# DSM Endsem 2024 Solutions

## December 4, 2024

# TA Distribution

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## **1A**

What is the need of microcontrollers over general purpose microprocessor? [2 M]

Microcontrollers act as a microcomputer without any external digital parts. Memory, I/O ports, timers, interrupts are all integrated inside the microcontroller chip. The higher integration inside a microcontroller reduces cost and size of the system.

Sr. No.	Microprocessors	Microcontroller
1	It is only a general-purpose computer CPU	It is a microcomputer itself
2	Higher accessing time required	Low accessing time

Table 1: Comparison of Microprocessors and Microcomputers

**Grading scheme:** Mentioning any 2 of the above points (those in the table or those in bold) will get you 2 marks. 1 mark for each point.

## 1B

Explain using the example of call instruction 'cd S B7' when [SP] = A9 and [PC] = 06. S is a Sign flag. [4 M]

Instruction Format: cd <FL> xx Actions:

$$\begin{split} [SP] \leftarrow [SP] - 1, \\ [[SP]] \leftarrow [PC], \\ [PC] \leftarrow xx \quad (if \langle FL \rangle = 1) \end{split}$$

Instruction	Control Signals	Select Signals
cd <fl> xx</fl>	Ck 3: $E_{PC}$ , $L_{MR}$ , $I_{PC}$ , $E_{FL}$ , End if $\langle FL \rangle'$	$S_{FL} \leftarrow < FL >$
	Ck 4: $RD$ , $L_{OR}$ , $D_{SP}$	-
	Ck 5: $E_{SP}$ , $L_{MR}$	-
	Ck 5: $E_{SP}$ , $L_{MR}$ Ck 6: $E_{PC}$ , $WR$	-
	Ck 7: $E_{OR}$ , $L_{PC}$ , End	-

Table 2: Control Signals for cd<FL> xx instruction.

### **Initial Conditions**

- [SP] (Stack Pointer): A9
- [PC] (Program Counter): 06
- **Sign Flag** (S): The Sign flag copies the sign bit of the last arithmetic operation and becomes 1 if the result was negative. For the illustration of our example, we can assume it is 1.

# Instruction Execution

- 1. Check Condition (S Flag):
  - If S=1, proceed with the call. (In this case, the condition is satisfied.)
- 2. Save Current [PC]:

Decrement [SP]: 
$$[SP] = A9 - 1 = A8$$
  
Store [PC] at the new [SP] memory address:  $[[SP]] = [PC] = 06$ 

3. Update [PC] to the Target Address (xx):

$$[PC] = B7$$

#### Final Values

- [**SP**]: *A*8
- [[SP]]: 06
- [PC]: B7

## **Grading Scheme**

- Mention the Actions/Control Signals required (simulate the working with the values mentioned in question) [2 M]
- Explain the working/different values of Sign Flag [1M]
- Correct final values of [SP], [[SP]] and [PC]. [1M]

Even if you have assumed S flag to be 0, actions/control signals should still be listed for the entire flow.

## 1C

## How is 'call' different from 'jump'? [2 M]

Call: The call instruction is used to invoke a subroutine (a function or procedure) and save the return address onto the stack so the program can return to the point it left off after the subroutine is executed.

**Jump:** The jump instruction simply changes the program's control flow to another location without saving any return address, making it a direct transfer of control.

## **2A**

## Architecture components

- Registers: Multipurpose registers (R4, ACC for accumulator).
- ALU Operations:
  - ADD: Adds two inputs:
    - \* Left input: From the bus.
    - \* Right input: From the Operand Register (OR).
  - The result of the ALU is written to the accumulator (ACC).
- Control Signals:
  - E: Enables a register to output data onto the bus.
  - L: Loads data from the bus into a register.
  - SALUADD: Sets the ALU operation to addition.

