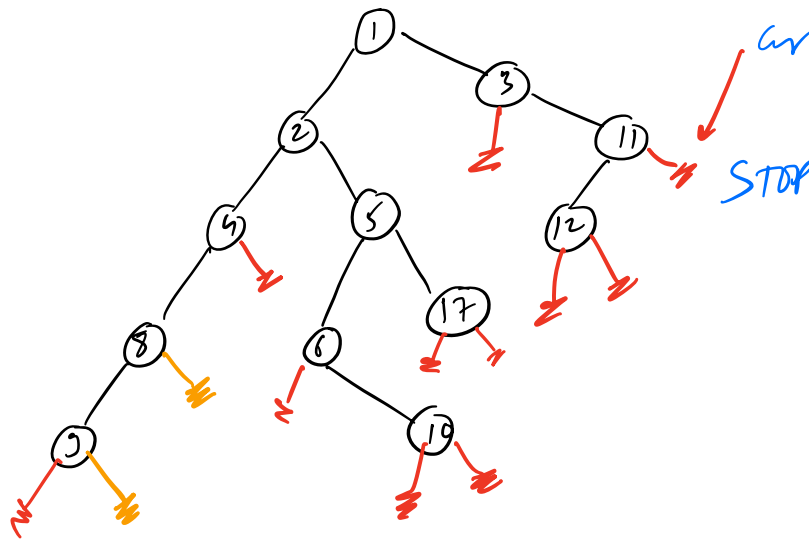


Inorder Traversal

TC $\rightarrow O(N)$

SC $\rightarrow O(H)$

② MORRIS INORDER TRAVERSAL [LDR]



