Program Structures and Algorithms Fall 2024

NAME: Sanskruti Manoria

NUID: 002643300

GITHUB LINK: https://github.com/sannskruti/INFO6205

Assignment 4

Using the *PriorityQueue* class in the repository (which is essentially a copy of the Java class), use benchmarking (*Benchmark_Timer* class) to compare the following implementations:

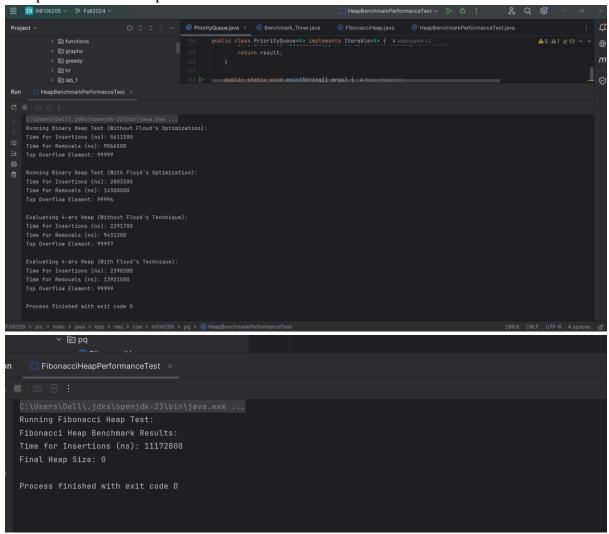
- 1. (15) Basic binary heap.
- 2. (6) Same but with Floyd's trick (i.e. using the *snake* method).
- 3. (20) 4-ary heap.
- 4. (9)Same but with Floyd's trick.
- 5. (10 bonus points) Implement a Fibonacci Heap.

In each case, you will maintain up to M = 4095 elements in the heap. You will insert 16,000 (random) elements and remove 4,000 elements. You will also keep track of the spilled elements and report the one with the highest priority.

You will use log/log plots to compare the four (or five) implementations.

Output:

Comparison of 4 cases-passed



Code Screenshots:

Priority Queue.java

```
import java.util.function.BiPredicate;
public PriorityQueue(boolean max, Object[] binHeap, int first, int last, Comparator<K> comparator, boolean floyd)
     this.comparator = comparator;
   * @param max
     this(max, new Object[n + first], first, last 0, comparator, floyd);
```

```
public class PriorityQueue<K> implements Iterable<K> { ± xiaohuanlin +2 private int doHeapify(int k, BiPredicate<Integer, Integer> p) { 2 usages ± Sanskrutil03 +2 if (unordered(maxChild, [i] j + c)) maxChild = j + c; } if (p.test(i, maxChild)) break; swap(i, maxChild); i = maxChild; } return i; } return i
```

```
∆5 △1 ∞13 ^
  private final Comparator<K> comparator; 2 usages
  Collection<K> copy = new ArrayList<>(Arrays.asList(Arrays.copyOf(binHeap, newLength: last + first)));
    Iterator<K> result = copy.iterator();
A5 A1 ×13 ^ ×
  String[] s1 = new String[5]; //Created a string type array with size 5
    boolean max = true;
    Integer[] s2 = new Integer[5]; //created an Integer type array with size 5
```

FibonacciHeap.java

```
public class FibonacciHeap<K> { nousages ±Sanskrutii03

private Node<K> metd(Node<K> a, Node<K> b) { 2 usages ±Sanskrutii03

Node<K> an = a.next;
    a.next = b.next;

a.next = b.next;

b.next = an;
    b.next.prev = a;

public int size() { no usages ±Sanskrutii03
    return a;

private static class Node<K> { 15 usages ±Sanskrutii03
    return 0;

k key; 4 usages
    Node<K> node<K> nont; 10 usages
Node<K> node<K> prev; 3 usages
Node<K> private static 4 usages
Node<K> private static 4 usages
Node<K> node<K> prev; 3 usages
Node<K> prev; 4 usages
Node<K> prev; 5 usages
Node<K> prev; 6 usages
Node<K prev; 7 usage
```

Fibonacciperformance

```
package edu.neu.coe.info6205.pq;
   private static void runHeapBenchmark(Supplier<FibonacciHeap<Integer>> heapSupplier) { 1usage
       FibonacciHeap<Integer> heap = heapSupplier.get();
       long startInsert = System.nanoTime();
   * <code>Oparam heapSupplier</code> A supplier that creates a new Fibonacci Heap instance.
  private static void runHeapBenchmark(Supplier<FibonacciHeap<Integer>> heapSupplier) { 1usage
      FibonacciHeap<Integer> heap = heapSupplier.get();
          heap.insert(RANDOM.nextInt( bound: 100000));
      long totalInsertTime = System.nanoTime() - startInsert;
      System.out.println("Fibonacci Heap Benchmark Results:");
```

Conclusion:

Heap Type	Insertions	Removals
	Time (ns)	Time (ns)
Binary Heap	5,611,300	9,066,500
(No Floyd's		7,000,300
Optimization)		
Binary Heap	2,803,300	14,300,500
(With Floyd's		
Optimization)		
4-ary Heap	2,291,700	9,431,200
(No Floyd's		7,431,200
Technique)		
4-ary Heap	2,390,200	13,921,500
(With Floyd's		
Technique)		
Fibonacci	11,172,800	NA
Heap		

Insertions:

Binary Heap with Floyd's Optimization: Fastest (2.8M ns).

4-ary Heap: Similar performance (~2.3M ns).

Fibonacci Heap: Much slower (11.1M ns), ~4-5x slower than others.

Removals:

Binary Heap (No Floyd): Best (9.0M ns).

4-ary Heap: Good (9.4M ns).

With Floyd's Optimization: Slower for both heaps (13M+ ns).

Fibonacci Heap: Removal success confirmed (final size = 0), though time wasn't measured.

Trade-offs:

Fibonacci Heap: Good for decrease-key operations but has slower insertions.

Binary & 4-ary Heaps: Floyd's optimization speeds up insertions but slows removals. Use Fibonacci Heap for algorithms needing frequent key updates (like Dijkstra's). Choose binary or 4-ary heaps for general-purpose fast insertion and removal operations.