## Program Structures and Algorithms Fall 2024

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GITHUB LINK: https://github.com/sannskruti/INFO6205

# Assignment 1

## Task:

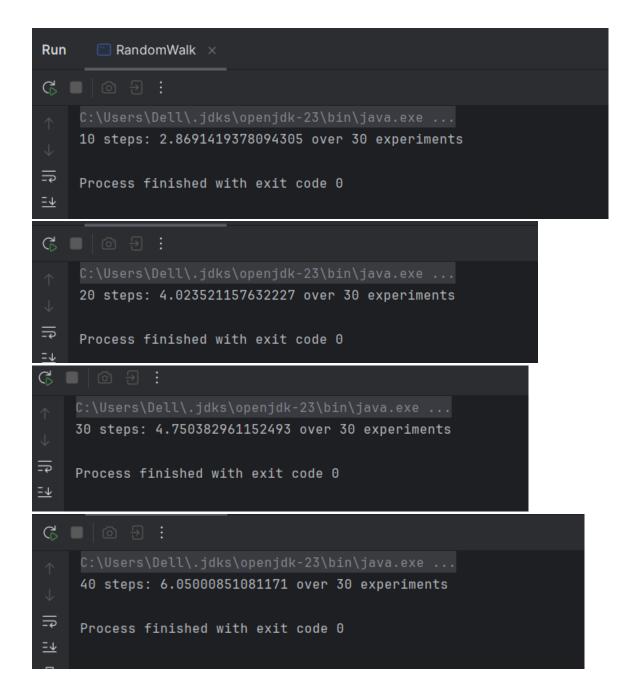
- **1.** Your **conclusion** about the relationship between *d* and *m*;
- **2.** Your **evidence** to support that relationship (screen shot and/or graph and/or spreadsheet)
- **3.** Your **code** (*RandomWalk.java* plus anything else that you changed or created);
- **4.** A **screen shot** of the unit tests all passing.

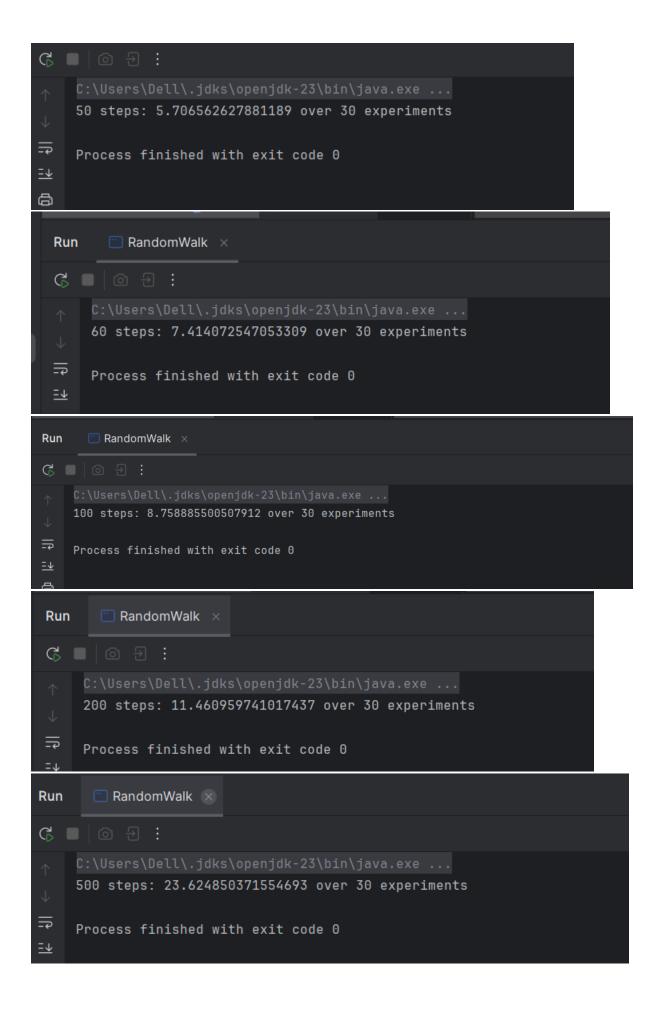
## **Code Screenshots:**

```
🕏 RandomWalk.java × 🂢 RandomWalkTest.java
        package edu.neu.coe.info6205.randomwalk;
       public class RandomWalk { ≛ xiaohuanlin +2
for(int \underline{i}=0;\underline{i}<m;\underline{i}++){
                   randomMove();
```

```
\textcircled{6} RandomWalk.java \times \textcircled{6} RandomWalkTest.java
             return Math.sqrt(x*x+y*y);
          RandomWalk walk = new RandomWalk();
                walk.randomWalk(m);
82 @@
             if (args.length == 0)
             int m = Integer.parseInt(args[0]);
             if (args.length > 1) \underline{n} = Integer.parseInt(args[1]);
             double meanDistance = randomWalkMulti(m, n);
RandomWalk walk = new RandomWalk();
                 walk.randomWalk(m);
32 ▷@
          if (args.length == 0)
                 throw new RuntimeException("Syntax: RandomWalk steps [experiments]");
              int m = Integer.parseInt(args[0]);
             if (args.length > 1) \underline{n} = Integer.parseInt(args[1]);
             double meanDistance = randomWalkMulti(m, n);
```