INORDER : 9 8 4 2 6 10 5 17 1 3 12 11
MORRIS

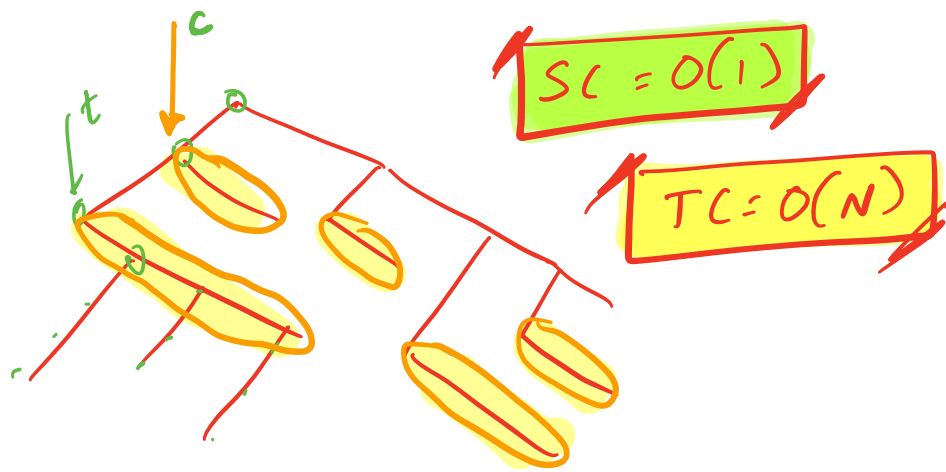
9 8 4 2 6 10 5 17 1 3 12 11

17 is inorder predecessor of 1

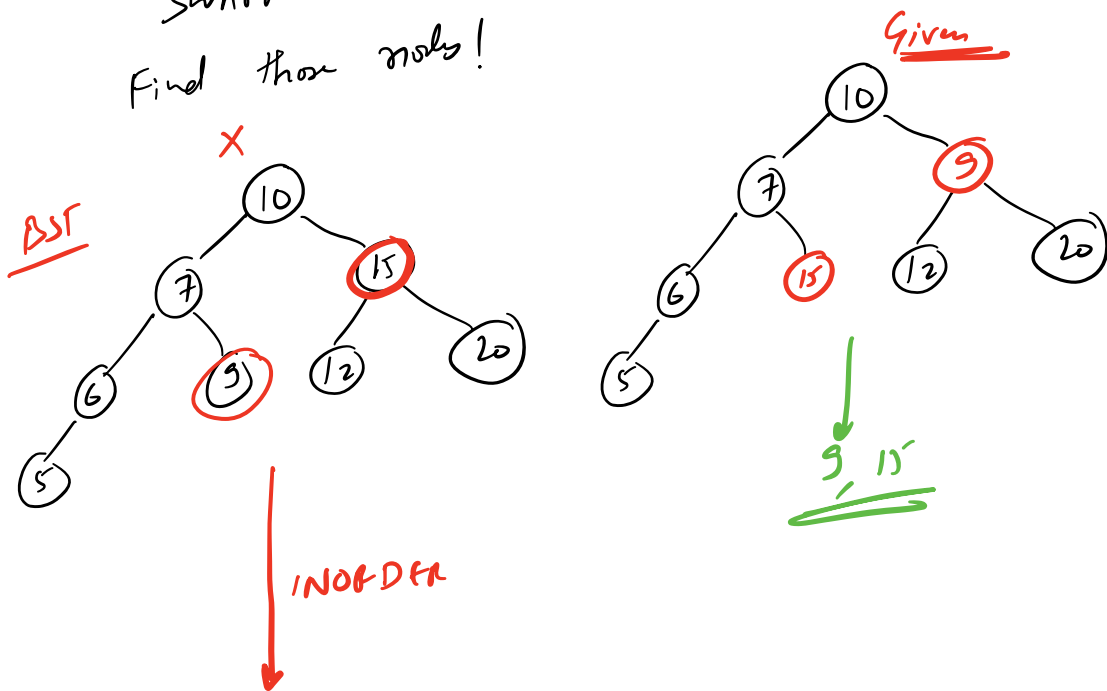
```

void Morris10T (Node root) {
    Node cur = root;
    while (cur != NULL) {
        if (cur.left != NULL) {
            Node temp = cur.left;
            while (temp.right != NULL && temp.right != cur) {
                temp = temp.right;
            }
            if (temp.right == NULL) {
                temp.right = cur;
                cur = cur.left;
            }
            else {
                temp.right = NULL;
                print(cur.data);
                cur = cur.right;
            }
        }
        else {
            print(cur.data);
            cur = cur.right;
        }
    }
}

```

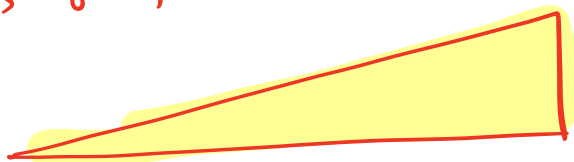


Q Given a BST after 2 of its nodes have been SWAPPED. Find those nodes!



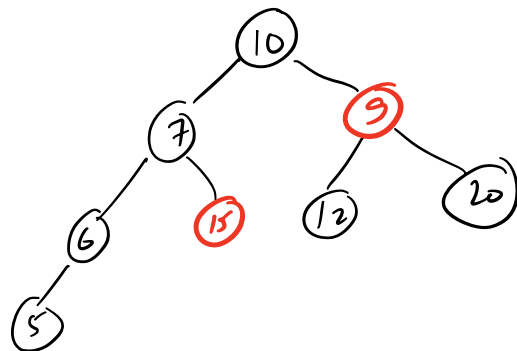
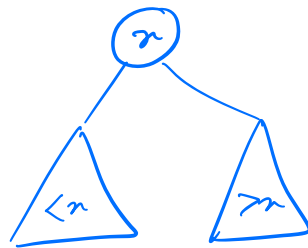
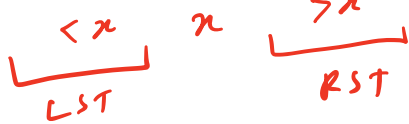
INORDER

5 6 7 9 10 12 15 20

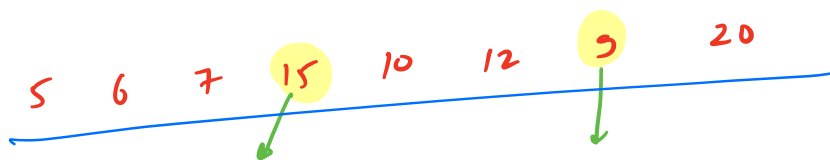


FACT: INORDER of a BST is SORTED in INCR order!

