

(b) log 5

(d) < L/2

(a) log 4

(c) > L/2

(a) A variable (b) L/2

(c) 2 log 5

10. A ladder AB of length L is placed against a wall as in the

11. The total number of all possible one-one onto functions

that we could define from $A = \{1, 2, 3, 4\}$ to $B = \{a, b, c, d\}$

figure. The distance of the midpoint of AB from o is

(d) log 16 / 15

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M.C.A. ENTRANCE	MTPO – IV	MAXIMUM TIME: 165 MINUTES TOTAL QUESTIONS: 100			
mean of the first five entries to five entries is as 2:3. Therefore first five entries will be (a) 18 (b) 20 2. The standard deviation of deviation of $a+k$, $b+k$, $c+k$	0 entries is 25. The arithmetic of the arithmetic mean of the next ore, the arithmetic mean of the (c) 30 (d) 40 (a,b,c,d) is σ . The standard σ , σ , σ (d) σ	(a) 4 (b) 8 (c) 16 (d) 24 12. The number of zeros in 23! Is (a) 8 (b) 12 (c) 4 (d) 5 13. The sum of 10% of a number (integer) and 20% of th square of the number is 21. Find the sum of 20% of th number and 10% of the square of the number. (a) 12 (b) 20 (c) 25 (d) 41 14. The value of $\frac{1}{1+1} + \frac{1}{2^2+2} + \frac{1}{3^2+3} + \cdots + \infty$			
then (a) $k^2 = ak$ (b) $k^2 + k + 1$ (c) $2k^2 = 9(k+1)$ (d) $k^2 = 3(k+1)$ 4. The equations of the asymptotes of a hyperbola are $x+y=5$ and $x-y=3$. Its center is at (a) $(0,0)$ (b) $(3,2)$ (c) $(0,3)$ (d) none 5. The L.C.M of n! and $(n+1)!$ is (a) $n!$ (b) $(n+1)!$ (c) $n!+(n+1)!$ (d) none 6. A man bought a horse and sold it at a gain of 10 %. If he had bought at a price 20% less and sold it at a price Rs. 10 more than his earlier selling price, he would have got a profit of 40%. What is the cost price of horse?	(a) $1/2$ (b) 1 (c) $1/3$ (d) $3/4$ 15. The value of a for which $2x + ay = 0$ and $ax + 8y = 0$ mathave many solutions are (a) $2, -2$ (b) $3, -2$ (c) $1, -1$ (d) $4, -4$ 16. The number of parallelograms formed by lines in the figure is (a) 9 (b) 18 (c) 36 (d) 42 17. Given $\overrightarrow{a} + 2\overrightarrow{b} = 0$, identify the correct statement (a) The direction ratios of \overrightarrow{a} , \overrightarrow{b} are same				
7. The product of two consecutives rum. Therefore the sum of	(c) 8 (d) 9 Then the value of $a+b$ is	(d) The direction ratios of \overrightarrow{a} are the negative of those of \overrightarrow{b} 18. The total number of single, double, three, four dig numbers, that could be formed using 1,2,3,4,5,6 allowin repetition is (a) 6^4 (b) 6p_4 (c) 1554 (d) $^6p_1 + ^6p_2 + ^6p_3 + ^6p_4$ 19. The maximum number of coins from which faulty on			

(a) 24

on a balance

(a) 90 square units

(b) 70 square units

(c) 65 square units

(d) 60 square units

19. The maximum number of coins from which faulty one weighing less than all others can be found in three weighings

20. The area of the shaded region is [Given ABCD is a

(c) 26

Α

12

В

D

P

(b) 25

rectangle of sides 12 units and 10 units]

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· ·		$6x, 0 \le x \le 2\pi \text{ is}$ (c) (0, 4)	(d) (– 5, 5)	35. Find the	domain of $\sqrt{\frac{x}{x}}$	<u>-1</u> -2	
22. The point on the line $x + y = 5$ equidistant from the points $(0, 0, 0)$ and $(6, 6)$ is $(a) (2, 3)$ $(b) (3, 2)$ $(c) (4, 1)$ (d) none			36. In an e	election 301 v	(b) $(1, 2)$ (d) $(-\infty, 1)$ otes were cast. (a) by getting the n	One of the five	
		(c) $(4, 1)$ + $ax^2 + x + 20 = 0$		of votes poss got?	sible. What is t	he number of vote (c) 91	es that the winner
(a) 1	(1-) 2	(a) 1	(4) 10	` '			•

