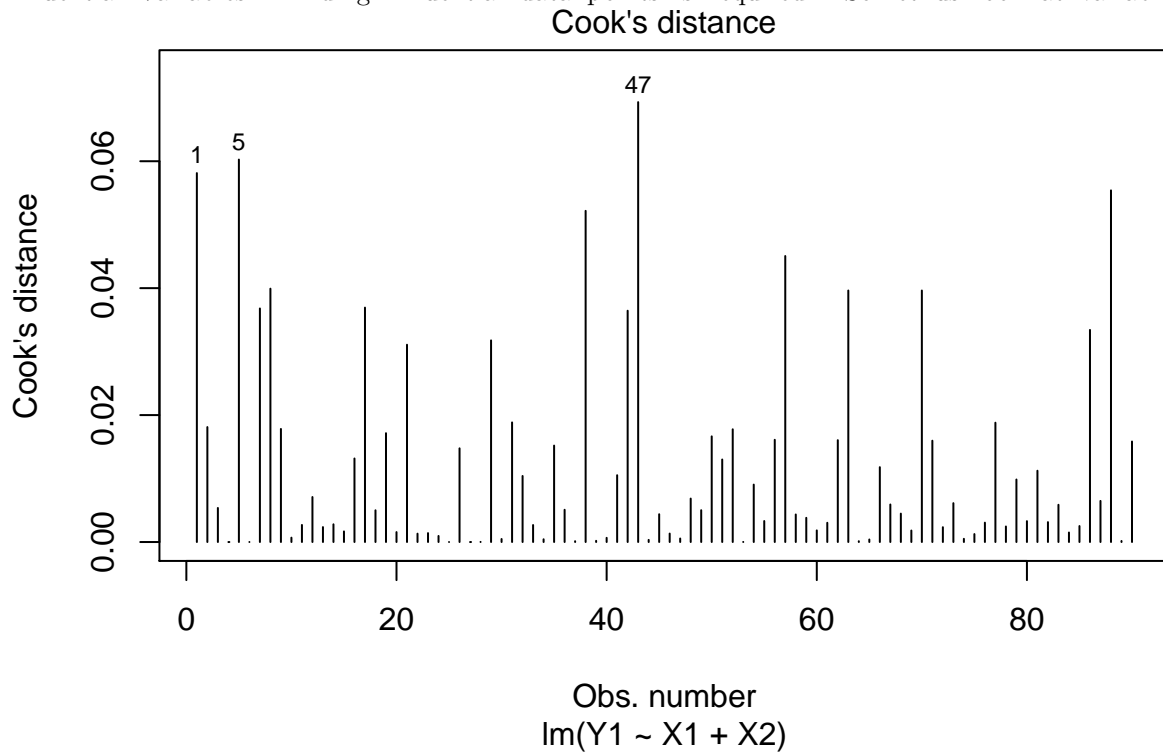
```
## data: model
```

```
## DW = 2.1766, p-value = 0.7891
```