## Steps for ADD R4

## Ck 00: Load R4 into Operand Register (OR)

- Control Signals: E-R4, L-OR
  - E-R4: Enable R4 to output its value onto the bus.
  - L-OR: Load the value from the bus into the Operand Register (OR).

## Ck 01: Perform Addition and Load Result into ACC

- Control Signals: E-ACC, E-OR, L-ACC, S-ALU-ADD
  - E-ACC: Enable ACC (current accumulator value) onto the bus.
  - E-OR: Enable OR to send its value to the ALU as the second operand.
  - SALU-ADD: Configure the ALU to perform addition.
  - L-ACC: Load the result from the ALU into the accumulator (ACC).

## **Timing Diagram**

The following timing diagram represents the control signals:

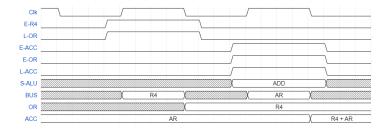


Figure 1: Timing Diagram

# **Grading Scheme**

- 1 Mark: Correctly explained and mentioned the operations in Ck 00.
- 2 Marks: Correctly explained and mentioned the operations in Ck 01
- 2 Marks: Correct timing diagram

Partial marks will be awarded in all other cases depending on the content.

# 2B

The diagram and explanation can be one of the 2 below architectures:

- Enhanced single bus architecture will only fetch maximum marks 6
- $\bullet$  Complete single bus architecture will fetch  ${\tt marks}\ 8$

For Enhanced single bus architecture:

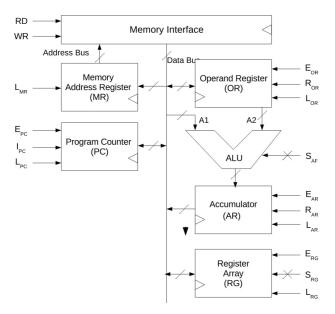


Figure 2: Enhanced Single bus architecture

For Complete single bus processor:

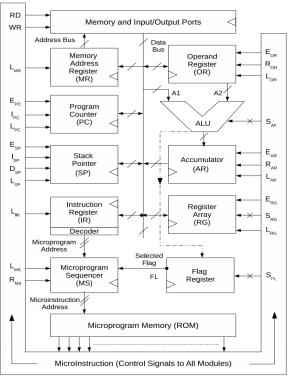


Figure 6.1: The complete architecture of the simple, singlebus processor

Figure 3: Complete Single bus architecture

## 1. Memory

The **Memory** block represents the Main Memory subsystem of the processor. The processor accesses main memory via the Memory Address Register (MR) and the Data Bus.

## 2. Address Bus

The **Address Bus** is responsible for transmitting memory addresses from the processor to the memory system. The Memory Address Register (MR) holds the address that the processor intends to access in memory.

## 3. Memory Address Register (MR)

The Memory Address Register (MR) stores the memory address to be accessed, either for reading data from or writing data to memory. It is connected to the Address Bus and specifies the memory location to be accessed

# 4. Data Bus

The **Data Bus** is used to transfer data between the processor and memory or I/O devices. Data can either be read from memory and placed on the Data Bus, or data can be written to memory from the Data Bus.

## 5. Operand Register (OR)

The **Operand Register (OR)** holds the operands (input data) for the current instruction being executed by the processor. These operands are passed to the Arithmetic Logic Unit (ALU) for computation.

## 6. Arithmetic Logic Unit (ALU)

The **Arithmetic Logic Unit (ALU)** is the core computational unit in the processor. It performs arithmetic and logical operations such as:

- Arithmetic Operations: Addition, subtraction, etc.
- Logical Operations: AND, OR, NOT, etc.

The results of these operations are stored in the Accumulator (AC) register.

## 7. Accumulator (AR)

The **Accumulator** (**AR**) is a register that stores the results of computations performed by the ALU. It holds intermediate and final results of the processor's calculations

## 8. Program Counter (PC)

The **Program Counter (PC)** is a register that holds the address of the next instruction to be executed in the program. It increments after each instruction, ensuring that the processor fetches the next instruction from memory.