24. A set A has 11 elements. The number of subsets of A having 6 elements is n and number of subsets of A having 4 elements is m. Then

(a) n > m(c) n = m(b) n < m(d) n = 2m25. The number of mappings that could be defined from A to B given A $\{1, 2, 3, 4\}$ and B = $\{1\}$ is (d) 16

26. If f(x) denotes the integer part of the real number x then the function f(x) = x - [x] is

(a) an odd function (b) a periodic function (c) an even function (d) a constant 27. The day of 19th February of a certain leap year y is Monday. Therefore the day of 28th June of y will

(b) Tuesday (c) Wednesday 28. A packer could pack 4 boxes of 110 packets of biscuits containing 12 biscuits each in 12 hours. Find the time he may require to pack 3 boxes of 120 packets containing 11 biscuits each.

(a) 12 hours (b) 20 hours (c) 16 hours (d) 22 hours **29.** A computer is an electronic device that can perform

(a) Arithmetic calculations

(b) Accept and process data by implementing sequentially a set of stored instructions

(d) Complicates calculations easily (c) Logical operations

30. The value of $\int_0^{\pi/2} \frac{\sin^3 \theta - \cos^3 \theta}{\sin^5 \theta + \cos^5 \theta}$ do is

(b) $\pi/4$ (c) $\pi/2$

31. The value of $(1 + \log_3 2)$ $(1 + \log_6 5)$ is equal to (a) log₁₈ 10 (b) $1 + \log_3 10$

(c) $1 + \log_6 10$

(d) $\log_6 30$

32. Which of the following classes does the diagrams best depict?

(a) Biology, Sciences, Humanities

(b) Animals, Living Beings, Books

(c) Chair, Table, Furniture

33. The value of $\lim_{n \to \infty} \frac{1^2 + 3^2 + 5^2 + \dots + (2n-1)^2}{n^3}$ is

34. Given *x* takes the value $-5, -4, \dots, 4, 5$ evaluate $\{x | x\}$

(a) 42

(b) 110

(c) 0

(d) 55

is

37. Given $a^2 + b^2 = 1$, $c^2 + d^2 = 1$, $p^2 + q^2 = 1$, where the numbers considered are all real, then

(b) $ab + cd + pq \le 3$ (a) $ab + cd + pq \ge 1$ (c) $ab + cd + pq \ge 3$ (d) $ab + cd + pq \le 3/2$

38. Given $1 \le x \le 2$ and $3 \le y \le 5$, the bounds of 2x + 3y are

(a) 11 and 19 (b) 10 and 18 (c) 12 and 19 (d) none of these

39. The distance between two places A and B is 100 kms. A car C starts from A and proceeds towards B, at a speed of 40 km/h. Another car D starts from B at the same time and proceeds towards A and meets the car C at both 60th km. From A. By what time D will reach A, if it had met C by 9 AM.

(a)12 noon (b) 11.15 AM. (c) 10.30 AM. (d) 12.30 PM.

40. Given $x + y = 60^{\circ}$, the value of $\sin x + \sin y$ will not exceed

(b) $\sqrt{2}$ (a) 2 (c) 1 (d) 1/2

41. The value of x satisfying $|x-2| \le 4$ and $x^2 \le 16$ are from

(a) -2 to 6 (b) -21 to 4 (c) 2 to 4 42. The radius of the cirumcircle of a right angles triangle of sides 3cm, 4cm, 5cm is

(a) 5 cm. (b) 10 cm. (c) 2.5 cm.