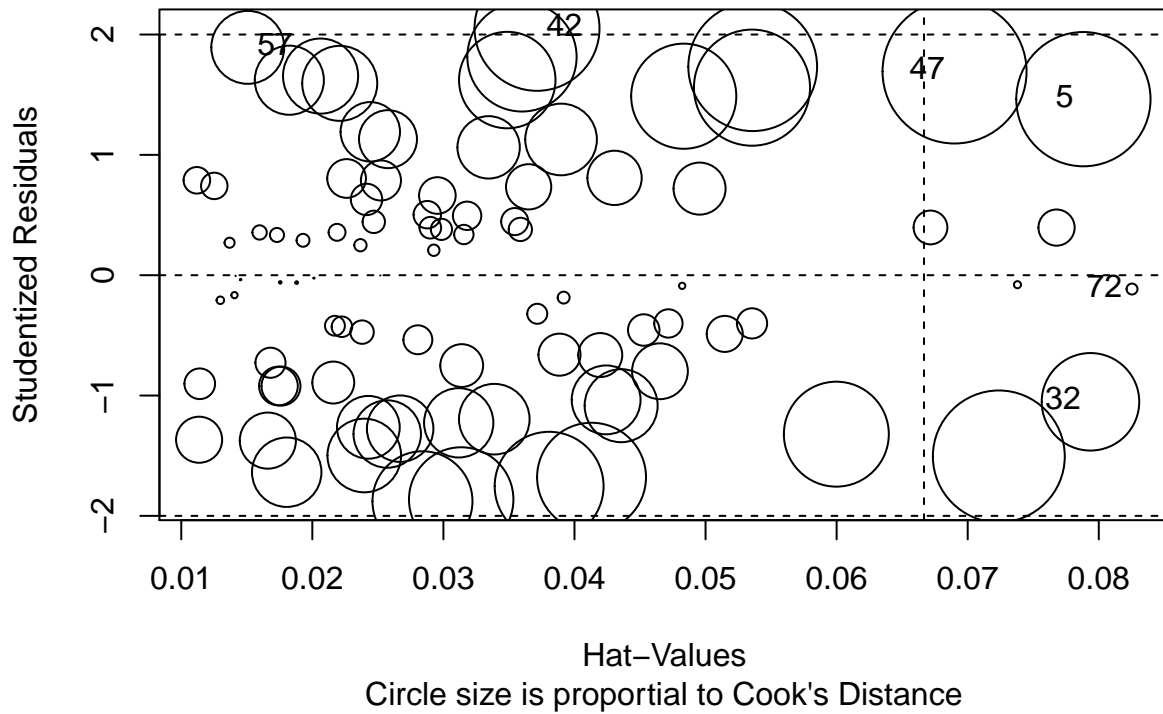
```
## alternative hypothesis: true autocorrelation is greater than 0
```

We can see that there are outliers in this dataset mainly row 5,42,57,32 from X1, and 18,42,57,1 from X2. So, overall number 42 and 57 are outliers.

Influential Variables : Fiding influential data points is required. So let us look at variable plots:



Influence Plot



```
##      StudRes      Hat      CookD
## 5    1.463036 0.07882556 0.0602640116
## 32   -1.052152 0.07936606 0.0317723820
## 42    2.051376 0.03714193 0.0521849091
## 47    1.692974 0.06899694 0.0693171600
## 57    1.893423 0.01507526 0.0177631223
## 72   -0.115048 0.08253501 0.0004014576
```