IN:

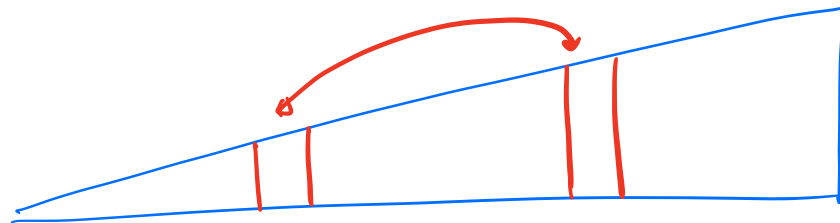
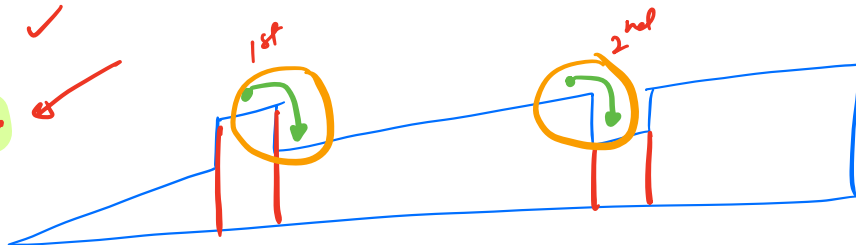


INORDER:



TC = $O(N)$

SC = $O(N)$

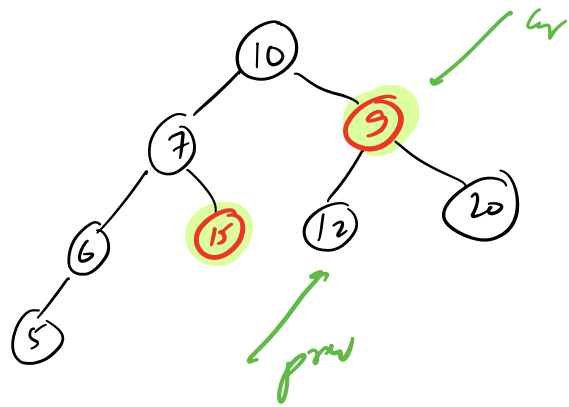


II

```

prev = -∞;
void inorder(Node cur) {
    if (cur == NULL) return;
    inorder(cur.left);
    if (prev > cur.data)
        → problem
    prev = cur.data;
    inorder(cur.right);
}

```



TC = $O(N)$

SC = $O(H)$

III

Morris

```

void morris1OT(Node root) {
    Node cur = root;
    while (cur != NULL) {
        if (cur.left != NULL) {
            Node temp = cur.left;
            while (temp.right != NULL && temp.right != cur) {
                temp = temp.right;
            }
            if (temp.right == NULL) {
                temp.right = cur;
                cur = cur.left;
            }
        }
        cur = cur.right;
    }
}

```

```

    cur = cur.left
  }
  else {
    temp.right = NULL;
    print(cur.data);
    cur = cur.right;
  }
}
else {
  print(cur.data);
  cur = cur.right;
}
}

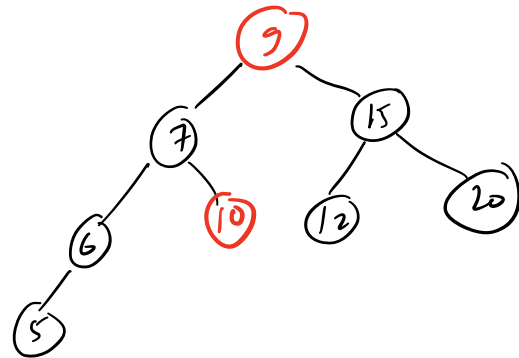
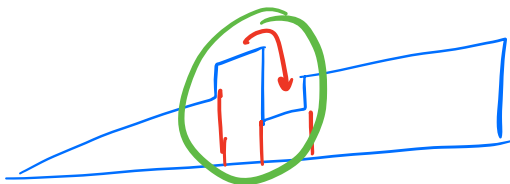
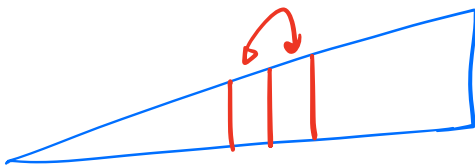
```

if (prev > cur.data) {
 → problem
 }
 prev = cur.data;

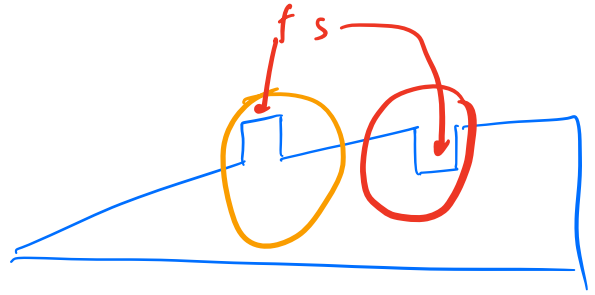
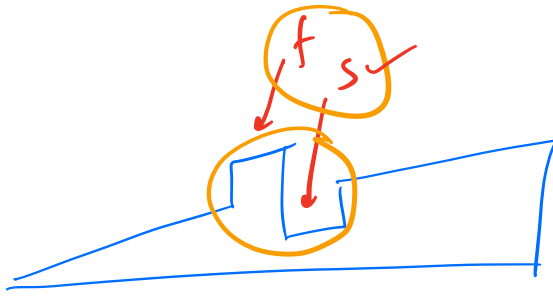
TC = $O(N)$
SC = $O(1)$