43. Complete the series: 3 5 8 8 18 14 38 _____ 78 (c) 28

(b) 26

44. If the roots of $x^3 - 9x^2 + ax + b = 0$ are in A.P., Then

(a) 3a + b = 54(b) 3a = b

(c) $a^2 = b$ (d) 3a + b = 27

45. The number of natural number N satisfying $\frac{1}{2} + \frac{1}{3} + \frac{1}{N} < 1$

(a) two (b) three (c) one **46.** The position vectors of three collinear points A, B, C are \vec{a} , \vec{b} , \vec{c} and they satisfy $\vec{a} + 2\vec{b} + t\vec{c} = 0$. Therefore the

value of *t* is (b) - 4(a) -1(c) -3(d) none **47.** The greatest number which when added to 7 divides

exactly 48, 72, 240. Then the number is divisible by (b) 9 (c) 11

48. Given α, β, γ are the roots of $x^3 - 1 = 0$, what is the value of $\alpha^5 + \beta^5 + \gamma^5$

(a) 1 (b) -1(c) 2 (d) zero

49. Given
$$u = f(x^2 + y^2)$$
 then $x \frac{Su}{Sx} + y \frac{Su}{Sy}$

(a)
$$2u$$
 (b) $2(x^2 + y^2)f(x^2 + y^2)$ (c) $2f'(x^2 + y^2)$ (d) $2u(x^2 + y^2)$

(c)
$$2f'(x^2 + y^2)$$

(d)
$$2u(x^2 + y^2)$$

50. The series
$$1 + x - \frac{x^2}{2!} - \frac{x^3}{3!} + \frac{x^4}{4!} - \cdots$$
 (x is small) is

(a)
$$e^{x} - e^{-x}$$

(b)
$$e^x + e^{-x}$$

(c)
$$\sin x + \cos x$$

(d)
$$\sin x - \cos x$$

(c) SOUND: SIGHT

(d) TELEGRAPH: MAIL

53. NOISE : FACE : : ----- : ------

(a) RING : FINGER

(b) STEM: ROOT

(c) KNOB: DOOR

(d) SHOE: FOOT

54. An equilateral triangle, a square and a circle are of the same perimeter. If E, S, C are the areas of the equilateral triangle, square and circle respectively, then

(a) E>S>C

(b) E<S<C

(c) E < C < S

(d) S<E<C

55. In a beauty contest, half the number of experts votes Ms. A and two thirds voted Ms. B Ten of them voted for both and six did not for either. How many experts were there in all

(c) 30

56. OABC is a square of side 'a' units. The unit vectors along $\overrightarrow{OA} + \overrightarrow{OC}$ are \overrightarrow{i} , \overrightarrow{j} . The position vectors \overrightarrow{r} of any point on

AB w.r. to is given by

(a)
$$\vec{r} = t (a \vec{i} + \vec{j})$$

(b)
$$\vec{r} = \vec{a} \cdot \vec{i} + t \cdot \vec{i}$$

(c)
$$\vec{r} = t \cdot \vec{i} + a \cdot \vec{j}$$

(b)
$$\overrightarrow{r} = a \cdot \overrightarrow{i} + t \cdot \overrightarrow{j}$$

(d) $\overrightarrow{r} = a \cdot \overrightarrow{i} + t \cdot (\overrightarrow{i} + \overrightarrow{j})$

57. The coefficients of x^2 and x^3 in the expansion of $(a+bx)^n$ will be equal if

(a)
$$nb = a + 2b$$

(b)
$$nb = 3b + 2a$$

(c)
$$nb = 3a + 2b$$

(d)
$$nb = (n + a) a$$

Directions (58 - 61): The letters A,B,C,D,E,F,G stand for seven consecutive integers among {1, 2,, 10} but not necessarily in an increasing or decreasing order.

- (A) D is 3 less than A
- (B) B is the middle term
- (C) F is as much less then B as C is greater than D
- (D) G is greater than F

58. Which of the following integers is as much less than G as A is greater than F?

- (a) A
- (b) B
- (c) C
- (d) D

- **59.** A F = ?
- (a) 4
- (b) 3
- (c) 2
- 60. The fifth integer is
- (a) A
- (c) D
- (d) E

(d) 1

- **61.** If A = 7, Then the sum of E and G is
- (a) 8
- (b) 12
- (d) 121
- **62.** The region defines by is $0 < x^2 + y^2 9 < 16$ is
- (a) an annulus between two concentric circles of radii 3 and 4
- (b) an annulus between two concentric circles of radii 4 and 5
- (c) an annulus between two concentric circles of radii 3 and 5
- (d) the region enclosed two concentric circle $x^2 + y^2 = 25$
- 63. Which among the following contains strings of binary numbers?
- (a) Machine language
- (b) High level language
- (c) Assembly language
- (d) ALGOL