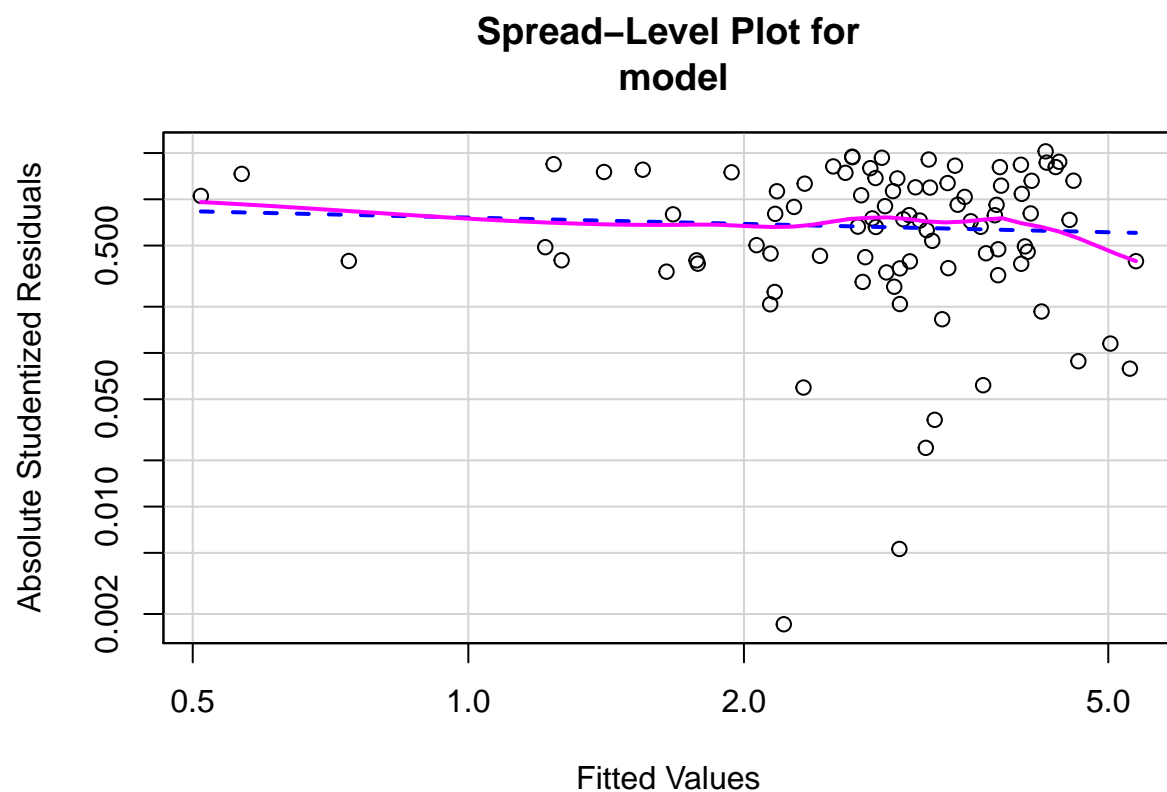
Checking for Multi-collinearity:

```
##      X1      X2
## 1.004315 1.004315

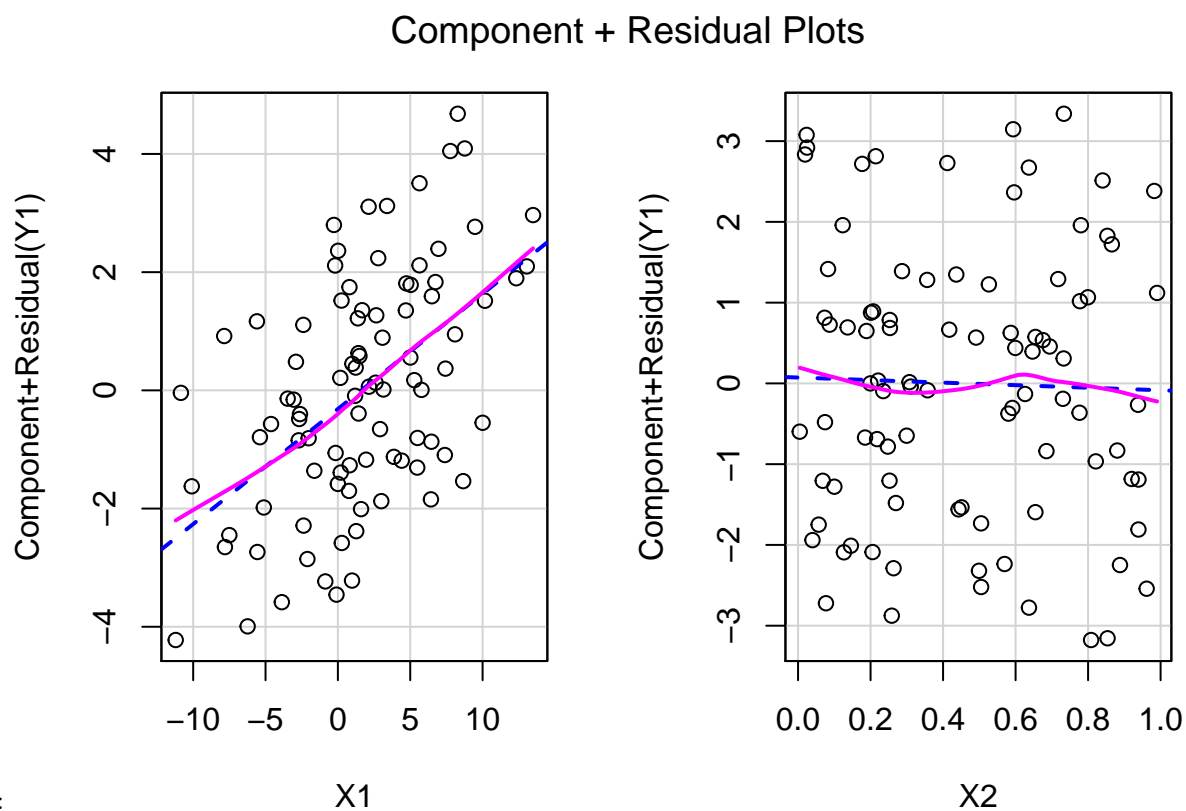
##      X1      X2
## FALSE FALSE
```