## 9. Register Array (RG)

The **Register Array** (**RG**) is a collection of general-purpose registers. These registers store intermediate data and addresses during program execution. The registers can be accessed and manipulated by the program instructions.

## 10. Instruction Register (IR)

The Instruction Register (IR) holds the current instruction being executed by the processor. The instruction is fetched from memory and loaded into the IR, where it is decoded by the Decoder.

## 11. Flag Register (FL)

The Flag Register (FL) stores the status flags generated by the ALU during its operations. Flags such as zero, carry, and overflow are stored in the FL. These flags can be used to control program flow based on the results of ALU operations.

## 12. Microprogram Memory (ROM)

The Microprogram Memory (ROM) (also called the Control Store) stores the microprogram, a sequence of microinstructions that implement the low-level execution of the processor's instruction set. The Decoder uses the microprogram to generate control signals for the processor.

#### 13. Microinstruction Address

The Microinstruction Address component determines the address of the next microinstruction to be executed from the Microprogram Memory. It sequentially fetches and executes the microinstructions that implement high-level processor instructions.

# 14. Microinstruction (Control Signals to All Modules)

The Microinstruction refers to the control signals generated by the Decoder and used to coordinate the operation of the processor modules. These control signals ensure that components work together correctly to fetch, decode, and execute instructions, as well as handle data storage and I/O operations.

## **Grading Scheme**

- 1. If you have drawn the enhanced single bus architecture:
  - Diagram is drawn: 0.5 for each component (7 components, so 3.5)
  - Explanation of everything in the diagram (components 1-9): 2.5 marks. [partial marks given if few are correct and few are wrong]
- 2. If you have drawn the complete single bus architecture:
  - diagram is drawn: 0.5 for each component (12 components, so 6)
  - explanation of everything in the diagram (components 1-14): 2 marks. [partial marks given if few are correct and few are wrong]

# 3A

- 1. ROM is a type of non-volatile memory used to store fixed binary information.
- 2. ROM consists of a decoder and OR gates, forming a minterm generator within a single device.

# Fusible Links in PROM (for reference)

In a **Programmable ROM (PROM)**, each intersection in the matrix contains a fusible link. These links are initially connected (representing a binary '1').

**Fusing a connection** involves applying a high current to "blow" the link, effectively disconnecting it:

- Blown fuse = binary '0'
- Intact fuse = binary '1'

# How Fusing Helps

Any one of the points below:

### Custom Data Storage

Fusing specific connections allows storing customized data patterns. Each address line combination corresponds to a pre-defined output word, set during the programming phase.

## Permanence

Once a fuse is blown, the ROM's data is fixed and cannot be changed during normal operation. This makes PROM ideal for storing information that does not require modification.

## Reliability

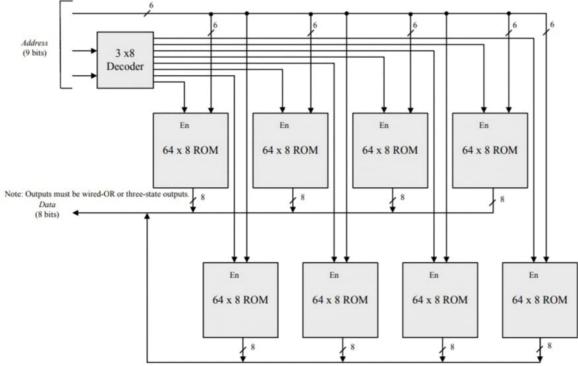
Since data is hardwired through these fuses, it is very stable and immune to electrical noise or accidental changes, ensuring reliable operation.

