Sheet 4: Recursion with Statement *Between* Recursive Calls (Middle-Call Pattern)

Focus: Used in divide-merge, in-order traversal, or sorting algorithms.

MCQ 1: In-Order Print

```
function process(n):
    if n == 0:
        return
    process(n - 1)
    print(n)
    process(n - 1)

process(2)

Output?
A) 1 2 1
B) 2 1 1
```

C) 1 1 2D) 1 2 2

Learning: Middle call = In-order traversal behavior.

MCQ 2: Binary Divide and Merge

```
function divide(n):
    if n <= 1:
        print(n)
        return
    divide(n // 2)
    print(n)
    divide(n // 2)

divide(4)

Output?
A) 1 2 4 2 1</pre>
```

A) 1 2 4 2 1 B) 1 4 1 C) 1 1 2 4 2 1 1 D) 2 4 2

MCQ 3: Middle of Two Recursive Calls

```
function middle(n):
    if n == 0:
        return
    middle(n - 1)
    print(n)
    middle(n - 2)
```

Output?

- A) 1 2 3 1
- **B)** 1 2 1 3
- **C)** 1 2 3
- **D)** 3 2 1

MCQ 4: In-Order Tree Walk Analogy

```
function walk(n):
    if n == 0:
        return
    walk(n - 1)
    print("node", n)
    walk(n - 1)
```

Output?

- A) node 2 node 1 node 1
- $\mathbf{B})$ node 1 node 2 node 1
- C) node 1 node 1 node 2
- D) node 1 node 2

MCQ 5: Merge Sort Style

```
function mergeStep(n):
    if n == 1:
        print(n)
        return
    mergeStep(n // 2)
    print(n)
    mergeStep(n // 2)
mergeStep(4)
```

- A) 1 2 4 2 1
- B) 1 4 1

Output?

- C) 4 2 1
- D) 1 2 1 4 1 2 1

Summary

Sheet No.	Category	Key Use Case
Sheet 1	Post-recursion (Unwinding)	Reverse operations, post-order traversal
Sheet 2	Pre-recursion (Winding)	Top-down logic, pre-order traversal
Sheet 3	Tail Recursion	Accumulator-based, space-efficient
Sheet 4	Middle Recursive Call	In-order logic, divide-and-conquer algorithms