Non-constant Error Variance:

```
## Non-constant Variance Score Test
## Variance formula: ~ fitted.values
## Chisquare = 0.0003181395, Df = 1, p = 0.98577
```

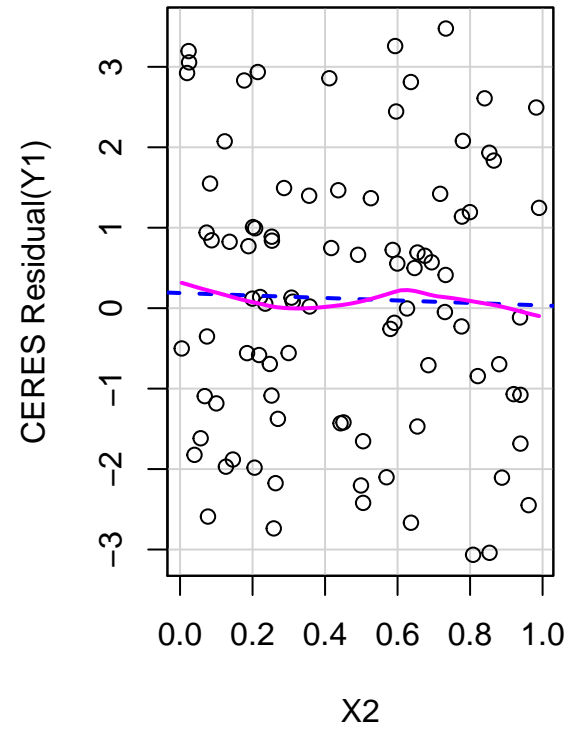
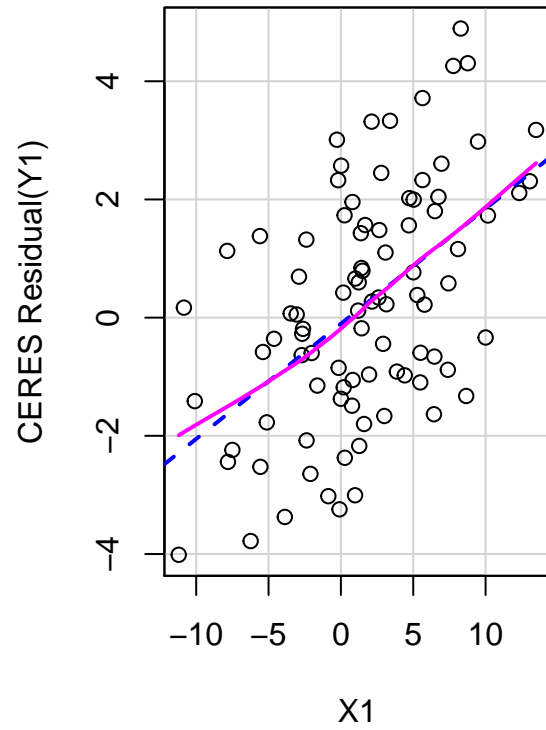


 ## Suggested power transformation: 1.136489



Nonlinearity test:

CERES Plots



So

all the factors are linear which is required.

Non-independence of Errors:

```
## lag Autocorrelation D-W Statistic p-value
## 1 -0.1061408 2.17664 0.482
## Alternative hypothesis: rho != 0
```