

Q Given an array.  
Find the no. of Special indexes!

after deleting that element

Sum of all even indexed elements = Sum of all odd indexed elements

Ex  $A: \overset{0}{4} \overset{1}{3} \overset{2}{2} \overset{3}{7} \overset{4}{6} \overset{5}{-2}$

del(0)  
 $A: \overset{0}{3} \overset{1}{2} \overset{2}{7} \overset{3}{6} \overset{4}{-2}$

$$S_o = 8$$

$$S_e = 8$$

del(1)  
 $A: \overset{0}{4} \overset{1}{2} \overset{2}{7} \overset{3}{6} \overset{4}{-2}$

$$S_o = 8$$

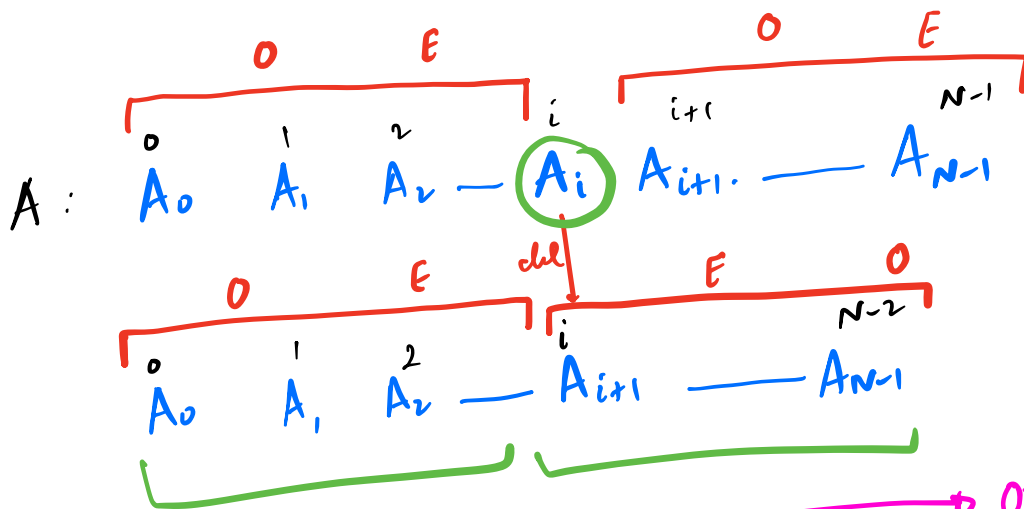
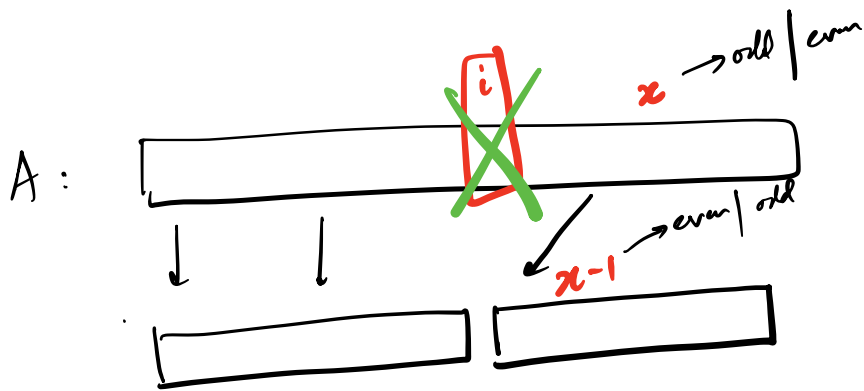
$$S_e = 9$$

del(2)

$A: \overset{0}{4} \overset{1}{3} \overset{2}{7} \overset{3}{6} \overset{4}{-2}$

$$S_o = 9$$

$$S_e = 9$$



$$S_e = S_e[0, i-1] + S_o[i+1, N-1]$$

Original Array

$$S_o = S_o[0, i-1] + S_e[i+1, N-1]$$

Idea: Create  $PS_{odd}$ ,  $PS_{even}$ .