## **Grading Scheme**

- 1 mark for the definition of ROM (Read Only Memory).
- 1 mark for fusing:
  - **0.2 marks** for any plausible use of fusing.
  - 0.5 marks for either permeance/programming or if bits 0 and 1 are properly written.
  - 1 mark if both permeance/programming and proper writing of bits 0 and 1 are addressed.

# 3B

Address multiplexing is used to minimize the number of address pins by splitting an address into multiple parts, typically row and column addresses.



Note: Outputs must be wired-OR or three-state outputs.

- 1 mark for row and column.
- 3 marks for the full diagram:
  - 1.5 marks for the decoder and 8 ROMs.
  - Remaining marks for input and output lines for the ROM.

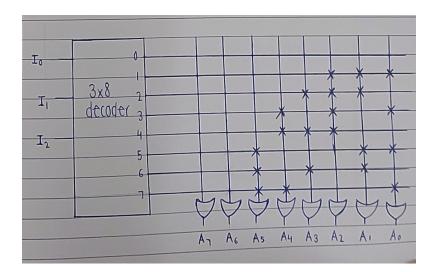
# 3C

The truth table for the required function, where the output is the input multiplied by 7, is as follows:

Inputs		Outputs								
$I_2$	$I_1$	$I_0$	$A_7$	$A_6$	$A_5$	$A_4$	$A_3$	$A_2$	$A_1$	$A_0$
0	0	0	0	0	0	0	0	0	0	0
0	0	1	0	0	0	0	0	1	1	1
0	1	0	0	0	0	0	1	1	1	0
0	1	1	0	0	0	1	0	1	0	1
1	0	0	0	0	0	1	1	1	0	0
1	0	1	0	0	1	0	0	0	1	1
1	1	0	0	0	1	0	1	0	1	0
1	1	1	0	0	1	1	0	0	0	1

By choosing connections for the minterms included in the function, the ROM outputs can be programmed to represent the function.

Here, we use a 3x8 decoder, and a connection marked with an x produces a minterm.



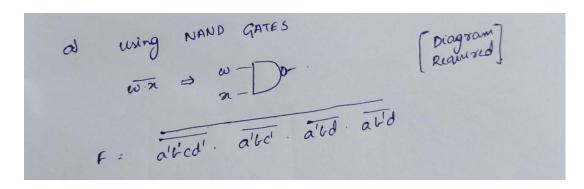
- 2 marks for the truth table.
- 2 marks for the diagram.

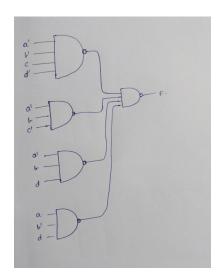
4A Implement Boolean function F(A,B,C,D) =S(2, 4, 5, 7, 9, 11) using

		Map								
Ā.B Ā.B A.B A.B	0 1 0	C.D 0 1 0	C.D 0 1 0	C.D  1 0 0 0						
	Map Layout									
Ā.B Ā.B A.B A.B	0 4 12	C.D 1 5 13 9	C.D 3 7 15 11	2 6						
	Grou <sub>]</sub>	ps								
(4,5) $\overline{A}.B.\overline{C}$ (5,7) $\overline{A}.B.D$ (9,11) $A.\overline{B}.D$ (2) $\overline{A}.\overline{B}.C.\overline{D}$ y = A'BC' + A'BD + AB'D + A'B'CD'										

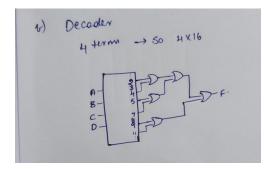
Truth Table										
	A B C D Y									
0	0	0	0	0	0					
1	0	0	0	1	0					
2	0	0	1	0	1					
3	0	0	1	1	0					
4	0	1	0	0	1					
5	0	1	0	1	1					
6	0	1	1	0	0					
7	0	1	1	1	1					
8	1	0	0	0	0					
9	1	0	0	1	1					
10	1	0	1	0	0					
11	1	0	1	1	1					
12	1	1	0	0	0					
13	1	1	0	1	0					
14	1	1	1	0	0					
15	1	1	1	1	0					

# (i) NAND Gates





# (ii) Decoder



- 4a) i)
  - $\bf 1.5$   $\bf marks$  for the diagram.
  - 1.5 marks for getting the simplified formula.
  - $-\,$  Half mark extra for getting closer to the answer.
- 4a) ii)
  - Mostly binary marking.
  - $\,-\,$  Partial marks can be given if the answer is close to the key.