64. Evaluate
$$\lim_{x \to 2} \frac{e^x - e^2}{x - 2}$$

(d) e^{3}

(a) e (b) e^2 (c) 1 65. Given $x^2 = 4 + 2\sqrt{3}$, x^3 is equal to (x > 0)

(a) 10 (b) $10 + 8\sqrt{3}$ (c) $10 + 6\sqrt{3}$ (d) $8 + 6\sqrt{3}$

(c) 1/108

(d) 107/108

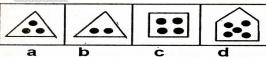
66. Three dice are thrown. What is the probability that the sum of numbers shown on the dice is neither 3 or nor 18?

(a) 1/36

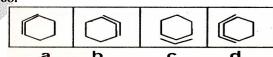
(b) 5/36

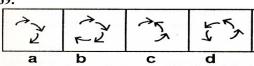
Directors: (67 - 70): Find odd man

67.

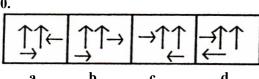


68.





70.



Directions (71 - 72): choose the word which is most opposite in meaning to the word given.

- 71. DISINTEGRATION
- (a) unity (b) viability
- 72. NEGLIGIBLE
- (c) uniformity (d) diversity
- (a) possible (b) affirmative 73. MANIFESTATIONS

- (a) accusations (b) indications (c) menace (d) summations

(c) immense (d) worrying

- 74. ERADICTION
- (a) lowering
- (b) uprooting
- (c) limitation
- (d) curbing

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Directions (75 – 79): Below is a passage followed by four questions. Students are advised to read questions before reading the passage. So that idea of what to answer is easily be built up.

At the core of the problem in the drought affected regions is the collapse of traditional system of rain harvesting. The specifics of each traditional system varied substantially across the country, but they invariably failed to stand up to the on slough of commercialism, technology change and even land reform.

For instance, in part of Karnataka the village tank was attached to the temple. The priests in charge of the temple were also expected to ensure the maintenance of the tank, in return for which they were given a few acres of land to cultivate. Their task of maintenance was not too difficult as other farmers in the village used the silt from the tanks on their lands. But with the coming of green revolution technology, silt was no longer favored. Land reforms also allowed the priests to claim the land they cultivated as their own, without their having to take the responsibility of maintaining the tank. With no one directly responsible for the maintenance of the tanks and the labour no longer available to desilt it, the tanks have silted up.

- **75.** Which of the following is / are responsible for the collapse of rain harvesting
- (i) rivalry among different communities
- (ii) modern option for rain harvesting
- (iii) land reforms
- (iv) graving commercialism and technology
- (a) All the above
- (b) only (iii) and (iv)
- (c) only (i), (iii) and (iv)
- (d) only (ii), (iii) and (iv)
- **76.** What is the true about rain harvesting in context of the passage?
- (a) Rain harvesting is a modern phenomenon
- (b) Rain harvesting can only be dove in villages
- (c) In ancient times rain harvesting was the duty of priests.
- (d) Rain harvesting has been an age-old practice in our society
- 77. During Green Revolution Period
- (a) Some farmers became priests in greed of occupying more land
- (b) the use of mud brought by rain water on agricultural lands became more
- (c) traditional method of agriculture was affected
- (d) rain harvesting got a boost
- **78.** In parts of Karnataka how were the village tanks maintained?
- (a) The tanks were regularly desilted and frames used the silt on their lands.
- (b) The incharge of tanks (priests) used to desilt it
- (c) The tanks were never kept empty
- (d) Maintenance charges were beared by farmers.
- **79.** What is the synonym of the word core as given in the passage?
- (a) optional part

(b)central part

(c) basic focus

(d) consequence

Directions (80 – 82): In each of the following sentences there are two blank spaces. Below each sentences there are four pair of words, find out which of them can be filled up in the blanks in the sentences to make it meaningfully complete.

80. Among the renewable energy sources wind is the ____ and most one

(a) viable, optional

(b) tested, secure

(c) oldest, proven

(d) traditional, practical

81. Neither Indices nor the Indian people can remain _ from the crisis _____ in our neighboring countries

(a) aloof, persisting

(b) alarmed, on going

(c) untouched, burning

(d) aghast, deepening

82. Mutual fund is a collective _____ large number of _____ pool their money.

scheme in which a

(a) investing, debtors

(b) investment, investors

(c) bargaining, people

(d) derivative, share holders

Directions (83 – 87): Study the following table and answer the questions given below:

Marks obtained by 5 candidates in 5 different subjects out of 100 marks

Subjects	Candidates					
	Α	В	C	D	E	
History	74	53	60	58	75	
Economics	56	68	61	68	69	
Maths	91	47	80	53	59	
Sociology	71	56	69	63	81	
Geology	88	65	58	49	63	

83. Which candidate secured marks in history and maths in the ratio of 3:4?

(a) A

(b) B

(c) C

(d) D

84. Which candidates have secured highest marks in maximum subjects?

(a) E

(b) D

(c) C

(d) A

85. In which subjects the average marks obtained by different candidates is highest?

(a) History

(b) Economics

(c) Maths

(d) Sociology

86. Marks obtained by C in Maths is what percent more / less the marks obtained E in history

(a) 5% (more)

(b) 6.25% (more)

(c) 6% (less)

(d) none of these

87. What is the difference between the highest average marks and lowest average marks obtained by different candidates is highest?

(a) 18.2

(b) 17.8

(c) 10.4

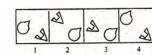
(d) 6.6

Directions (88 – 90): The second figure in the first unit of the problem figures bears a certain relationship to the first figure. Similarly, one of the figures in the answer figures bears the same relationship to the first figure in the second unit of the problem figures. Locate the figure which would replace the question mark.

88.







89.











90.









- 91. Meena is 24. She is twice as old as Bala was, when she was as old as Bala's now. What is Bala's present age?
- (a) 14 years
- (b) 16 years
- (c) 18 years
- (d) 20 years
- **92.** The integrating factors of $\frac{dy}{dx} + \frac{y}{x} = x$ is
- (a) x

- (d) $\log x$
- **93.** $y = e^{3x} + e^{2x}$ is a solution of
- (a) $(D^2 5D + 6)y = 0$
- (b) $(D^2 6D + 5) y = 0$
- (c) $(D^2 D 6) y = 0$ (d) $(D^2 a) y = 0$
- 94. The product of two positive real numbers is 1. Therefore their sum is
- (a) >2
- $(b) \geq 2$
- $(c) \leq 2$
- (d) $0 < x \le 2$
- **95.** The interval in which $1+(2x-1)+(2x-1)^2+(2x-1)^3+...$ will converge is
- (a) 0 < x < 1
- (b) -1 < x < 1 (c) -2 < x < 2 (d) none

- **96.** The differential equation got by eliminating λ given $v = e^{\lambda x}$ is
- $(a)\frac{dy}{dx} = y$
- (b) $x \left(\frac{dy}{dx} \right) = y \log y$
- (c) $\frac{dy}{dx} = x$
- (d) $\frac{dy}{dx} = \lambda e^{\lambda x}$

Directions (97 - 98): Two statements and two conclusions are

- (A) If only conclusion I follow, mark (a)
- (B) If only conclusion II follows, mark (b)
- (C) If both conclusions I and II follow, mark (c)
- (D) If neither conclusion I nor II follows, mark (d)
- **97.** Statements:
- I. Every road is dusty
- II. No road is dirty

Conclusions:

- I. No dirty thing is dusty,
- II. No dusty thing is dirty
- (a)
- (b)
- (c)
- (d)

98. Statements:

- I. Some animals are trees.
- II. Some trees are orange

Conclusions:

- I. Some animals are orange
- II. Some orange things are animals.
- (a) (b)
- 99. Find out man out:
 - (b) Pathology
- (c) Calculus
- (d) Algebra

(d)

- (a) Geometry 100. There are cars of four wheels and motor cycle in a place. The number of wheels of all vehicles. Is 30 more than twice the number of vehicle. Then the number of cars at the place is
- (a) 15
- (b) 16
- (c) 12