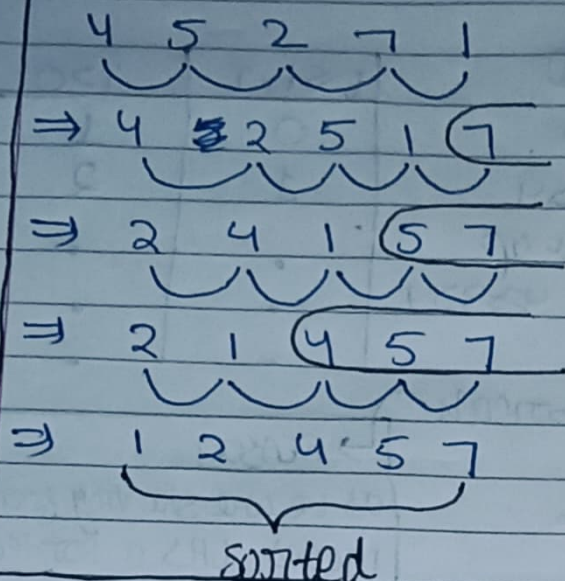


BUBBLE SORT*

best case = $O(N)$

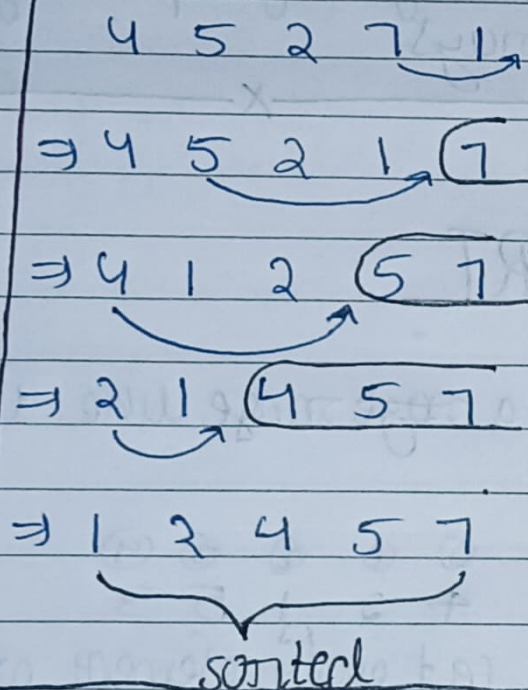


Time complexity $\Rightarrow O(N^2)$

stable algorithm ☒

means if eg \Rightarrow 2 3 2 5 3
 after sorting \Rightarrow 2 2 3 3 5
 (means black ball was after blue ball and after sorting order remains same \therefore stability)

SELECTION SORT**



Time complexity $\Rightarrow O(N^2)$

Best case \Rightarrow ~~$O(N^2)$~~ $O(N)$ (same)

stable algorithm ☐

performs well on small arrays.

* if $arr[i] < arr[i-1] \Rightarrow$ swap...

** put largest element at last index, put second largest element at second last index...

INSERTION SORT

~~5~~ 3 4 1 2 is ① > ②
 \Rightarrow 3 5 4 1 2 \downarrow swap
 \Rightarrow 3 4 5 1 2 is 5 > 4
 \downarrow swap
 now check, is 3 > 4
 \downarrow
 no \Rightarrow loop break

$i \leq n-2$	$j > 0$
0	1
1	2
⋮	⋮
⋮	⋮
⋮	⋮

AND SO ON ... \rightarrow REASON
 as we are starting from 0, means LHS is sorted.

★ Time complexity $\Rightarrow O(N^2)$ (best case = $O(N)$)

★ advantage \Rightarrow stable, works good for partially sorted arrays

CYCLE SORT

⚠ When given numbers in a range like $1 \rightarrow n$ apply cycle sort.

EXAMPLE \Rightarrow range $1 \rightarrow 5 \Rightarrow$

①	②	③	④	
4	2	1	5	3

 (put every element at correct index which is value - 1 in this case)

\therefore as 4 is at $i=0$, swap with $i=3$

★ Time complexity = $O(N)$

(the correct position for 4)

...