```
In [88]: import random
          # Problem 1
         from operator import itemgetter
         def minimumCost(n: int, connections: list[list[int]]):
              # sorting the connection array based on cost in increasing order
             connections.sort(key=itemgetter(2))
              # initializing variables
              p = [k \text{ for } k \text{ in } range(n+1)]
              ct = 0
             collective cost = 0
              for c in connections:
                 x, y, cst = c
                  # finding the parents of x and y
                  p_x = get_parent(p, x)
                  p_y = get_parent(p, y)
                  # Include in minimum total cost in case parents are different
                  if p_x != p_y:
                     collective cost += cst
                     p[p_x] = p_y
                     ct += 1
                  if ct == n-1:
                     return collective_cost
              # if all cities are not connected then returning -1
              return -1
         def get_parent(p, node):
              # finding the parent of node recursively
              if p[node] != node:
                  p[node] = get_parent(p, p[node])
              return p[node]
```

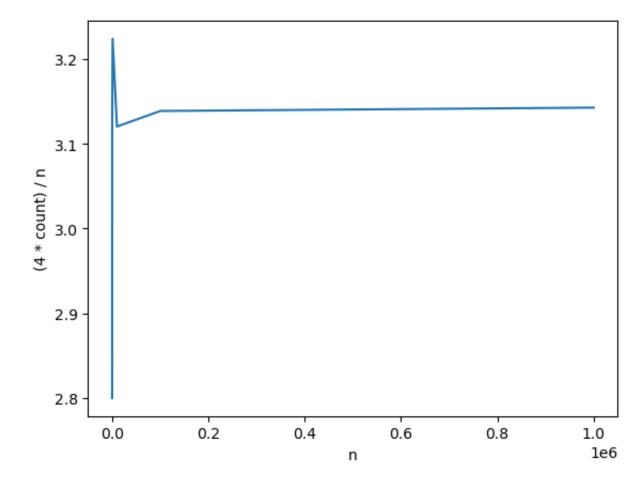
In [89]: # Problem 2 def is feasible graph(n, edges list): #When there is only one node **if** n == 1: return True # Implementing Depth First Search for coloring the nodes def dfs(nd, cl): clr[nd] = cl vsted[nd] = True for nbr in adjacent[nd]: if not vsted[nbr]: if not dfs(nbr, 1-cl): return False elif clr[nbr] == cl: return False return True #Intializing the adjacency matrix adjacent = [[] for \_ in range(n)] for s, d in edges\_list: adjacent[s].append(d) adjacent[d].append(s) #Initializing the variables clr = [-1] \* nvsted = [False] \* n # Go through every node and give them a color if they have not been colored yet. for k in range(n): if not vsted[k]: if not dfs(k, 0): return False return True

```
In [90]: # Problem 3
         def word2int(word):
             val = 0
             for k, c in enumerate(word[::-1]):
                 val = val + (ord(c) - ord('a') + 1) * (32 ** k)
             return val
         def get_min_C_value(words):
             # Get the word2int values of the words
             w2i = []
             for word in words:
                 sum = 0
                 for k, c in enumerate(reversed(word)):
                     sum += word2int(c) * 32 ** k
                 w2i.append(sum)
             c = 1
             while True:
                 # Creating a hash table
                 t = [-1] * len(words)
                 for k in range(len(words)):
                     #Calculating the hash value
                     h_val = (c // w2i[k]) % len(words)
                     #Incase of collision stop and try different value
                     if t[h_val] != -1: break
                     t[h val] = k
                 # If there are no collisions, then return the value of c.
                 else:
                     return c
                 c += 1
```

In [101... #Problem 4 import random import matplotlib.pyplot as plt n\_list = [10, 100, 1000, 10000, 100000, 1000000] rts = [] for n in n\_list: #Generating the pints ct = 0 n1 = n**while** n1 != 0: x = random.uniform(-1, 1)y = random.uniform(-1, 1)**if** (x\*\*2 + y\*\*2) < 1: ct += 1 n1 = n1 - 1rt = (4 \* ct) / nrts.append(rt) print("n =", n, "ratio =", rt) plt.plot(n\_list, rts) plt.xlabel("n") plt.ylabel("(4 \* count) / n") plt.show() #Observation: # As n increases, the value of (4 \* count) / n tends to approach pi. # For small values of n, the ratios exhibit some degree of variation. # But as n becomes larger, the variation diminishes and the ratios converge to a singular value. # The rate of convergence to pi is gradual, such that even with n=1,000,000, the ratio approximates pi with only about two decimal places of accuracy. # Consequently, generating random points is not an especially efficient means of computing pi, although it serves as a straightforward and intuitive illustration of the n = 10 ratio = 2.8n = 100 ratio = 3.12n = 1000 ratio = 3.224

```
n = 10000 \text{ ratio} = 3.1204
n = 100000 \text{ ratio} = 3.13872
n = 1000000 \text{ ratio} = 3.142688
```

Assignment 11 4/22/23, 9:49 PM



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