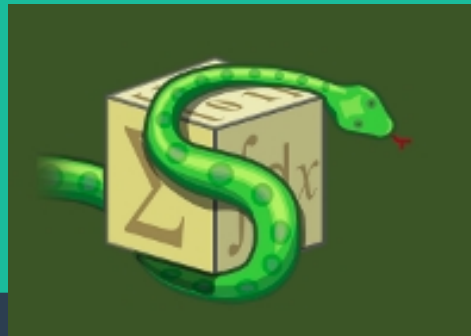


Introduction to Symbolic Math: A Pythonian Approach



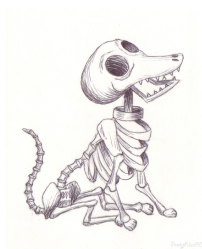
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Thurs. Nov. 7th, 2019
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Overview

- **Installation**
- **Example 1 - Linear Equation**
- **Example 2 - Polynomials**
- **Classwork - Box Surface Area**
- **Classwork - Plot a circle**

Installation

- Pip -install
- <https://docs.sympy.org/latest/tutorial/index.html>
-
- Why learn symbolic computation?
 - You'll be able to check your work
 - In MS, HS, College, etc
 - Calculators can't compete



SymPy Tutorial

- Preliminaries
 - Installation
 - Exercises
 - About This Tutorial
- Introduction
 - What is Symbolic Computation?
 - A More Interesting Example
 - The Power of Symbolic Computation
 - Why SymPy?
- Gotchas
 - Symbols
 - Equals signs
 - Two Final Notes: ^ and /
 - Further Reading
- Basic Operations
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 - Converting Strings to SymPy Expressions
 - `evalf`
 - `lambdify`
- Printing
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Installation

Open up the command prompt and
`>>> pip install sympy`

From there, the library we'll be importing

`from sympy import *`

This imports all classes and functions into your python session
Do this in a new file and run to verify that you have sympy
working. Switch to IDLE if issues occur



Example: Linear equation

```
1  from sympy import symbols
2
3  x, y, m, b = symbols('x y m b')
4  expr = x + 2*y
5  y = m*x+b
6  print(expr)
7  print(expr+expr)
8  print(expr+expr+expr)
9  print(expr+expr+expr+expr)
10 print(y + expr)
11
12 print(y)
13 print(y+y)
14 print(y+y+y)
15
16 print(y**2 + 3*expr*y)
17
```



Example: Polynomial Manipulation

EXAMPLE 3 ■ Multiplying Polynomials

Find the product: $(2x + 3)(x^2 - 5x + 4)$

SOLUTION 1: Using the Distributive Property

$$\begin{aligned}(2x + 3)(x^2 - 5x + 4) &= 2x(x^2 - 5x + 4) + 3(x^2 - 5x + 4) \\ &= (2x \cdot x^2 - 2x \cdot 5x + 2x \cdot 4) + (3 \cdot x^2 - 3 \cdot 5x + 3 \cdot 4) \\ &= (2x^3 - 10x^2 + 8x) + (3x^2 - 15x + 12) \\ &= 2x^3 - 7x^2 - 7x + 12\end{aligned}$$

SOLUTION 2: Using Table Form

$$\begin{array}{r} x^2 - 5x + 4 \\ 2x + 3 \\ \hline 2x^3 - 10x^2 + 8x \\ 3x^2 - 15x + 12 \\ \hline 2x^3 - 7x^2 - 7x + 12 \end{array}$$

```
1  from sympy import *
2  x = symbols('x')
3
4  factor1 = 2*x+3
5  factor2 = x**2 - 5*x+4
6  soln = factor1*factor2
7  print(soln)
8
9  # Now let's expand the solution
10 # to return to a canonical form of the solution use this expand function
11 solnE = expand(soln)
12 print(solnE)
13
14 # to return to a simplified version of this use the simplify function
15 solnF = factor(solnE)
16 print(solnF)
17
18 # is this the same as the original soln? check
19 solnCheck = factor(soln)
20 print(solnCheck)
21 # if both "solnF" and "solnCheck" are equivalent then you can
22 # say they're the same solution
23 # use this to help you in your homework, but do not become addicted to it
24 # with great power comes what?
```



Classwork: write a script to solve

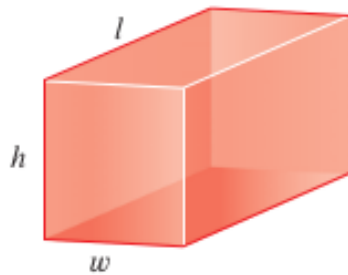


FIGURE 1 A closed rectangular box

EXAMPLE 3 ■ Solving for One Variable in Terms of Others

The surface area A of the closed rectangular box shown in Figure 1 can be calculated from the length l , the width w , and the height h according to the formula

$$A = 2lw + 2wh + 2lh$$

Solve for w in terms of the other variables in this equation.

SOLUTION Although this equation involves more than one variable, we solve it as usual by isolating w on one side, treating the other variables as we would numbers.

$$A = (2lw + 2wh) + 2lh \quad \text{Collect terms involving } w$$

$$A - 2lh = 2lw + 2wh \quad \text{Subtract } 2lh$$

$$A - 2lh = (2l + 2h)w \quad \text{Factor } w \text{ from RHS}$$

$$\frac{A - 2lh}{2l + 2h} = w \quad \text{Divide by } 2l + 2h$$

$$\text{The solution is } w = \frac{A - 2lh}{2l + 2h}.$$

Write a script to solve
for w , screen shot and
e-mail



Classwork: Plotting a Circle

ClassWork: Done in-class

Hint: Use trig functions $x=\cos(t)$ and $y=\sin(t)$ to get your point(x,y) values. Once you get your t-chart filled with points, simply plot them.



Emailing ScreenShots

E-mail your file and/or screenshots of your plot to jfigueroa@nasriacademy.org for credit