$$S_e = S_e^{L, R}[0, i-1] + S_o^{L, R}[i+1, N-1]$$

$$S_e = PS_e[i-1] + PS_o[N-1] - PS_o[i]$$

$$S_o = S_o^{L, R}[0, i-1] + S_e^{L, R}[i+1, N-1]$$

$$S_o = PS_o[i-1] + PS_e[N-1] - PS_e[i]$$

### STEPS

1. Calc.  $PS_o$ ,  $PS_e$  from  $A[]$ .  $\rightarrow O(N)$

2.  $cnt = 0$   $\rightarrow O(N)$

$\{ i=0; i < N; i++ \}$

$$S_e = PS_e[i-1] + PS_o[N-1] - PS_o[i];$$

$$S_o = PS_o[i-1] + PS_e[N-1] - PS_e[i];$$

$\{ if (S_o = S_e) \{$

$cnt++;$

$\}$

$\}$

$out\ cnt;$

$$TC = O(N)$$

$$SC = O(N)$$

	0	1	2	3	4	5
A:	4	3	2	7	6	-2
PS <sub>e</sub> =	4	4	6	6	12	12
PS <sub>o</sub> =	0	3	3	10	10	8

del(i)

$$S_o = PS_o[i-1] + PS_e[N-1] - PS_e[i]$$

$$= 0 + 12 - 4 = 8$$

$$S_e = PS_e[i-1] + PS_o[N-1] - PS_o[i]$$

$$= 4 + 8 - 3 = 9$$

X

del(0)

$$S_o = PS_o[i-1] + PS_e[N-1] - PS_e[i]$$

$$0 + 12 - 4 = 8$$

$$S_e = PS_e[i-1] + PS_o[N-1] - PS_o[i]$$

$$0 + 8 - 0 = 8$$

✓

A:

	0	1	2	3	4	5
	3	5	7	6	7	8
$n=3$						
$n+=5$ $n=8$						
$n+=7$ $n=15$						

N

$S = 36$

HW → Do it in  $O(1)$  space!

I Given a Circular table.

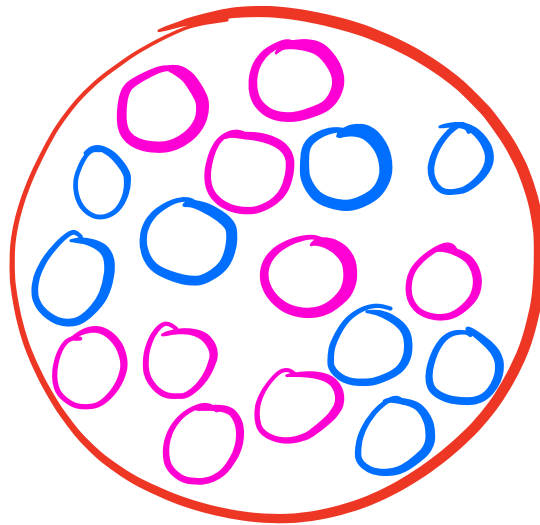
2 players A & B

A plays first.

they play in turn

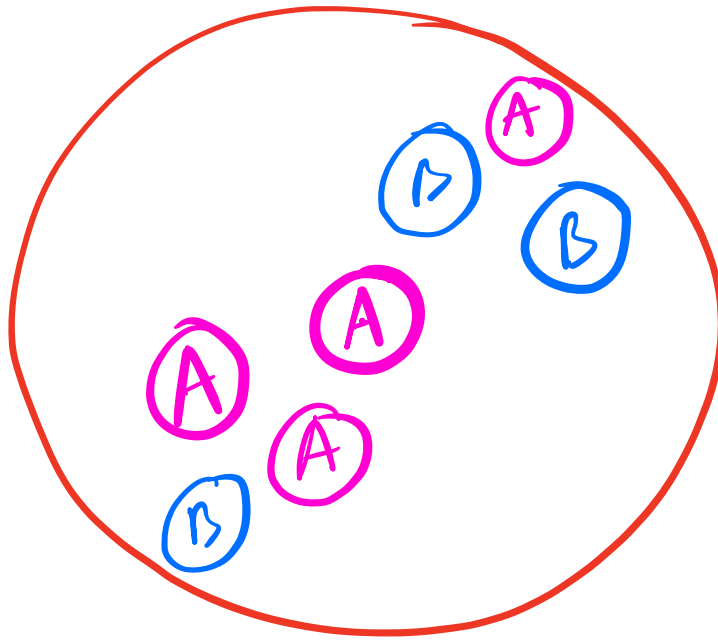
they have  $\infty$  supply of circular disks of  
same size (size disk < size table)

A



B

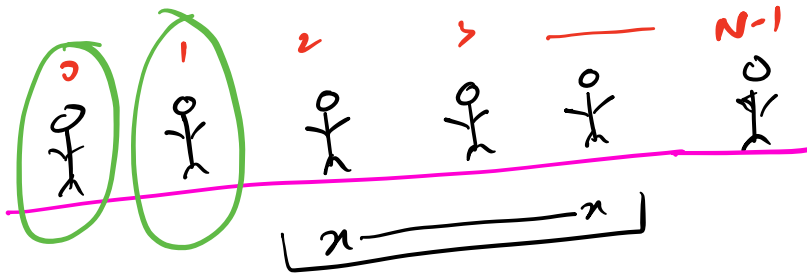
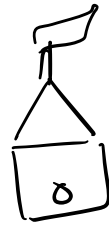
If both of them play optimally, who will win?