# 4B

# How to convert SR latch into memory cell? [3 M] Acceptable circuit diagrams:

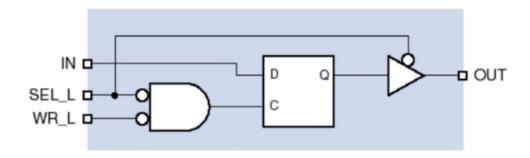


Figure 4: Memory cell using D latch

The binary storage cell (SR latch) is the basic building block of a memory unit The storage part of the cell is modeled by an SR latch with associated gates to form a D latch Note that this is not a D flip-flop

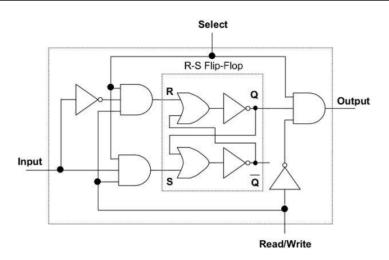


Figure 5: Memory cell using SR latch

The "select" input is used to access the cell, either for reading or writing. When the select line is high, "1", then a memory operation can be performed on this cell. When the select line of the binary cell is low, "0", then the cell is not being read from or written If the clock value on the "Read/write" line is low (which makes the "negated Read/write" high) indicating the cell contents are to be read. In this case, the value output by the cell will depend solely on the Q value of the flip-flop. When the cell is selected and the "Read/write" line is set to high, signifying a "write" operation, the value placed into the cell will depend solely on the state of the "Input" lin

## **Grading Scheme**

 $1~\mathrm{Mark}$  for correct SR-latch or D-latch diagram  $2~\mathrm{Marks}$  for working memory cell / correct conversion

# 5A

A Johnson counter is a circular shift register with the complemented output of the last flip-flop connected to the input of the first flip-flop (switch-tail ring counter) with decoding gates to provide outputs for timing signals.

## **Grading Scheme**

- Upto 1.5 marks for the diagram/explanation of the switch-tail ring counter.
- 2 marks for the extra details mentioned in the solution.

# 5B

# How many output states are possible for a 5 output Johnsson counter vs Binary counter? [2 M]

## Johnsons Counter

An n-bit Johnsson counter is a synchronous counter that consists of n D-flip-flops connected output to input. The complemented output of the last flip-flop is connected to the input of the first flip-flop

in the case of a 5-bit Johnsons counter, we have the following circuit diagram and state table:

State	$\mathbf{Q4}$	Q3	$\mathbf{Q2}$	Q1	$\mathbf{Q0}$
0	0	0	0	0	0
1	1	0	0	0	0
2	1	1	0	0	0
3	1	1	1	0	0
4	1	1	1	1	0
5	1	1	1	1	1
6	0	1	1	1	1
7	0	0	1	1	1
8	0	0	0	1	1
9	0	0	0	0	1
0	0	0	0	0	0

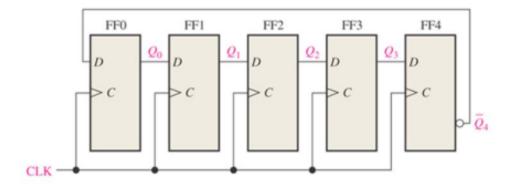


Figure 6: 5-bit Johnsons counter

As we can see from the circuit diagram, an n-bit johnsons counter will have  $2 \times n$  states.

## Binary counter

An n-bit Binary counter involves n J-K flip flops and has a regular pattern and can be constructed with complementing flip-flops and gates

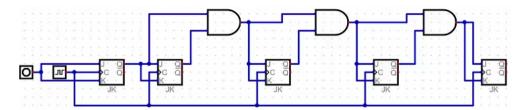


Figure 7: 5-bit Synchronous binary counter

Being a binary counter for n bits, it has  $2^n$  distinct states. Thus a 5-bit Binary counter has 32 states

### **Grading Scheme**

1 Mark for Johnsons counter explanation and number of states 1 marks for Binary counter explanation and number of states

# 5C

The given sequence is:

$$00 \rightarrow 11 \rightarrow 01 \rightarrow 10 \rightarrow 00$$

**Step 1:** State Transition Table The state transition table includes the current state  $(Q_1, Q_0)$ , next state  $(Q_1^+, Q_0^+)$ , and the required JK flip-flop inputs  $(J_1, K_1, J_0, K_0)$ .

$Q_1$	$Q_0$	$Q_1^+$	$Q_0^+$	$J_1$	$K_1$	$J_0$	$K_0$
0	0	1	1	1	X	1	X
1	1	0	1	X	1	X	0
0	1	1	0	1	X	X	1
1	0	0	0	X	1	0	X

**Flip-Flop Transition Rule:** Each flip-flop input (J and K) is determined using the equation:

$$Q_{\text{new}} = JQ' + K'Q$$

Here,  $Q_{\text{new}}$  is the next state, Q is the current state, J is the set input, and K is the reset input. The values X denote "don't care" conditions.

**Step 2:** Karnaugh Maps for Flip-Flop Inputs Use the state transition table to derive Karnaugh maps for each JK flip-flop input.

 $J_1$  (Input for  $Q_1$ ):

$$\begin{array}{c|c|c} Q_1 Q_0 & 0 & 1 \\ \hline 0 & 1 & 1 \\ 1 & X & X \\ \end{array}$$

From the map:

$$J_1 = Q_1'$$

 $K_1$  (Input for  $Q_1$ ):

$$\begin{array}{c|c|c} Q_1 Q_0 & 0 & 1 \\ \hline 0 & X & X \\ 1 & 1 & 1 \\ \end{array}$$

From the map:

$$K_1 = Q_1$$

$$J_0$$
 (Input for  $Q_0$ ):

$$\begin{array}{c|c|c|c} Q_1 \, Q_0 & 0 & 1 \\ \hline 0 & 1 & X \\ 1 & 0 & X \\ \end{array}$$

From the map:

$$J_0 = Q_1'$$

 $K_0$  (Input for  $Q_0$ ):

$$\begin{array}{c|c|c|c} Q_1 \, Q_0 & 0 & 1 \\ \hline 0 & X & 1 \\ 1 & X & 0 \\ \end{array}$$

From the map:

$$K_0 = Q_1'$$

 ${\bf Step~3:}$  Logic Circuit From the Karnaugh map derivations:

$$J_1 = Q_1', \quad K_1 = Q_1, \quad J_0 = Q_1', \quad K_0 = Q_1'$$

Step 4: Circuit Diagram

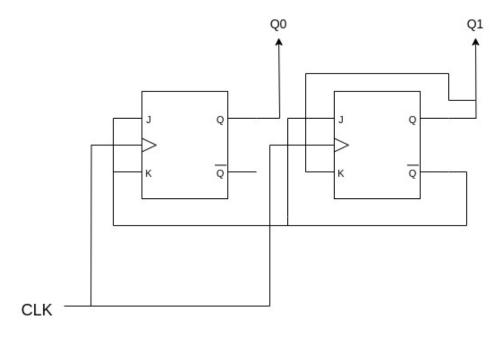


Figure 8: Synchronous Counter

Note: Step 2 is not compulsory

- Correct State Transition Table, including J0, J1, K0, K1 1.5 marks
  - (Upto 1 mark will be deducted if J, K values are incorrect)
- Correct Equations for J0, J1, K0, K1 1 mark
  - (Multiple valid solutions may exist for this)
- Correct Circuit Diagram 3.5 marks
  - (If any of the previous steps are incorrect, the maximum mark for the circuit diagram will be 1)

# **6A**

## Conversion to Base 10

Given  $A69.8_{16}$ ,

$$A69.8_{16} = A \cdot 16^2 + 6 \cdot 16^1 + 9 \cdot 16^0 + 8 \cdot 16^{-1}$$

Substitute the values of hexadecimal digits:

$$= 10 \cdot 256 + 6 \cdot 16 + 9 \cdot 1 + 8 \cdot \frac{1}{16}$$
$$= 2560 + 96 + 9 + 0.5$$
$$= 2665.5_{10}$$

## Conversion to Base 7

## Step 1: Integer Part Conversion

 $2665_{10} \rightarrow \text{Divide by 7 repeatedly}$ 

 $2665 \div 7 = 380$  remainder 5  $380 \div 7 = 54$  remainder 2  $54 \div 7 = 7$  remainder 5  $7 \div 7 = 1$  remainder 0  $1 \div 7 = 0$  remainder 1

Reading from bottom to top:

$$2665_{10} = 10525_7$$

# Step 2: Fractional Part Conversion

$$0.5 \cdot 7 = 3.5$$
 (integer part: 3)  
  $0.5 \cdot 7 = 3.5$  (repeats)

Thus, the fractional part is:

$$0.5_{10} \approx 0.3333_7$$

## Final Answer

$$A69.8_{16} = 2665.5_{10} = 10525.3333_7$$

### **Grading Scheme**

For each base conversion:

- 1.5 marks if the answer is correct.
- 0.5 marks if the answer is wrong but a valid procedure is shown.
- 0 marks otherwise.

## 6B

## i) Subtract 79 from 26

## Step 1: Find the 9's Complement of 79

9's Complement of 
$$79 = 99 - 79 = 20$$

## Step 2: Add the 9's Complement of 79 to 26

$$26 + 20 = 46$$

**Step 3: Check for Carry** - Since there is no carry, take the 9's complement of the result and place a negative sign.

9's Complement of 
$$46 = 99 - 46 = 53$$

$$26 - 79 = -53$$

# ii) Subtract 748 from 983

# Step 1: Find the 9's Complement of 748

9's Complement of 
$$748 = 999 - 748 = 251$$

# Step 2: Add the 9's Complement of 748 to 983

$$983 + 251 = 1234$$

**Step 3: Check for Carry** - Since there is a carry (1), drop the carry and add 1 to the remaining result.

$$234 + 1 = 235$$

$$983 - 748 = 235$$

## **Grading Scheme**

For subtraction in 9's complement:

For each subpart:

- 2 marks if the answer is correct and the explanation is valid.
- 1.5 marks if the answer is correct but the explanation is not appropriate.
- **0.5 marks** if the answer is wrong but an explanation is given.
- 0 marks otherwise.

# 6C

## Draw the logic diagram of a 4-to-1 line multiplexer with logic gates. [3 M]

A 4-to-1 multiplexer selects one of four input lines  $(I_0, I_1, I_2, I_3)$  based on the two select lines  $(S_0, S_1)$  and forwards the selected input to the output (Y). The logic diagram can be drawn using AND, OR, and NOT gates.

# Logic Expression:

$$Y = (S_1' \cdot S_0' \cdot I_0) + (S_1' \cdot S_0 \cdot I_1) + (S_1 \cdot S_0' \cdot I_2) + (S_1 \cdot S_0 \cdot I_3)$$

Where: -  $S'_1, S'_0$  are complements of  $S_1, S_0$ .

## Logic Diagram:

