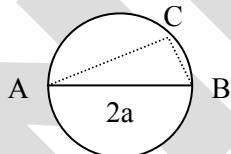
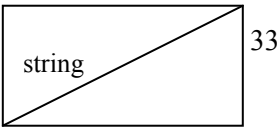


1. (b) $(\sqrt{a} + 1/\sqrt{a})^2 = 4$
 $a + 1/a = 4 - 2 = 2$
2. (b) $2 + 3 < 6$
3. (a) Minimum number of weighing is three
4. (c) Hourly production by hand = k/q , by machine = k/f
difference = $k/f - k/q = k(q - f)/fq$.
5. (c) Burning rates are $L/4$ and $L/3$ per hour (L-length)
Lengths burnt in time $T = LT/4$ and $LT/3$
Lengths remaining are $L - (LT/4)$ and $L - (LT/3)$.
 $L - LT/4 = 3(L - LT/3) \Rightarrow T = 8/3$ hours.
6. (b) For others, consider the cases when both are negative and one negative and one positive.
7. (c) Maximum area is when altitude from C to AB = a (radius)
Area = $0.5 \times \text{base} \times \text{height}$
8. (d) Old surface area = $6a^2$
New surface area = $6 \times (1.5a)^2 = 13.5a^2$
Percentage increase = $125\% \{100 \times (\text{new} - \text{old})/\text{old}\}$.
9. (b) $x + y = 10/4$ $x - y = 10/6$
Speed of Nishu, $x = 25/12$ km per hour
10. (d) The fastest men A gains one round over B in 44 min and over C in 32 min. Therefore they'll be together in 352 min (LCM of 44 and 32). or simply take the LCM of times each take to cover a circle.
11. (d) maximum value of $a \cos \theta + b \sin \theta$ is $\sqrt{a^2 + b^2}$ minimum value is $-\sqrt{a^2 + b^2}$
12. (d) discount = $100[1 - (0.9)(0.88)] = 20.8$
13. (a) 47, 53 and 59
14. (d)
15. (b) Resultant of AB and AC by principle of vector addition.
16. (a) Area of each parallelogram is ab (base * height).



Area of common triangle is $ab/2$. Hence, $(2 - 1/2)ab$.

17. (a)
 18. (b) $100/20 = 5$
 19. (d) LCM of 20, 40 and 100 is 200. Therefore after 2 complete rotations of Z (200 teeth covered) they'll be in same position = 5 complete rotations of Y and 10 complete rotations of X.
 20. (c) Minute hand gain 55 min over the hours hand in 60 min. At 4 o'clock two hands are at angle 20 degree. Minute hand will gain 20 min over the hours hand in $(20 \times 60)/55 = 240/11$ min.
 21. (c) $T_n = 4/9[1 - 10^{-n}]$
 $\sum T_n = 4n/9 - 2/5$
as $n \rightarrow \infty$, $\sum T_n \rightarrow \infty$
 22. (a) 23. (b)
 24. (b) On opening up the cylinder we get,
- 
25. (c) M - J
M - H - J, M - V - J, M - U - J
Between M & J 2 person can come in $3 \times 2 = 6$ ways
Between M & J 3 person can come in $2+2+2 = 6$ ways
Total no. of ways = 16