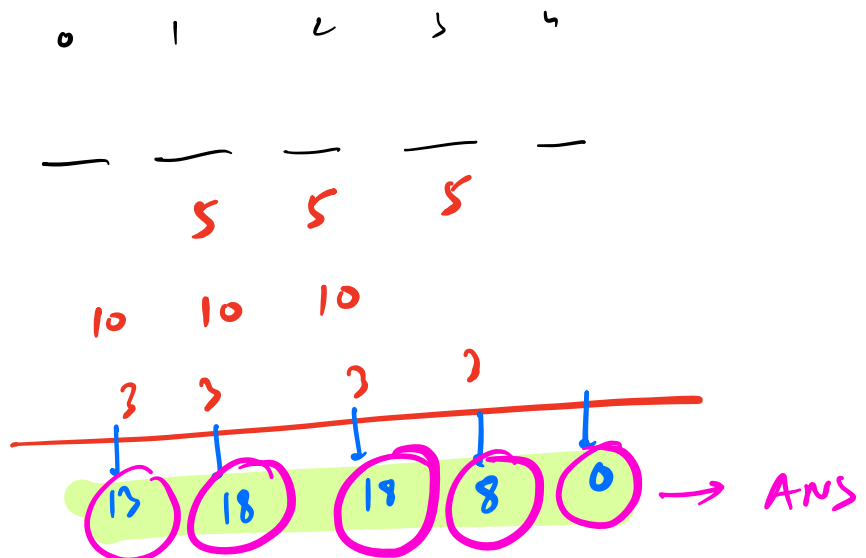
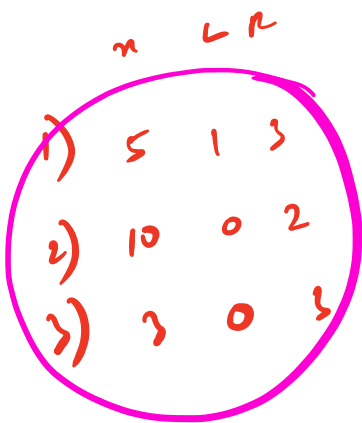
A would ALWAYS WIN  
→ 1st place in CETER  
After that copy cat B's move!

Q Given  $N$  beggars &  $M$  worshippers

Every worshipper would give  
Rs  $x$  to ALL beggars in  $[L, R]$



find the money will ALL beggars at the end!





int A[N] = {0};

f(i=0; i < n; i++) {  
    // n, L, R;

    f(k=L; k <= R; k++) {

        A[k] += x;

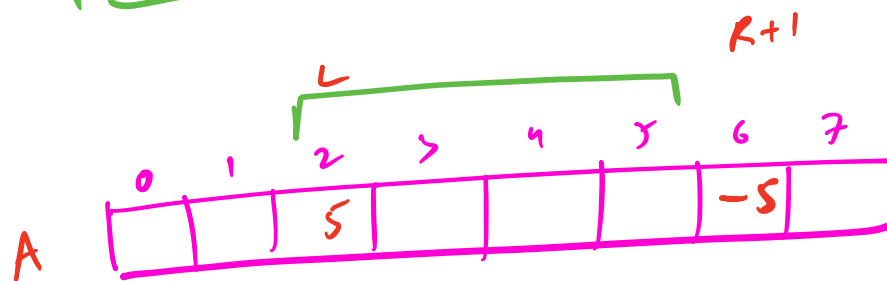
    }

  }  
  return A[];

**TC:  $O(NM)$**

**SC:  $O(1)$**

+5 [2, 5]



ps. 0 0 5 5 5 5 0 0

+5 [2, 5]

+3 [0, 3]

+10 [2, 5]

			3		5	10		R
	0	1	2	3	4	5	6	7
A	3		15		-3		-15	
	0	1	2	3	4	5	6	7
PS	3	3	18	18	15	15	0	0

Idea:

+x [L, R]

$A[L] += x$

$A[R+1] -= x$

$R+1 < N$  ✓

do this for all queries!

(create PS []).

→ ANS

```
int A[N] = {0};
```

```
f(i=0; i<N; i++) { → M  
    // n, L, R
```

```
    A[L] += n;
```

```
    if (R+1 < N) {
```

```
        A[R+1] -= n;
```

```
    }
```

```
}
```

```
f(i=1; i<N; i++) { → N  
    A[i] += A[i-1];
```

```
}
```

```
ret A[];
```

**$TC = O(N+M)$**

**$SC = O(1)$**

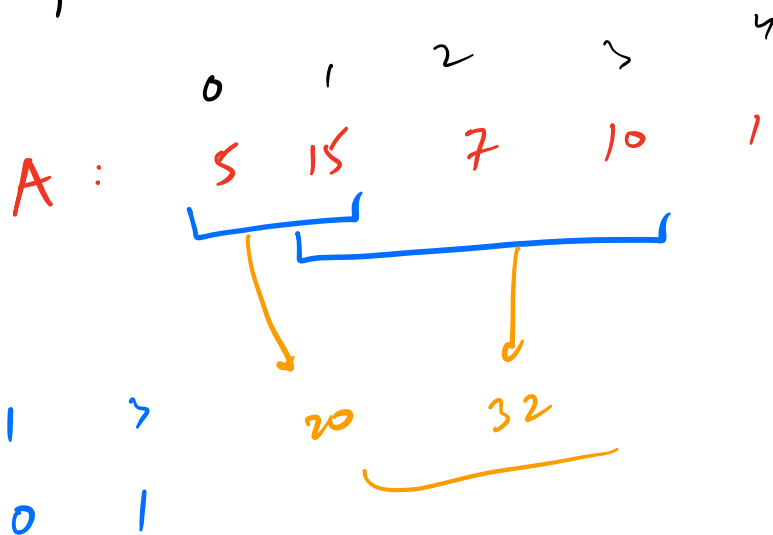
Q Given an arry A of  $N$  elements.

Given  $Q$  queries  $[L, R]$

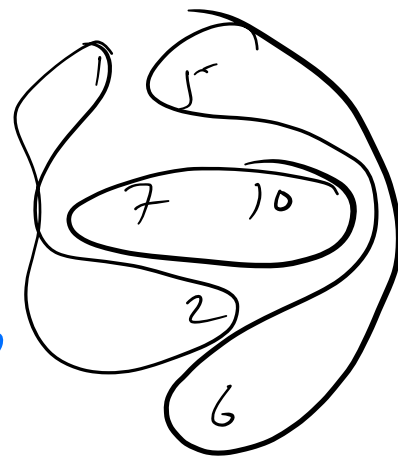
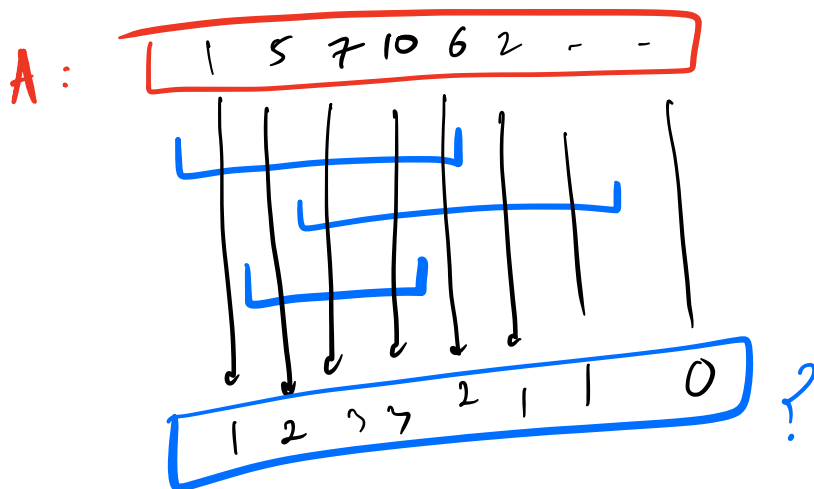
Ans of a query  $\rightarrow$  Sum of all elements in the index range  $[L, R]$ .

You can rearranging the elements of the array!

GOAL: to obtain the MAX sum of all queries!



5 2



Idea: put the largest element at  
most frequently covered index under  
query!