# **Output-**





```
Run RandomWalk ×

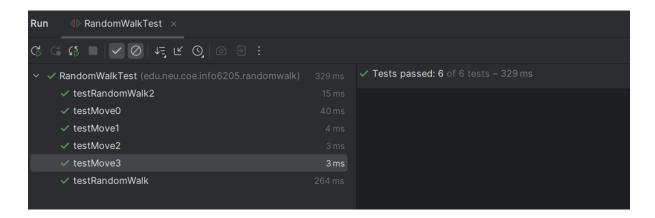
C:\Users\Dell\.jdks\openjdk-23\bin\java.exe ...

1000 steps: 28.87973433673397 over 50 experiments

Process finished with exit code 0

=
```

#### **Unit Test Screenshots:**



## **Observations:**

A drunk man is standing at a lamp post. He's feeling wobbly and starts to take steps. He can take steps in four directions: North, South, East, or West. Every time he takes a step, it's in one of those directions, but we don't know which one because it's totally random. Now, after he takes 1 step, he's moved a little bit away from the lamp post.

After he takes 10 steps, you might think he'll be really far, But Some of those steps might cancel each other out, like one step North followed by one step South. So, he won't be as far away as if he had walked straight in one direction.

How far is he from the lamp post after taking a lot of random steps?

### The Answer: $\mathbf{d} \sim \sqrt{\mathbf{m}}$

If he takes 100 steps, his distance isn't 100 meters away. It's more like 10 meters away because:

 $d \sim \sqrt{100} = 10$ 

If he takes 400 steps, his distance is around:

 $d \sim \sqrt{400} = 20$ 

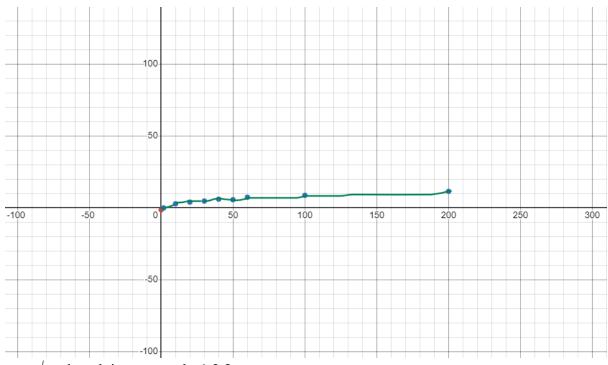
So, the more steps he takes, the farther he gets from the lamp post, but not in a straight line. His distance grows **slower** than the number of steps.

#### **Conclusion:**

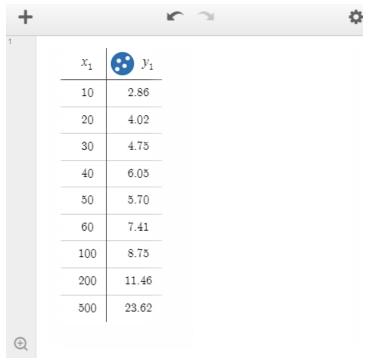
The relationship between the drunk man's distance d and the number of steps m is:  $d \sim \sqrt{m}$ 

This means that if he takes 4 times as many steps, he'll only get twice as far. That's because random steps in different directions start to balance each other out, so the man doesn't get as far as you'd expect if he walked in just one direction.

### **Evidence:**



 $y=k*\sqrt{x}$  where k is constant k=1,2,3,....



Where x1 is m steps and y1 is d distance. (check plotting points from above output screenshot where n=30)

for graph= desmos.com

## Graph of sqrt is:

