








































# Practice Arena

Practice problems aimed to improve your coding skills.

-  PRACTICE-02\_SCAN-PRINT
-  PRACTICE-03\_TYPES
-  LAB-PRAC-02\_SCAN-PRINT
-  LAB-PRAC-01
-  PRACTICE-04\_COND
-  BONUS-PRAC-02
-  LAB-PRAC-03\_TYPES
-  PRACTICE-05\_COND-LOOPS
-  LAB-PRAC-04\_COND
-  LAB-PRAC-05\_CONDDLOOPS
-  PRACTICE-07\_LOOPS-ARR
-  LAB-PRAC-06\_LOOPS
-  LAB-PRAC-07\_LOOPS-ARR
-  LABEXAM-PRAC-01\_MIDSEM
-  PRACTICE-09\_PTR-MAT
-  LAB-PRAC-08\_ARR-STR
-  PRACTICE-10\_MAT-FUN
-  LAB-PRAC-09\_PTR-MAT
-  LAB-PRAC-10\_MAT-FUN
-  PRACTICE-11\_FUN-PTR
-  LAB-PRAC-11\_FUN-PTR
-  LAB-PRAC-12\_FUN-STRUC
-  LABEXAM-PRAC-02\_ENDSEM
-  LAB-PRAC-13\_STRUC-NUM
  -  Too tired to create a story - part I
  -  Too tired to create a story - part II
  -  Too tired to create a story - part III
  -  Point Proximity
  -  The Bisection Method
  -  The pace is too fast
  -  A Question on Quadrilaterals
  -  The Trapezoidal Technique
  -  Constrained Candy Crush
  -  Major Mobile Madness
  -  The Newton Raphson Method
  -  The Palindrome Decomposition
-  LAB-PRAC-14\_SORT-MISC

# Too tired to create a story - part II

## LAB-PRAC-13\_STRUC-NUM

**Too tired to create a story - part II [20 marks]**

---

**Problem Statement**

The input to the problem will be a single strictly positive integer  $n$ , followed by a floating point number  $\text{eps}$  denoting the *precision* we want in your output. You have to output the square root of that integer. However, you have to calculate the square root using the Babylonian method (often called the Hero's method as well). The method is described below. Use float variables for all your calculations.

Recall that you are given a strictly positive integer  $n$ , and a precision parameter  $\text{eps}$  which will be a floating point number. Store  $n$  in an int variable and  $\text{eps}$  in a float variable. The algorithm starts off by taking an initial guess of the square root, say  $x_0$  (the method to find  $x_0$  is given below). At each step, the algorithm updates the guess according to the following rule.

$$x_1 = (x_0 + n/x_0)/2$$

i.e. the next guess is the average of the previous guess and the ratio of the number  $n$  and the previous guess. This is repeated till we have  $\text{abs}(x_t - n/x_t) < \text{eps}$  i.e. the absolute difference between the guess and the ratio of the number  $n$  and the guess is strictly less than  $\text{eps}$ , the precision parameter we gave you in the input.

You can show that once this happens,  $x_t$  is very close to the square root of  $n$ . More precisely, one can prove a theorem that shows that actually if  $x_t$  satisfies the above condition, then we must have  $\text{abs}(x_t - \sqrt{n}) < \text{eps}$ . You have to choose the initial guess  $x_0$  from the set  $\{2.000, 20.000, 200.000, 2000.000, \dots\}$  i.e. two times powers of 10. The guess  $x_0$  is chosen such that its square is closest to  $n$ . In case squares of two numbers from this set are equally close to  $n$ , choose the smaller one as the initial guess  $x_0$ .

In the first line of the output, print the value of the initial guess as a floating point number to three digits of precision (use the `%0.3f` flag in `printf` to achieve this). In the next line, print the square root you have computed, correct to 3 decimal places (use the `%0.3f` flag in `printf` to achieve this).

**Caution**

1. The initial guess must also be printed as a floating point number with 3 digits of precision.
  2. Even though your inputs are integers, your output is not an integer. Use float variables for all calculations.
  3. Do not try to cheat by using the `math.h` `sqrt()` function to calculate the square root. We are looking for the answer given by the Babylonian which will have errors depending on the precision parameter given to you. The `math.h` `sqrt()` function will give you a highly accurate output and hence will not match the expected output.
  4. There are two lines in your output with no spaces.
- 

**EXAMPLE:**

INPUT

441 1.0

OUTPUT:

20.000

21.025

**Explanation:** 400 is closest to 441 among (4, 400, 40000, etc). Note that the square root of 441 is exactly 21.000 but due to the precision constant being high, Babylonian method is returning an answer with error. This error will go down if we decrease the epsilon parameter.

-----

**Grading Scheme:**

Total marks: **[20 Points]**

There will be no partial grading in this question. An exact match will receive full marks whereas an incomplete match will receive 0 points. Please be careful of missing/extra spaces and missing/lines (take help of visible test cases). Each visible test case is worth 1 point and each hidden test case is worth 2 points. There are 2 visible and 4 hidden test cases.

 **Start Solving!** (/editor/practice/6256)