CORNER CASE

IN: 5 6 7 10 9 12 15 20



1 DIP



LCA [Lowest | Common | Ancestor]

$LCA(6, 11) \rightarrow$

LEARN

$A(6)$:	1	4	5	6	
$A(11)$	1	4	9	10	11

~~~~~ x

~ x

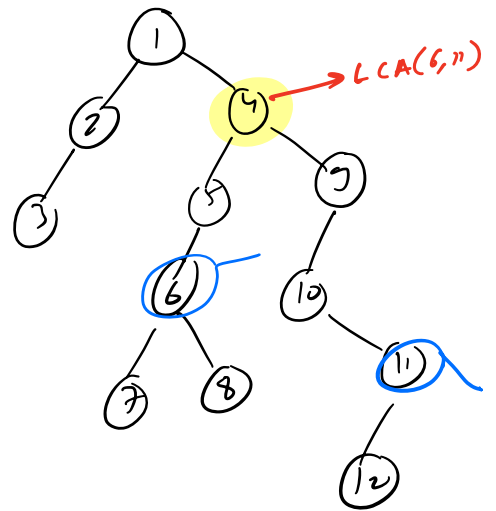
$LCA(3, 7) \rightarrow 1$

$LCA(8, 12) \rightarrow 4$

$LCA(7, 8) \rightarrow 6$

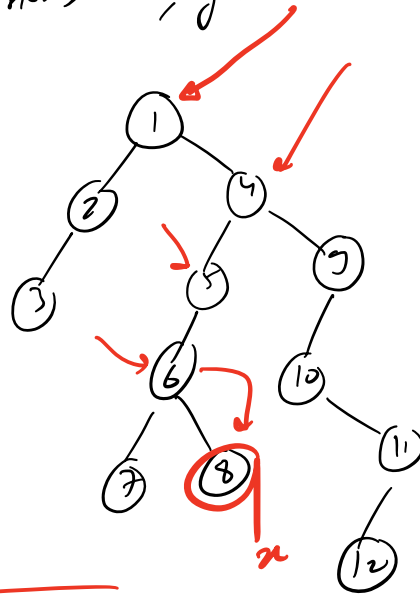
$LCA(6, 8) \rightarrow 6$

$LCA(6, 6) \rightarrow 6$



Q Given a BT. Given 2 nodes  $x, y$ .  
Find their LCA!

Idea: find the Ancestor list  
of  $x$  &  $y$ . Find the  
last common node!  
→ root to node path.



Ans (8)



path[]

