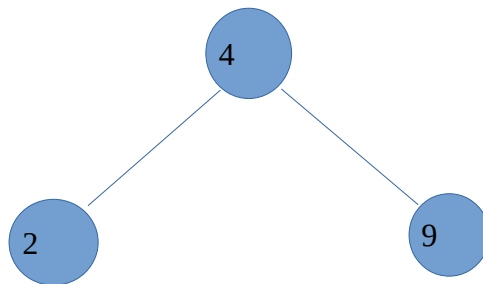


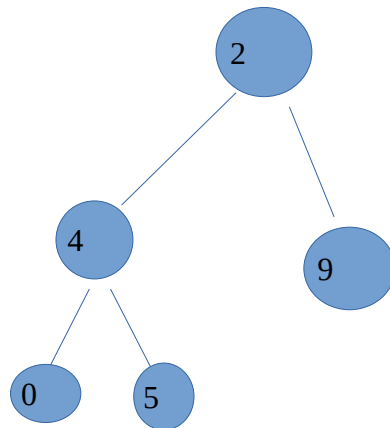
2, 4, **9**, 0 , 5: Binary Search Tree [**Search**]

4, 2, 9: New order of data. AVL, it changed the order of input.

So that we could get a balanced binary tree.
(complete binary tree)



The tree is not balanced.



1, places: $2^1 \Rightarrow 2$.

Almost Complete Binary Tree. \Rightarrow converted to complete.

(There is always place to insert in the existing inner node.)

[2][4][9][]

Try to insert, from left to right child,
Increase height if and only if, there is
complete binary tree.

Memoization

>> Dynamic Programming

>> You want to remember partial computation.

>> path finding

Fibonacci ??

compute n^{th} term.

40^{th} fib $\Rightarrow 39^{\text{th}}, 38^{\text{th}}, ??$

$39^{\text{th}} \Rightarrow 38^{\text{th}}, 37^{\text{th}}$

$38^{\text{th}} \Rightarrow 37^{\text{th}}, 36^{\text{th}}$ (I can use this value)

$37^{\text{th}} \Rightarrow 36^{\text{th}}, 35^{\text{th}}$

\Rightarrow declare memoization unit.

$\Rightarrow \text{fib}(n+2) \Rightarrow \text{fib}(n) + \text{fib}(n+1)$

$\text{fib}(n) \Rightarrow \text{getOrElse}(\text{memoization}(n), \text{computeFib}(n))$
 $\text{computeFib}(n) \Rightarrow \text{computeIt}(n) \ \& \ \text{put}(\text{memoize}, n)$

`int a[100];` ?? execute ??

`int a[32767]` ?? does this execute ??

Dynamic ?? Array

100 elements `a[1000]`

1001 elements

How do I incorporate the 1001th elements in **a**.

$f(x) \Rightarrow x^2 + 10x \% \text{period}$ (so that we can get the hash value in our predefined range 0, 10)

Good: minimize collision

Distribution ?? (Uniform)

two primes.

[1 ... 10000]: randomization, crypto math.

67??