```
void getPath (Node root, int n) {
    if (root == NULL) return;
    path.push_back(root);
    if (root->data == n) { path[] copy → ANS[]; }
    getPath (root->left, n);
    getPath (root->right, n);
    path.pop_back();
}
```

→ N

path[x[]]  
→ y[]

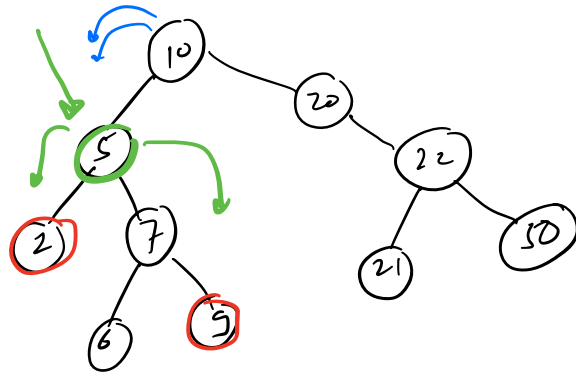


$f(i:0 \rightarrow \text{root})$  → H  
 find the last common value in path  $x[]$  & path  $y[]$ .  
 $\downarrow$   
 $LCA(u, v)$

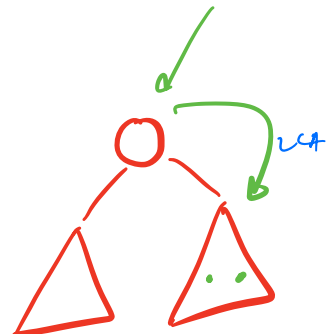
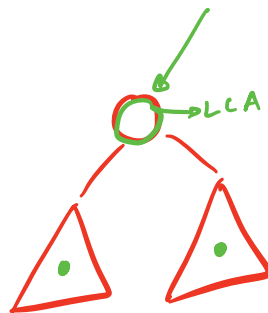
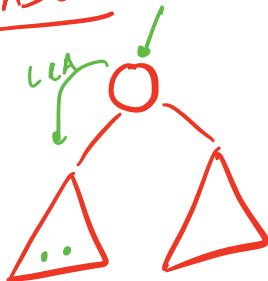
$TC: O(N)$   
 $SC: O(1)$

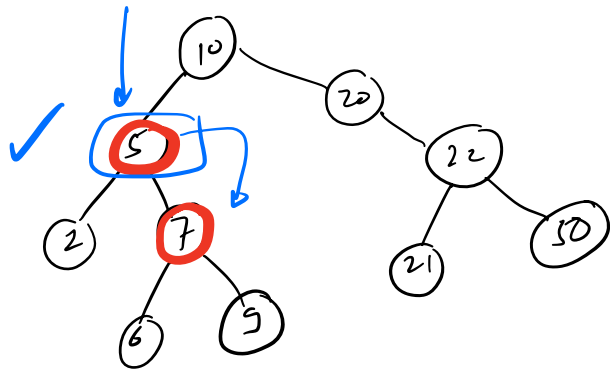
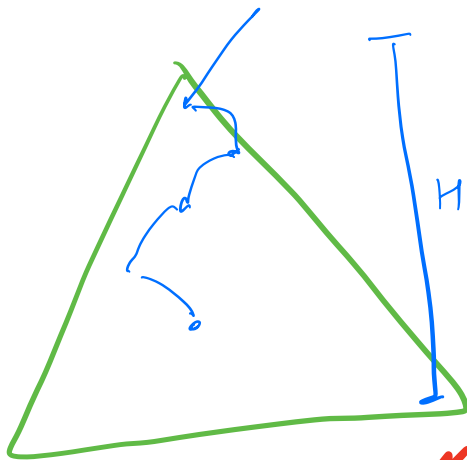
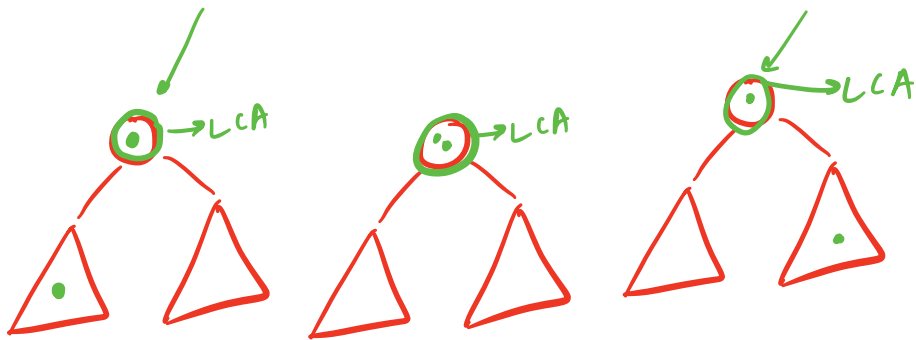
Given a BST. find  $LCA(u, v)$ .

$LCA(2, 9)$



CASES

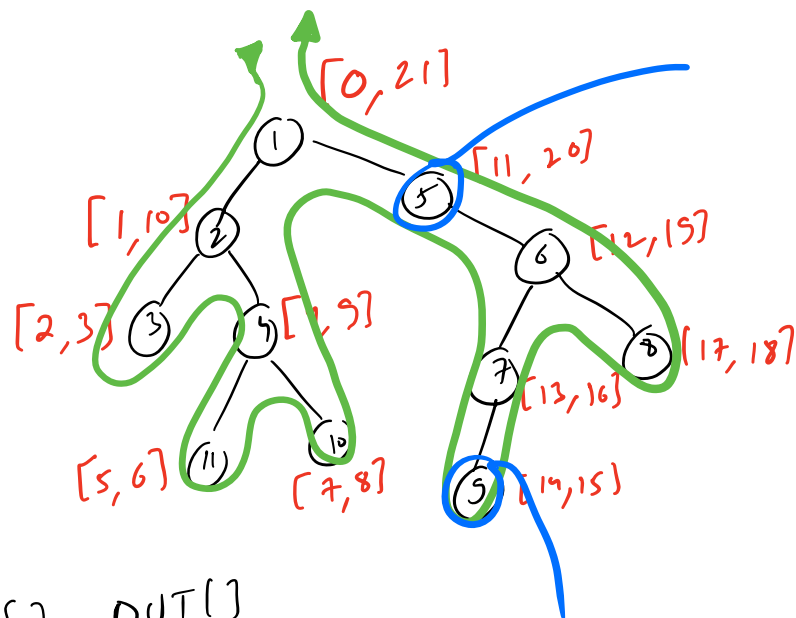




$T_C = O(H)$

$S_C = O(1)$

# IN/OUT TIME CONCEPT



$T = 0; \text{IN}[], \text{OUT}[]$

preorder ( - ) :

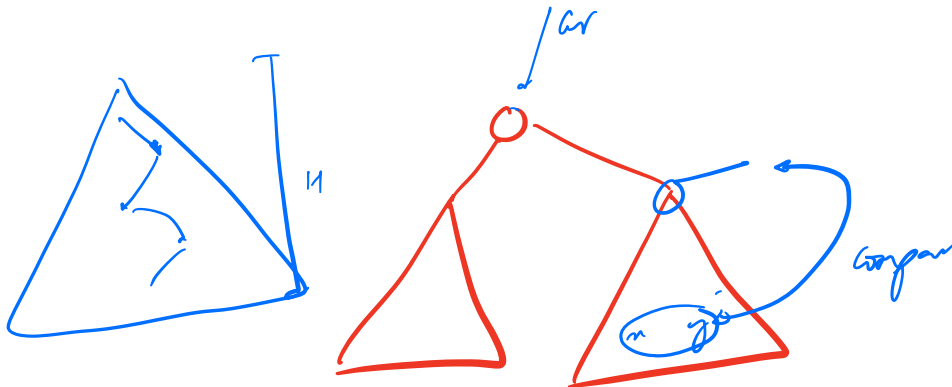
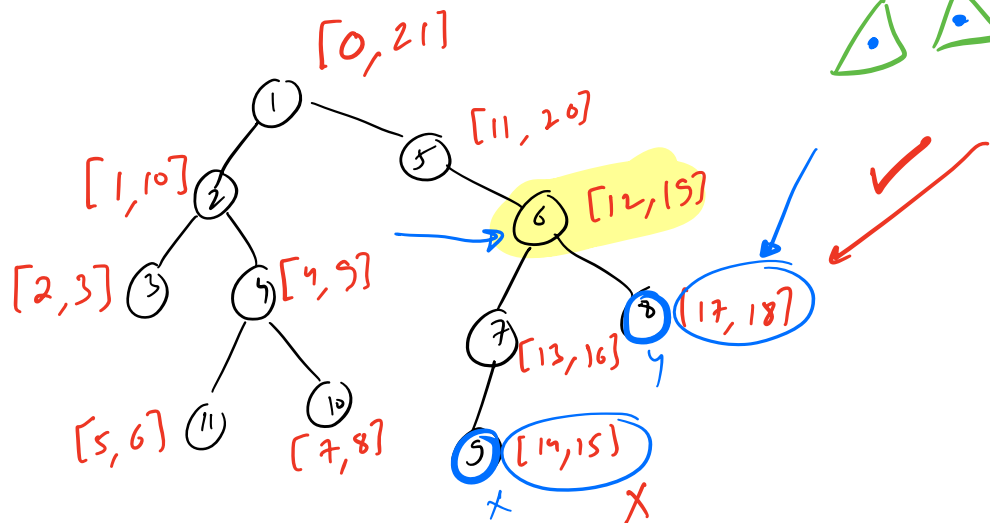
```

    → IN[root] = T;
      T++;

    → L
    → R

    → OUT[root] = T;
      T++;
  }
  
```

**Root**

$$\begin{aligned} IN(x) &\leq IN(y) \quad \&\& \\ OUT(x) &\geq OUT(y) \end{aligned}$$


$IN[], OUT[] \longrightarrow$

$TC = O(N)$   
 $SC = O(N)$

$1 \text{ query} \longrightarrow O(H)$

$Q \longrightarrow O(Q \cdot H)$

$TC = O(N + Q \cdot H)$

$SC = O(N)$